

Week 1 Lab

[Back to Week weekNumber](#)

6/6 points
earned (100%)

Quiz passed!



1 / 1
points

1.

Based on the preceding result, what is the probability that Machine 1 is “Bad” given you won playing on Machine 1?



0.3



0.4



Correct



0.5



0.6



0.7



1 / 1
points

2.

Based on the preceding result, what is the probability that Machine 2 is “Good” given you won playing on Machine 1?



0.3



0.4



Correct

- ☐ 0.5
- ☐ 0.6
- ☐ 0.7
-



1 / 1
points

3.

Under the Bayesian paradigm, which of the following correctly matches the probabilities with their names?



Posterior - $P(M_1 \text{ is Good} \mid \text{Win on } M_1)$

Prior - $P(M_1 \text{ is Good})$

Likelihood - $P(\text{Win on } M_1 \mid M_1 \text{ is Good})$



Correct



Posterior: $P(M_1 \text{ is Good} \mid \text{Win on } M_1)$

Prior: $P(\text{Win on } M_1 \mid M_1 \text{ is Good})$

Likelihood: $P(M_1 \text{ is Good})$



Posterior: $P(\text{Win on } M_1 \mid M_1 \text{ is Good})$

Prior: $P(M_1 \text{ is Good} \mid \text{Win on } M_1)$

Likelihood: $P(M_1 \text{ is Good})$



Posterior: $P(\text{Win on } M_1 \mid M_1 \text{ is Good})$

Prior: $P(M_1 \text{ is Good})$

Likelihood: $P(M_1 \text{ is Good} \mid \text{Win on } M_1)$



1 / 1
points

4.

Using the **bandit_posterior** function calculate the posterior probabilities of Machine 1 and 2 being “good” after playing Machine 1 twice and winning both times and then playing Machine 2 three times and winning twice and then losing.

☐ $P(M_1 \text{ is good} \mid \text{data}) = 0.250, P(M_2 \text{ is good} \mid \text{data}) = 0.750$

☐ $P(M_1 \text{ is good} \mid \text{data}) = 0.429, P(M_2 \text{ is good} \mid \text{data}) = 0.571$

☒ $P(M_1 \text{ is good} \mid \text{data}) = 0.571, P(M_2 \text{ is good} \mid \text{data}) = 0.429$



Correct

☐ $P(M_1 \text{ is good} \mid \text{data}) = 0.750, P(M_2 \text{ is good} \mid \text{data}) = 0.250$



1 / 1
points

5.

What would the posterior probabilities be if we had instead played Machine 2 first, playing three times, winning twice and losing once and then playing Machine 1 twice and winning both times?

☐ $P(M_1 \text{ is good} \mid \text{data}) = 0.250, P(M_2 \text{ is good} \mid \text{data}) = 0.750$

☐ $P(M_1 \text{ is good} \mid \text{data}) = 0.429, P(M_2 \text{ is good} \mid \text{data}) = 0.571$

☒ $P(M_1 \text{ is good} \mid \text{data}) = 0.571, P(M_2 \text{ is good} \mid \text{data}) = 0.429$



Correct

☐ $P(M_1 \text{ is good} \mid \text{data}) = 0.750, P(M_2 \text{ is good} \mid \text{data}) = 0.250$



1 / 1
points

6.

Why do the posterior probabilities for Machine 1 and Machine 2 mirror each other?

- ☐ $P(M_1 \mid \text{data})$ and $P(M_2 \mid \text{data})$ are complementary
- ☐ Machine 1 and Machine 2 being "good" are mutually exclusive events
- ☒ All of the above

Correct

