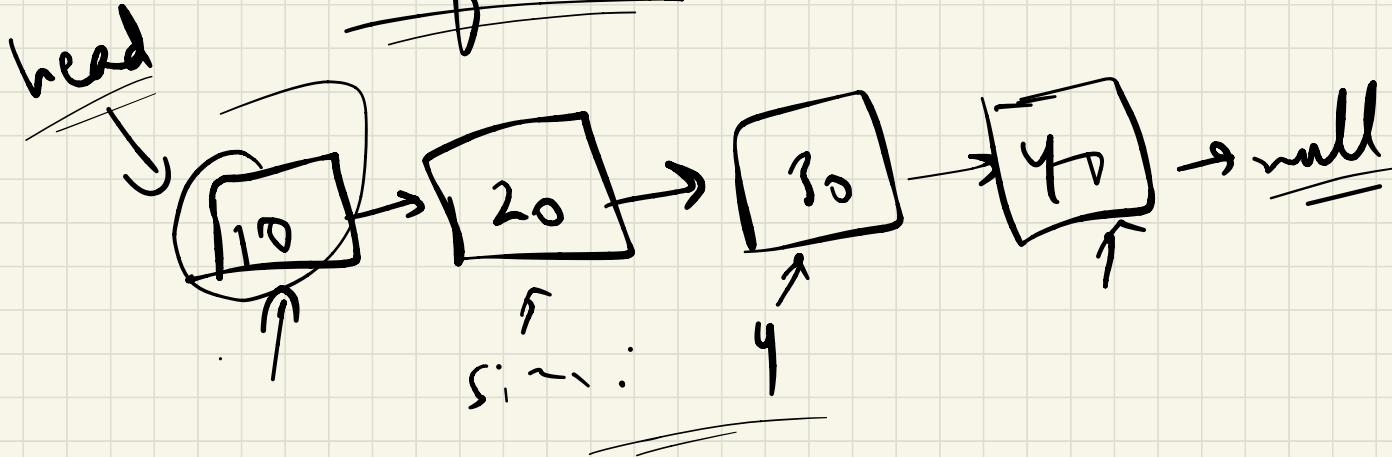


Size of a LL

$$\text{count} = \cancel{x} + \cancel{y} \cancel{+ z}$$



Insertion of a Node in a LL

3 possible cases :-

1) Inserting a new node at the head
(at the beginning)

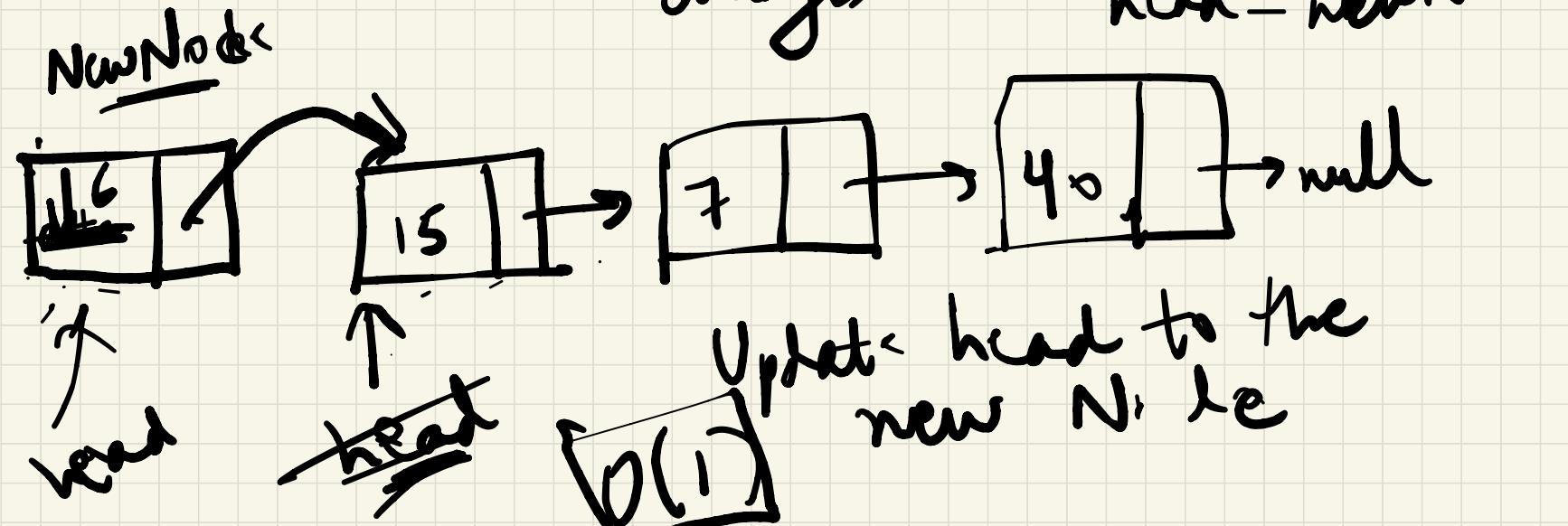
q - - - v - after the tail
(at the end of
the list)

q - - - - in the middle (random location)

Case 1 :- Insert node at the beginning..-

↳ new node is inserted before the current head node.

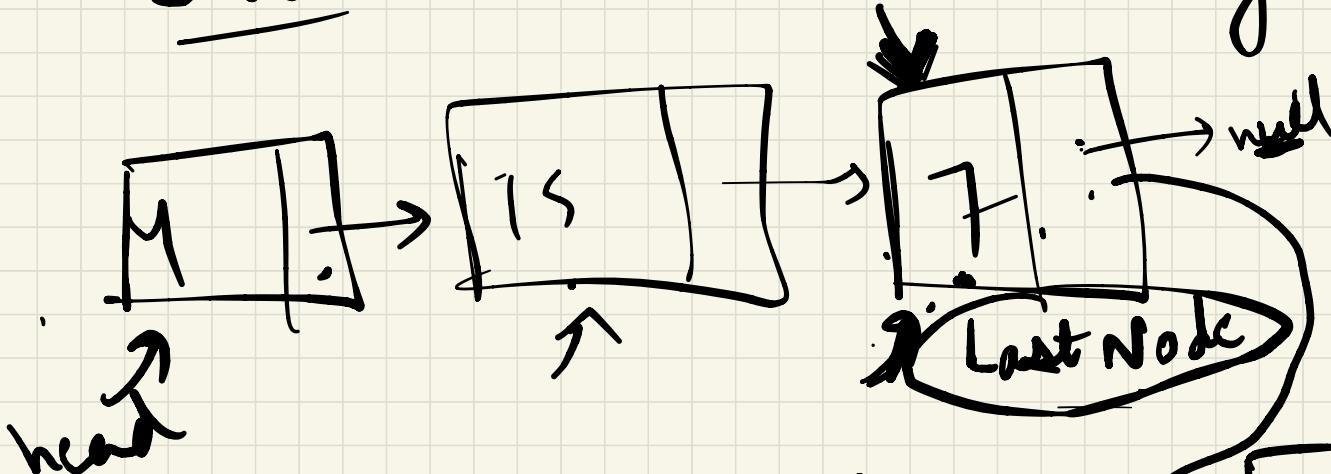
↳ the only case where head of LL changes
head = newNode



```
public static Node insertAtStart(Node head, int data){  
  
    // Step1 : create a new node  
    Node newNode = new Node(data);  
  
    // Step 2: Set next of newNode to current head  
    newNode.next = head;  
  
    // Step 3: Update the head pointer to the new node  
    //head = newNode;  
    //return head;  
    return newNode;  
}
```

Time complexity : O(1) to insert at the head

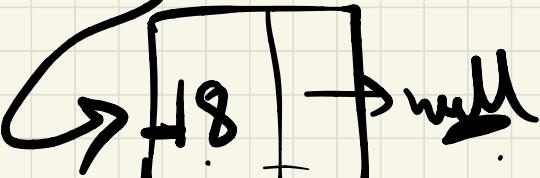
Case 2 :- insert at the ending



lastNode.next = newNode

Condition for lastNode

$\hookrightarrow \text{temp.next} \neq \text{null}$ $\text{newNode} =$



```
public static Node insertAtEnd(Node head, int data){
```

```
// Step 1: create a new node
```

```
Node newNode = new Node(data);
```

```
if(head == null){ // in case of empty LL  
    head = newNode;  
    return head;  
}
```

```
// Step 2: Traverse till the last node.
```

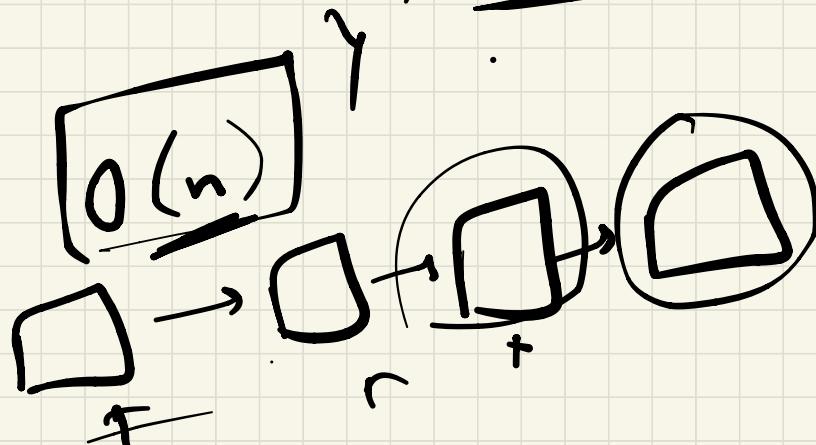
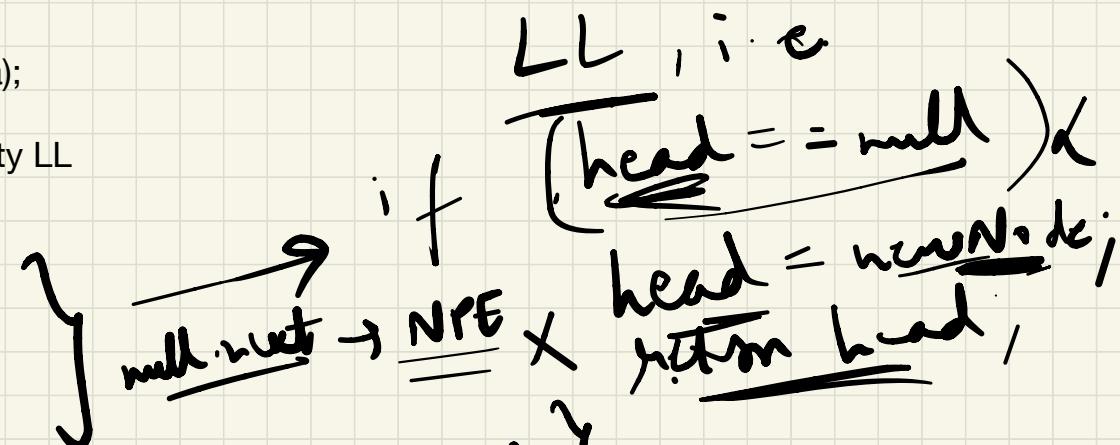
```
Node temp = head;  
while(temp.next != null){  
    temp = temp.next;  
}
```

```
// Step 3: Set lastNode's next to newNode
```

