

# DATA STRUCTURES

## Topic

1. > Introduction of Data Structure

2. > DS Array

- 1D Array
- 2D Array

3. > DS Linked List

- Introduction of LL
- Types of LL
- Singly Linked List
- Doubly Linked List
- Circular Linked List
- Circular doubly Linked List

4. > DS Stack

- Intro of Stack
- Array Implementation
- Linked List Implementation
- Push, Pop & other operation

5. > DS Queue

- Intro
- Types of Queue
- Array Represent
- Circular Queue
- Dequeue
- Priority Queue

## 6.) DS Tree

- Introduction of tree
- Binary tree
- Binary search tree
- AVL tree
- B tree
- B+ tree

## 7.) DS Graph

- DS Graph
- Graph Implementation
- BFS & DFS Algorithm
- Spanning tree

## 8.) DS Searching

- Linear search
- Binary search

## 9.) DS Sorting

- Bubble sort
- Insertion sort
- Merge sort
- Quick sort
- Selection sort
- Bucket sort
- Heap sort
- Counting sort
- Radix sort

## 11) Differences

- Linear vs non linear
- Array vs Linked List
- Stack vs Queue
- Linear vs circular queue
- LS vs BS
- Singly Linked List & Doubly Linked List
- Binary or Binary search tree
- tree vs Graph
- BST vs AVL tree
- Red Black tree vs AVL tree
- B tree vs B+ tree
- Quick ~~test~~ sort & Merge sort
- BFS vs DFS
- Stack vs Heap
- Stack vs Array
- Bubble sort vs Selection sort
- Full binary tree vs complete binary tree
- Binary tree vs B tree

References :- Javapoint



# 1) Introduction to Data Structure

## Data Structure

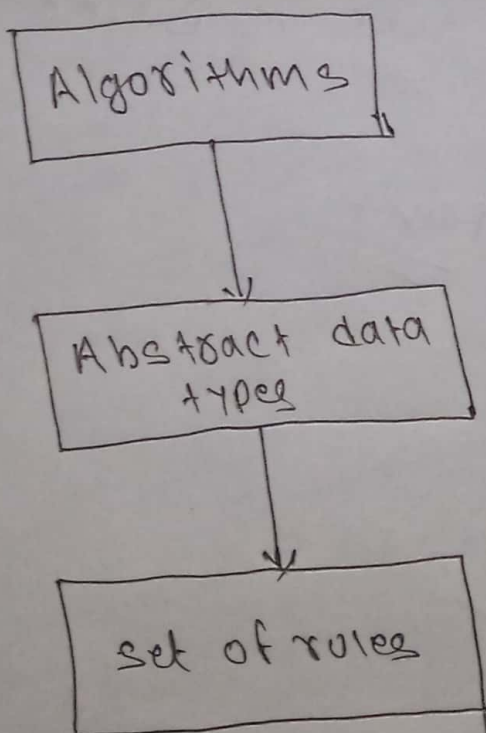
A data structure is a particular way to organizing data in a computer, so that it can be used effectively. There are many ways of organizing the data in memory.

EX. :- Array, Linked List, Stack, Queue

The data structure is not a programming language like C, C++, Java etc. It is a set of algorithms that we can use in any programming language to structure the data in memory.

### NOTE:-

To structure the data in memory, 'n' number of algorithms were proposed, and all these algo are known as Abstract data types. These abstract data type are the set of rules.



### \* Types of DS

1) Primitive data structures

2) Non primitive data structure

## 1) Primitive Data Structure

3

The primitive data structures are primitive data types, like int, char, float, double and pointer are the primitive data structures that can hold a single value.

## 2) Non-Primitive Data Structure

Non-Primitive data structures are 2 types

1) Linear data structure

2) Non-Linear data structure

## 1) Linear Data Structure

All the data and elements are organized in the linear order. In linear data structures the elements are stored in non-hierarchical way where each element has one predecessor and one successor except the first and last element.

## Types of Linear Data Structures

1) Array

2) Linked List

3) Stack

4) Queue

## 2.) Non Linear Data Structures

The data structures does not form a sequence i.e. each item or element is connected with two or more other item in a non-linear arrangement. The DS are not arranged in sequential structure.

