Tests & Quizzes

Assignment 2

Return to Assessment List

Part 1 of 8 / 1.0 Points

Question 1 of 9	1.0 Points

Click to see additional instructions

What is the binary equivalent (in signed-magnitude binary representation) of the following **signed** *decimal* value?

Represent the integer part of the binary value, including the sign, in 8 bits.

Represent the fraction part of the binary value in 4 digits. Use truncation, if needed.

-103.5625 **111100111.1001**

Answer Key: 11100111.1001

Part 2 of 8 / 1.0 Points

Question 2 of 9	1.0 Points

Click to see additional instructions

What is the signed decimal equivalent of the following **signed-magnitude binary** value?

Answer Key: -106.5625

Part 3 of 8 / 2.0 Points

Question 3 of 9	2.0 Points

Click to see additional instructions

What is the binary equivalent (in two's complement binary representation) of the following **signed decimal** value?

Represent the integer part of the binary value, including the sign, in 8 bits.

Represent the fraction part of the binary value in 4 digits. Use truncation, if needed.

-55.6875

✓ 11001000.0101

Answer Key: 11001000.0101

Part 4 of 8 / 2.0 Points

Question 4 of 9		2.0 Points
-----------------	--	------------

Click to see additional instructions

What is the signed decimal equivalent of the following *two's complement binary* value?

11011001.0011 **4** -38.8125

Answer Key: -38.8125

Part 5 of 8 / 4.0 Points

In this question, you are provided with two <u>unsigned</u> binary numbers, A and B.

You are asked to evaluate (-A - B) as well as (-A + B) using the <u>two's complement 12-bit number</u> <u>system</u>.

If the result is encoded in <u>less</u> than 12 bits (including the sign bit), you need to <u>extend</u> it to fill the entire 12 bits.

If your answer is less than 12 bits or more than 12 bits, you will get zero.

Indicate if an overflow occurred or not.

N.B.: You need to provide the entire 12-bit result, even if an overflow occurs.

You MUST report the answer in 2's complement.

Do **NOT** convert the number back from the 2's complement. Leave it in the 2's complement representation.

Question 5 of 9	2.0 Points
When $A = 10011110001$ and $B = 11110010$,	
the value of $(-A - B) = \checkmark 101000011101$, type yes, if not type no \checkmark no; and	If an overflow occurred during evaluating this expression,
the value of $(-A + B) = \checkmark 110000000001$, type yes, if not type no \checkmark no	If an overflow occurred during evaluating this expression,

Answer Key: 101000011101, N|NO|No|no, 110000000001, N|NO|No|no

Question 6 of 9 2.0 Points

When A = 10010111010 and B = 10010010011,

the value of $(-A - B) = \checkmark 011010110011$, If an overflow occurred during evaluating this expression, type yes, if not type no $\checkmark yes$; and

the value of $(-A + B) = \checkmark 111111011001$, If an overflow occurred during evaluating this expression, type yes, if not type no \checkmark no

Answer Key: 011010110011, Y|Yes|yes|YES, 111111011001, N|NO|No|no

Part 6 of 8 / 2.0 Points

In this question, you are provided with an <u>unsigned</u> binary number.

You are asked to <u>round</u> this number to 4 binary digits <u>after</u> the radix point using various rounding methods.

Your answer <u>MUST</u> consist of:

- 4 digits for the fraction part (after rounding),
- 1 radix point, and
- 3 digits for the integer part.

If you have any more or fewer symbols or spaces, you will get *zero* for this question.

Question 7 of 9 2.0 Points

Truncation($100.10110101) = \checkmark 100.1011$;

Rounding-towards-zero(100.10110101) = \checkmark 100.1011;

Rounding-towards-positive-infinity(100.10110101) = $\times 100.1011$;

Rounding-to-nearest(100.10110101) = \checkmark 100.1011

Answer Key: 100.1011, 100.1011, 100.1100, 100.1011

Part 7 of 8 / 4.0 Points

In this question, you are provided with a decimal floating-point number.

You are asked to encode this value into its *IEEE-754 floating-point* representation in the form of 8 hexadecimal digits.

If rounding is needed, use rounding to the nearest floating-point number.

Do NOT add any spaces or commas to your answer.

Question 8 of 9	4.0 Points
Question of 5	T.0 1 011163

Represent, i.e., encode, 262272.078125 into a 32-bit single-precision IEEE-754 FP value.

If rounding is needed, use rounding to the nearest FP number.

Your answer MUST BE JUST 8 hexadecimal digits.

Write each hexadecimal digit in a field by itself.

 $0x \checkmark 4 \checkmark 8 \checkmark 8 \checkmark 0 \checkmark 1 \checkmark 0 \checkmark 0 \checkmark 2$

Answer Key: 4, 8, 8, 0, 1, 0, 0, 2

Part 8 of 8 / 4.0 Points

In this question, you are provided with an *IEEE-754 floating-point number* in the form of 8 hexadecimal digits.

You are asked to decode this value into its decimal representation.

Do NOT use scientific notation.

Do <u>NOT</u> round or truncate your answer.

Do NOT add any spaces or commas to your answer.

If the converted number is positive, do <u>NOT</u> add the plus sign.

Your answer will consist of two parts, the integer value and the fraction value.

Do not add any insignificant zeros to your answer. For the fraction part, you can start it by a decimal point or by a single 0, followed by a decimal point.

(
Question 9 of 9	4.0 Points

Convert, i.e., decode, 0x48804002 from the 32-bit single-precision IEEE-754 FP representation into decimal representation.

The integer part of the number is: ✓ 262656

The fractional part of the number (including the decimal point) is: \checkmark .0625

Answer Key: 262656, .0625 | 0.0625