

# Database Management Systems

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(Friday Time Table)

# View Definitions - 01

## Virtual Tables

- Relations defined using CREATE TABLE statement
- They actually exist in the database
- They are persistent
- Relations defined using CREATE TEMPORARY TABLE statement
- They exist till certain period
- That is SQL system stores tables in **some physical organization**
- There is another class of SQL relations called **views**

# View Definitions - 02

## Virtual Tables

- Views **do not exist physically**
- They are defined by an expression much like a query
- View in turn be queried as if they exist physically
- In some cases they can be modified
- That is perform INSERT, UPDATE, DELETE operations on views

# Declaring Views

## Syntax Elements

Simple form of view definition is:

- The keyword **CREATE VIEW**
- The name of the view
- The keyword **AS**
- A query Q

## About Q

Q is the definition of the view

# Declaring Views

## Syntax Elements

Simple form of view definition is:

- The keyword **CREATE VIEW**
- The name of the view
- The keyword **AS**
- A query Q

## Complete Syntax

```
CREATE VIEW [view-name] AS [Q];
```

# Creating Views

## Example - 01

Movie(title, year, length, inColor, studioName, producerC)

```
CREATE VIEW ParamountMovies AS
  SELECT title , year
  FROM Movie
  WHERE studioName = 'Paramount';
```

# Querying Views

## Example - 02

List titles of movies released in 1979 by Paramount studio [from the view ParamountMovies](#)

```
SELECT title
FROM ParamountMovies
WHERE year = 1979;
```

# Querying Views

## Example - 03 internal conversion

List titles of movies released in 1979 by Paramount studio **from the view**  
**ParamountMovies**

```
SELECT title
FROM Movie
WHERE studioName='Paramount' and year = 1979;
```



# Querying Views AND tables

## Example - 04

### Query both view and table

```
SELECT DISTINCT starName
FROM    ParamountMovies , StarsIn
WHERE   title='Top Gun' and year = 1986;
```

# Creating Views

## Example - 05 - Renaming attributes

Movie(title, year, length, inColor, studioName, producerC)

```
CREATE VIEW ParamountMovies(movieTitle , yr) AS
SELECT title , year
FROM Movie
WHERE studioName = 'Paramount';
```

# Modifying Views - 01

## Example

- Two types of views are created
- Read only view
- Updatable view

# Modifying Views - 02

## Example

- Updatable view should include the primary key
- For example, the primary key for Movie table is: (title, year, startName)
- Created view has all the three attributes then modification is:

```
1      INSERT INTO ParamountMovies( 'Top Gun 02 ', 2020, 'Mr.  
2      ABCD ' );
```

- The record is inserted into the base table that is Movie
- The attributes length, inColor, producer assumes default value or NULL

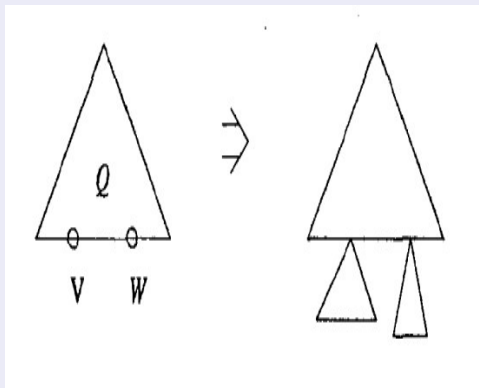
# Modifying Views - 03

## Example

```
DELETE
FROM    ParamountMovies
WHERE   title LIKE '%Trek%';
```

# Interpreting Queries Involving Views

## Interpretation - 01



# Interpreting Queries Involving Views

## Interpretation - 02

A query tree diagram illustrating a query. At the bottom is the base relation **ParamountMovie**. A vertical line connects it to the selection operation  $\sigma_{year = 1979}$ . Another vertical line connects the selection operation to the projection operation  $\pi_{title}$  at the top.

