

Ans \Rightarrow (2)

MIT 2020029

(#) We have to apply FP Growth on given data-

We need to convert this in Horizontal table-8

Transaction	itemset
T ₁	A, B, T
T ₂	A, C
T ₃	A, S
T ₄	A, B, C
T ₅	B, S
T ₆	A, S
T ₇	B, S
T ₈	A, B, S, T
T ₉	A, B, S

For Frequency

A	7
B	6
C	2
S	6
T	2

After sorting

A	7
B	6
S	6
C	2
T	2

Now frequent Pathsets, according to min support : $\{ A:7, B:6, S:6, C:2, T:2 \}$

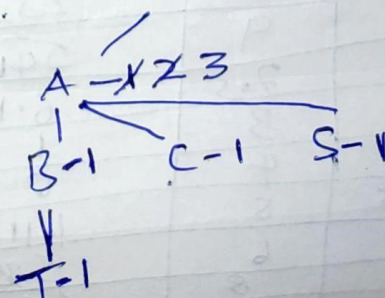
ordered item set

T ₁	A, B, T
T ₂	A, C
T ₃	A, S
T ₄	A, B, C
T ₅	B, S
T ₆	A, S
T ₇	B, S
T ₈	A, B, S, T
T ₉	A, B, S

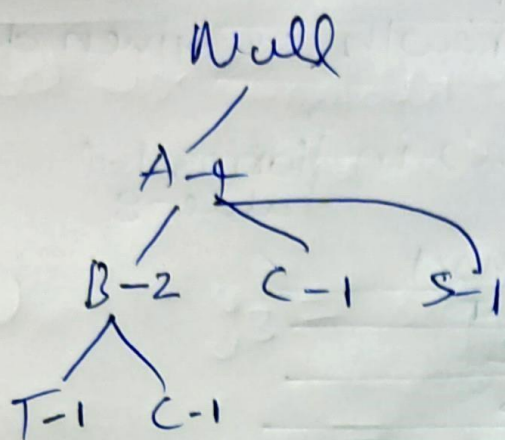
Now insert itemset in Tree

- ① { A, B, T }
- ② { A, C }
- ③ { A, S }

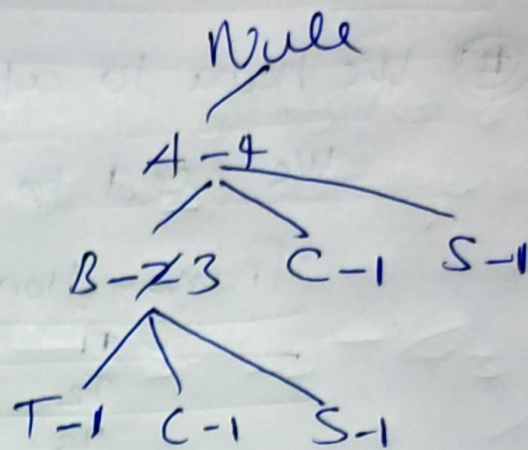
Null



④ {A, B, C}

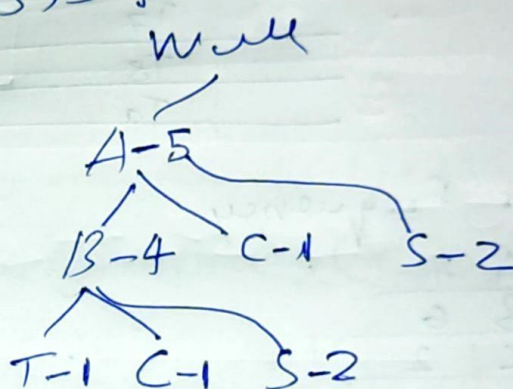


⑤ {B, S}



⑥ {A, S}

⑦ {B, S}



Ques 73)

$X = [1, 3, 2, 3, 4, 6, 7, 2, 2, 2.5, 7, 7, 7]$
 $Y = [4, 4, 6, 6, 8, 9, 7.5, 3, 4, 5, 6, 8, 7]$

min Points = 3
 Epsilon = 2.5

X	Y	Distance from (2, 4)
1	4	1
3	4	1
2	6	2
3	6	$\sqrt{5}$
4	8	$2\sqrt{5}$
6	9	$\sqrt{41}$
7	7.5	6.1
2	3	1
2	4	0
2.5	5	1.11
7	6	5.38
7	8	6.4
7	7	5.83

(2, 4) has the points (1, 4), (3, 4), (2, 6), (3, 6), (2, 3), (2.5, 5) at a distance less than epsilon.
 (2, 4) has 6 neighbouring points.

