

Ques \Rightarrow 1)

X	Y	$X - \bar{X}$	$Y - \bar{Y}$	$(X - \bar{X})^2$	$(Y - \bar{Y})^2$
2006	18	-2	-16.4	4	32.8
2007	25	-1	-9.4	1	9.4
2008	35	0	0.6	0	0
2009	43	1	8.6	1	8.6
2010	51	2	16.6	4	33.2
				10	84

Also \equiv

$$\bar{X} = 2008, \bar{Y} = 34.4$$

$$\text{Also } Y = bX + a$$

$$b = \frac{(Y - \bar{Y})^2}{(X - \bar{X})^2} = 8.4$$

$$a = \bar{Y} - b\bar{X} = 34.4 - (8.4 \times 2008) \\ = -16832.8$$

(a) line of regression - 2

$$Y = 8.4X - 16832.8$$

(b) Given Year = 2013

$$\text{Sales} = Y = 8.4 \times 2013 - 16832.8$$

$$= 76.4$$

Ques \Rightarrow 5)Ans \equiv

① Single link clustering - In this clustering, the similarity of their most similar members. The single-link merge criterion is local. We pay attention solely to the area where 2 clusters come closest to each other.

② Complete-link clustering - the similarity of 2 clusters is the similarity of their most un-similar members.

Solution -

	A	B	C	D	E
A	0	①	2	2	3
B		0	2	4	3
C			0	1	5
D				0	3
E					0

Avg link -

Distance b/w A and B = 1 is minimum we cluster A and B as C1.

We need to update the distance using the following formula

$$\frac{d_A + d_B}{2}$$

	$C_1(A, B)$	C	D	E
$C_1(A, B)$	0	2	3	3
C		0	(1)	5
D			0	3
E				0

(3)

Distance C-D is minimum (1)

Hence 2nd cluster will be (C, D).

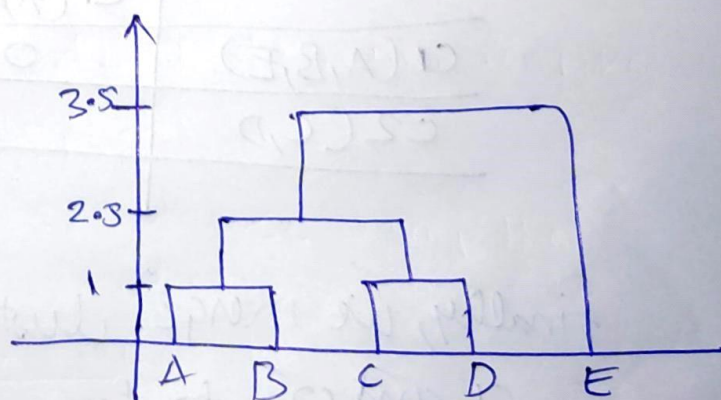
	$C_1(A, B)$	$C_2(C, D)$	E
$C_1(A, B)$	0	2.5	3
$C_2(C, D)$		0	4
E			0

Distance b/w clusters (C₁) and (C₂) = (2.5) which is minimum. Hence, we merge

	$C_1(A, B, C, D)$	E
$C_1(A, B, C, D)$	0	3.5
E		0

Finally, we merge C₁ with E to form 1 complete cluster.
 $C = (A, B, C, D, E)$

(#) dendrogram



Ⓜ Complete Link-2

Distance b/w A and B is minimum = 1.
Hence we make cluster $C_1(A, B)$

Update
distance
as
 $\max(d_1, d_2)$

	$C_1(A, B)$	C	D	E
$C_1(A, B)$	0	2	4	3
C		0	1	5
D			0	3
E				0

Ⓜ Distance b/w C and D is minimum (= 1). Hence
two make another cluster $C_2(C, D)$.

	$C_1(A, B)$	$C_2(C, D)$	E
$C_1(A, B)$	0	4	3
$C_2(C, D)$		0	5
E			0

Ⓜ Distance b/w C_1 and E is minimum. Hence
we cluster them together.

	$C_1(A, B, E)$	$C_2(C, D)$
$C_1(A, B, E)$	0	$\max(4, 5) = 5$
$C_2(C, D)$		0

finally, we merge clusters
1 and 2 to form
the final cluster.
 $C = (A, B, E, C, D)$

