

## 32-bit Prefix Adder Workflow

### Input Breakdown:

- Inputs are two 32-bit binary numbers:  $A[31:0]$  and  $B[31:0]$ .
  - A carry-in ( $C_{in}$ , typically 0) may also be included.
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### Step 1: Generate and Propagate:

- Compute the **Generate (G)** and **Propagate (P)** signals for each bit:  $G[i] = A[i] \cdot B[i]$  (Carry generated by bit  $i$ )  
 $G[i] = A[i] \cdot B[i]$  (Carry generated by bit  $i$ )  
 $P[i] = A[i] \oplus B[i]$  (Carry propagated by bit  $i$ )  
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### Step 2: Prefix Processing (Carry Calculation):

- Use the prefix logic to compute the carry ( $C[i]$ ) for each bit:  $C[i] = G[i] + (P[i] \cdot C[i-1])$   
 $C[i] = G[i] + (P[i] \cdot C[i-1])$
  - This is done in stages, where each stage combines pairs of generate and propagate signals:
    - Stage 1:** Combine adjacent bits.
    - Stage 2:** Combine pairs of results from Stage 1.
    - Repeat until carry for all bits is computed.
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### Step 3: Compute the Sum:

- Calculate the sum bit for each position using:  $S[i] = P[i] \oplus C[i]$   
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### Output Assembly:

- Combine the sum bits ( $S[31:0]$ ) to produce the final 32-bit sum.
- The final carry ( $C[32]$ ) indicates overflow.