Quiz, 10 questions

10/10 points (100%)



Congratulations! You passed!

Next Item



1/1 point

1.

1\2	х	у	Z
a	2,5	2,1	0,1
b	3,2	4,4	1,1
С	1,0	1,1	1,2

Find the strictly dominant strategies (click all that apply: there may be zero, one or more and remember the difference between strictly dominant and strictly dominated):



х;

Un-selected is correct

none

Correct

No strategy is a strictly dominant strategy.

- a is strictly dominated by b and so is not dominant;
- if 2 plays z then 1 is indifferent between ${\bf c}$ and ${\bf b}$, while if 2 plays y then ${\bf b}$ is strictly better than ${\bf c}$, and so neither is strictly dominant.
- Similarly, when 1 plays **a**, x is the unique best response for 2; when 1 plays **b**, y is the unique best response for 2; when 1 plays **c**, z is the unique best response for 2, and so none of them is dominant.



c;

Un-selected is correct

10/10 points (100%)

Final Exam Quiz, 10 questions Un-selected is	correct
Un-selected is	correct
a; Un-selected is	correct
b;	



1/1 point

Un-selected is correct

2.

1\2	x	у	Z
a	2,5	2,1	0,1
b	3,2	4,4	1,1
С	1,0	1,1	1,2

Find the weakly dominated strategies (click all that apply: there may be zero, one or more):

г	٦.	

x;

Un-selected is correct



v;

Un-selected is correct



b;

Final Lixed ested is correct

Quiz, 10 questions 10/10 points (100%)



c;

Correct

(a) and (c) are correct.

- For 1, both **c** and **c** are weakly dominated by **b**. When 2 plays x or y, **b** is strictly better than **c**; when 2 plays z, 1 is indifferent between **b** and **c**.
- From the previous answer, player 2 has no weakly dominated strategies.

			ı
			ı
- (J

a;

Correct

(a) and (c) are correct.

- For 1, both **c** and **c** are weakly dominated by **b**. When 2 plays x or y, **b** is strictly better than **c**; when 2 plays z, 1 is indifferent between **b** and **c**.
- From the previous answer, player 2 has no weakly dominated strategies.



z;

Un-selected is correct



1/1 point

3.

1\2	х	у	Z
a	2,5	2,1	0,1
b	3,2	4,4	1,1
С	1,0	1,1	1,2

Which strategies survive the process of iterative removal of strictly dominated strategies (click all that apply: there may be zero, one or more)?



b;

Correct

(b), (c), (y) and (z) are the survivors.

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Quiz, 10 questign dominated by b.

10/10 points (100%)

- x is dominated by y, once **a** is removed.
- No further removals can be made.



a;

Un-selected is correct



c;

Correct

(b), (c), (y) and (z) are the survivors.

- **a** is dominated by **b**.
- x is dominated by y, once **a** is removed.
- No further removals can be made.



x;

Un-selected is correct



v:

Correct

(b), (c), (y) and (z) are the survivors.

- a is dominated by b.
- x is dominated by y, once **a** is removed.
- No further removals can be made.



z;

Correct

(b), (c), (y) and (z) are the survivors.

- **a** is dominated by **b**.
- x is dominated by y, once **a** is removed.
- No further removals can be made.

Final Exam Quiz, 10 questions

10/10 points (100%)



1/1 point

4.

1\2	х	у	Z
a	2,5	2,1	0,1
b	3,2	4,4	1,1
С	1,0	1,1	1,2

Find all strategy profiles that form pure strategy Nash equilibria (click all that apply: there may be zero, one or more):



(a, x);

Un-selected is correct



(b, x);

Un-selected is correct



(b, z);

Un-selected is correct



(a, z);

Un-selected is correct



(b, y);

Correct

(b, y) and (c, z) are pure-strategy Nash equilibria.

- It is easy to check the pure-strategy Nash equilibrium: no one wants to deviate.
- In any of the other combinations at least one player has an incentive to deviate. Thus, they are not equilibria.

