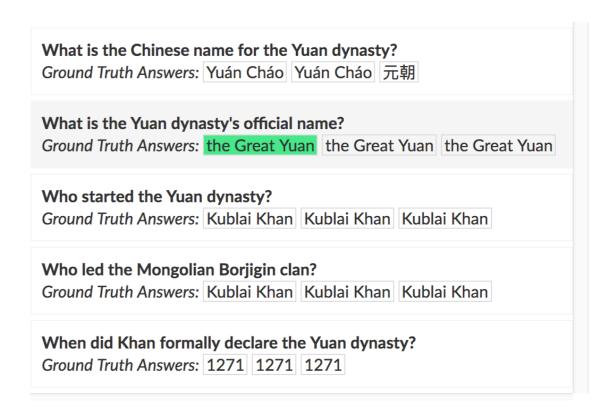
# Comparison of Different Attention and Output Layer Strategies for Question Answering

Ashton Teng Microsoft Bing Core Relevance 08/17/2017

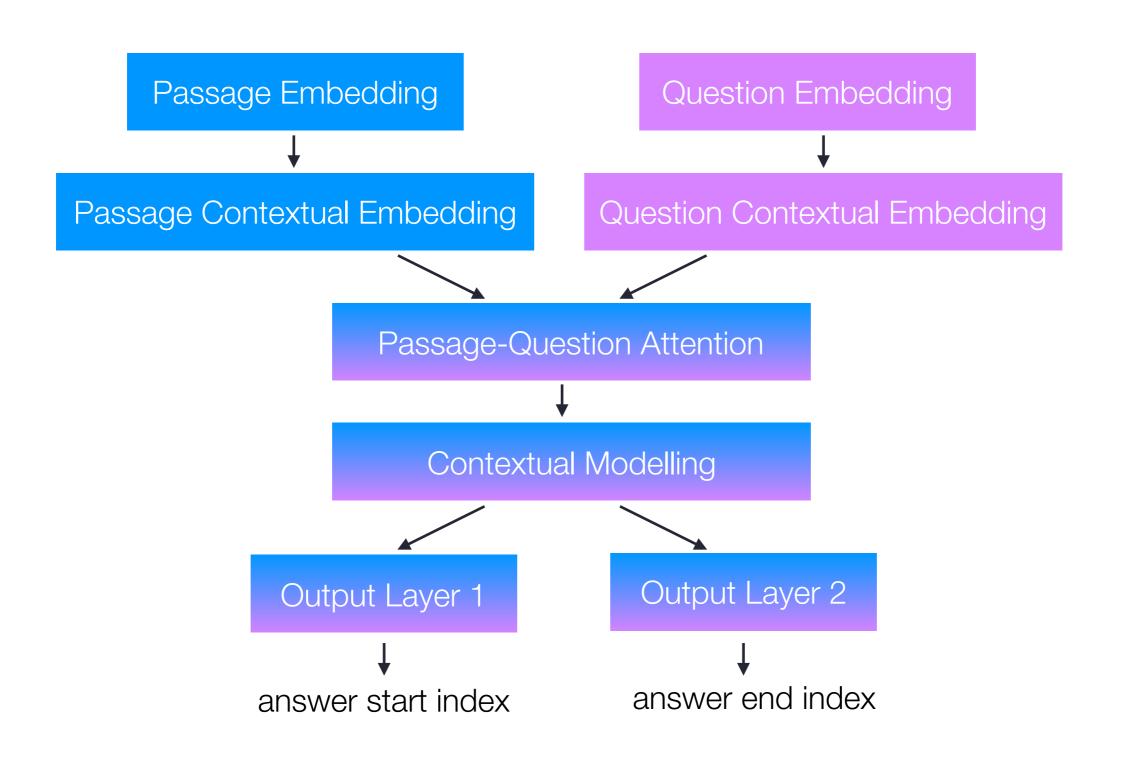
#### The SQuAD Dataset

- The Stanford Question Answering Dataset for reading comprehension
- 100,000+ question-answer pairs on 500+ Wikipedia articles
- 1 datapoint: (paragraph, question, answer start idx, answer end idx)

The Yuan dynasty (Chinese: 元朝; pinyin: Yuán Cháo), officially the Great Yuan (Chinese: 大元; pinyin: Dà Yuán; Mongolian: Yehe Yuan Ulus[a]), was the empire or ruling dynasty of China established by Kublai Khan, leader of the Mongolian Borjigin clan. Although the Mongols had ruled territories including today's North China for decades, it was not until 1271 that Kublai Khan officially proclaimed the dynasty in the traditional Chinese style. His realm was, by this point, isolated from the other khanates and controlled most of present-day China and its surrounding areas, including modern Mongolia and Korea. It was the first foreign dynasty to rule all of China and lasted until 1368, after which its Genghisid rulers returned to their Mongolian homeland and continued to rule the Northern Yuan dynasty. Some of the Mongolian Emperors of the Yuan mastered the Chinese language, while others only used their native language (i.e. Mongolian) and the 'Phags-pa script.