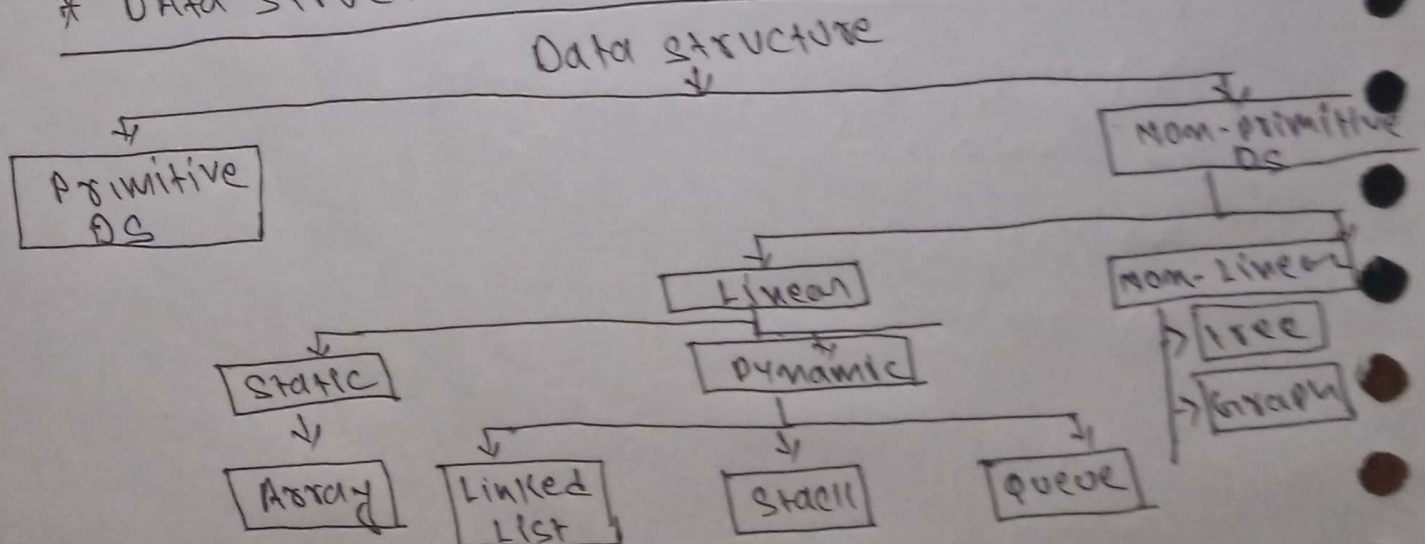
### Types of <sup>Non-linear</sup> Data Structures

- 1.) Tree
- 2.) Graph

## \* Operations on data structures

- 1.) Traversing
- 2.) Insertion
- 3.) Deletion
- 4.) Searching
- 5.) Sorting
- 6.) Merging

## \* Data structure classification





# \* Ds Algorithms

4

Algorithm is a set of Rules to solve any problems.

## Characteristics of an Algorithms

Input, Output, unambiguity, finiteness, Effectiveness, Language independent.

## Dataflow of an Algorithms

1. > Problems
2. > Algorithms
3. > Input
4. > Processing unit
5. > Output.

## Ex. of Algorithms

1. > Sorting
2. > Searching
3. > Delete x
4. > Insert x
5. > Update x

## Other technology

1. > Database :- collection of information in permanent storage for faster retrieval and updation.
2. > Data warehousing :- management of huge amount of legacy data for better analysis.

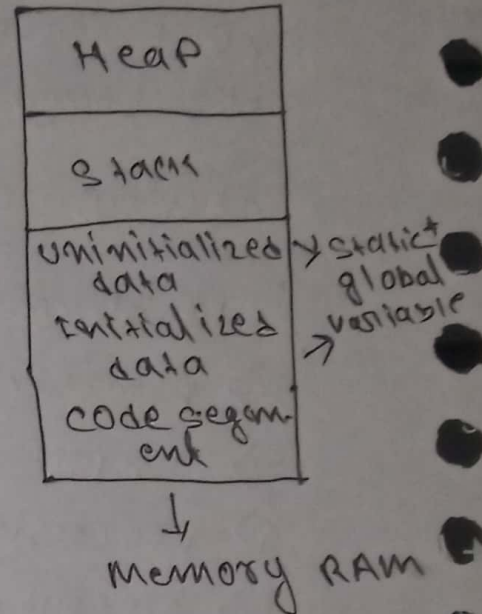
3.) Big data:- Analysis of too large or complex data which cannot be deal with traditional data processing application.

