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**An Exploration of Statistical Methods
in Determining the Gaussianity of LIGO
Detector Data**

A project in
Data Science
by

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Abstract

The Advanced Laser Interferometer Gravitational-wave Observatory (LIGO) is one of the most sophisticated instruments ever built, capable of measuring motion 10,000 times smaller than a proton, and was the first device to detect a Gravitational Wave (GW) event. Due to its high sensitivity, a common issue is its susceptibility to glitches: transient, non-Gaussian noise bursts occurring at a high enough rate to contaminate the time series data obtained from the detector. The current methods to detect and study glitches, though highly effective for analyzing the strain data during the detection run, prove to be slow when working with a large throughput of detector data. Here we study a few possible statistical approaches to detecting these glitches in the time-amplitude domain. By sampling the strain data, conditioning it, and applying tests of normality, mainly the Shapiro-Wilk test, the Kolmogorov-Smirnov test, and the Anderson-Darling test; to them, we gauge their effectiveness in determining the presence of a glitch in a sample time-series strain data. The alternate hypothesis of these tests, i.e., the sample belonging to a non-Gaussian distribution, indicates the presence of a glitch or a signal. The results of this experiment explore in detail the viability of these tests as efficient alternatives to the current solutions used in detecting a glitch or astrophysical event in a time series signal.

1 Introduction

Nearly a century after Einstein's prediction of the existence of Gravitational Waves (GWs) in 1916, the first direct gravitational wave detection was achieved by the Advanced Laser Interferometer Gravitational-Wave Observatory (aLIGO) and Virgo collaboration during the binary black hole merger event GW150914 on September 14, 2015. The LIGO Livingston (L1) interferometer underwent several upgrades following this run - effectively a massive redesign - enhancing its sensitivity by 15% to 25% [1]. This improvement was evident during the O2 observing run during which L1, in conjunction with its Hanford (H1) counterpart and Virgo (V1), detected eleven new gravitational wave signals [2]. Subsequently, during the O3 run, all three detectors operated at their best possible sensitivity, leading to the first single-detector GW detection, GW190425, achieved by LIGO Livingston [3]. There have been over 90 GW events recorded at a high level of confidence since the LIGO-Virgo collaboration's inception to date.

A consequence of these detectors' sensitivities is their susceptibility to noise. During observation runs, various noise sources, such as seismic noise, suspension thermal noise, and sensing noise, affect the data collected by the interferometers. All these sources collectively produce time series signals which can be treated as stochastic processes with their corresponding joint probability distributions and statistical properties [4]. In the absence of astronomical signals or glitches, the probability distribution of the noise follows a normal distribution, also known as *Gaussian* noise. In the event of a Gravitational wave or any other signal, the noise exhibits a high signal-to-noise ratio (SNR), making it *non-Gaussian*.

Among these noise sources, the most problematic are **glitches**: transient events caused by non-astrophysical phenomena such as anthropogenic noise, weather conditions, or instrument malfunctions [4, 5]. Glitches manifest as localized bursts of excess power in interferometer time series data and often do not have well-defined sources. They can occur at energy levels and frequencies that overlap with GW signals, thereby mimicking them and increasing the number of false positive detections. During the first half of the third observing run (O3a) LIGO Hanford and Livingston recorded glitches rates of 0.29 min^{-1} and 1.10 min^{-1} respectively, which rose to 0.32 min^{-1} and

1.17 min⁻¹ during the second half (O3b) [6]. Of the 90 candidate events detected in this run, 17 had a probability of astronomical origin (p_{astro}) below 0.5, suggesting significant ambiguity about their origin. A notable example of glitches posing such an issue was during the binary neutron star merger event GW170817 [7], during which instrumental noise transients were detected before the event’s coalescence time, complicating its detection and subsequent analysis.

Detecting and mitigating the effects of glitches in interferometric strain data remains an active area of research within astrophysical data analysis, with several techniques proposed and implemented for the same [8–10]. However, many of these are computationally expensive and lack the efficiency required for near-real-time assessment of the signals for glitch activity. The more popular solutions incorporate the *q-transform* [11, 12], a modification of the standard Fourier transform where the analysis window scales inversely with frequency. This q-transform computes a p-value depicting the statistical significance of excess power in the data. Assuming the background data to be Gaussian, the excess power that does not follow a Gaussian distribution suggests the presence of a glitch. While this method is effective for post-detection run analysis, it is ineffective for real-time use. Additionally, when scaled up to perform calculate on multiple samples, the computational time would increase significantly.