#### General Model Structure

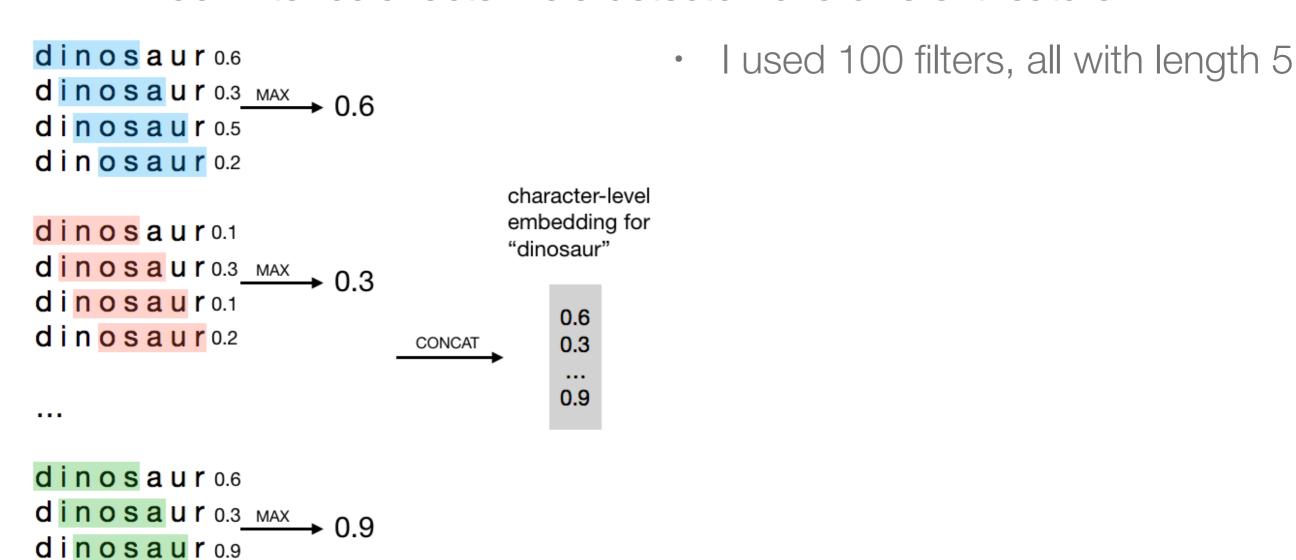


# Passage and Question Character Embedding

- Character-level embeddings with CNNs
  - [N, L, W] —> [N, L, W, d]

dinosaur 0.2

Each filter color acts like a detector for a different feature

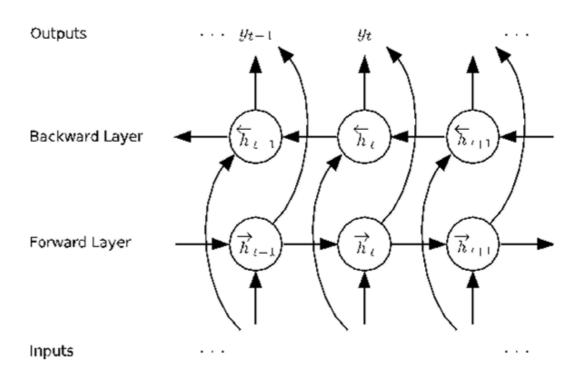


#### Passage and Question Word Embedding

- Word-level embeddings with GLoVE (Global Vectors for Word Representation)
  - Pre-trained word vectors from unsupervised algorithms crawling Wikipedia. Available in d = 50, 100, 200, 300. I used 100.
  - Each word in the vocabulary is assigned an integer and a corresponding row in the embedding matrix.
  - Give a passage of integers, use tf.embedding\_lookup to embed it into a passage of vectors. [N, L] -> [N, L, d]