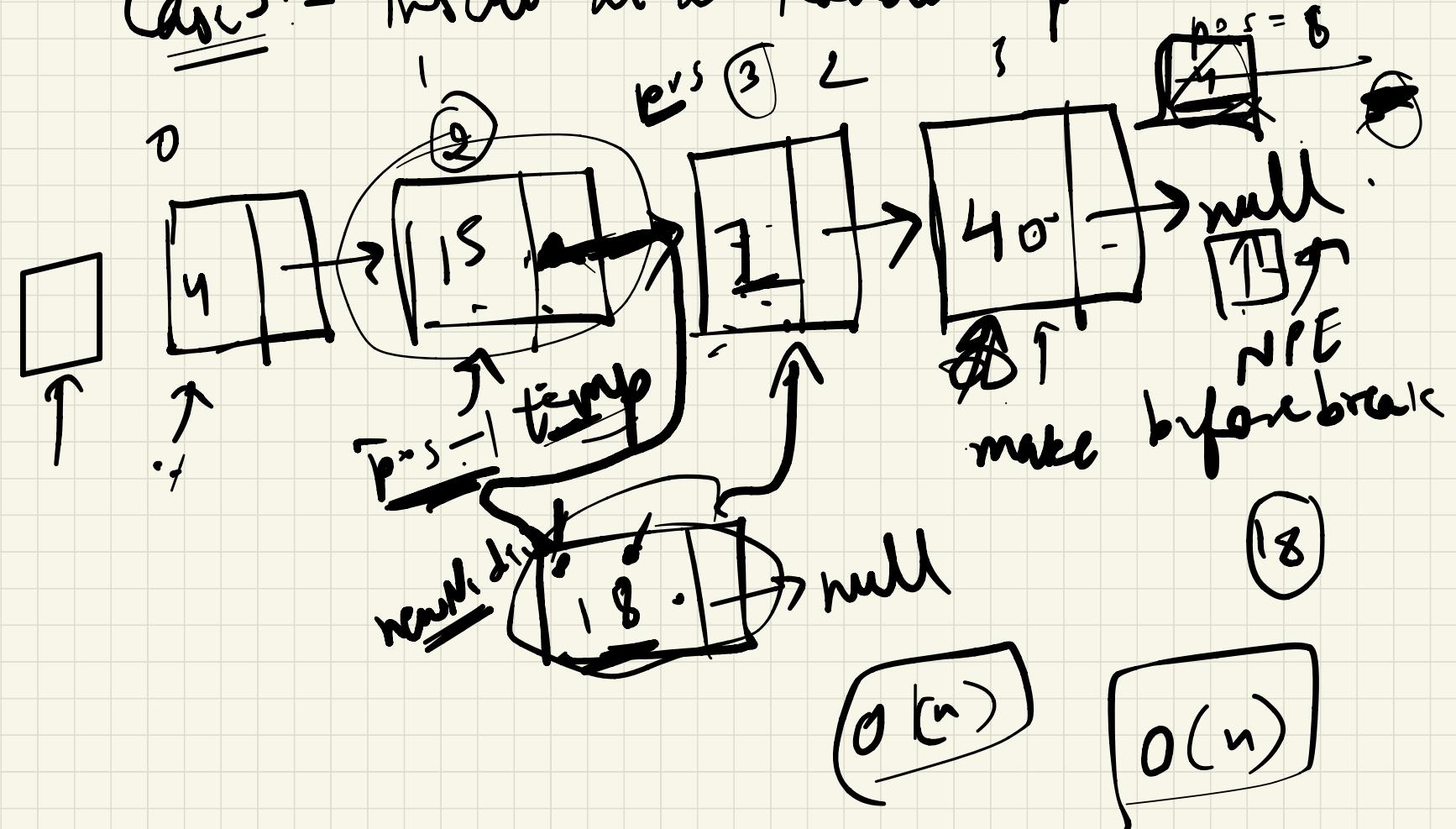
```
head.next = newNode;  
temp
```

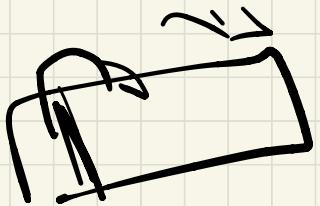
```
temp.next = newNode;
```

insert in an empty

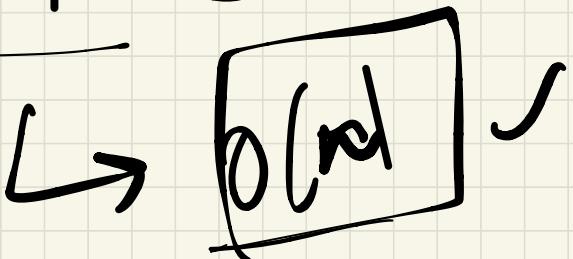


Case 3. - Insert at a random $p^{\circ s}$

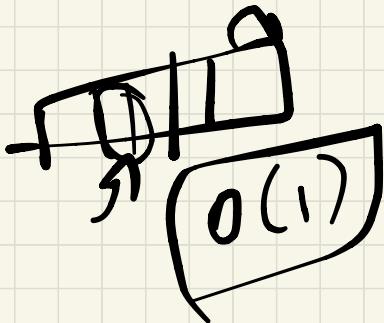




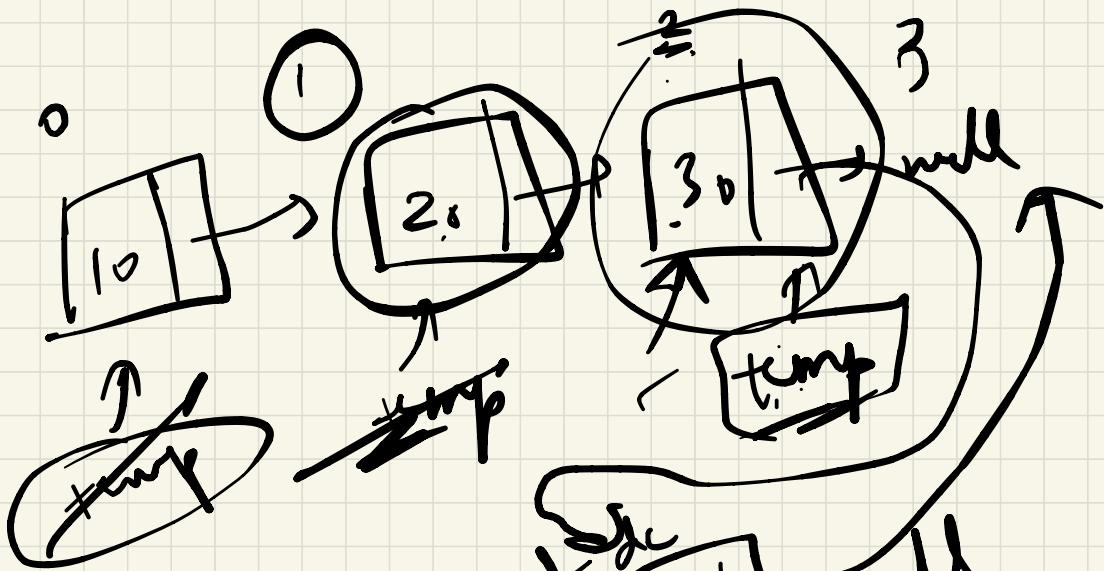
Insertion i-LL



$O(1)$

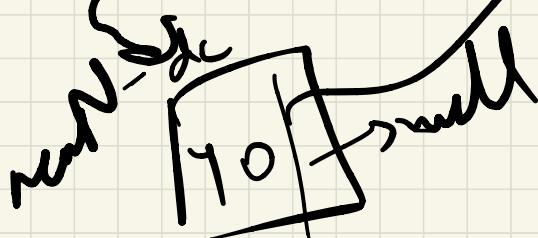
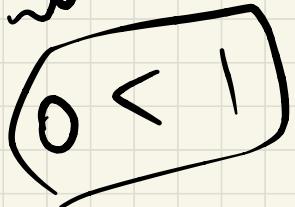


$\rightarrow 0 = 2 \rightarrow$ insert at head

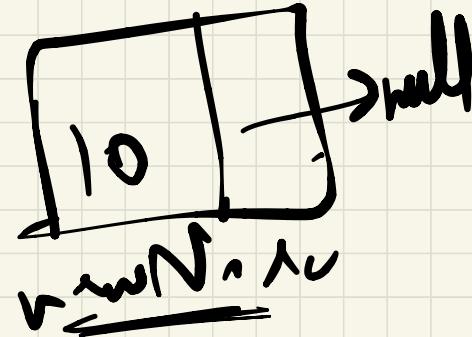
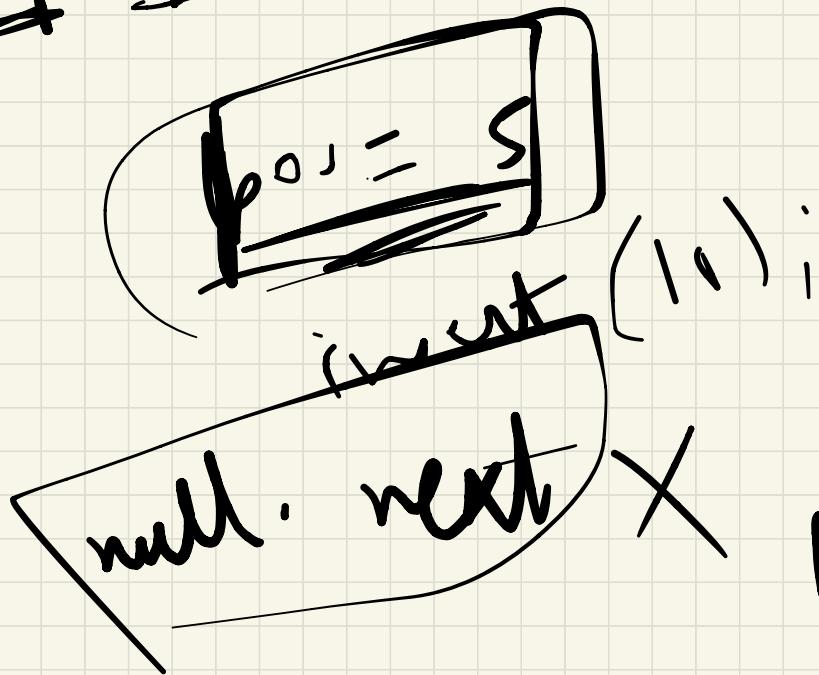
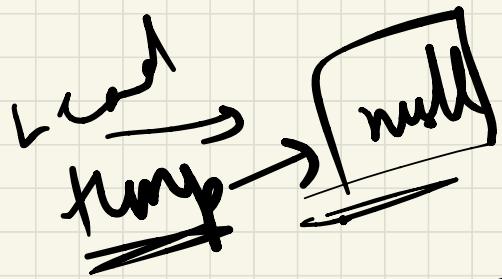