This project explores statistical hypothesis testing on time-amplitude domain data as a faster alternative to the current glitch detection methods working in the frequency domain. Building on the idea presented in [4], which treats detector noise as stochastic processes with joint probability distributions, it would be reasonable to assume that parametric and non-parametric statistical tests could be effectively applied to such data. This study focuses on applying (1) the Shapiro-Wilk test, (2) the Kolmogorov-Smirnov test, and (3) the Anderson-Darling test on preprocessed samples of clean and glitched data from the LIGO Livingston interferometer. The objective is to determine the normality of these samples and assess how well these tests differentiate between Gaussian (clean) and non-Gaussian (glitched) samples. This experiment also includes studying the distributions, waveforms, and frequency ranges, with particular emphasis on failure points for each statistical test across various glitch types. Furthermore, considering the frequency bands at which each glitch type occurs, this study also examines how each statistical test performs under band-pass filtering at various frequency ranges.

This report is organized as follows: Section 2 discusses how interferometer data is obtained and describes the properties of the time series data used in this study. It also outlines the process of acquiring clean and glitched samples and the preprocessing applied. Section 3 describes in detail the statistical tests of Gaussianity used to assess the sample data. The experimental procedures and results are presented in Sections 4 and 5. Finally, Section 6 summarizes the findings of our experiments, discussing the strengths and limitations of the methods, followed by the future scope in Section 7.

2 Data Acquisition and Conditioning

The Advanced LIGO and Virgo interferometers are large-scale, heavily modified versions of the Michelson interferometer (Figure 1a), originally invented by American physicist Albert A. Michelson in 1887 [6, 13]. LIGO operates in a vacuum, using a laser beam of light split into two orthogonal parts with the help of a half-silvered mirror mounted on horizontal seismometer suspensions. The orthogonally split beams are then sent through two arms of the interferometer, known as Fabry–Pérot cavities. Each of these arms is 4 kilometers long, consisting of mirrors at each end. The first of the mirrors is fixed in place, while the second one is movable with the help of precise micrometer drives. The laser beams, when reflected by the mirrors on either end of the arms, are combined again at the beam splitter and sent to photoelectric detectors. The aLIGO interferometer is designed such that if the beams travel equal distances, the recombination would lead to a destructive interference pattern, resulting in no light coming out of the instrument [14]. When a disturbance of either astrophysical or terrestrial origin is detected, an infinitesimally small change occurs in lengths of the detector arms, in the order of $10^{-8}m$ [15]. One of the arms is stretched, and the other arm is compressed in the perpendicular direction, altering the lengths of the reflected and combined beams, misaligning them and resulting in an interference pattern (Figure 1b). This interference pattern, coupled with results from several other sensors, provides detailed information on the *strain* of the GW or glitch event being observed.



Figure 1: Illustrations of a basic Michelson interferometer [16, 17] and what an interference pattern would look like.

The **GWpy** Python package is widely used in this project. It provides a suite of tools to access and condition detector strain data from the Gravitational-Wave Open Science Centre (GWOSC) database [18]. This data is in the time domain, as timestamps in the GPS time system at nanosecond precision, and records the amplitude of the noise event as a differential change in lengths of the interferometer arms. **GWpy** handles detector data using the **TimeSeries** object, which is built upon **numpy** arrays. This allows compatibility with most of the core **numpy** utilities along with custom functions for signal processing, tabular data filtering, and visualization.

We use the strain data from LIGO Livingston (L1) during the first part of the third observing run (O3a) for this project due to the high rate of occurrence of glitches. Figure 2 shows the steps taken to acquire signal data from the detector and condition it for statistical testing.

