

statistical vs. practical significance

All else held equal, will the p-value be lower if $n = 100$ or $n = 10,000$?

$$\bar{x} = 50$$

$$s = 2$$

(a) $n = 100$

(b) $n = 10,000$

$$H_0 : \mu = 49.5$$

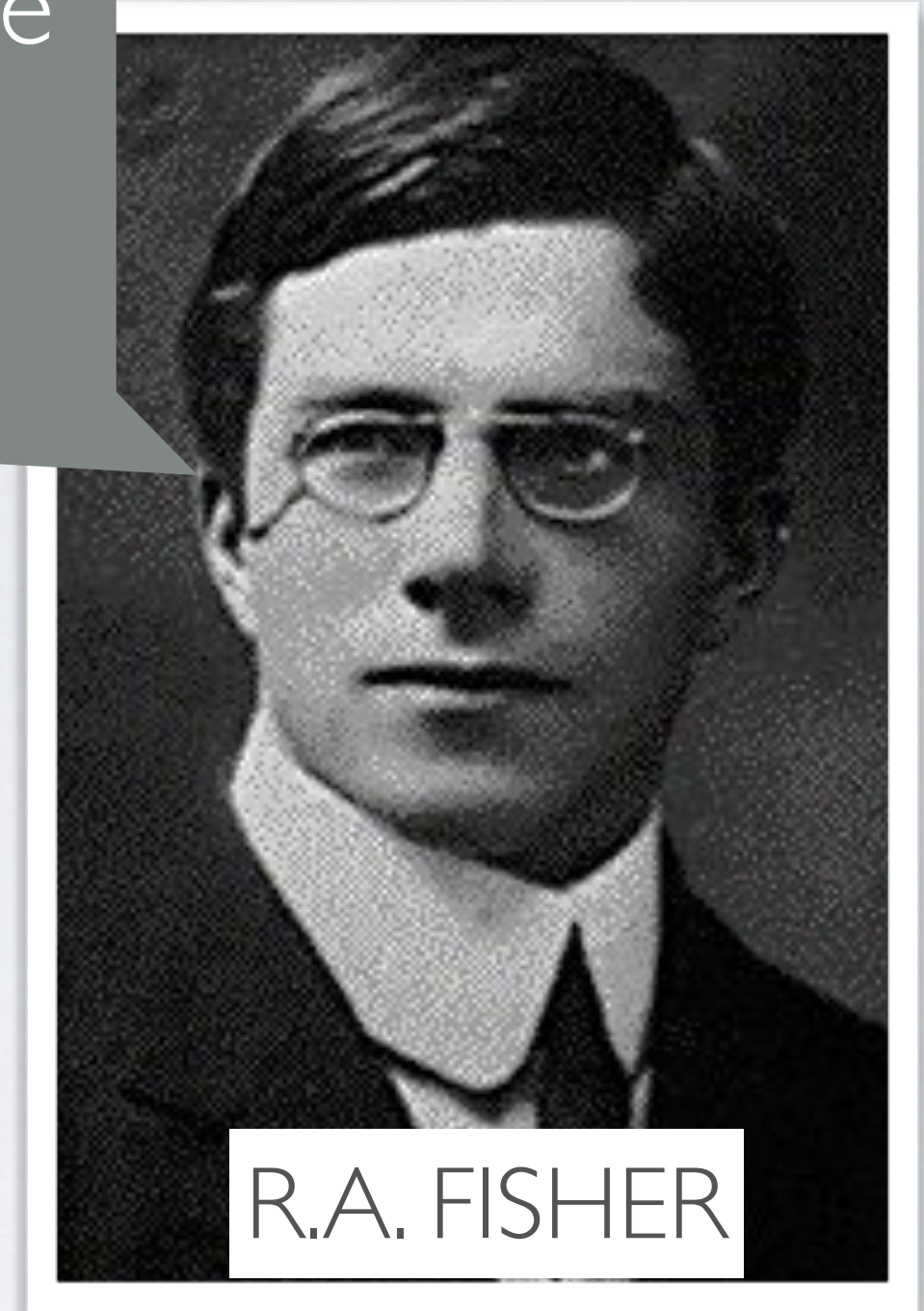
$$H_A : \mu > 49.5$$

$$Z_{n=100} = \frac{50 - 49.5}{\frac{2}{\sqrt{100}}} = \frac{50 - 49.5}{\frac{2}{10}} = \frac{0.5}{0.2} = 2.5$$

$$Z_{n=10000} = \frac{50 - 49.5}{\frac{2}{\sqrt{10000}}} = \frac{50 - 49.5}{\frac{2}{100}} = \frac{0.5}{0.02} = 25$$

- ▶ Real differences between the point estimate and null value are easier to detect with larger samples.
- ▶ However, very large samples will result in statistical significance even for tiny differences between the sample mean and the null value (**effect size**), even when the difference is not practically significant.

“To call in the statistician after the experiment is done may be no more than asking him to perform a post-mortem examination: he may be able to say what the experiment died of.”



R.A. FISHER