$c = 1$

$connect =$



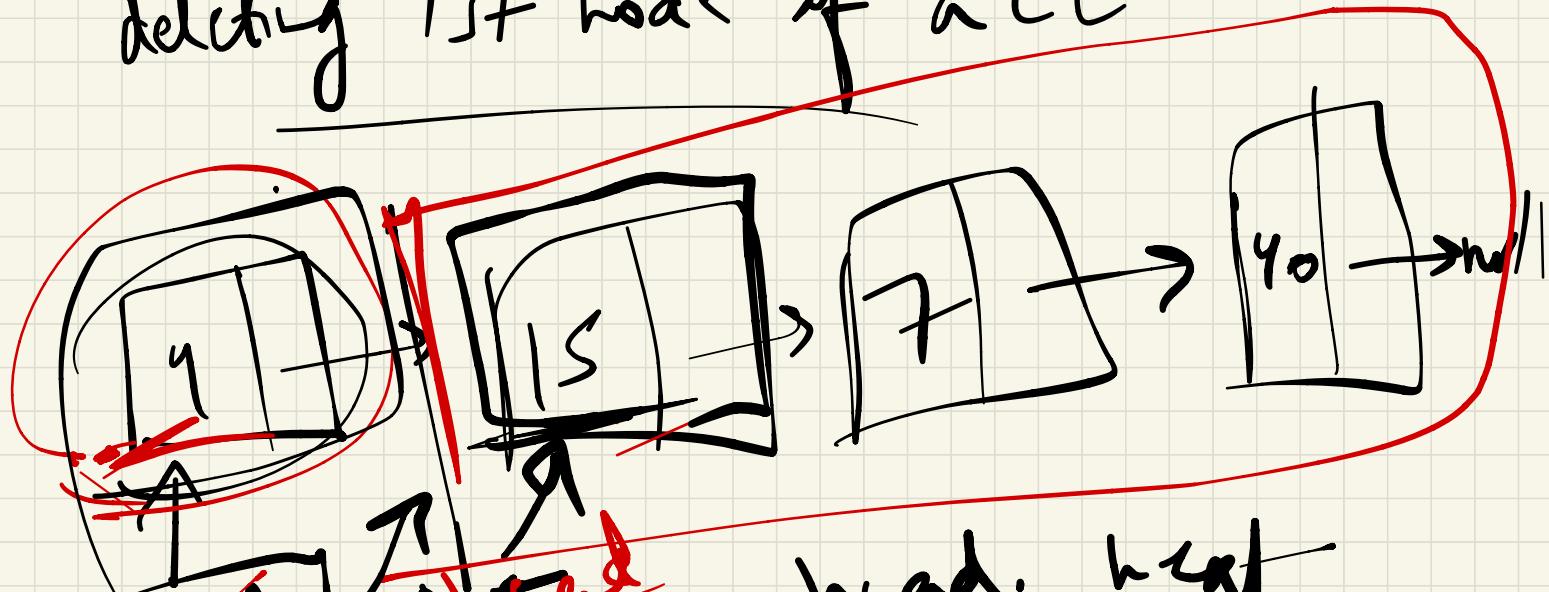
$temp = temp - \rightarrow cmt$



Delete a Node

- 1st Node
- last Node
- random pos

~~deleting 1st node of all~~



~~head = head.next~~

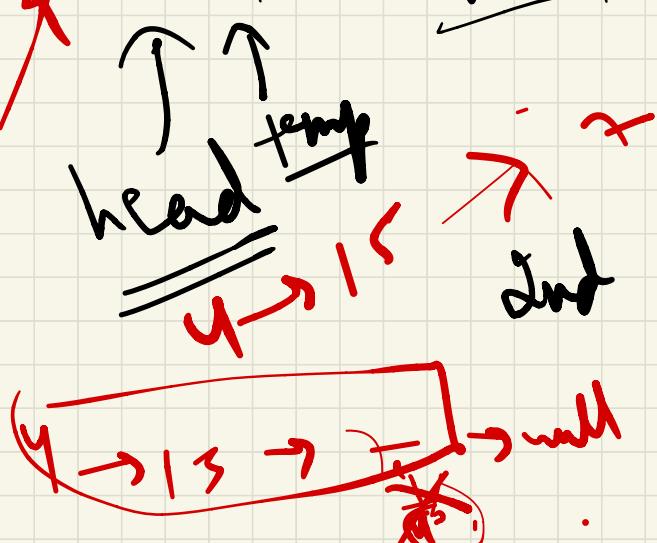
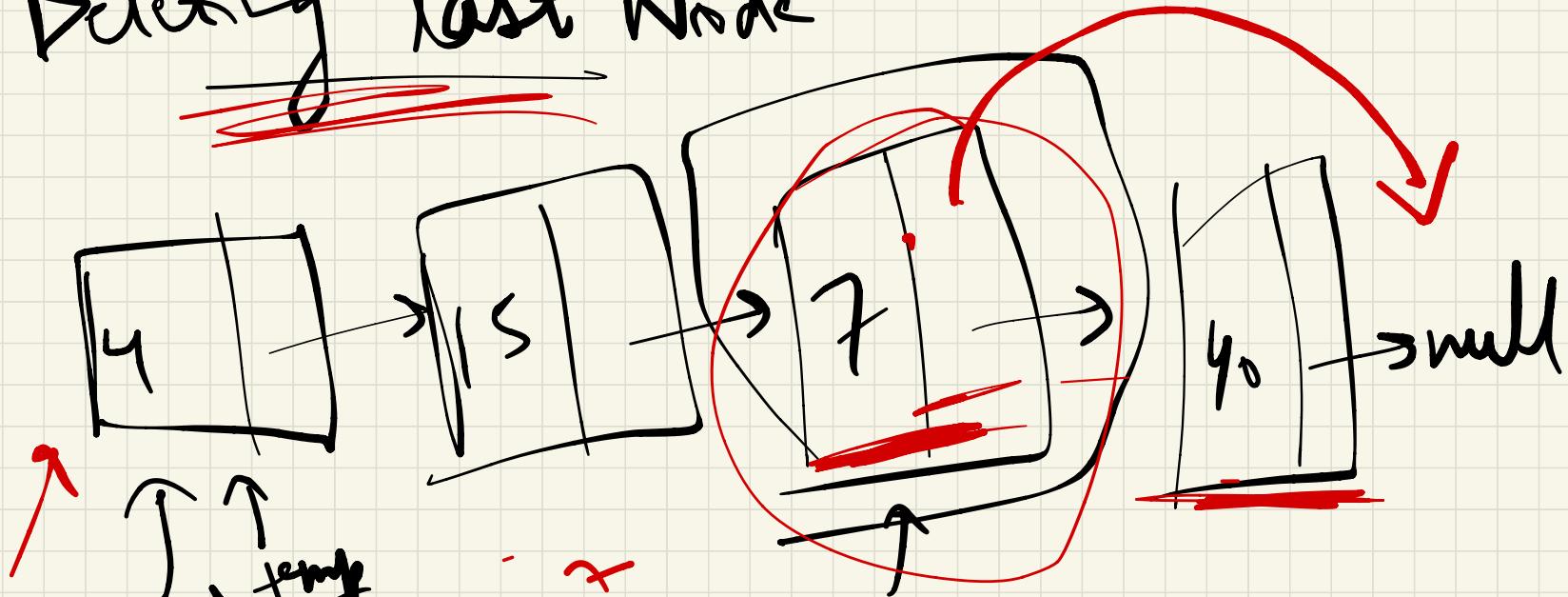
~~head = head.next~~