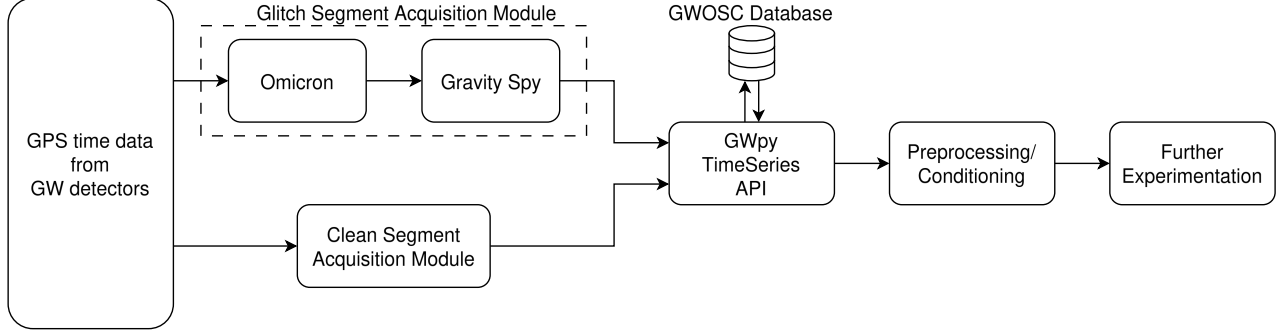


Figure 2: The Data Acquisition and Conditioning Pipeline

There are two main types of detector samples that we receive from the detectors: **Glitched detector data** and **Clean detector data**. The following sections will go a bit deeper into each of these types of data and how they are obtained.

2.1 Glitch data

The GPS times of glitch occurrences are obtained using *Gravity Spy* [19], a large-scale citizen-science project that combines astrophysics, machine learning, and human efforts to classify glitches in GW interferometer data. The *Omicron* transient search algorithm is used by Gravity Spy to generate q-transform spectrograms and calculate SNR of the time series samples [8]. This algorithm is crucial in identifying the most useful samples for data classification and analysis. Based on the morphological characteristics from the spectrograms, a total of 22 glitch classes were identified with an SNR above 7.5 and peak frequencies between 10 Hz and 2048 Hz.

In the O3a data for L1, Fast_Scattering and Tomte glitches are the most prevalent, while Chirp, 1080Lines and Wandering_line glitches have fewer samples, as shown in Table 1. The No_Glitch class represents glitch samples that lack significant traits or energy levels and do not fit in with the other classes morphologically. Hence, for our study, we do not consider this glitch class.

Glitch Class	Count	Glitch Class	Count
Fast_Scattering	21749	Whistle	896
Tomte	18708	Low_Frequency_Lines	788
Blip_Low_Frequency	7549	Scratchy	207
Scattered_Light	5398	Repeating_Blips	164
No_Glitch	5358	Violin_Mode	164
Extremely_Loud	4319	Paired_Doves	155
Koi_Fish	4268	Light_Modulation	72
1400Ripples	2363	Helix	21
Blip	1947	Wandering_Line	20
Power_Line	1189	1080Lines	9
Low_Frequency_Burst	1187	Chirp	6

Table 1: Glitch counts per class for LIGO Livingston (L1) during the O3a run.

Using the glitch GPS times, the time series information is obtained from the GWOSC database using the `TimeSeries.fetch_open_data()` API provided by GWpy. Here, a time window of 10 seconds is taken on either side of each of the GPS times with the glitch in the center, sampled at a rate of 4096 Hz. The TimeSeries objects obtained are then conditioned for statistical testing and cropped down to a 1-second time window around the glitch for further use.

2.2 Clean Samples

The process of finding gaps of clean detector noise is done using `gwtrigfind`, a package developed to search for event triggers files from GW detectors, in conjunction with `EventTable`, provided by GWpy.

Taking the start and end GPS times of the O3a run, `gwtrigfind` is used to find the file path containing Omicron triggers from the *L1:GDS-CALIB-STRAIN* channel of the L1 detector. `EventTable` is then used to load all the trigger data, containing information on the start and end GPS times of the events. Taking the time frames between the end and start times of successive events, we obtain the gaps between glitches/GW triggers, which do not have a significant amount of noise activity. The sizes of the gaps are clamped between 7 and 30 seconds because too short of a gap could lead to the inclusion of glitches in the sample, as the time series data may not have enough time to stabilize after a glitch; and too long of a time gap could be indicative of detector malfunction or a period of time when it is not operational.

The GPS start and end times of the clean segments are then used to calculate their Q-transform and corresponding p-values. The GPS time intervals with a p-value greater than 0.95 are considered to be clean segments of data, and are used to obtain the corresponding TimeSeries data from GWpy. The TimeSeries data is then, similar to the glitch data, conditioned for statistical testing and cropped down to 1-second samples for further use.