(a, y);
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Quiz, 10 questions
Un-selected is correct

10/10 points (100%)

(c, y);

Un-selected is correct



Correct

(b, y) and (c, z) are pure-strategy Nash equilibria.

- It is easy to check the pure-strategy Nash equilibrium: no one wants to deviate.
- In any of the other combinations at least one player has an incentive to deviate. Thus, they are not equilibria.



Un-selected is correct



1/1 point

5.

1\2	у	Z
b	4,4	1,1
С	1,1	2,2

Which of the following strategies form a mixed strategy Nash equilibrium? (p corresponds to the probability of 1 playing ${\bf b}$ and 1-p to the probability of playing ${\bf c}$; q corresponds to the probability of 2 playing y and 1-q to the probability of playing z).



$$p=1/4$$
, $q=1/4$;

Correct

$$(p = 1/4, q = 1/4)$$
 is true.

• In a mixed strategy equilibrium in this game both players must mix and so 1 must be indifferent between **b** and **c**, and 2 between **y** and **z**.

• b gives 1 an expected payoff: 4q + (1-q)

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Quiz, 10 questigives 1 an expected payoff: 1q+2(1-q)

10/10 points (100%)

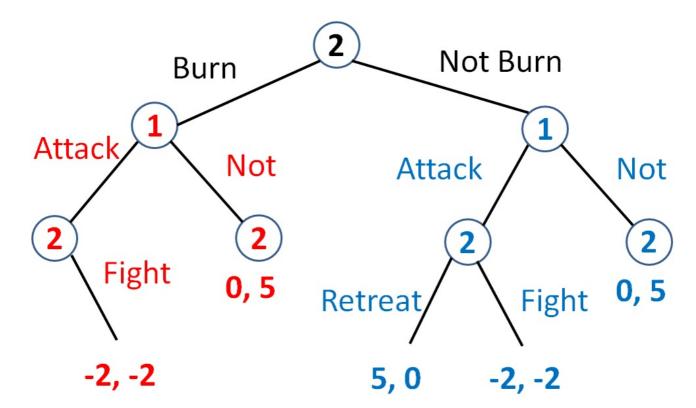
- Setting these two payoffs to be equal leads to q=1/4.
- By symmetry we have p = 1/4.
- p = 1/3, q = 1/3;
- p = 2/3, q = 1/4;
- p = 1/3, q = 1/4;



1/1 point

6.

- One island is occupied by Army 2, and there is a bridge connecting the island to the mainland through which Army 2 could retreat.
- Stage 1: Army 2 could choose to burn the bridge or not in the very beginning.
- Stage 2: Army 1 then could choose to attack the island or not.
- Stage 3: Army 2 could then choose to fight or retreat if the bridge was not burned, and has to fight if the bridge was burned.



First, consider the blue subgame. What is a subgame perfect equilibrium of the

blue subgame?

Final Ex	
Quiz, 10 questi	(Attack, Fight)

10/10 points (100%)

- (Not, Fight).
- (Attack, Retreat).

Correct

(Attack, Retreat) is true.

- At the subgame when 1 attacks, it is better for 2 to retreat with a payoff (5, 0).
- If 1 doesn't attack, the payoff is (0, 5).
- It is thus optimal for 1 to attack, and so (Attack, Retreat) is the unique subgame prefect equilibrium in this subgame.



1/1 point

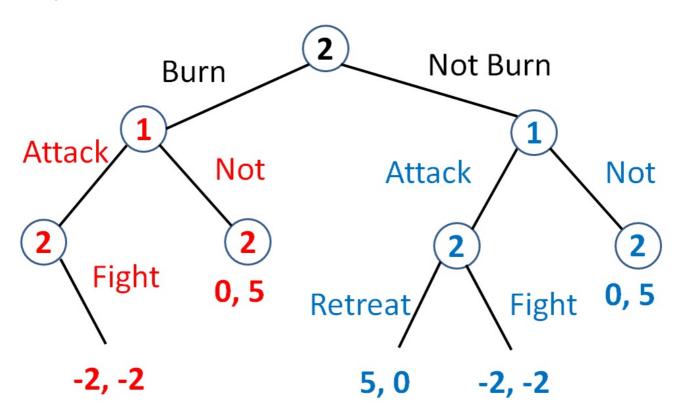
7.