$(2,4)$ is a core Point.

Doing similar calculation for all the other points we get. //

Points	Nieghbounhood Points
$(1,4)$	$(2,3)(2,4)(3,4)(2,6)(2.5,5)$
$(2,4)$	$(1,4)(2,3)(3,4)(2,6)(3,6)(2.5,5)$
$(3,4)$	$(1,4)(2,4)(2,3)(2,6)(3,6)(2.5,5)$
$(2,3)$	$(1,4)(2,4)(3,4)(2.5,5)$
$(2,6)$	$(3,6)(2.5,5)(1,4)(2,4)(3,4)$
$(3,6)$	$(4,8)(2,6)(2.5,5)(3,4)(2,4)$
$(4,8)$	$(6,9)(3,6)$
$(6,9)$	$(7,8)(7,7)(7,7.5)$
$(7,8)$	$(6,9)(7,7)(7,7.5)$
$(7,7.5)$	$(6,9)(7,8)(7,7.5)(7,6)$
$(7,7)$	$(7,8)(7,7)(7,7.5)$
$(7,6)$	

$\{(1,4)(2,4)(3,4)(2,3)(2,6)(3,6)(4,8)(6,9)(7,8)(7,7.5)(7,7)(7,6) \equiv \text{cluster } ①\}$

① All the points belongs in 1 cluster. There are no noise or outlier points $(4,8)$ is a border point.

② All points other than $(4,8)$ are core points.

Ques 6)

Let us consider the desired output to be 0
when the inputs x_1 and x_2 are equal = 1

$$\begin{aligned} \textcircled{+} \quad y_3 &= \text{sig}(x_1 w_{13} + x_2 w_{23} - \theta_3) \\ &= \frac{1}{1 + e^{-(1 \times .5 + 1 \times .4 - 1 \times .8)}} \\ &\equiv .5250 \end{aligned}$$

$$\begin{aligned} \textcircled{+} \quad y_4 &= \text{sig}(x_1 w_{14} + x_2 w_{24} - \theta_4) \\ &= \frac{1}{1 + e^{-(1 \times .9 + 1 \times 0.4 - 1 \times 0.8)}} \\ &\equiv .8808 \end{aligned}$$

Now calculating the output of neuron 5,

$$\begin{aligned} y_5 &= \text{sig}(y_3 w_{35} + y_4 w_{45} - \theta_5) \\ &= \frac{1}{1 + e^{-(.52 \times 1.2 + .8808 \times 1 - 1 \times .3)}} \\ &\equiv .5097 \end{aligned}$$

then error obtained, $i_s = t_s - y_s \equiv 0 - 0.5097$

$$\equiv -0.5097$$

Where t_s is target value

To update the weights and threshold values in all networks.
we propagate the error backwards. //

Calculating error gradient for neuron ⑤

$$\begin{aligned} &\equiv \delta_5 = y_5(1-y_5)e_5 \\ &\equiv .5097(1-.5097)(-.5097) \\ &\boxed{\equiv -0.1274} \end{aligned}$$

Change in weights :-

$$\begin{aligned} \Delta w_{35} &= \alpha \cdot y_3 \cdot \delta_5 = 0.1 * .5250 * (-.1275) \\ &\boxed{\equiv -.0067} \end{aligned}$$

$$\Delta w_{45} = \alpha \cdot y_4 \cdot \delta_5 = \boxed{-0.0112}$$

$$\boxed{\Delta \theta_5 \equiv -0.0127}$$

Gradient for neuron - 3, 4

$$\boxed{\delta_3 = 0.0381}$$

$$\boxed{\delta_4 = -0.0147}$$

Determining the weights correction :-

$$\Delta w_{13} = .1 * 1 * 0.381 \equiv 0.0038$$

$$\Delta w_{23} \equiv \quad \quad \quad \equiv 0.0038$$

$$\Delta \theta_3 \equiv \quad \quad \quad \equiv -0.0038$$

$$\Delta w_{14} (.1 * -1 * (-0.147)) \equiv -0.0015$$

$$\Delta w_{24} (.1 * -1 * (-0.147)) \equiv 0.0015$$

$$\Delta \theta_4 = .1 * (-1) * (-0.0147) = 0.0015$$