2.3 Data Conditioning

The strain readings obtained from a GW detector are usually a combination of the GW signal and detector noise [20–22]. Considering the strain output to be $s(t)$ with $n(t)$ as the noise and $h(t)$ being the possible signal received, the GW detector output is given by:

$$s(t) = n(t) + h(t) \quad (1)$$

A lot of the preprocessing in this project involves the use of Fourier transforms. Given the signal $x(t)$ we get its corresponding Fourier transform as

$$\tilde{x}(f) = \mathcal{F}\{x(t)\}(f) = \int_{-\infty}^{\infty} x(t)e^{-2\pi ift} dt \quad (2)$$

and the inverse Fourier Transform given by

$$x(t) = \mathcal{F}^{-1}\{\tilde{x}(f)\}(t) = \int_{-\infty}^{\infty} \tilde{x}(f)e^{2\pi ift} df \quad (3)$$

2.3.1 Power Spectral Density and Amplitude Spectral Density

In most cases, the noise in the GW detectors is stationary [5], i.e. the characteristics of the noise do not change over time, and the components are, for the most part, uncorrelated, hence keeping it Gaussian. As a result, the statistical properties of the noise can be described by an auto-correlation matrix described by

$$C_n(\tau) = \langle n_a(t + \tau)n_b(t) \rangle - \langle n_a(t + \tau) \rangle \langle n_b(t) \rangle, \quad (4)$$

The Wiener-Khinchin theorem [23] states that the Fourier transform of the correlation matrix of a signal gives us the **power spectral density** (PSD) $S_n(f)$. This would give us the following equation:

$$S_n(f) = 2 \int_{-\infty}^{\infty} C_n(\tau) e^{-2\pi i f \tau} d\tau S_n(f) = 2\tilde{C}_n(\tau) \quad (5)$$

The PSD provides a representation of how power is distributed across different frequency bands in a noise signal[22, 24], allowing for the identification of dominant frequency components and their corresponding amplitudes. Considering the frequency domain representation of the noise signal, the ensemble average of the auto-correlation can be expressed as

$$\langle \tilde{n}(f) \tilde{n}^*(f') \rangle = \frac{1}{2} \delta(f - f') S_n(f). \quad (6)$$

Here $\langle \cdot \rangle$ represents the ensemble average, $\tilde{\cdot}$ represents the Fourier transform from 2, and \cdot^* represents the complex conjugate.

Aside from Power Spectral Density, another way to chartacterize the noise of a detector is with the **Amplitude Spectral Density (ASD)** values, given by $\sqrt{S_n(f)}$. The ASD measures the amplitude of the signal at each frequency, and it is often used to compare the noise levels of different detectors or to assess a detector's sensitivity to specific frequencies. The ASD is normally plotted on a logarithmic scale, with frequency on the x-axis and the ASD on the y-axis, allowing for easy identification of noise peaks and their corresponding frequencies.

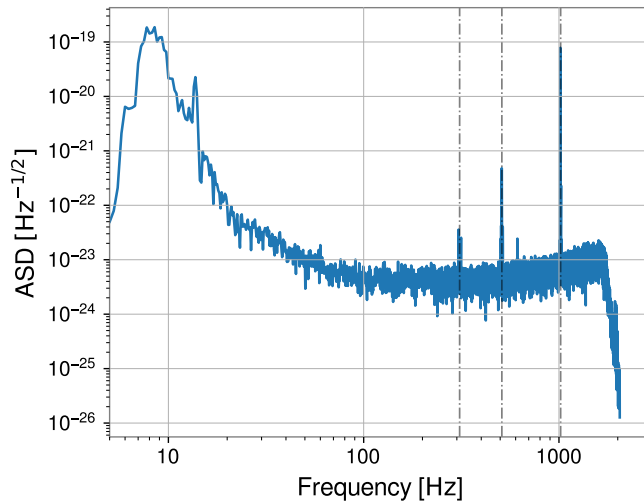


Figure 3: ASD plot for a Tomte Glitch.

Figure 3 shows an example of the ASD plot of a Tomte glitch event. To obtain the root-mean-square strain noise at a given frequency band, we integrate over the squares of the ASD readings over the frequency band of interest and take its square root. Observing the strong spectral lines at around the 300, 512, and 1024 Hz ranges, marked by dotted lines, there is a big chance that these are of instrumental origin. The problem with this plot, however, is that it does not capture the glitch signal well because glitches are relatively weak, highly transient and easily overpowered by the instrument noise. To better visualize the glitch, we would need to **whiten** the data and view its time-amplitude plot.