# Interpreting Queries Involving Views

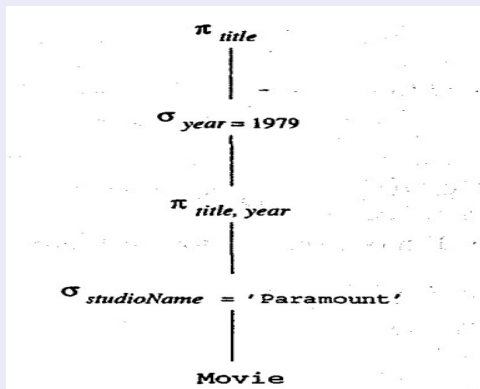
## Interpretation - 03

A query tree diagram illustrating a query involving a view. The root node is a projection operation, denoted by  $\pi$  followed by the attribute *title*. A vertical line connects this root to a selection operation node, denoted by  $\sigma$  followed by the condition *year = 1979*. Another vertical line connects the selection node to the base table, *ParamountMovie*.



# Interpreting Queries Involving Views

## Interpretation - 04



# Types of VIEWS

## Types

- Single-table projection and restrictions
- Calculated columns
- Translated columns
- Grouped views
- Union-ed views
- Joins in views
- Nested views

# Types of VIEWS

## Calculated columns

Personnel(emp\_id, salary, commision, ...)

```
CREATE VIEW Payroll AS
  SELECT emp_id, (salary + COALESCE(commission), 0.00)
  FROM Personnel;
```

COALESCE returns a non-null value in the given list

# Types of VIEWS

## Translated columns

T1(a11, a12); T2(a21, a22);

```
CREATE VIEW temp_view AS
  SELECT T1.a21, T2.a22
  FROM   T1, T2
  WHERE  T1.a11 = T2.a21;
```

# Types of VIEWS

## Grouped Views

```
CREATE VIEW BigSales AS
  SELECT state_code , MAX(sales_amount)
  FROM Sales
  GROUP BY state_code ;
```

# Types of VIEWS

## UNION-ed Views

```
CREATE VIEW UnionView AS
( SELECT *
  FROM T1
 WHERE a11 = 1)
  UNION
( SELECT *
  FROM T2
 WHERE a21 = 2)
```

# Types of VIEWS

## Nested Views

```
CREATE VIEW all_boats AS SELECT * FROM boats;  
CREATE VIEW red_boats AS SELECT * from all_boats where bcolor  
    ='red ';
```

# Dropping VIEWS

## Dropping

```
DROP VIEW red_boats;  
DROP VIEW all_boats;
```



# Active Databases - Assertions

## Assertions

- SQL standard proposes a simple form of assertion that allows to enforce **any condition**
- The form of assertion is:
  - The keyword `CREATE ASSERTION`
  - The name of the assertion
  - The keyword `CHECK`
  - A parenthesized condition

```
1  CREATE ASSERTION assertion_name CHECK (  
2  specified_condition )
```

- The `specified_condition` must be true when the assertion is created and must always remain true

# Active Databases - Assertions

## Assertions - Example

```
CREATE TABLE Sailors(sid INT, sname CHAR(10), rating INT, age
    FLOAT,
    PRIMARY KEY(sid),
    CHECK(rating >= 1 AND rating <= 10)
    CHECK(
        ((SELECT COUNT(sid) FROM Sailors) +
         (SELECT COUNT(bid) FROM Boats)) < 100
    )
)
```

- The CHECK condition is performed only on Sailors table
- The condition is always true when Sailors table has 0 rows and Boats table have 101 rows
- This makes the constraint to be redundant

# Active Databases - Assertions

## Assertions - Example

```
CREATE ASSERTION smallClub
CHECK(
  ((SELECT COUNT(sid) FROM Sailors) +
   (SELECT COUNT(bid) FROM Boats)) < 100
)
```

- ASSERTION can span multiple tables
- specified conditions are checked for true at the end of the query
- When found to be FALSE, the query is rejected

# Decomposition - Lossy/Loss-less?

## Introduction

- Let  $R$  be a relation
- Let  $R$  be decomposed into two relations  $R_1$  and  $R_2$
- Let  $n$  be the number of tuples in  $R$
- Decomposition should be performed in such a way that complete  $R$  with  $n$  tuples can be recovered using  $R_1$  and  $R_2$
- If we can recover original relation we say the decomposition is **lossless**
- Otherwise the decomposition is **lossy**