# Passage and Question Contextual Embedding

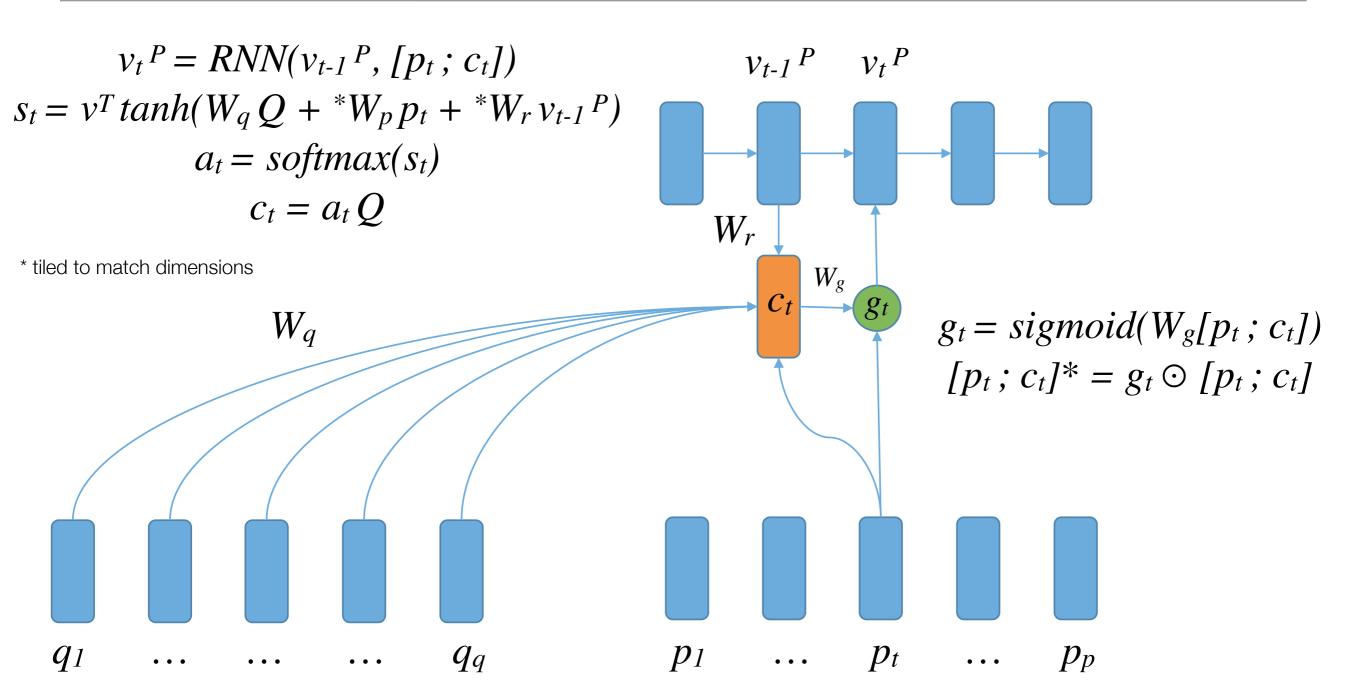
- Provide positional information to each word's vector, about where it is in the passage/question
- Bidirectional RNN
  - Input:  $P_{emb} = [p_{emb1}, p_{emb2}...p_{embp}] \in \mathbb{R}^{p \times 2d}$  \*concatenate word+char  $Q_{emb} = [q_{emb1}, q_{emb2}...q_{embq}] \in \mathbb{R}^{q \times 2d}$  representations
  - Output:  $P = [p_1, p_2...p_p] \in \mathbb{R}^{p \times d}$  $Q = [q_1, q_2...q_q] \in \mathbb{R}^{q \times d}$



#### **Attention Layer**

- Fuses information about the passage and question together, determining the strength between each passage word and each question word.
- Given the question, which words in the passage are important?
- Two types:
  - Dynamic attention: step though the passage words with RNN, drawing attention over question words at each step.
  - Static attention:  $func(q_i, p_j) = score$ , produce similarity matrix then normalize across rows and columns to get weights.