### Memory layout

→ when the program starts, its code is copied to the main memory.

→ Stack hold the memory occupied by the functions

→ Heap contains the data which is requested by the program as dynamic memory.



→ initialized and uninitialized data segment hold initialized and uninitialized global variables respectively.

### \* Time complexity & Big O Notation

Time complexity:- Time complexity is the amount of time taken by an algorithm to run, as a function of the length of the input.

EX:- Consider 2 developers who created an algorithm to sort  $n$  numbers. when ran for input size  $n$ , following results were recorded.



No. of elements (n)

Algo 1

Algo 2 5

10 elements

90ms

122ms

70 elements

110ms

124ms

110 elements

180ms

191ms

2000 elements

2s

800ms

As we can say that Algo 1 was shining for similar input but as the number of elements ~~input but as the number~~ increases Algo 2 looks good.

Ex:- Sending GTA V to a friend

Let us say you have a friend living 5kms away from your home, you want to send him a 60GB file game. How will you send it to him?

NOTE

Both of you are using 4G with 1GB/day data limit.

Best way to send the game is by delivering it to his home. Copy the game to a HDD and send it.

But what if you do the same thing for sending small size of game like 1mb, 2mb, you can send it by online.

→ As the tile size grows, time taken by phase 1 sending remains constant  $\rightarrow O(1)$  or  $O(1)$

Algo 1  $\rightarrow K_1 n^2 + K_2 n + 36 \rightarrow O(n^2)$

$\downarrow$   
Highest  
order  
term

$\nwarrow \quad \nearrow$   
can ignore lower  
order terms

41

## Visualising Big O

A hand-drawn graph illustrating time complexity. The vertical axis is labeled "time" and the horizontal axis is labeled "n". A solid horizontal line represents  $O(1) \rightarrow \text{constant}$ . A dashed diagonal line represents  $O(n) \rightarrow \text{Linear}$ .

# Asymptotic Notation

6

It gives an idea about how good a given algorithm is compare to some other algorithm

1.) Big O Notation ( $O$ )

2.) Omega Notation ( $\Omega$ )

3.) Theta Notation ( $\Theta$ )

## 1.) Big O Notation

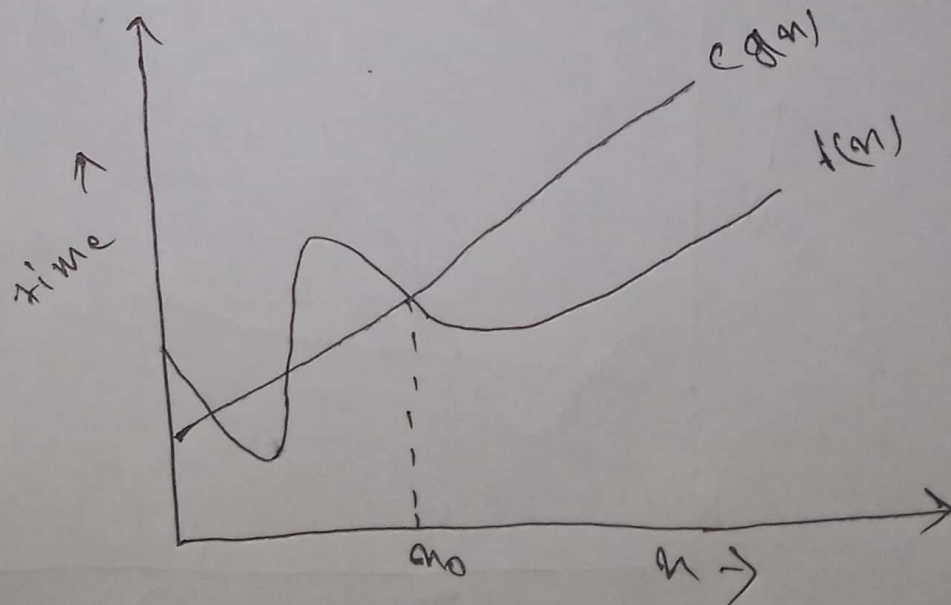
Big O notation is used to describe asymptotic upper bound.

$$0 \leq f(n) \leq c g(n) \text{ for all } n \geq n_0$$

$\uparrow$   
used to give upper bound on a fun.

if a function is  $O(n)$ , it is automatically  $O(n^2)$  as well.