# Decomposition - Lossy/Loss-less?

## Example - 01

R		
X	Y	Z
x <sub>1</sub>	y <sub>1</sub>	z <sub>1</sub>
x <sub>2</sub>	y <sub>2</sub>	z <sub>2</sub>
x <sub>3</sub>	y <sub>2</sub>	z <sub>3</sub>
x <sub>4</sub>	y <sub>3</sub>	z <sub>4</sub>

R <sub>1</sub>		R <sub>2</sub>	
X	Y	Y	Z
x <sub>1</sub>	y <sub>1</sub>	y <sub>1</sub>	z <sub>1</sub>
x <sub>2</sub>	y <sub>2</sub>	y <sub>2</sub>	z <sub>2</sub>
x <sub>3</sub>	y <sub>2</sub>	y <sub>2</sub>	z <sub>3</sub>
x <sub>4</sub>	y <sub>3</sub>	y <sub>3</sub>	z <sub>4</sub>

# Decomposition - Lossy/Loss-less?

## Example - 01

$R_1 \bowtie R_2$		
X	Y	Z
x <sub>1</sub>	y <sub>1</sub>	z <sub>1</sub>
x <sub>2</sub>	y <sub>2</sub>	z <sub>2</sub>
x <sub>2</sub>	y <sub>2</sub>	z <sub>3</sub>
x <sub>3</sub>	y <sub>2</sub>	z <sub>2</sub>
x <sub>3</sub>	y <sub>2</sub>	z <sub>3</sub>
x <sub>4</sub>	y <sub>3</sub>	z <sub>4</sub>

## Decomposition - Lossy/Loss-less?

### Example - 02

R		
A	B	C
a	b	c

### Example - 02

- Let the FD  $B \rightarrow C$  exists on R;
- Let R be decomposed into  $R_1(A, B)$  and  $R_2(B, C)$
- The relation is not in BCNF ( $\{B\}$  is not the super key)
- If there is another FD:  $A \rightarrow B$  then there is transitive dependency and  $\{A\}$  will be the key
- If no other FD exists, then  $\{A, B\}$  would be the key
- B is still not the superkey!

# Decomposition - Lossy/Loss-less?

## Example - 02

$R_1$		$R_2$	
A	B	B	C
a	b	b	c



# Decomposition - Lossy/Loss-less?

## Example - 02

$R_1$		$R_2$	
A	B	B	C
a	b	b	c

- $R_1 \bowtie R_2$  will yield original  $R$
- The decomposition is lossless

# Decomposition - Lossy/Loss-less?

## Example - 03

If R contains the following tuples

R		
A	B	C
a	b	c
a	b	e

## Example - 03

R <sub>1</sub>		R <sub>2</sub>	
A	B	B	C
a	b	b	c
a	b	b	e

# Decomposition - Lossy/Loss-less?

## Example - 03

If R contains the following tuples

R		
A	B	C
a	b	c
a	b	e

## Example - 03

$R_1 \bowtie R_2$		
A	B	C
a	b	c
a	b	e
a	b	c
a	b	e

# Decomposition - Lossy/Loss-less?

## Example - 03

If R contains the following tuples

R		
A	B	C
a	b	c
a	b	e

## Example - 03

- However, R cannot contain the tuple (a, b, e)
- As the FD:  $B \rightarrow C$  is in place
- That is  $c = e$
- When relations are decomposed according to FDs, then original relation can be recovered

# Functional Dependency

## Definition

Let  $\mathbf{R} = \{R_1, R_2, R_3, \dots, R_p\}$  be a set of relation schemas over  $\mathbf{U}$ . A relation  $r(\mathbf{U})$  satisfies **join dependency**  $*[R_1, R_2, \dots, R_p]$  if  $r$  **decomposes losslessly** onto  $R_1, R_2, \dots, R_p$

$$r = \pi_{R_1}(r) \bowtie \pi_{R_2}(r) \bowtie \dots \bowtie \pi_{R_p}(r)$$

# Functional Dependency

## Example

<i>R</i>		
A	B	C
<i>a</i> <sub>1</sub>	<i>b</i> <sub>1</sub>	<i>c</i> <sub>1</sub>
<i>a</i> <sub>1</sub>	<i>b</i> <sub>2</sub>	<i>c</i> <sub>2</sub>
<i>a</i> <sub>3</sub>	<i>b</i> <sub>3</sub>	<i>c</i> <sub>3</sub>
<i>a</i> <sub>4</sub>	<i>b</i> <sub>3</sub>	<i>c</i> <sub>4</sub>
<i>a</i> <sub>5</sub>	<i>b</i> <sub>5</sub>	<i>c</i> <sub>5</sub>
<i>a</i> <sub>6</sub>	<i>b</i> <sub>6</sub>	<i>c</i> <sub>5</sub>

