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# CS 419

# Assignment 1

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# Dataset (Computer Hardware)

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- Regression
  - 10 attributes (6 predictive, 2 non-predictive, 1 goal field, 1 linear-regression's guess)
    - 1. vendor name: 30 (string)
    - 2. Model Name: many unique symbols (string)
    - 3. MYCT: machine cycle time in nanoseconds (integer)
    - 4. MMIN: minimum main memory in kilobytes (integer)
    - 5. MMAX: maximum main memory in kilobytes (integer)
    - 6. CACH: cache memory in kilobytes (integer)
    - 7. CHMIN: minimum channels in units (integer)
    - 8. CHMAX: maximum channels in units (integer)
    - 9. PRP: published relative performance (integer)
    - 10. ERP: estimated relative performance from the original article (integer)
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# Dataset (contd)

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	Min	Max	Mean	SD	PRP Corr
MYCT	17	1500	203.8	260.3	-0.3071
MMIN	64	32000	2868.0	3878.7	0.7949
MMAX	64	64000	11796.1	11726.6	0.8630
CACH	0	256	25.2	40.6	0.6626
CHMIN	0	52	4.7	6.8	0.6089
CHMAX	0	176	18.2	26.0	0.6052
PRP	6	1150	105.6	160.8	1.0000
ERP	15	1238	99.3	154.8	0.9665

# Problem

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5. Linear regression. In terms of training and test set error, compare solutions with:

- (a) Least-square regression
- (b) Ridge-regression
- (c) Support Vector Regression (L1-Loss Linear SVR<sup>4</sup>)

Wherever required, perform 10-fold cross-validation to choose the best hyper-parameter.

- Compare training and test error from different regressive models(LS regression, ridge regression, L1-support vector regression) on the computer hardware data
  - Predict PRP on the basis of values of MYCT, MMIN, MMAX, CACH, CHMIN, CHMAX
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# Approach

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- Read, organise data
  - Construct regressive model
    - Select hyper-parameter using 10-fold cross-validation (if applicable)
  - Compute training set mean square error
  - Compute test set mean square error
  - MATLAB - LS regression, Ridge regression
  - Python - L1-loss SVR
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# Approach (contd)

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- Least Squares Regression  $\hat{\beta} = (X^T X)^{-1} X^T y$ .
- Ridge Regression  $\hat{\beta} = (X^T X + \lambda I)^{-1} X^T y$
- Support Vector Regression

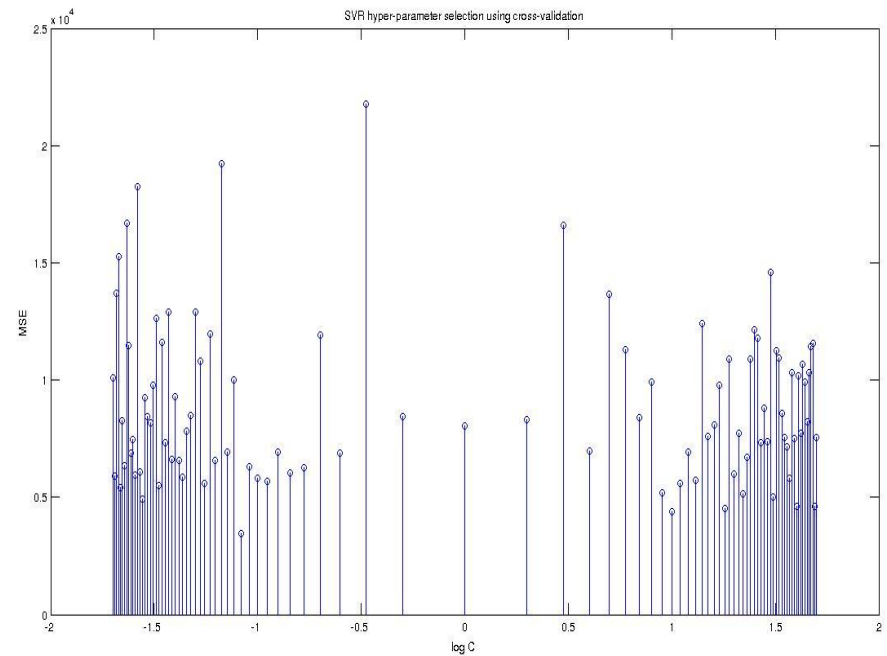
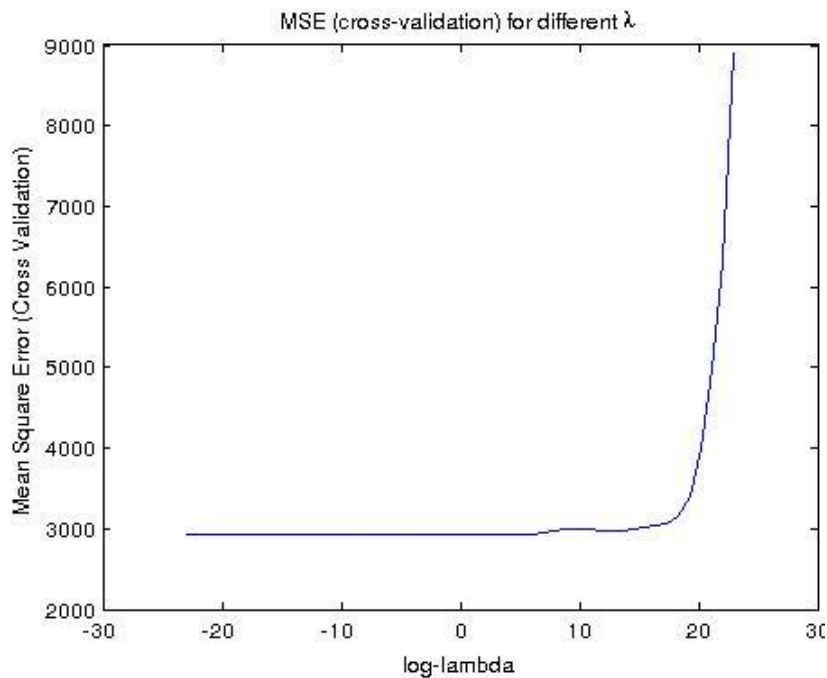
$$\min_{\mathbf{w}} f(\mathbf{w}), \quad \text{where} \quad f(\mathbf{w}) \equiv \frac{1}{2} \mathbf{w}^T \mathbf{w} + C \sum_{i=1}^l \xi_{\epsilon}(\mathbf{w}; \mathbf{x}_i, y_i).$$

In Equation (1),  $C > 0$  is the regularization parameter, and

$$\xi_{\epsilon}(\mathbf{w}; \mathbf{x}_i, y_i) = \begin{cases} \max(|\mathbf{w}^T \mathbf{x}_i - y_i| - \epsilon, 0) \\ \max(|\mathbf{w}^T \mathbf{x}_i - y_i| - \epsilon, 0)^2 \end{cases} \quad \text{or}$$

# Observations

	Training Set MSE	Test Set MSE
Least Squares Regression	1592.1	9390.7
Ridge Regression ( $\lambda = 175.7511$ )	958.66	13326
L1-loss SVR ( $C = 0.0833$ )	3459.16	57104.5



# Results

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- There is overfitting in each of the models, as is evident from the fact that  $\text{testMse} > \text{trainMse}$
  - From the values in the previous slide, Least Square Regression model seems to be the optimum on the basis of Test and Train mse
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Thank You!

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