1 Module function in Octave

Example: Imagine a 1D grid formed by 3 cells, with PBCs:



• Code:

```
n_cell=3; % Number of cells.
2
3
   % We want cycles of 1, 2, 3 and, again, 1, 2, 3:
4
5
   disp('Is mod(i,n_cell) adequate, for i=1,2,3...?')
6
   for i=-5:6 % for 4 grid cycles, for example: 4x3=12 cells.
7
     8
   endfor
9
   disp('')
11
12
   disp('0r, is mod(i-1,n_cell)+1 adequate, for i=1,2,3...? (Because indexing must start by
      1!)')
13
   for i=-5:6 % for 4 grid cycles, following the previous example
14
     disp([ 'mod(',num2str(i),'-1,n_cell)+1= ', num2str(mod(i-1,n_cell)+1) ])
15
   endfor
```

• Output:

```
Is mod(i,n_cell) adequate, for i=1,2,3...?
 2
   mod(-5, n_cell) = 1
   mod(-4, n_cell) = 2
 3
 4
   mod(-3, n_cell) = 0
   mod(-2, n_cell) = 1
 6
   mod(-1, n_cell) = 2
 7
   mod(0, n_cell) = 0
   mod(1,n_cell) = 1
   mod(2,n_cell) = 2
9
10 \mod(3, n\_cell) = 0
11 \mod (4, n\_cell) = 1
12 \mod(5, n\_cell) = 2
```

```
mod(6, n_cell) = 0
14
15
   Or, is mod(i-1,n_cell)+1 adequate, for i=1,2,3...? (Because indexing must start by 1!)
16
   mod(-5-1, n_cell) + 1 = 1
17
   mod(-4-1, n_cell)+1= 2
18
   mod(-3-1, n_cell)+1= 3
19
   mod(-2-1, n_cell)+1= 1
   mod(-1-1, n_cell)+1= 2
20
21
   mod(0-1, n_cell) + 1 = 3
   mod(1-1, n_cell) + 1 = 1
23
   mod(2-1, n_cell) + 1 = 2
24
   mod(3-1, n_cell) + 1 = 3
25
   mod(4-1,n_cell)+1=1
   mod(5-1, n_cell) + 1 = 2
26
27
   mod(6-1, n_cell)+1= 3
```

Then, yes, the latter is adequate! It satisfies 2 conditions:

- 1. Indexing starts by 1 in the cycles.
- 2. For $i \in [1, n_{\text{cell}}]$ -here, i = 1, 2, 3-, $\text{mod}(i 1, n_{\text{cell}}) + 1 = i$.