2.3.2 Whitening

Whitening is the process of suppressing low-frequency and spectral line noise from the data to allow for a clearer view of the underlying signals at sensitive frequency ranges. Whitening is one of the first steps in astrophysical data analysis, especially when the noise is highly non-stationary and varies significantly over time. By whitening the data, we effectively reduce the impact of noise on our analysis, improving the sensitivity of our detection methods.

Whitening is done by taking the inverse of the ASD and multiplying it with the original time series data. This effectively flattens the power across all frequencies, allowing for a clearer view of the glitch signal. The resulting whitened data can then be used for further analysis, such as statistical testing or machine learning classification.

In figure 4 we see a Tomte glitch signal before and after whitening. In the first plot we do not clearly see the effects of the glitch on the time series data. However, after whitening the data, we can clearly see the glitch signal in the time-amplitude plot. The Q-transform allows a view of the non-stationary portion of the glitch signal, which shows a clear peak in the normalized energy coinciding with the glitch event. For a clean signal we would not see any significant peaks in the whitened time series or non-stationary parts in the Q-transform.

With this, the received signal can now be used for our statistical testing.

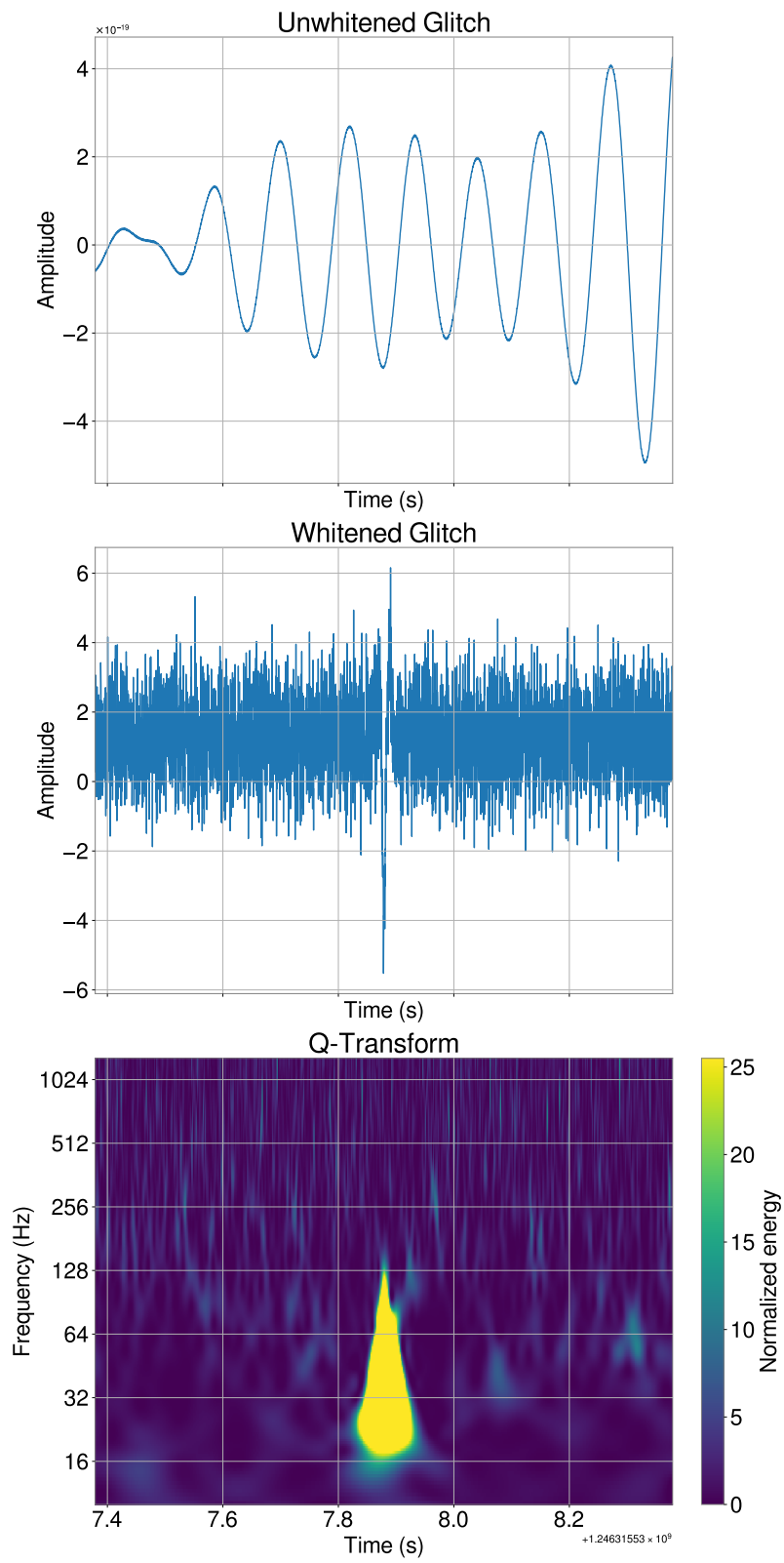


Figure 4: Example of a Tomte glitch signal before and after whitening.

3 Methods

The main objective of this project is to determine the Gaussianity of the time series data obtained from the LIGO Livingston detector and use this as a criterion to classify the data as either clean or containing a glitch. The more non-Gaussian the signal, the higher the chance of a glitch being present. From the previous section, have seen how whitening the time series data brings out the glitch characteristics when plotted. Taking the same glitch example as before, if we were to treat this whitened data as a population of points, ignoring the temporal component, we notice that visually, they do not follow a Gaussian distribution. Similarly, when observing a sample of clean data, the signal is closer to that of a Gaussian distribution than the glitched signal. However, to quantify this, we need to apply certain statistical tests to the data.

To achieve this, we employ three statistical tests: the Shapiro-Wilk test, the Kolmogorov-Smirnov test, and the Anderson-Darling test. Each of these tests have their own strengths and weaknesses, and are used to assess the normality of the data in different ways. The `scipy.stats` package is used in this project to perform these tests. The methods in this package not only calculate the relevant statistic but also return the p-value associated with it. We will dive a bit deeper into the p-value and its selection in the appendix.

