

In the name of God

# Digital Communications LAB

## Lab#1

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### Table of Contents

In the name of God.....	1
Digital Communications LAB.....	1
Lab#1.....	1
Question1.....	1
1.1.....	1
1.2.....	2
1.3.....	3
Question2.....	4
2.1.....	4
2.2.....	5
2.3.....	5
2.4.....	6

### Question1.

#### 1.1

```
format long
A = [2709/1024 10583/4000 2024/765]'
```

```
A = 3×1
    2.645507812500000
    2.645750000000000
    2.645751633986928
```

```
sqrt(7)
```

```
ans =
    2.645751311064591
```

So 2024/765 would be a better approximation.

```
A = abs(A - sqrt(7));
[value, index]=min(A)
```

```
value =
    3.229223373146795e-07
index =
    3
```

So 2024/765 would be a better approximation.

```
a = sym(3^301);  
vpa(a,15)
```

```
ans = 4.10674437175765e+143
```

```
format long  
b = sym(3^301)
```

```
b = 4106744371757651608203616941748438027875460921522632042760614211376801150011099473173
```

```
20/3 - 20*(1/3)
```

```
ans =  
8.881784197001252e-16
```

```
20/3
```

```
ans =  
6.666666666666667
```

```
20*(1/3)
```

```
ans =  
6.666666666666666
```

The reason of this difference is because of 1/3.

In 20/3, 20 is going to be divided by 3 and then will be shown. But in 20\*(1/3), first (1/3) is calculated and rounded by the floating digits which matlab has and then this rounded number will be multiplied by 20.

```
format
```

```
a = 10^16 + 1 - 10^16
```

```
a = 0
```

As we know Matlab saves only 15 digits in default mode so because 1 is much lower than  $10^{16}$ , Matlab does not consider it!

```
b = 10^16 - 10^16
```

```
b = 0
```

```
b + 1
```

```
ans = 1
```