• One island is occupied by Army 2, and there is a bridge connecting the island to the mainland through Final Exammy 2 could retreat.

10/10 points (100%)

Quiz, 10 questions

- Stage 1: Army 2 could choose to burn the bridge or not in the very beginning.
- Stage 2: Army 1 then could choose to attack the island or not.
- Stage 3: Army 2 could then choose to fight or retreat if the bridge was not burned, and has to fight if the bridge was burned.



What is the outcome of a subgame perfect equilibrium of the whole game?

- Bridge is not burned, 1 does not attack.
- Bridge is burned, 1 attacks and 2 fights.
- Bridge is burned, 1 does not attack.

Correct

(Bridge is burned, 1 does not attack) is true.

- At the subgame when the bridge is not burned, the equilibrium outcome is (5, 0) from the previous question.
- If the bridge is burned:
- If 1 attacks, 2 has to fight and gets (-2, -2);
- If 1 doesn't attack, the payoff is (0, 5).
- 1 is better off not attacking, with a payoff (0, 5).
- Thus, it is better for 2 to burn the bridge, which leads to (0, 5) instead of (5, 0).
- Bridge is not burned, 1 attacks and 2 retreats.

10/10 points (100%)

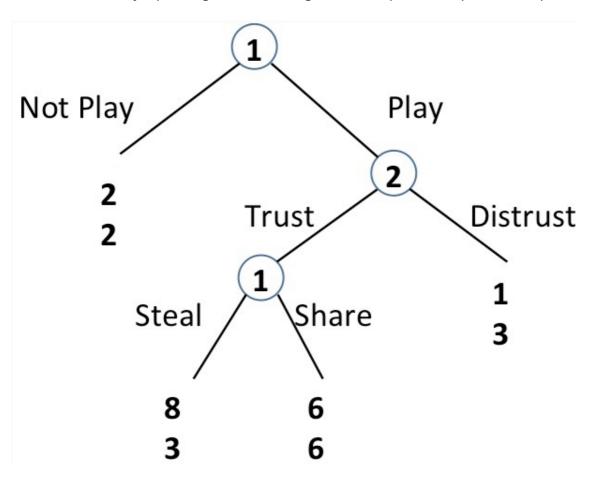
Quiz, 10 questions



1/1 point

8.

Consider an infinitely repeated game where the game in each period is depicted in the picture.



There is a probability p that the game continues next period and a probability (1-p) that it ends. What is the threshold p^* such that when $p \geq p^*$ ((Play,Share), (Trust)) is sustainable as a subgame perfect equilibrium by a grim trigger strategy, but when $p < p^*$ ((Play,Share), (Trust)) can't be sustained as a subgame perfect equilibrium?

[Here a trigger strategy is: player 1 playing Not play and player 2 playing Distrust forever after a deviation from ((Play,Share), (Trust)).]



2/3;



1/3;

Correct

(1/3) is true.

- In the infinitely repeated game supporting ((Play,Share), (Trust)):
- Suppose player 2 uses the grim trigger strategy: start playing Trust and play Distrust forever after a deviation from ((Play,Share), (Trust)).

• If player 1 deviates and plays (Play, Steal), player 1 earns 8-6=2 more in the current period,

Final Examses 4 from all following periods, which is 4p/(1-p) in total.

10/10 points (100%)

- ullet Thus in order to support ((Play,Share), (Trust)), the threshold is 2=4p/(1-p), which is p=1/3.
- Note that given player 1's strategy, player 2 has no incentive to deviate for any value of p.
- 1/4.
- 1/2;



1/1 point

9.

