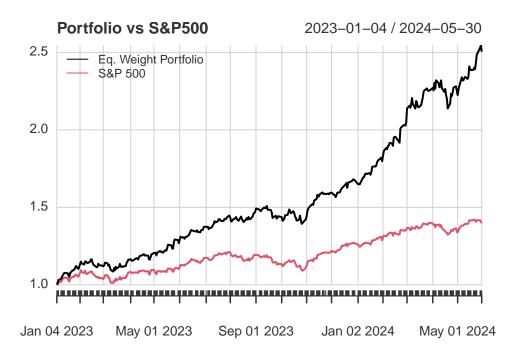
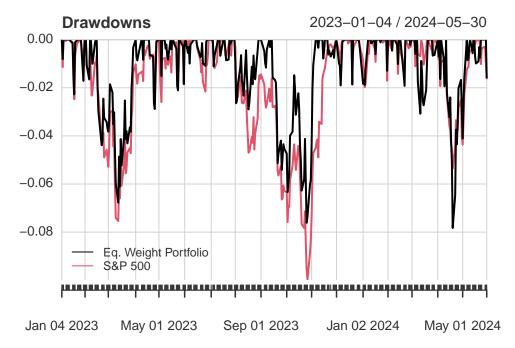
## **Portfolio Analysis**

## **Get Price Data**

```
tickers = c(
  "DELL", "NVDA", "MU", # Tech
  "GE", "UBER", # Industrials
  "AXP", "JPM", # Financials
  "AMZN", "HLT", # Consumer Discretionary
  "TRGP", # Energy
  "LLY", "BSX", # Health Care
  "NRG", # Utilities
  "BND", "GSG" # Fixed-Income and Commodity ETFs
getSymbols(tickers, from = "2023-01-01", to = "2024-05-31")
 [1] "DELL" "NVDA" "MU"
                           "GE"
                                  "UBER" "AXP" "JPM" "AMZN" "HLT" "TRGP"
[11] "LLY" "BSX" "NRG" "BND" "GSG"
prices <- do.call(merge, lapply(tickers, function(t) Ad(get(t))))</pre>
returns <- na.omit(Return.calculate(prices))</pre>
tickers <- c("SPY") # S&P500 as benchmark
getSymbols(tickers, from = "2023-01-01", to = "2024-05-31")
[1] "SPY"
spy_prices <- do.call(merge, lapply(tickers, function(t) Ad(get(t))))</pre>
spy_returns <- na.omit(Return.calculate(spy_prices))</pre>
```

## **Equal Weight Portfolio**





```
Eq. Weight Portfolio S&P 500 Annualized Sharpe Ratio (Rf=0%) 5.290217 2.146388
```

SharpeRatio.annualized(combined returns, Rf = 0)

An equal weighted portfolio across sectors offers nearly twice the market return for similar draw down leading to a 2x difference in Sharpe Ratio (risk-adjusted return)

## Limited Drawdown Portfolio

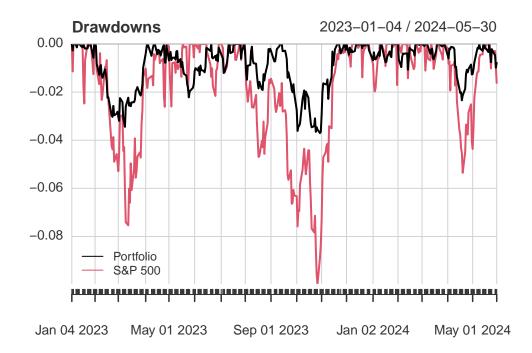
```
cov_matrix <- cov(returns)
n_assets <- ncol(returns)

# Dmat and dvec for quadprog (minimize (1/2) x' D x - d' x)
Dmat <- 2 * cov_matrix
dvec <- rep(0, n_assets)

# Constraints: sum of weights = 1, weights >= 0 (no short selling)
Amat <- cbind(rep(1, n_assets), diag(n_assets))
bvec <- c(1, rep(0, n_assets))</pre>
```



Jan 04 2023 May 01 2023 Sep 01 2023 Jan 02 2024 May 01 2024



SharpeRatio.annualized(combined\_returns, Rf = 0)

While the optimized portfolio has a lower annualized return, it also shows limited draw down, offering a less volatile growth rate compared to the broader market