# Dynamic Attention with RNNs



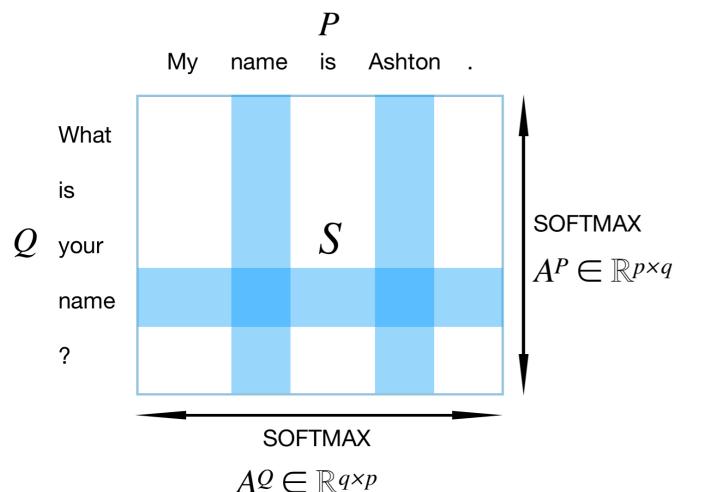
$$V^P = [v_1^P, v_2^P, \dots v_p^P] \in \mathbb{R}^{p \times d}$$

# Static Attention 1: Dynamic Co-attention Network

$$P = [p_1, p_2...p_p] \in \mathbb{R}^{p \times d}$$
 $Q = [q_1, q_2...q_q] \in \mathbb{R}^{q \times d}$ 
 $S_{ij} = p_i \cdot q_j$ 

AQ: for each question word, weight all passage words by importance.

 $A^{P}$ : for each passage word, weight all question words by importance.



$$CQ = AQP \in \mathbb{R}^{q \times d}$$

For each question word, sum up all the passage word representations according to their importance to this question word. "passage summarization for each question word"

$$C^{p} = A^{p} Q \in \mathbb{R}^{p \times d}$$

For each passage word, sum up all the question word representations according to their importance to this passage word. "question summarization for each passage word"

$$A^{p} \cdot C^{Q} \in \mathbb{R}^{p \times d}$$

For each passage word, summarize  $C^Q$ , weighting the question-dependent passage representations

$$V^p = A^p[C^Q;Q] \in \mathbb{R}^{p \times 2d}$$

#### Static Attention 2: Bi-directional Attention Flow

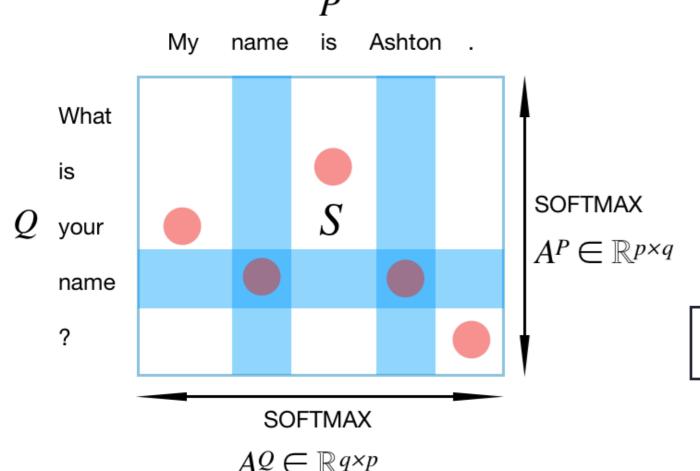
$$P = [p_1, p_2 \dots p_p] \in \mathbb{R}^{p \times d}$$

$$Q = [q_1, q_2...q_q] \in \mathbb{R}^{q \times d}$$

$$S_{ij} = w^T[p_i; q_j; p_i \odot q_j]$$

 $A\mathcal{Q}$ : for each question word, weight all passage words by importance.

 $A^{P}$ : for each passage word, weight all question words by importance.



$$C^{P} = A^{P} Q \in \mathbb{R}^{p \times d}$$

For each passage word, sum up all the question word representations according to their importance to this passage word.

"question summarization for each passage word"

$$b = softmax (max_Q(S)) \in \mathbb{R}^{1 \times p}$$

For each passage word, find the question word with the strongest similarity. Do this for all passage words, and form a normalized vector.

$$G^p = b P \in \mathbb{R}^{p \times d}$$

Weight each passage word representation by its global importance - is it important for at least one question word?

$$V^P = [P ; C^P ; P \odot C^P ; P \odot G^p] \in \mathbb{R}^{p \times 4d}$$

# Attention Comparison

- bidirectional attention flow:
  - EM = 66.48%, F1 = 76.64%
- co-attention:
  - EM = 66.12%, F1 = 75.87%
- dynamic attention:
  - EM = 62.23%, F1 = 73.04%