## Graph





## 2.) Big omega notation

Just like  $O$  notation provides an asymptotic upper bound,  $\Omega$  notation provides asymptotic lower bound. Let  $f(n)$  define running time of an algorithm.

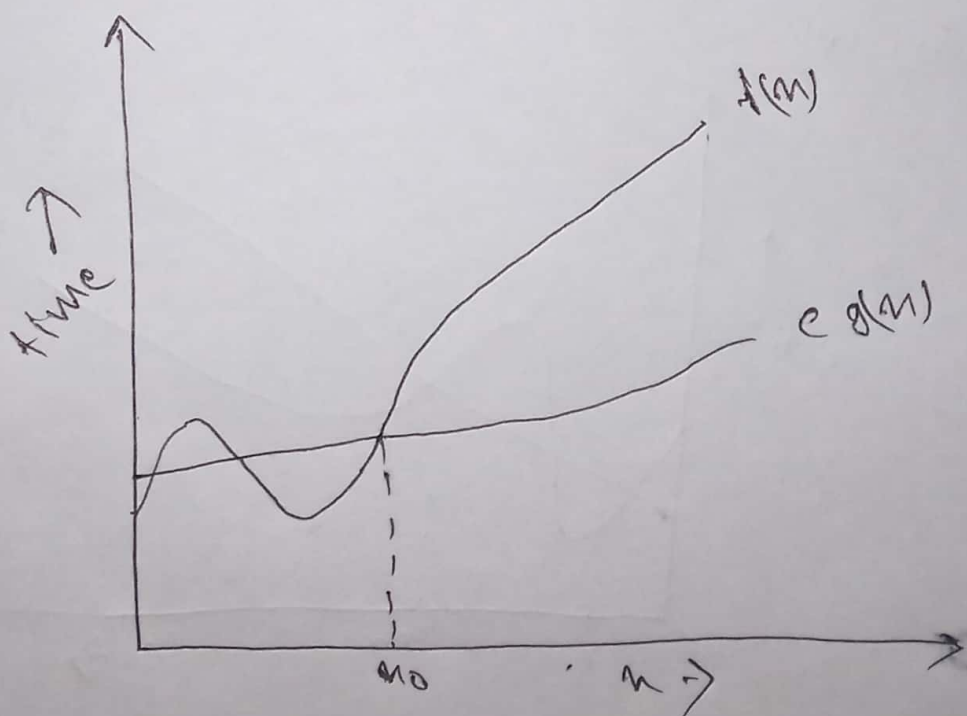
$f(n)$  is said to be  $\Omega(g(n))$  if that exists positive constants  $c$  and  $n_0$  such that

$$0 \leq c g(n) \leq f(n) \quad \text{for all } n \geq n_0$$

$\Rightarrow$  used to give lower bound on a function

If a function is  $O(n^2)$  it is automatically  $O(n)$  as well

### GRAPH



### 3.) Big theta notation

7

Let  $f(n)$  define running time of an Algo  
 $f(n)$  is said to be  $\Theta(g(n))$  if  $f(n)$  is  $O(g(n))$  and  
 $f(n)$  is  $\Omega(g(n))$

mathematically

$$0 \leq f(n) \leq c_1 g(n) \quad \forall n, n_0 \rightarrow \text{sufficiently large value of } n$$