- There are two players.
- The payoffs to player 2 depend on whether 2 is a friendly player (with probability p) or a foe (with probability 1-p).
- Player 2 knows if he/she is a friend or a foe, but player 1 doesn't know.

See the following payoff matrices for details.

Friend	Left	Right
Left	3,1	0,0
Right	2,1	1,0

with probability p

Foe	Left	Right
Left	3,0	0,1
Right	2,0	1,1

with probability 1-p

When p = 1/4, which is a pure strategy Bayesian equilibrium:

(1's strategy; 2's type - 2's strategy)

- (Right ; Friend Right, Foe Right);
- (Left; Friend Left, Foe Right);
- (Right ; Friend Left, Foe Right);

Quiz, 10 (Right: Friend - Left, Foe - Right) is true.

10/10 points (100%)

- For player 2, Left is strictly dominant when a friend and Right when a foe. Thus, that must be 2's strategy in any equilibrium.
- Conditional on 2's strategy, 1 gets an expected payoff of 3p=3/4 when choosing Left and 2p+(1-p)=5/4 when choosing Right. Thus, 1's best response is to play Right.
- It is easy to check that in any of the remaining options, at least one player has an incentive to deviate.

	(Left; Friend - Left, Foe - Left);
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1/1 point

10.

Player 1 is a company choosing whether to enter a market or stay out;

• If 1 stays out, the payoff to both players is (0, 3).

Player 2 is already in the market and chooses (simultaneously) whether to fight

player 1 if there is entry

• The payoffs to player 2 depend on whether 2 is a normal player (with prob 1-p) or an aggressive player (with prob p).

See the following payoff matrices for details.

Aggressive	Fight	Not
Enter	-1,2	1,-2
Out	0,3	0,3

with probability p

Normal	Fight	Not
Enter	-1,0	1,2
Out	0,3	0,3

with probability 1-p

Player 2 knows if he/she is normal or aggressive, and player 1 doesn't know. Which are true (click all that apply, there may be zero, one or more):

When p < 1/2, it is a Bayesian equilibrium for 1 to enter, 2 to fight

when aggressive and not when normal.

Final Exam

Quiz, 10 questions **Correct** 10/10 points (100%)

All are true.

- When 1 enters, it is optimal for the aggressive type to fight and for the normal type not to fight; and those actions don't matter when 1 stays out.
- Conditional on 2's strategy, it is optimal for 1 to enter when p < 1/2, it is optimal for 1 to stay out when p > 1/2 and it is indifferent for 1 to enter or to stay out when p = 1/2.

When $p>1/2$, it is a Bayesian equilibrium for 1 to stay out, 2 to fight
when aggressive and not when normal;

Correct

All are true.

- When 1 enters, it is optimal for the aggressive type to fight and for the normal type not to fight; and those actions don't matter when 1 stays out.
- Conditional on 2's strategy, it is optimal for 1 to enter when p < 1/2, it is optimal for 1 to stay out when p > 1/2 and it is indifferent for 1 to enter or to stay out when p = 1/2.

When $p=1/2$, it is a Bayesian equilibrium for 1 to stay out, 2 to fight when
aggressive and not when normal;

Correct

All are true.

- When 1 enters, it is optimal for the aggressive type to fight and for the normal type not to fight; and those actions don't matter when 1 stays out.
- Conditional on 2's strategy, it is optimal for 1 to enter when p < 1/2, it is optimal for 1 to stay out when p > 1/2 and it is indifferent for 1 to enter or to stay out when p = 1/2.
- When p=1/2, it is a Bayesian equilibrium for 1 to enter, 2 to fight when aggressive and not when normal;

Correct

All are true.

- When 1 enters, it is optimal for the aggressive type to fight and for the normal type not to fight; and those actions don't matter when 1 stays out.
- Conditional on 2's strategy, it is optimal for 1 to enter when p<1/2, it is optimal for 1 to stay out when p>1/2 and it is indifferent for 1 to enter or to stay out when p=1/2.

Quiz, 10 questions

10/10 points (100%)