#### Gated Combination Attention Layer

dynamic co-attention:  $V^p = A^p[C^Q;Q] \in \mathbb{R}^{p \times 2d}$ 

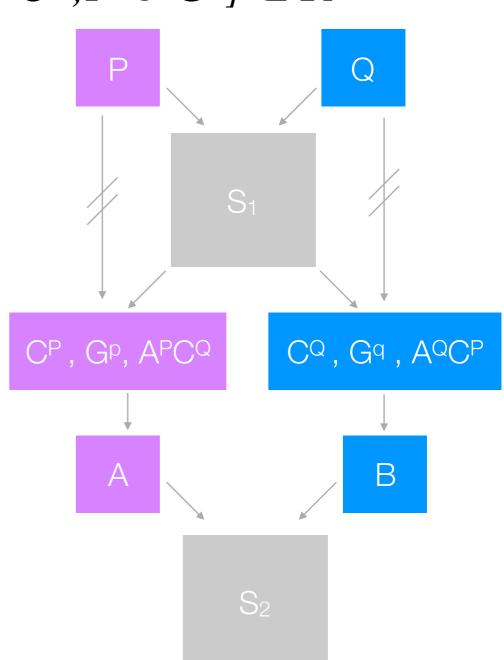
bidirectional attention:  $V^P = [P ; C^P ; P \odot C^P ; P \odot G^p] \in \mathbb{R}^{p \times 4d}$ 

#### *def XIY:*

 $gate = sigmoid(W_1X + W_2Y + b_1)$   $transform = tanh(W_3X + W_4Y + b_2)$  $return\ gate \odot X + (1-gate) \odot transform$ 

 $A = [P|C^P; P|G^p; P|A^PC^Q] \in \mathbb{R}^{p \times 3d}$   $B = [Q|C^Q; Q|G^q; Q|A^QC^P] \in \mathbb{R}^{q \times 3d}$  $A^A, C^B, B = co\text{-attention } (A, B)$ 

$$V^p = A^A[C^B;B] \in \mathbb{R}^{p \times 6d}$$



#### Contextual Modeling

• Pass  $V^p$  as input into another bidirectional RNN, to reinforce positional information, outputting  $M \in \mathbb{R}^{p \times 2d}$ 

# Output Layer

Bidirectional Attention Flow approach:

```
p_{1} = softmax(w_{p1}^{T} [V^{P}; M]) \in \mathbb{R}^{1 \times p}
M_{2} = BiRNN(M)
p_{2} = softmax(w_{p2}^{T} [V^{P}; M_{2}]) \in \mathbb{R}^{1 \times p}
```

My approach, multilayer perception + maxout:
 def mlp\_maxout(X):

```
layer_1 = ReLU(XW_1 + b_1), W_1 \in \mathbb{R}^{8d \times 8d}
layer_2 = ReLU(layer_1 W_2 + b_2), W_2 \in \mathbb{R}^{8d \times 8d}
all\_models = layer_2 W_3 + b_3, W_3 \in \mathbb{R}^{8d \times 16}
return\ max(all\_models, dim=-1)
p_1 = mlp\_maxout([V^p; M]), p_2 = mlp\_maxout([V^p; M]), \in \mathbb{R}^{1 \times p}
```

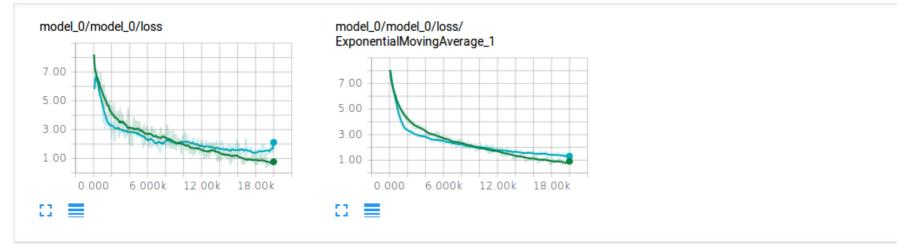
Loss = softmax\_cross\_entropy\_with\_logits(p<sub>1</sub>, labels<sub>1</sub>) +
 tf.softmax\_cross\_entropy\_with\_logits(p<sub>2</sub>, labels<sub>2</sub>)