head = head.next

head = head.next

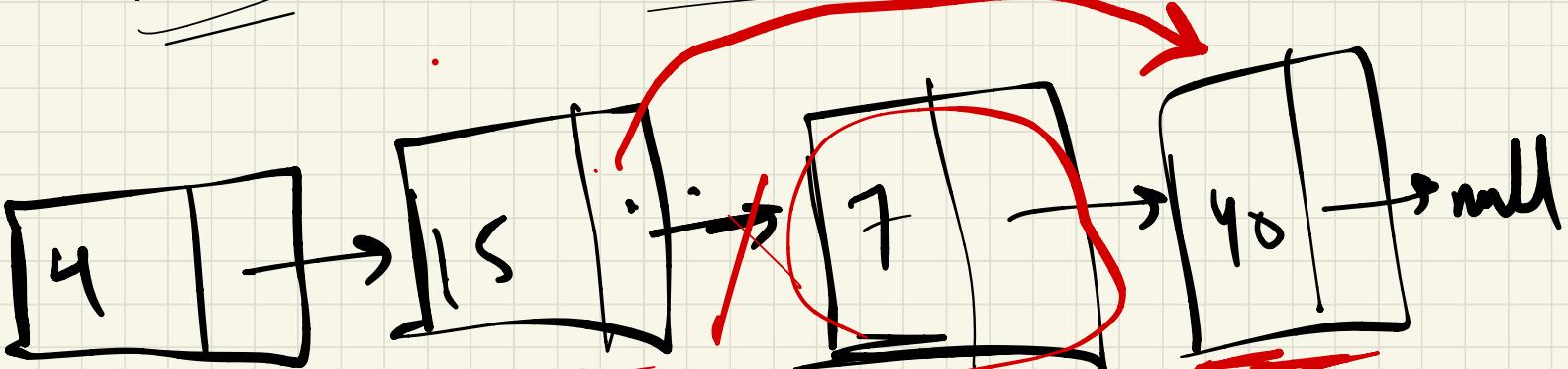
head = head.next

Deleting last Node



last node
temp : next = null
temp : next = null

Delete in Random fns

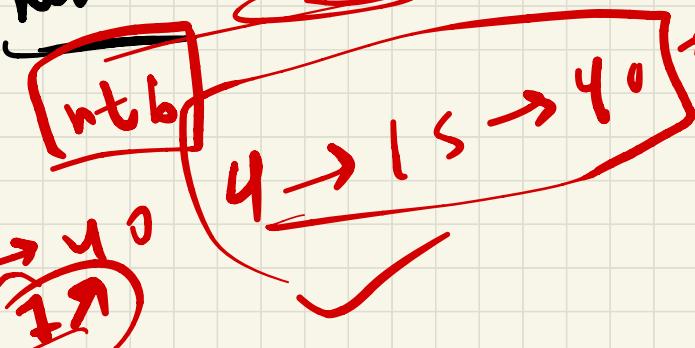


~~temp.next
= temp.next.next~~

~~prev~~ temp

node to be deleted

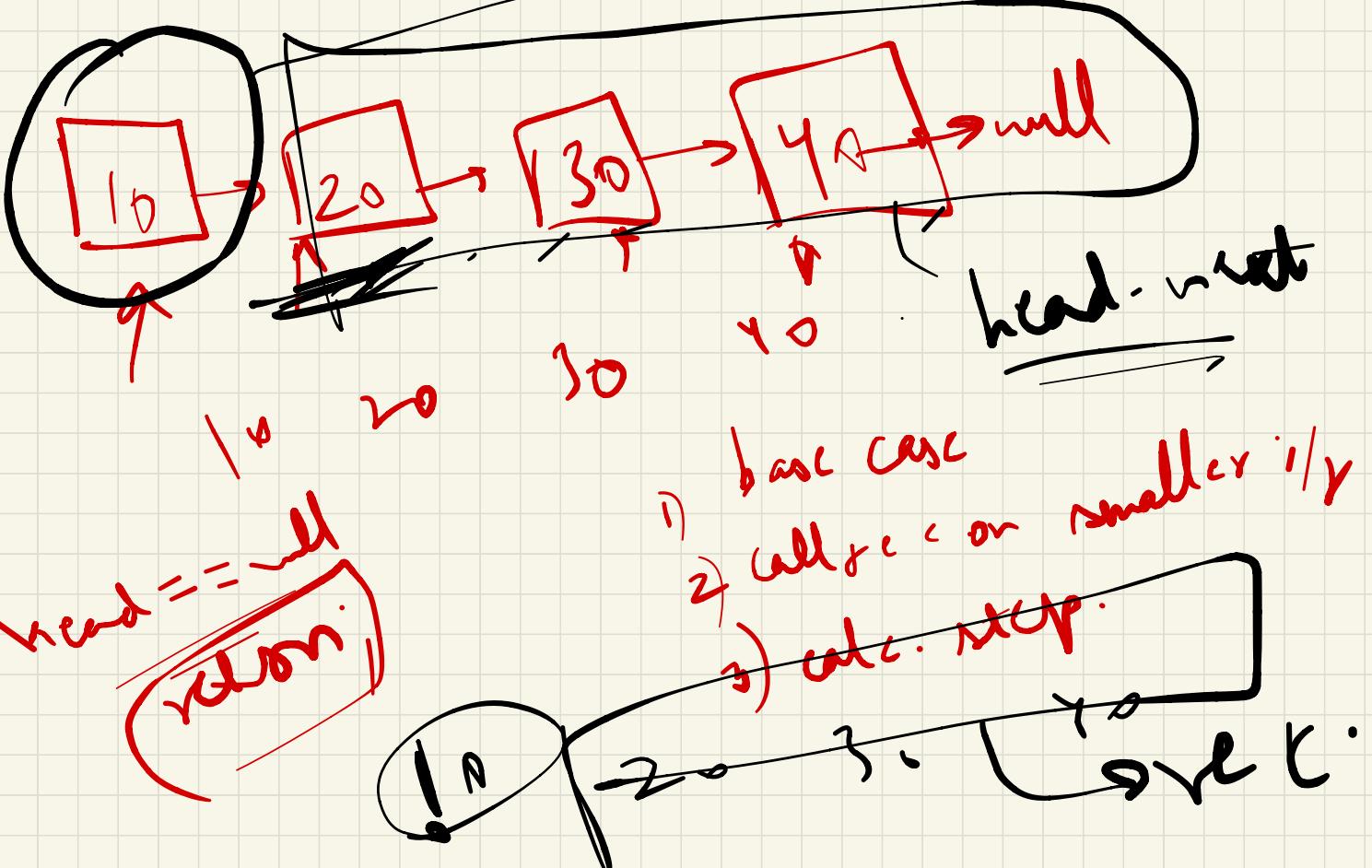
~~prev.next = ntb.next~~

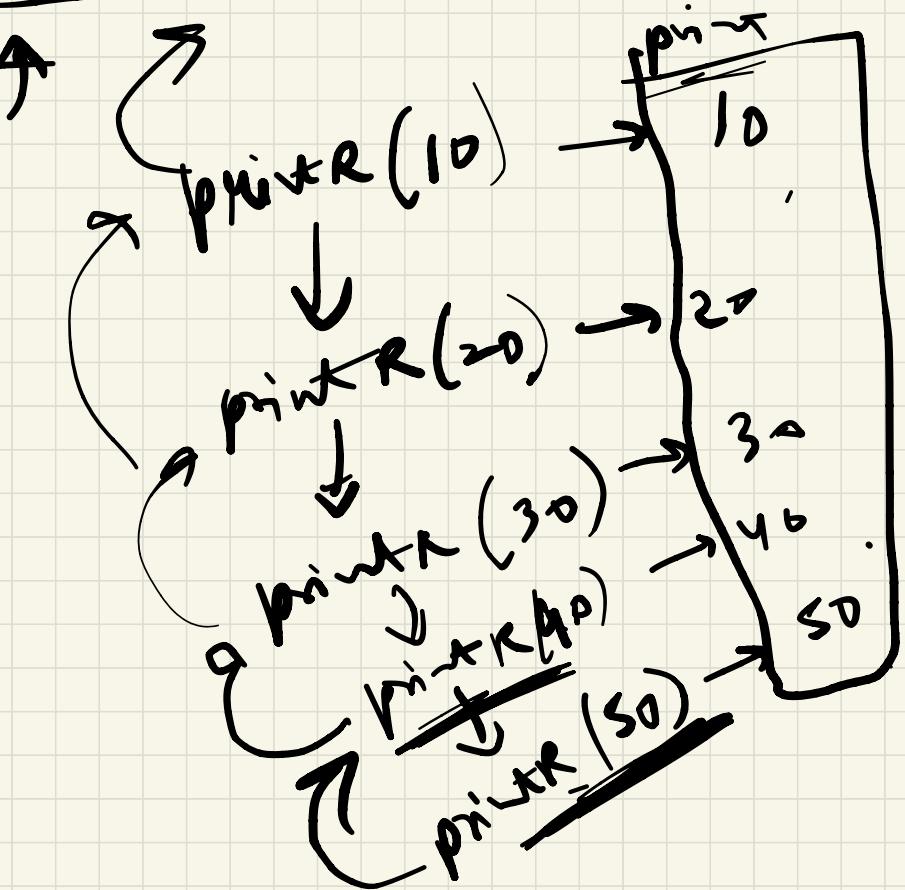
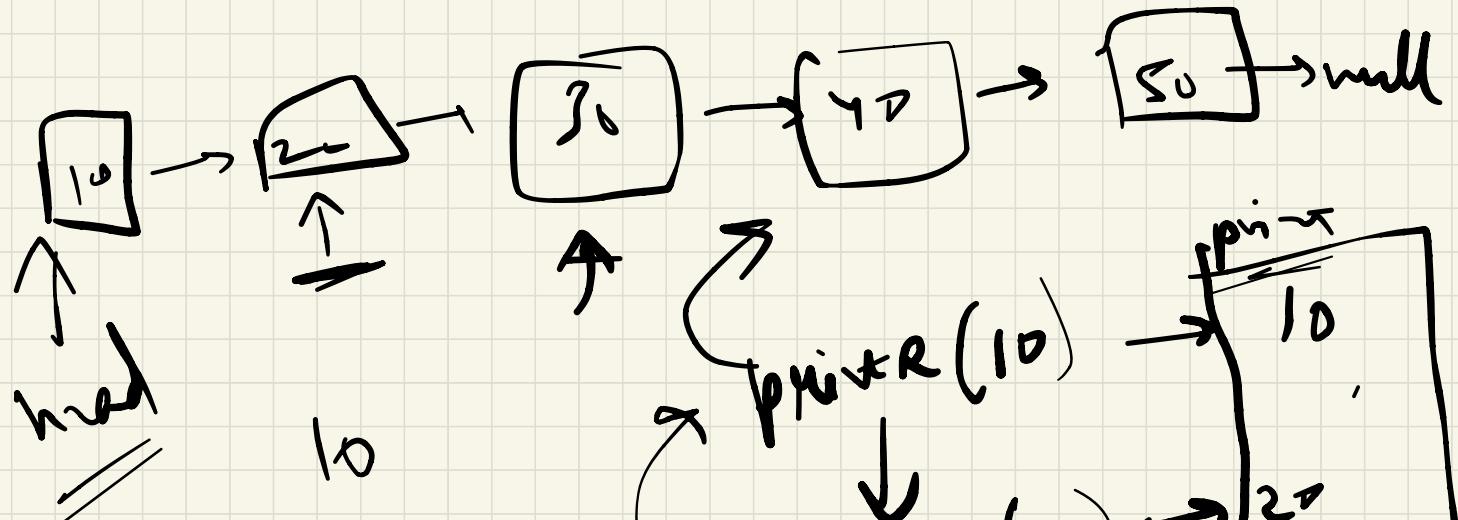


head → null

just return

delit ←

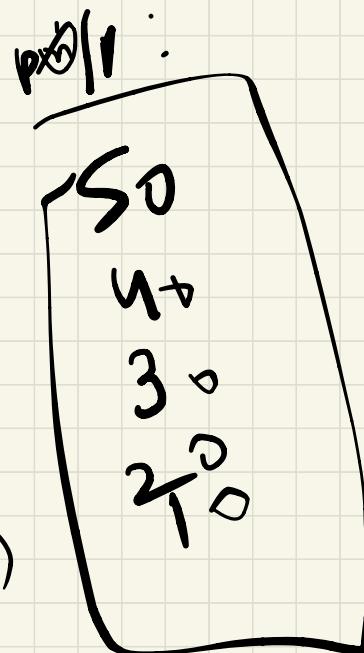
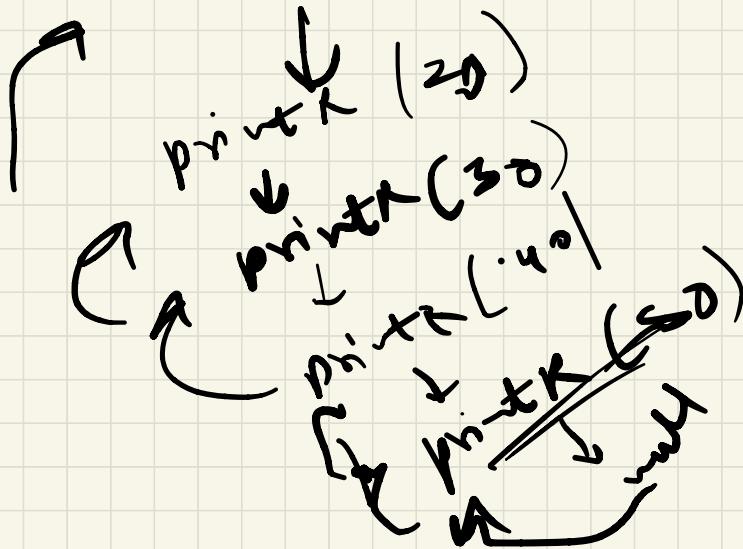




21: $10 \rightarrow 20 \rightarrow 30 \rightarrow 40 \rightarrow 50 \rightarrow \text{wall}$

0 | 1 . . . 50 40 30 20 10

point R (10.)



Insert Recursively

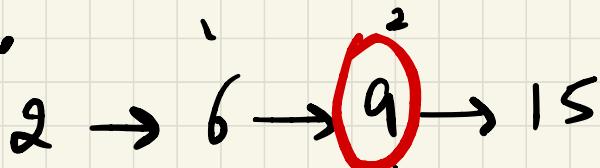
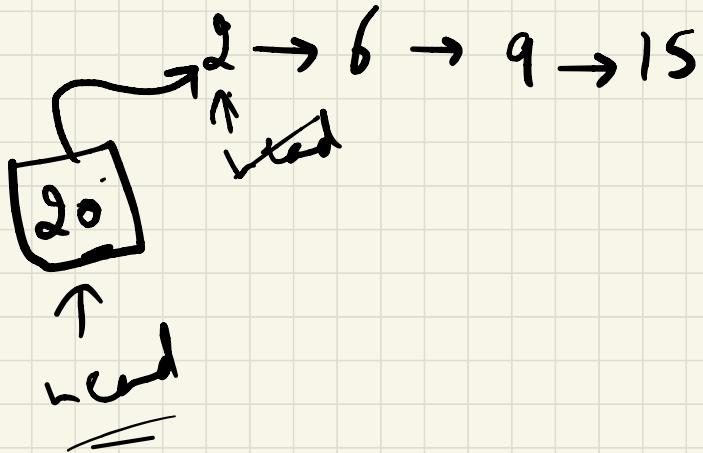
Steps :-

1) If head is null & pos is not zero.
Exit.

2) If head is null & pos = 0 -
insert a new Node to the Head
& exit.

3) If head is not null & pos = 0 .
 \hookrightarrow $newNode.next = head$ \hookrightarrow update head reference
 $head = newNode$.