## 1.2

```
format long  
cosh(0.1)
```

```
ans =
```

1.005004168055804

`log(2)`

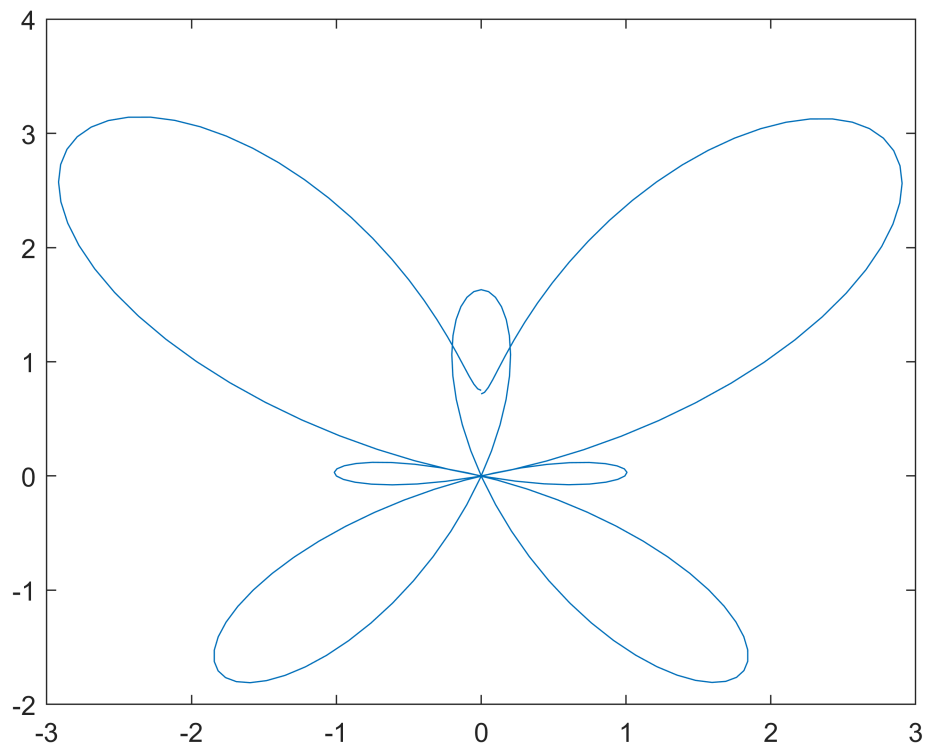
`ans =`  
0.693147180559945

`atan(1/2)`

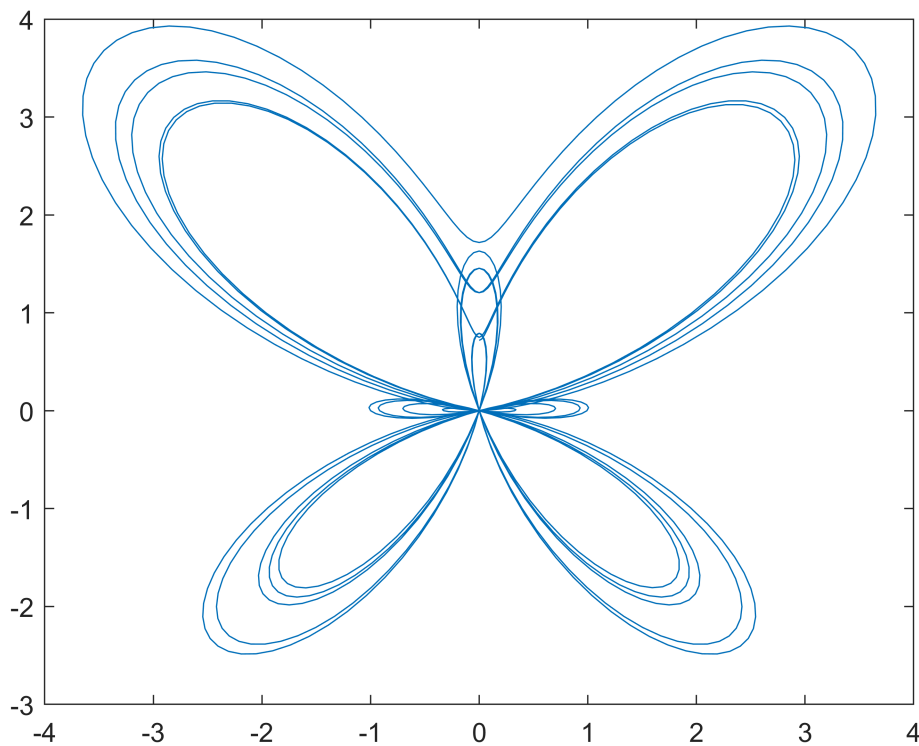
`ans =`  
0.463647609000806

## 1.3

```
t1 = 0:pi/100:2*pi;  
t2 = 0:pi/100:10*pi;  
  
x = sin(t1).*(exp(cos(t1))-2*cos(4*t1)+(sin(t1/12)).^5);  
y = cos(t1).*(exp(cos(t1))-2*cos(4*t1)+(sin(t1/12)).^5);  
plot(x,y)
```



```
x = sin(t2).*(exp(cos(t2))-2*cos(4*t2)+(sin(t2/12)).^5);  
y = cos(t2).*(exp(cos(t2))-2*cos(4*t2)+(sin(t2/12)).^5);  
plot(x,y)
```



## Question2.

### 2.1

$$(2*(3 < 8/4 + 2)^2) < (-2)^3$$

ans = logical  
0

The left side is  $2*(1)^2 = 2$ , The right side is  $-8$ . 2 is not lower than  $-8$  so the value of comparison is 0!

$$(5 + \sim 0)/3 == 3 - \sim(10/5 - 2)$$

ans = logical  
1

The left side :  $(5+1)/3=2$

The right side :  $3 - (1) = 2 \implies 2 == 2$  is true!

$$\sim 4 < 5 \mid 0 \geq 12/6$$

ans = logical  
1

Based on the order and priority in math and matlab the equality would be as:  $(\sim 4 < 5) \mid (0 \geq 2)$  which will be  $(1 \mid \text{something}) = 1$

$$-7 < -5 < -2 \ \& \ 2 + 3 \leq 15/3$$

```
ans = logical
     0
```

Based on the order and priority in math and matlab the equality would be as :  $((-7 < -5) < -2) \& 2 + (3 \leq 5)$  which will be  $(0 \& \text{something}) = 0$

## 2.2

With Matlab Functions:

```
abs(pascal(7,1))
```

```
ans = 7x7
     1     0     0     0     0     0     0
     1     1     0     0     0     0     0
     1     2     1     0     0     0     0
     1     3     3     1     0     0     0
     1     4     6     4     1     0     0
     1     5    10    10     5     1     0
     1     6    15    20    15     6     1
```

From Scratch:

Note that in this part:

1) I define the first elements

2) Iterate over the other rows from  $r=3$  to 7 and inside that from 2 to  $r$  and then evaluate the new values based on previous ones.

```
n = 7;

m(1, 1) = 1;
m(2, 1 : 2) = [1 1];

for r = 3 : n
    m(r, 1) = 1;
    for c = 2 : r-1
        m(r, c) = m(r-1, c-1) + m(r-1, c);
    end
    m(r, r) = 1;
end
m
```

```
m = 7x7
     1     0     0     0     0     0     0
     1     1     0     0     0     0     0
     1     2     1     0     0     0     0
     1     3     3     1     0     0     0
     1     4     6     4     1     0     0
     1     5    10    10     5     1     0
     1     6    15    20    15     6     1
```

## 2.3

```
n=3;
```

```
i=1:n;
j=1:n;
A=1./(i+j'-1)
```

```
A = 3x3
    1.000000000000000    0.500000000000000    0.333333333333333
    0.500000000000000    0.333333333333333    0.250000000000000
    0.333333333333333    0.250000000000000    0.200000000000000
```

```
n=500;
i=1:n;
j=1:n;
A=1./(i+j'-1);
max(eig(A))
```

```
ans =
    2.376896505684826
```

## 2.4

The only thing which should be mentioned is that our condition for while loop is that if there is no even element then end the procedure.

```
rng(1)
v = randi([10,30],20,1);
i = 1;
while sum(mod(v,2)==1)
    v(mod(v,2)==1) = randi([10,30],sum(mod(v,2)==1),1);
    i = i+1;
end
sprintf('The vector Generated After %d iteration(s).',i)
```

```
ans =
'The vector Generated After 3 iteration(s).'
```