#### Parameters

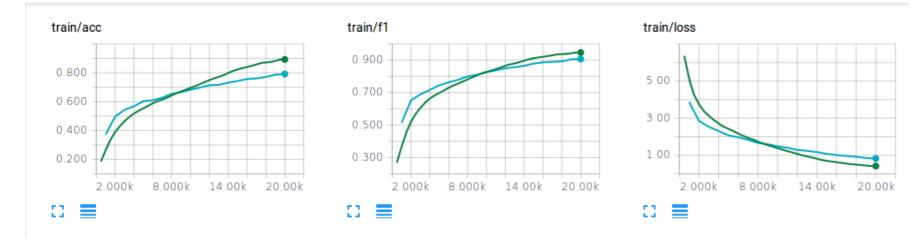
- batch\_size = 64
- initial\_learning\_rate = 0.001
- $exp_var_decay = 0.999$
- optimizer = AdamOptimizer
- dropout = 0.2

#### Results

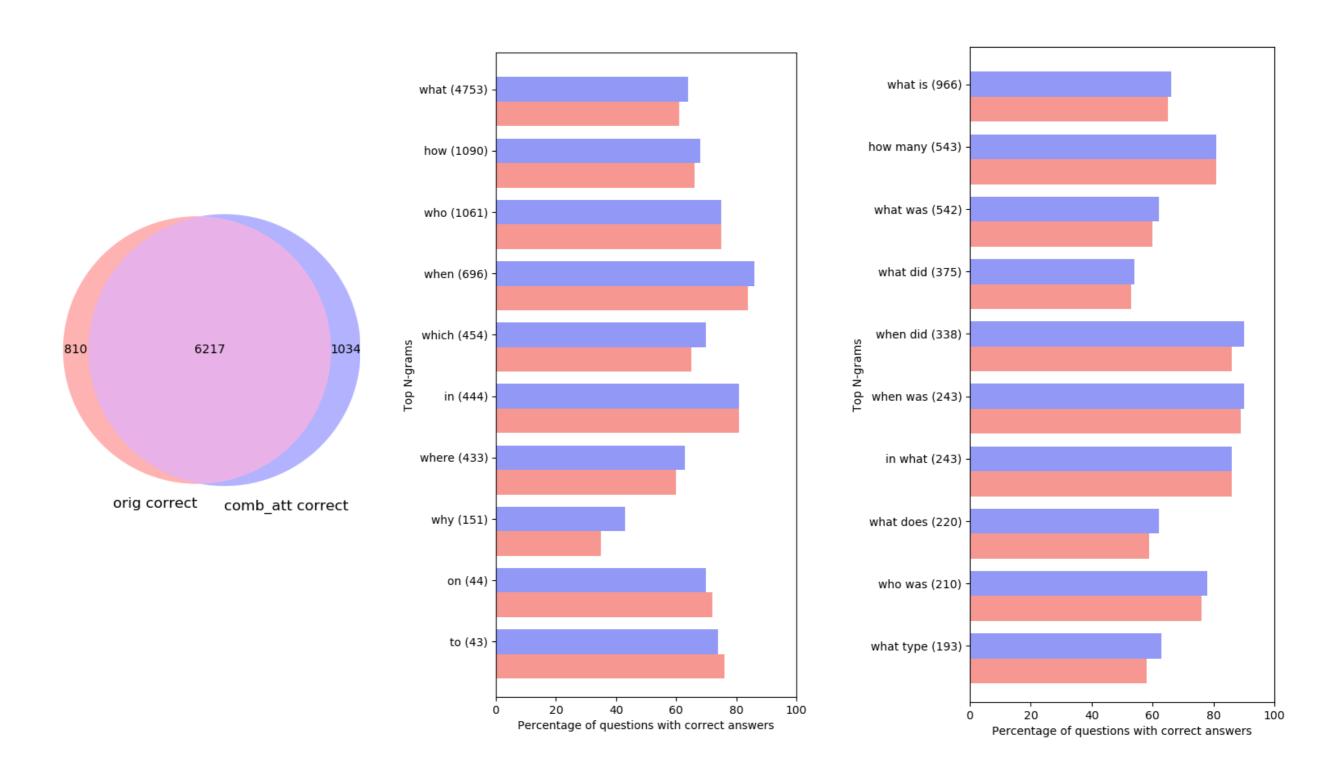
- bidirectional attention flow:
  - EM = 66.48%, F1 = 76.64%
- me:
  - EM = 68.69%, F1 = 77.99%



train



#### Results



# Things I failed at

- dynamic decoder + highway maxout in Dynamic Contention Networks
- self-matching attention in R-Net

# Thank You!