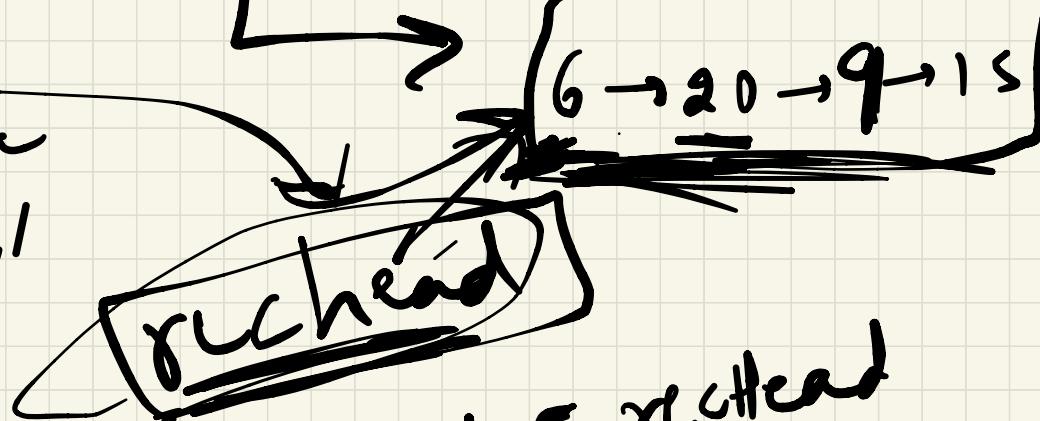
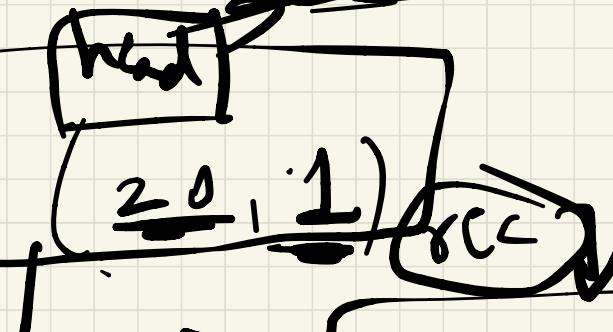
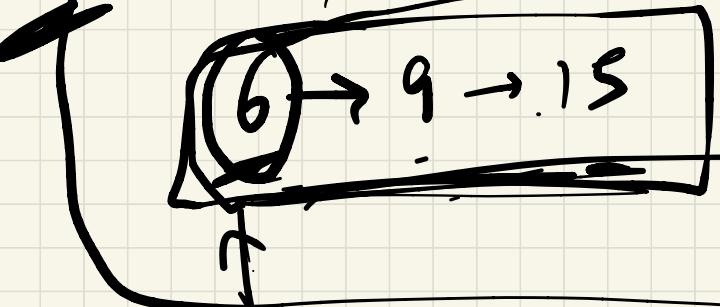
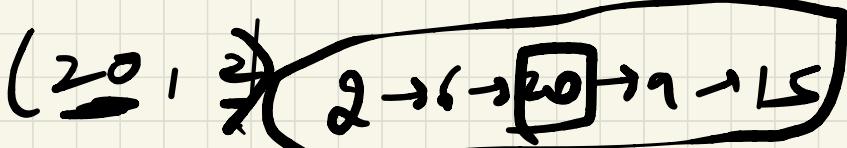
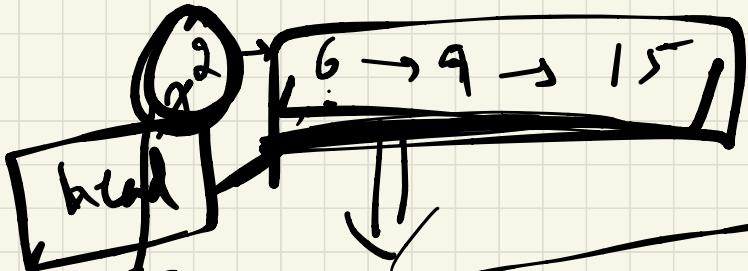
Nth pos or end



$(\text{val } 20, \text{ pos } 0)$

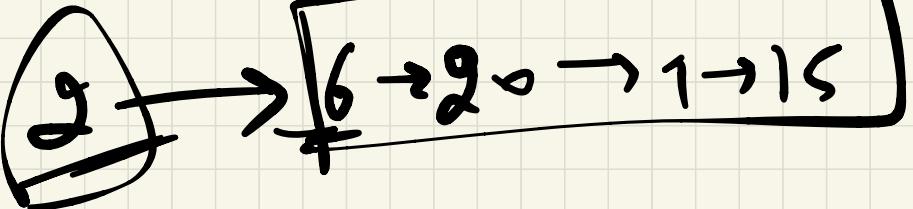
The only case where head changes

$(\text{val } 20, \text{ pos } 2)$



6 - would detect this
break of recursion if
recursion

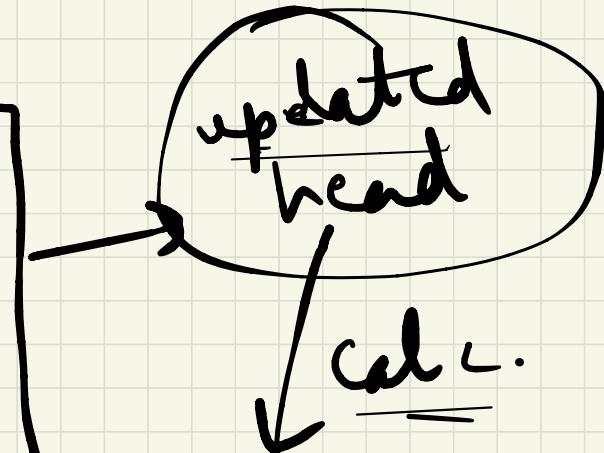
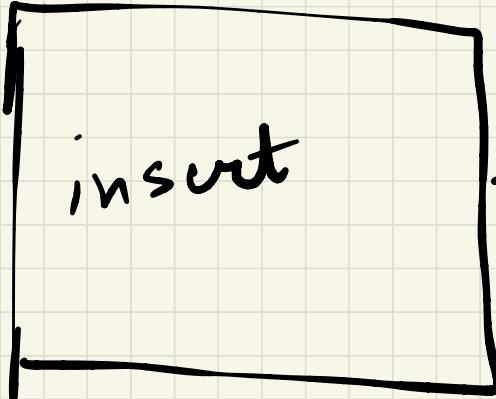
recHead
 $\text{head} \cdot \text{next} = \text{recHead}$



~~AM I~~



head, p^{-s},
val →

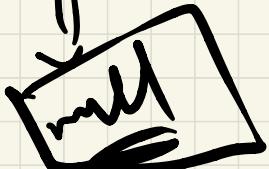
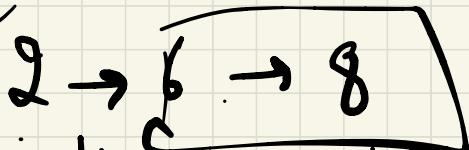


Black
~~fix~~

connect this
updated head
with original
list's head.

pos > length of LL

head



pos = 0 → Base case

at the
head

pos

≡

6

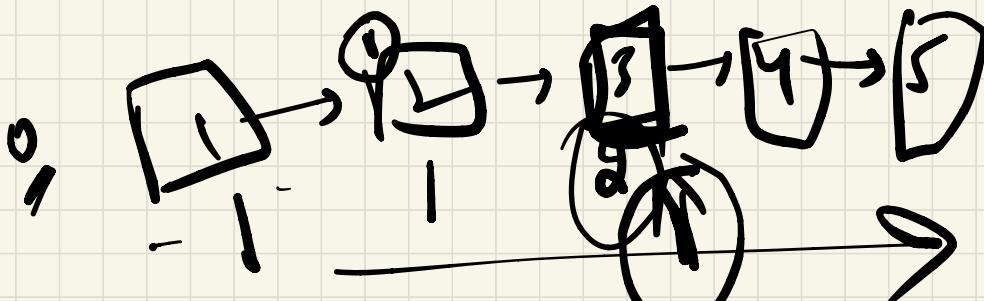
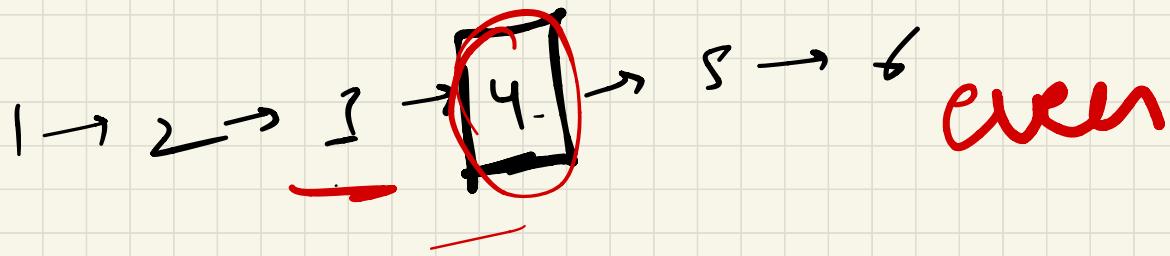
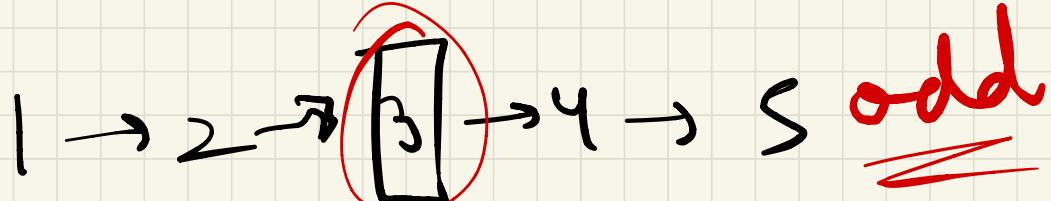
∴

pos
≡

val
≡

~~1~~ we will call size on null
& get NPE. ✗

Middle of LL



$$\frac{\text{size}}{2} = \frac{5}{2}$$

$$\frac{n}{2} = 2$$

1st approach

$O(N)$

→ count total no. of nodes
in size.

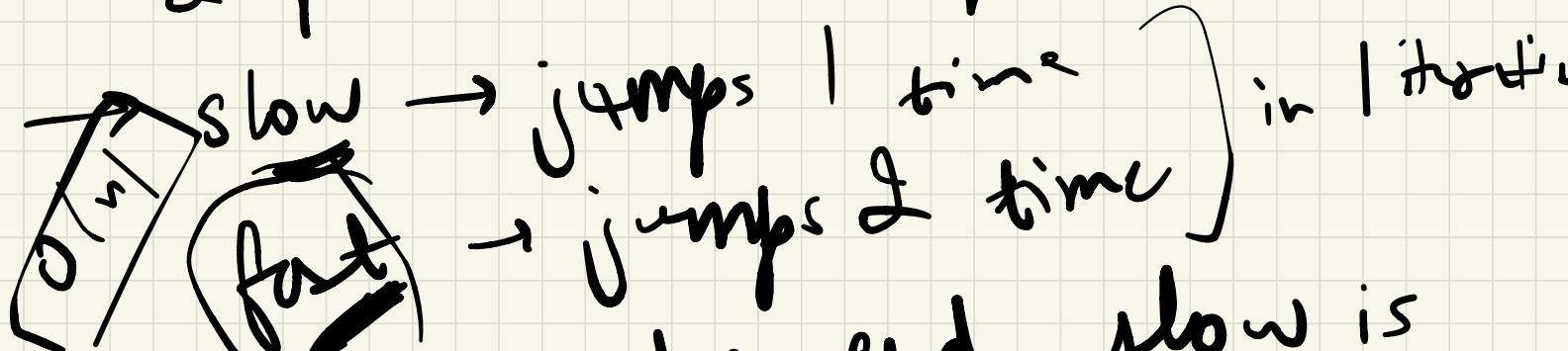
$O(\frac{N}{2})$ → iterate till $\left(\frac{n}{2}\right)^m$ & return it]