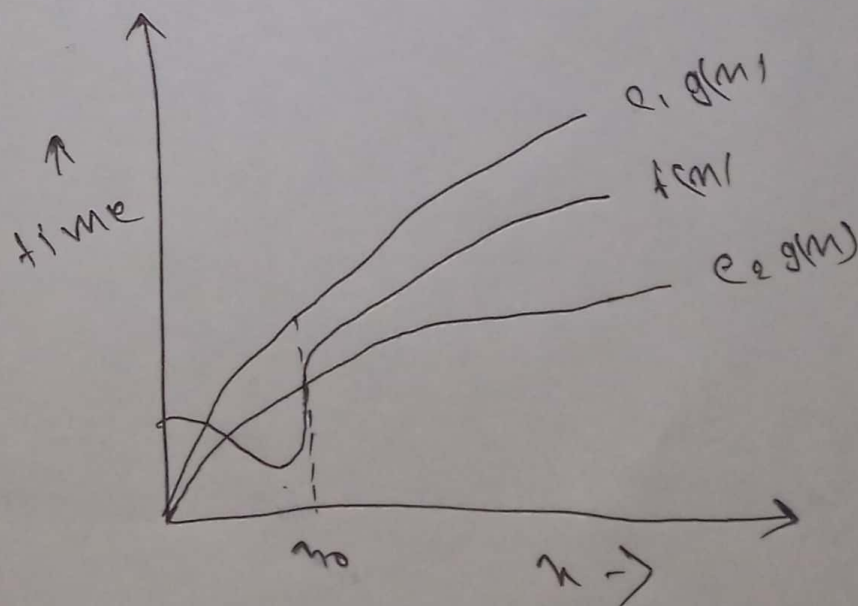
$$0 \leq c_2 g(n) \leq f(n) \quad \forall n, n_0 \rightarrow$$

we get

$$0 \leq c_2 g(n) \leq f(n) \leq c_1 g(n) \quad \forall n, n_0$$

The equation simply means there exist positive constants  $c_1$  and  $c_2$  such that  $f(n)$  is sandwiched between  $c_2 g(n)$  and  $c_1 g(n)$

Graph



Since Big  $\Theta$  give a better picture of runtime for a given algorithm, most of the time expect not to provide an answer in terms of Big theta when they say "order of"

Worst case, Best case, Average case

1.) Worst case:- It defines the input for which the algorithm take a huge time.

2.) Best case:- It takes average time for the program execution.

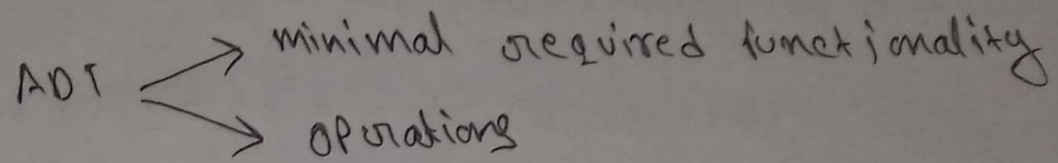
3.) Average case:- It defines the input for which the algorithm take the lowest time.



## 2. Data structure Array and ADT

8

ADT's are the way of classifying data structures by providing a minimal expected interface and set of methods.



### \* Array ADT

An array ADT holds the collection of given elements accessible by an index.

minimal functionality  $\rightarrow \text{get}(i) \rightarrow \text{get element } i$

$\text{set}(i, \text{num}) \rightarrow \text{set element } i \text{ to num. represent.}$

#### operations

- $\rightarrow \text{max}()$
- $\rightarrow \text{min}()$
- $\rightarrow \text{search}()$
- $\rightarrow \text{insert}(i, \text{num})$
- $\rightarrow \text{append}()$

#### Static Array

$\rightarrow$  size cannot be changed

#### Dynamic Array

$\rightarrow$  size can be changed

### \* memory represent of Arrays

index $\rightarrow$	0	1	2	3
	2	4	10	12

address  $\rightarrow$  14 18 22 26

$\rightarrow$  Array of size 4

$\rightarrow$  Element in array are stored in contiguous memory location.

→ Elements in an array can be accessed using the base address in constant time  $\rightarrow O(1)$

## Array

The collection of similar type of data item stored at contiguous memory locations.

EX:- `int arr[10], char arr[10], float arr[10]`

## Operation on Array

	AC	WC
1.) Access	$O(1)$	$O(1)$
2.) Search	$O(n)$	$O(n)$
3.) insertion	$O(n)$	$O(n)$
4.) deletion	$O(n)$	$O(n)$