# PRACTICAL- 1

## **AIM**

Write a program to find the solution of the equation X=AX using the eigen value-Eigen vector method.

#### **FUNCTIONS USED**

[V, D]=eig(A) – Used to find the eigenvalues and eigenvectors of the matrix A. V gives a matrix with the eigenvectors as its columns. D is a diagonal matrix with eigenvalues as the diagonal elements.

## CODE

```
%%linear DE system solver: Solve a system of linear
homogenous DEs
function[sols]=linear DE system solver(A)
syms t
syms lambda
n = length(A);
[V,D] = eig(A);
eigenvalues=diag(D);
consts=reshape(sym('c%d',1:n),n,1);
unique eigenvalues=unique (eigenvalues);
mults=histc(eigenvalues, unique eigenvalues);
sols=sym('x%d',[1 n]);
if length(unique eigenvalues) ~=length(eigenvalues)
    %For repeating eigenvalues
    i=1;
    ch mat=A-lambda*eye(n);
    V=vpa(V);
    while i<=n
        [pos]=find(unique eigenvalues==eigenvalues(i));
        if mults(pos)>1
            e vector=V(:,i);
            a mat=subs(ch mat, eigenvalues(i));
            for j=1:mults(pos)
                V(:,i) = V(:,i) .* (t^{(j-1)});
```

# **INVOCATION**

```
>> practical_1([1 2;3 2])

ans =

[ - (2^(1/2)*c1*exp(-t))/2 - (2*13^(1/2)*c2*exp(4*t))/13,
(2^(1/2)*c1*exp(-t))/2 - (3*13^(1/2)*c2*exp(4*t))/13]
```