2 pass

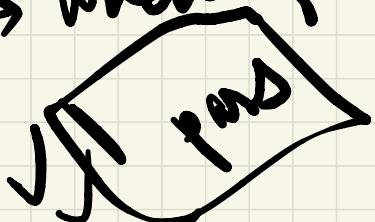
2 pointer approach

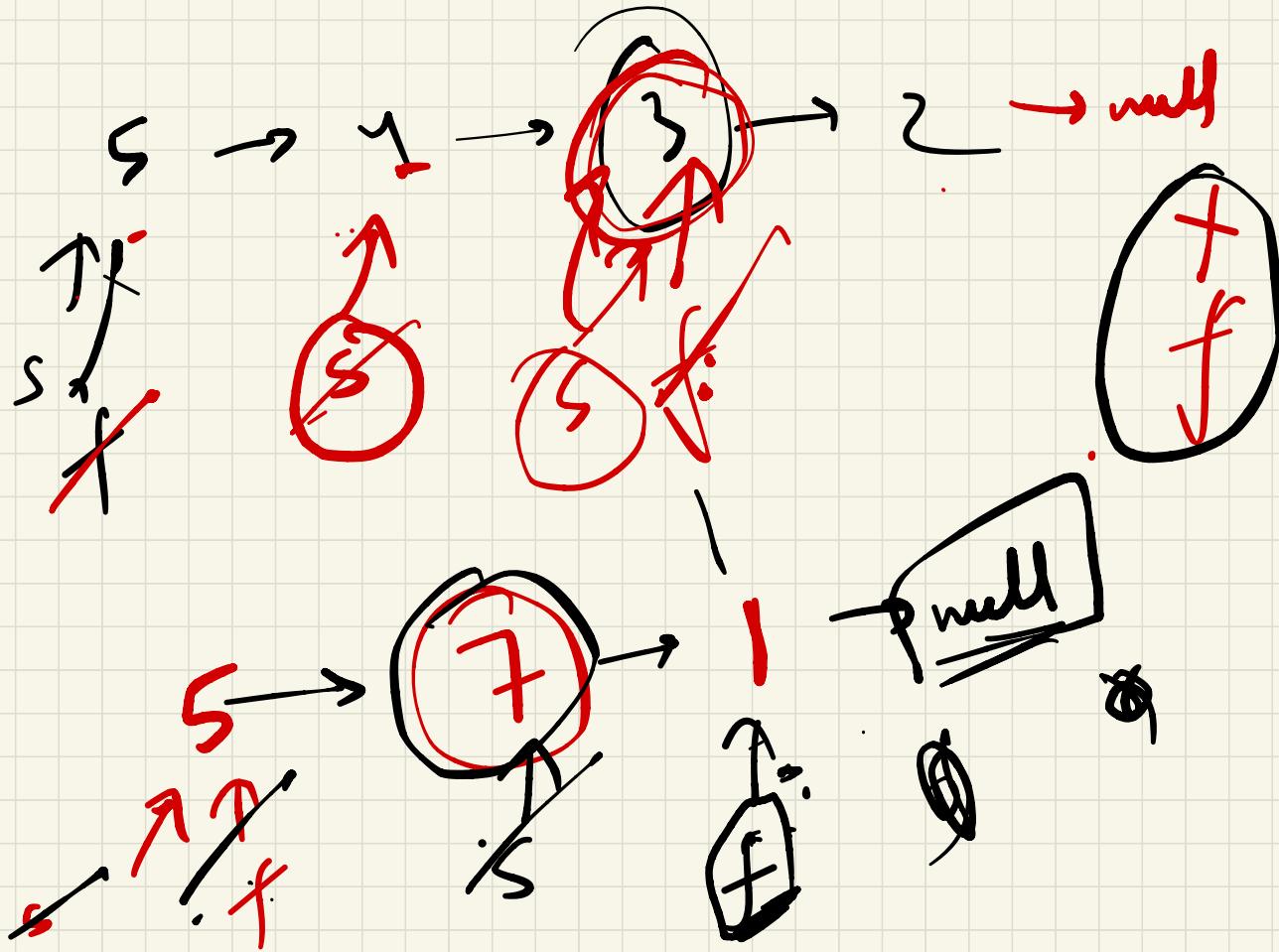
slow, fast approach

→ 2 ptr's → slow & fast.

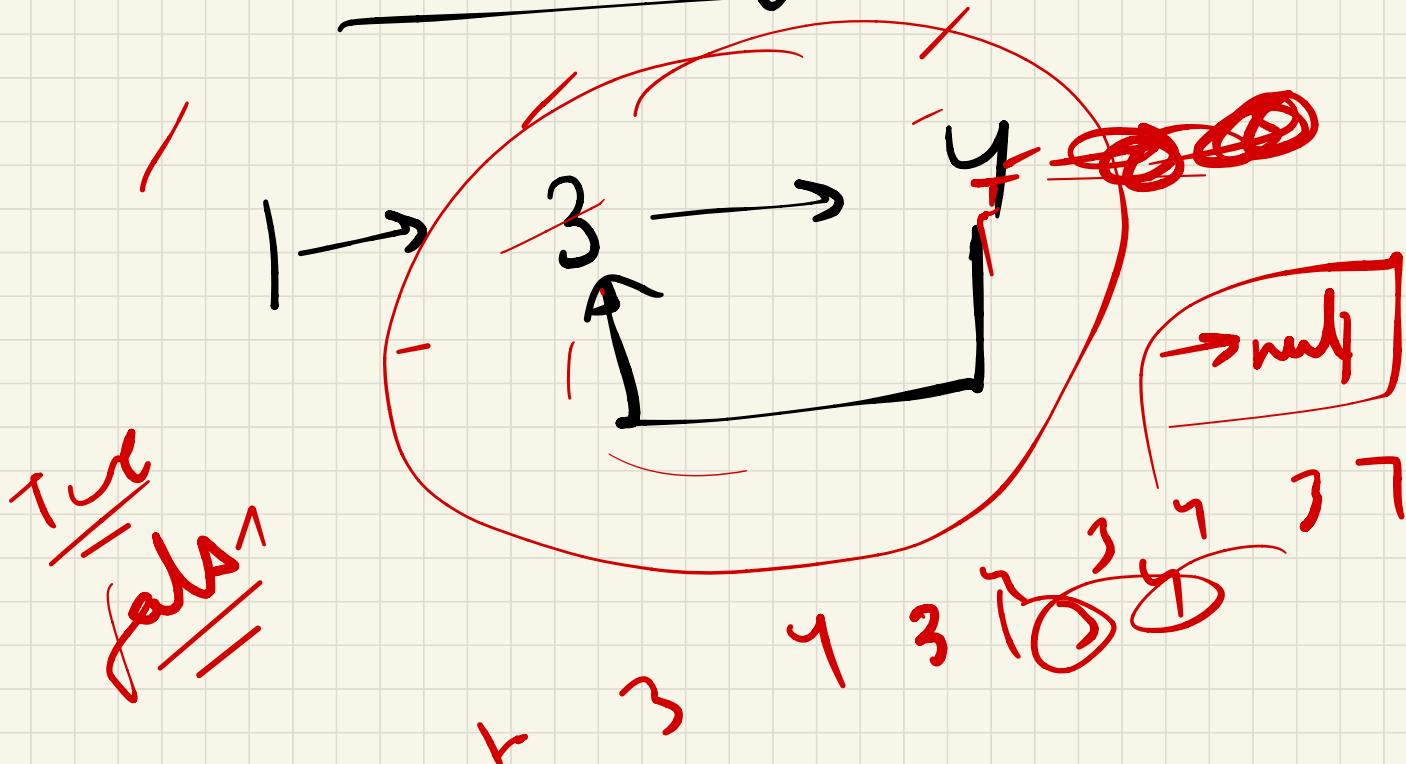


→ when fast reaches end, slow is at the middle of LL.





Detect loop/cycle in LL



Slow, fast / 2 pointer approach

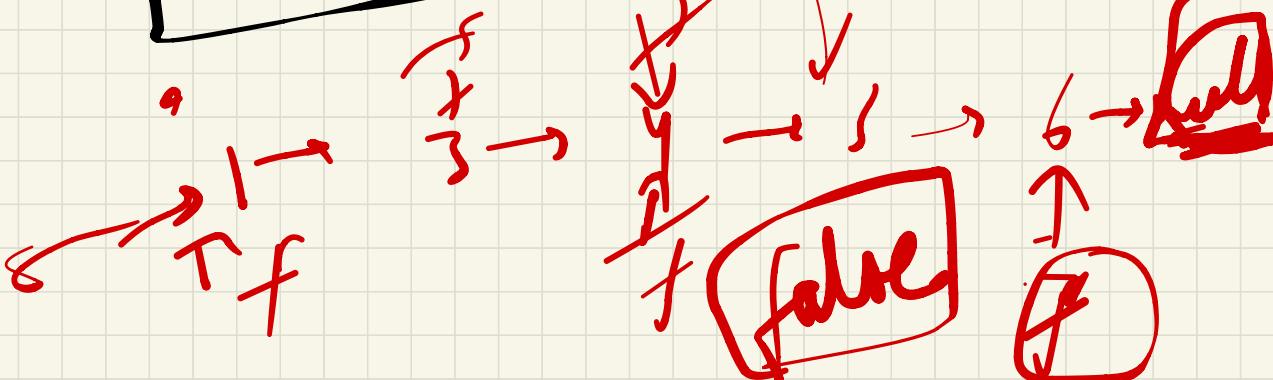
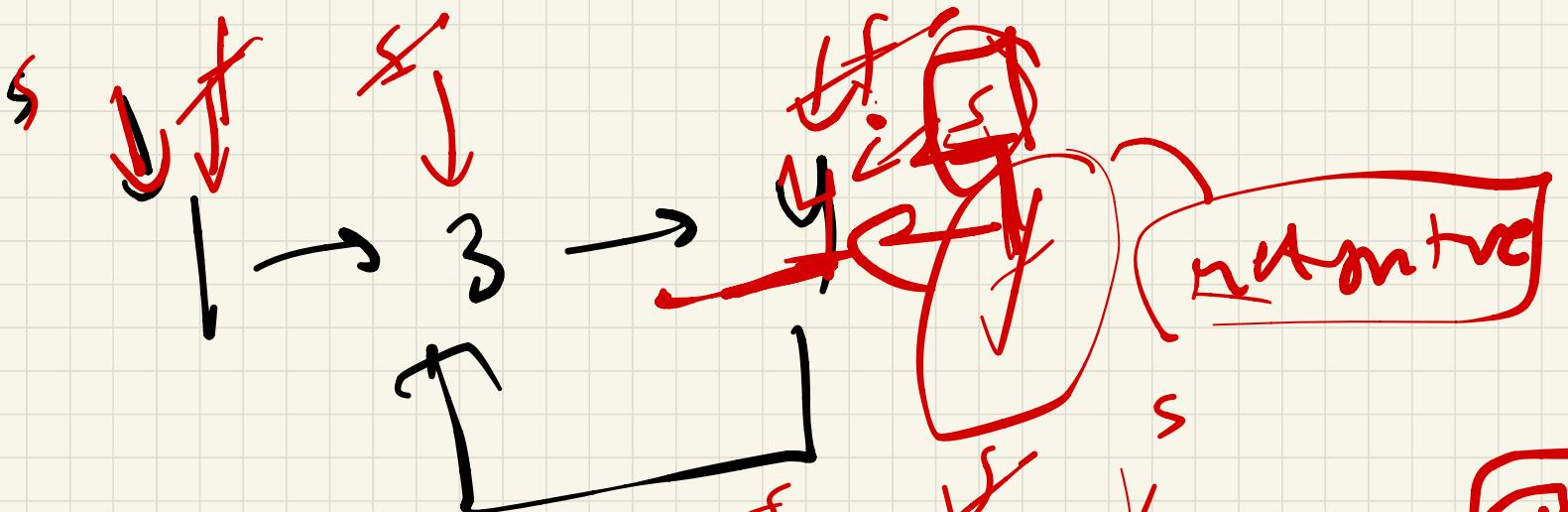
Floyd's cycle detection algo