3.1 The Shapiro-Wilk Test

The Shapiro-Wilk test is a parametric test, meaning that it assumes the data follows a specific distribution. The null hypothesis H_0 in this case is that the sample data is normally distributed. The original research paper [25] does a good job of explaining how this test works. The idea is to calculate a test statistic W based on the ratio of the best estimate of the sample data's variance to its actual variance.

If we were to consider x_1, x_2, \dots, x_n , to be a collection of ordered sample points from a population, ranked smallest to largest, with the sample mean \bar{x} and a_1, a_2, \dots, a_n being constants computed from the expected values of the order statistics of a normal distribution, then the test statistic W is given by:

$$W = \frac{\left(\sum_{i=1}^n a_i x_{(i)}\right)^2}{\sum_{i=1}^n (x_i - \bar{x})^2} \quad (7)$$

Taking $m = (m_1, m_2, \dots, m_n)$ to be the expected values of the order statistics of a normal distribution such that $m_i = \mathbb{E}[z_i]$ where z_i is the i -th order statistic of the normal distribution, and V the covariance matrix of the ordered statistics, the constants a_i can be computed as

$$a_i = \frac{m^T V^{-1}}{\|V^{-1}m\|} \quad (8)$$

$$= \frac{m^T V^{-1}}{(m^T V^{-1} V^{-1} m)^{1/2}} \quad (9)$$

The test statistic W lies in the range $[0, 1]$, with values closer to 1 indicating that the sample data is more likely to be normally distributed. The null hypothesis H_0 is rejected if W is significantly less than 1, indicating that the sample data is not normally distributed.

In our implementation, we consider the p-value of the statistic to determine the significance of the result. If the p-value of the calculated statistic is less than the predetermined significance level, in this case 0.05, the null hypothesis is rejected, indicating that the sample data is non-Gaussian and likely contains a glitch.

3.2 The Kolmogorov-Smirnov Test

The Kolmogorov-Smirnov (KS) test is a non-parametric test to compare the empirical distribution function of a sample with either a reference probability distribution, or another empirical distribution function. For our purposes, this can be used as a test for normality by comparing the empirical distribution function of the sample data with that of a normal distribution. Hence, the null hypothesis H_0 in this case is that the sample data's distribution resembles that of the normal distribution.

This test has two versions

The test statistic D_n for this test measures the maximum vertical distance between the sample distribution function and the **cumulative distribution function (CDF)** of the normal distribution.

3.3 AD

4 Experimentation with the complete frequency range

5 Experimentation with a band pass filter applied

6 Conclusions

7 Future Scope

8 Appendix

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