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### **Abstract**

#### Little C++:

- Mathematical notation for mesh.
- Explanation of template of C++
- Explanation for mesh
- Represent on of the code

### Introduction

### **Template C++**

- > Functional and Class templates
- > How to write it
- > Explanation of theory
- > Explanation of code

#### **Reference**

https://www.math.colostate.edu/~bangerth/videos.676.12.html

# Basic concept

#### Code base for Mesh

#### Mathematical Notation looks like same in 1D and 2D

Quadrature

Quadrature 
$$A_{ij} \approx \sum\nolimits_{K} \sum\nolimits_{q=1}^{Q} J_{K}^{-1}(\hat{x}_{q}) \hat{\nabla} \hat{\varphi}_{i}(\hat{x}_{q}) \cdot J_{K}^{-1}(\hat{x}_{q}) \hat{\nabla} \hat{\varphi}_{j}(\hat{x}_{q}) \underbrace{|\det J_{K}(\hat{x}_{q})| \ w_{q}}_{=: \text{JxW}}$$

for (cell=begin; cell!=end; ++cell) apply d-dimensional quadrature formula to integrand on cell K

error indicator:  $\eta_K^2 = \frac{h}{2A} \|[\mathbf{n} \cdot \nabla u_h]\|_{\partial K}^2$ 

for (all cells) for (all faces of this cell) apply (d-1)-dimensional quadrature formula to jump term on this face

## Conclusions

- Code explanation
- Mathematical interpretation
- Code for building

## Thank You