steps

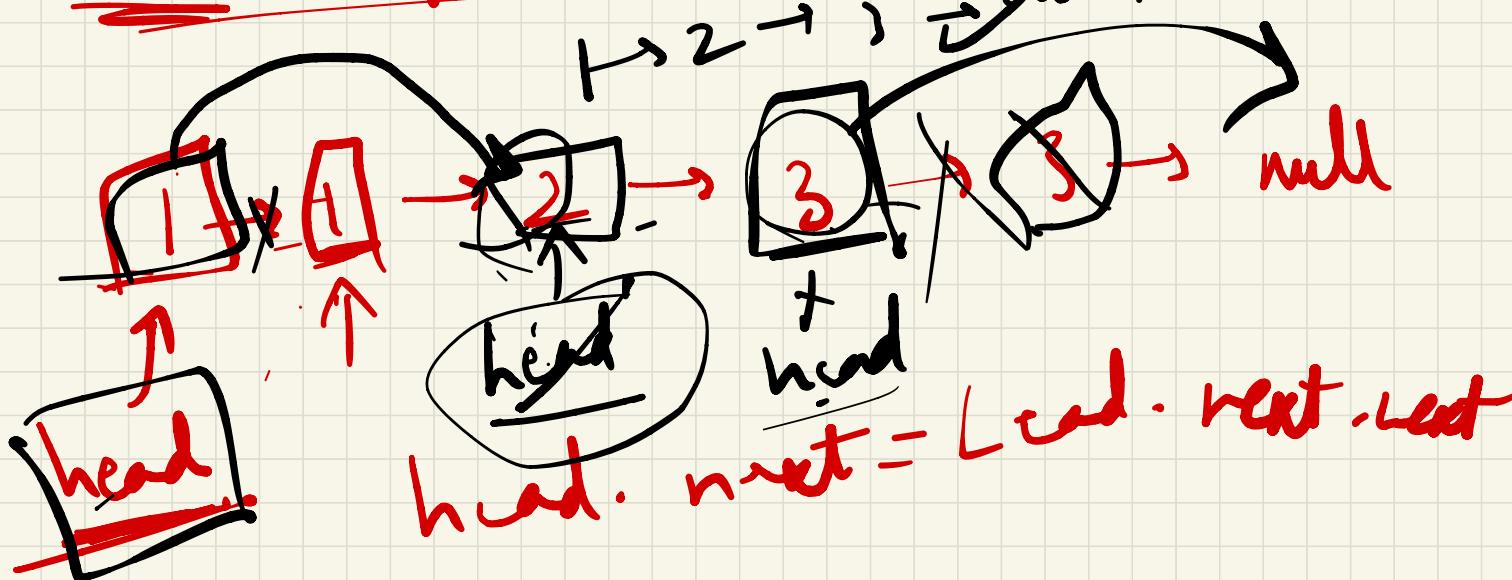
- 1) Traverse the list using 2 pointers.
- 2) Move 1 pointer (slow) by one & fast by 2.

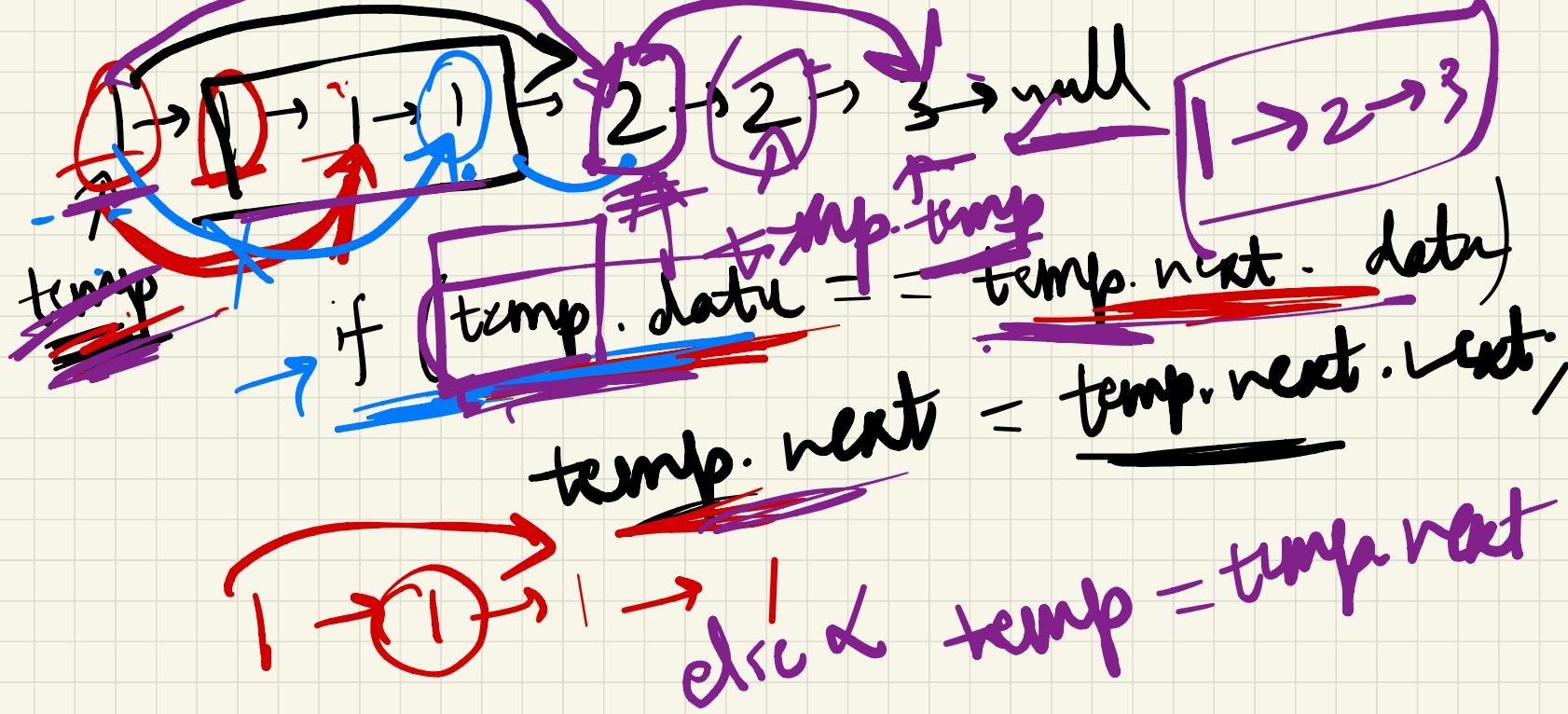
3.

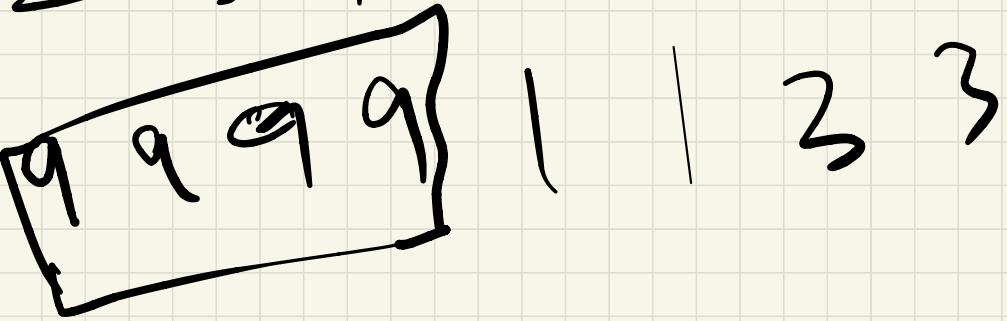
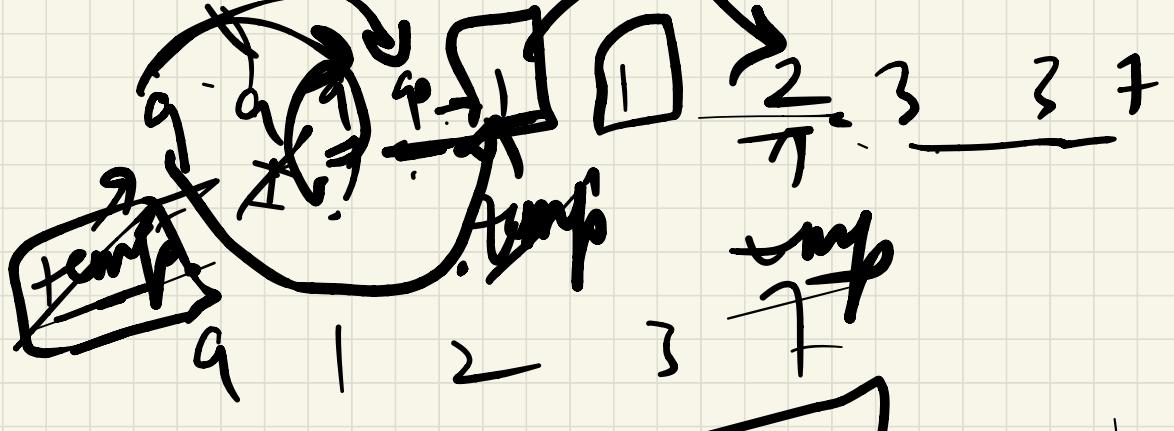
If these ptrs meet at the same node then there is a loop.
else No loop



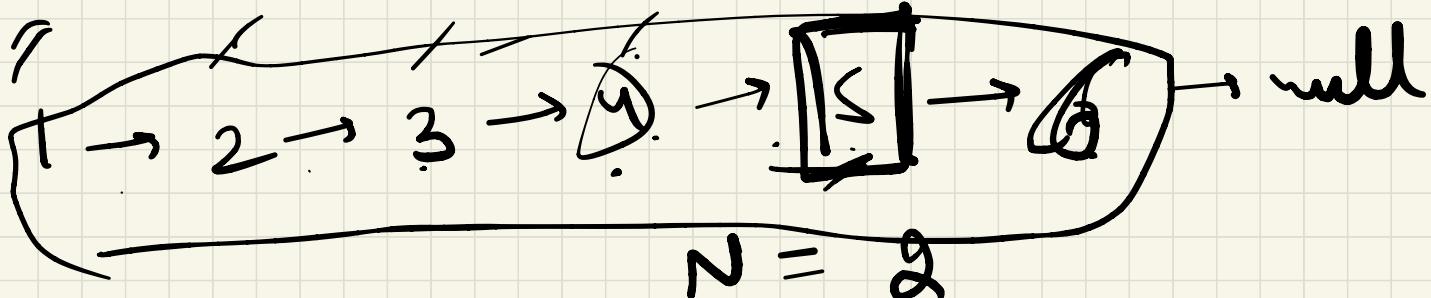
Remove duplicates in LL







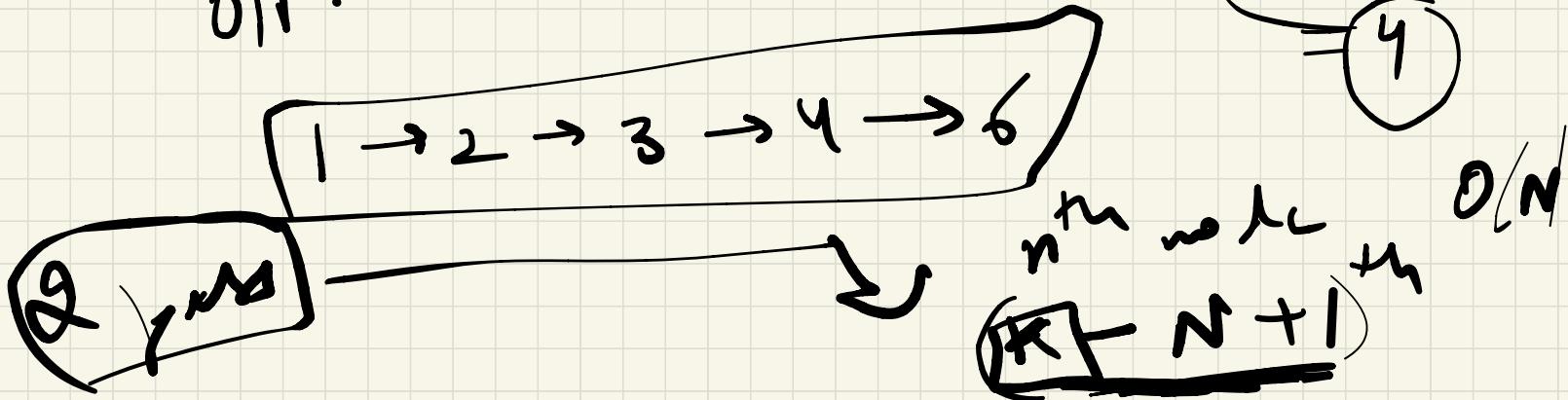
Remove N^{th} node from end



O/P:

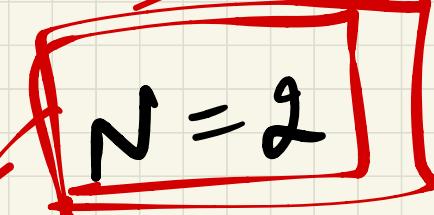
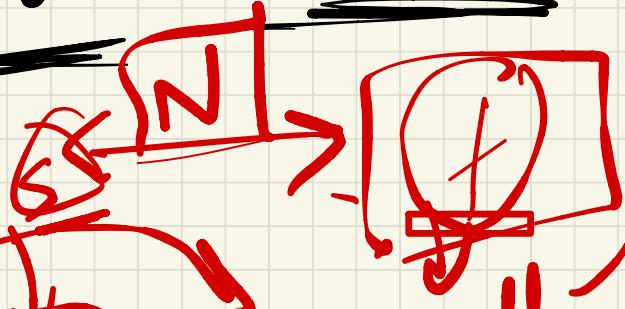
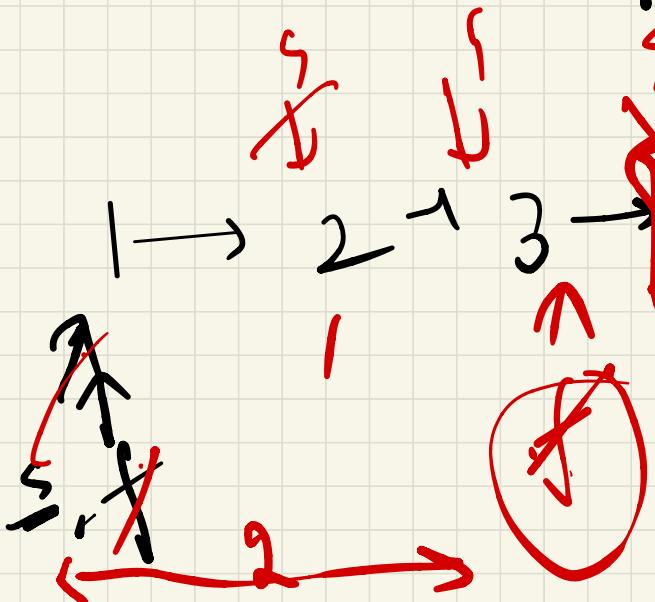
$$6 - 1 + 1 = \cancel{4}$$

$$(6 - 2 + 1)$$

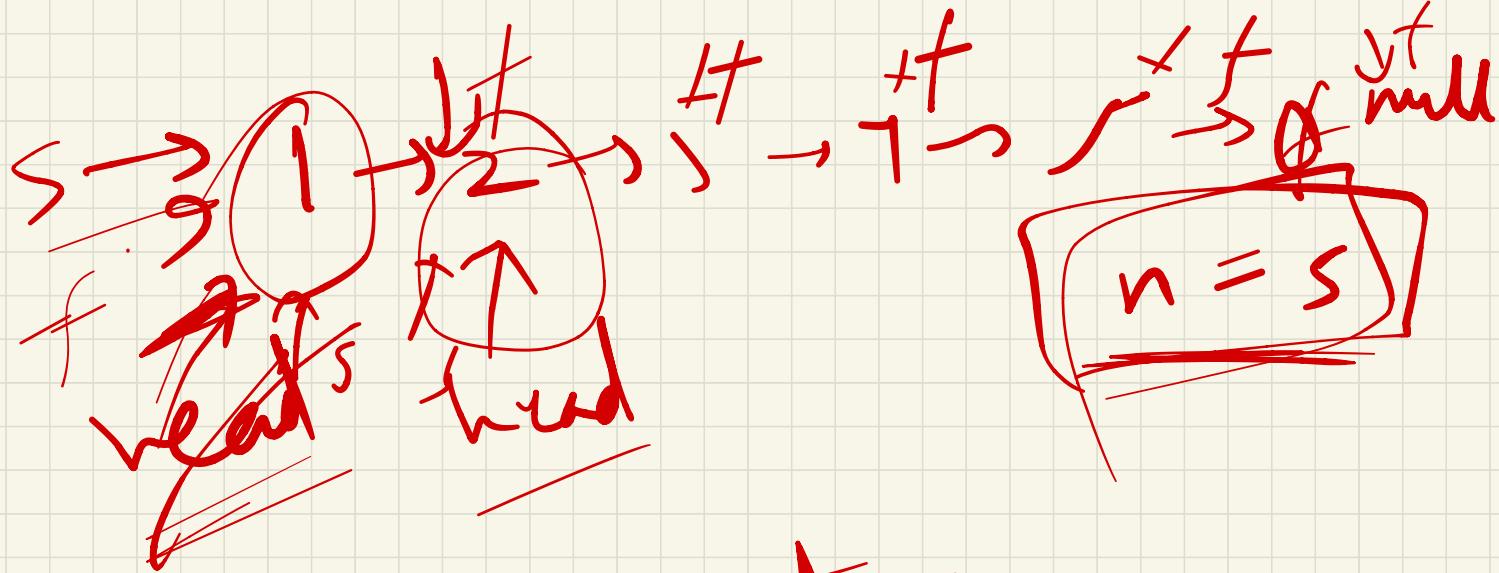


Slow, fast

keep slow & fast 'N' nodes apart

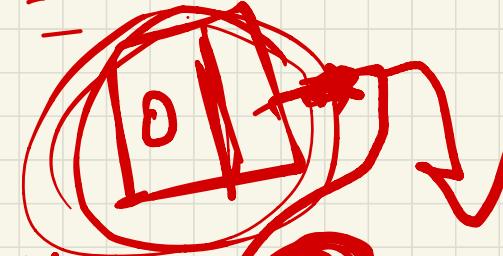


$s.\text{next} = \text{slow.next}$



head . next .

fast, slow



fast = dummy

slow = dummy

dummy, next = head

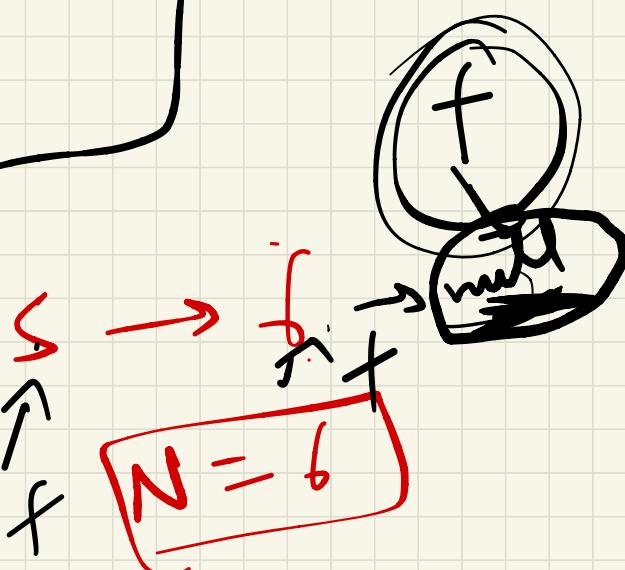
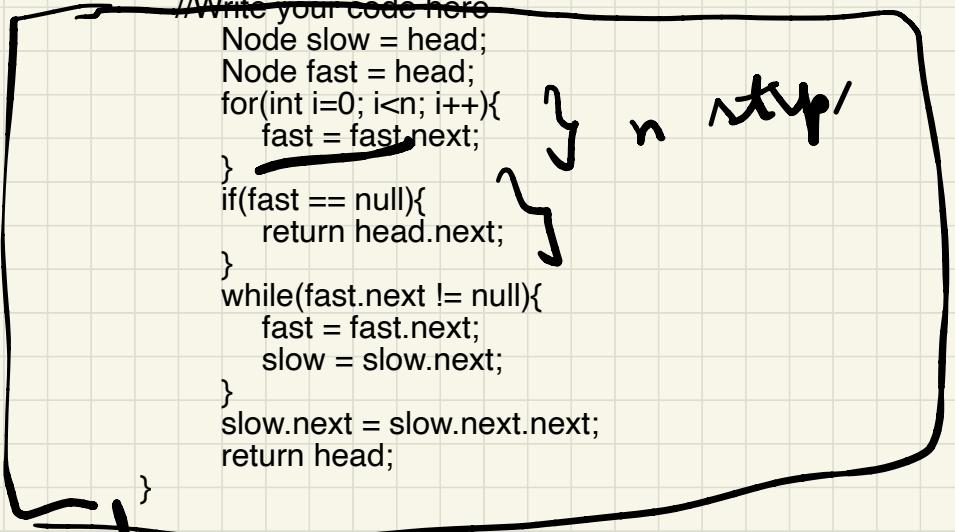
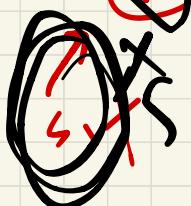


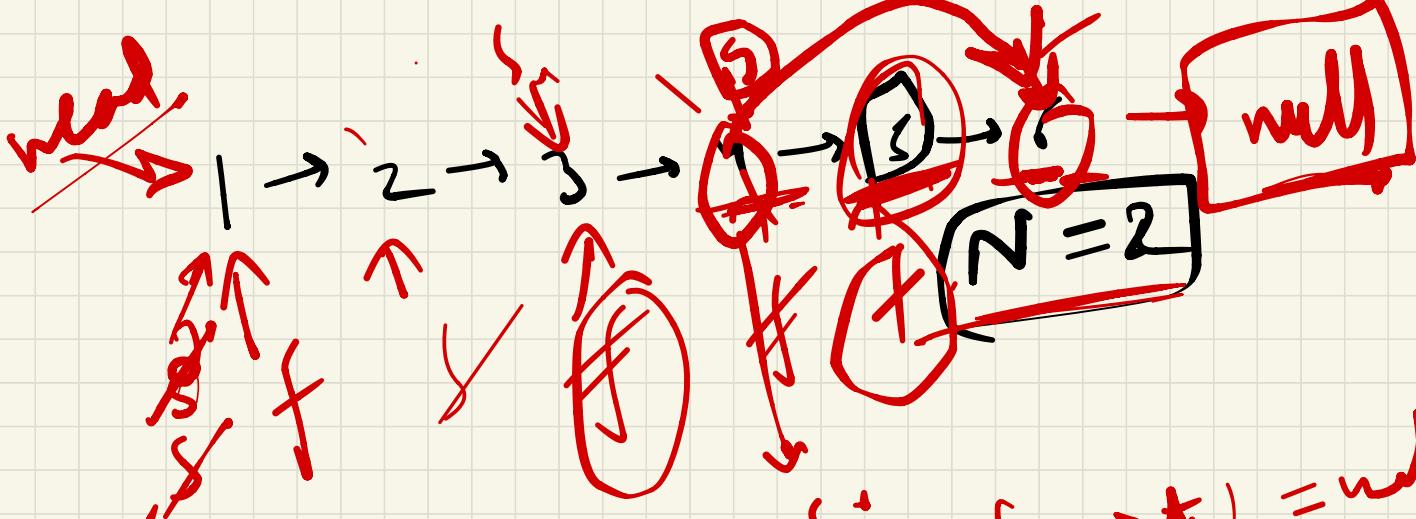
```
public static Node removeNthFromEnd(Node head, int n) {
```

```
//Write your code here
```

```
Node slow = head;
Node fast = head;
for(int i=0; i<n; i++){
    fast = fast.next;
}
if(fast == null){
    return head.next;
}
while(fast.next != null){
    fast = fast.next;
    slow = slow.next;
}
slow.next = slow.next.next;
return head;
```

n *nth*/





$s \cdot f.\text{first} = \text{null}$

$s \cdot \text{next} = s \cdot \text{next} \cdot \text{next}$