$$R = R_1 \bowtie R_2 \bowtie R_3; *[AB, AC, BC]$$

<i>R</i> <sub>1</sub>	
A	B
<i>a</i> <sub>1</sub>	<i>b</i> <sub>1</sub>
<i>a</i> <sub>1</sub>	<i>b</i> <sub>2</sub>
<i>a</i> <sub>3</sub>	<i>b</i> <sub>3</sub>
<i>a</i> <sub>4</sub>	<i>b</i> <sub>3</sub>
<i>a</i> <sub>5</sub>	<i>b</i> <sub>5</sub>
<i>a</i> <sub>6</sub>	<i>b</i> <sub>6</sub>

<i>R</i> <sub>2</sub>	
A	C
<i>a</i> <sub>1</sub>	<i>c</i> <sub>1</sub>
<i>a</i> <sub>1</sub>	<i>c</i> <sub>2</sub>
<i>a</i> <sub>3</sub>	<i>c</i> <sub>3</sub>
<i>a</i> <sub>4</sub>	<i>c</i> <sub>4</sub>
<i>a</i> <sub>5</sub>	<i>c</i> <sub>5</sub>
<i>a</i> <sub>6</sub>	<i>c</i> <sub>5</sub>

<i>R</i> <sub>3</sub>	
B	C
<i>b</i> <sub>1</sub>	<i>c</i> <sub>1</sub>
<i>b</i> <sub>2</sub>	<i>c</i> <sub>2</sub>
<i>b</i> <sub>3</sub>	<i>c</i> <sub>3</sub>
<i>b</i> <sub>3</sub>	<i>c</i> <sub>4</sub>
<i>b</i> <sub>5</sub>	<i>c</i> <sub>5</sub>
<i>b</i> <sub>6</sub>	<i>c</i> <sub>5</sub>

# Trivial FD

## Definition

A JD  $*[R_1, R_2, \dots, R_p]$  over R is **trivial** if it is satisfied by every relation  $r(R)$

# Project-Join Normal Form (PJNF)

## Definition (5NF)

Let  $R$  be a **relation scheme** and let  $F$  be a **set of FDs** and **JDs** over  $R$ .  $R$  is in PJNF if every JD is trivial or  $R_i$  is a superkey for  $R$ .



# Project-Join Normal Form (PJNF)

## Example

- Let  $F = \{*[ABCD, CDE, BDI], *[AB, BCD, AD], A \rightarrow BCDE, BC \rightarrow AI\}$
- $R = A \ B \ C \ D \ E \ I$
- $R$  is not in PJNF with respect to  $F$  because of  $*[ABCD, CDE, BDI]$
- Let  $R_1 = ABCD$ ;  $R_2 = CDE$ ; and  $R_3 = BDI$
- The JD  $*[AB, BCD, AD]$ : each set of attributes is a superkey for  $R_1$  due to FDs  $\{A \rightarrow BCDE, BC \rightarrow AI\}$
- The FDs are either trivial or have keys as left sides

# Preserving FDs

## Introduction

- For a relation  $r$  to be recoverable from its projects its decomposition must be lossless
- In addition, decomposition should satisfy **dependency preservation**
- That is the decompositions satisfy all the FDs that are satisfied by the original relation
- Any decomposition that does not preserve the dependencies of the original relations imposes burden on RDBMS

# Preserving FDs

## Example

Let  $r(X, Y, Z)$  satisfies FDs:  $\{XY \rightarrow Z, Z \rightarrow X\}$ . Let  $r(X, Y, Z)$  be decomposed into  $R_1(YZ)$  and  $R_2(ZX)$ .

# Preserving FDs

## Introduction

$R_1$	
Y	Z
$y_1$	$z_1$
$y_1$	$z_2$

$R_2$	
Z	X
$z_1$	$x_1$
$z_2$	$x_1$

## Join

$R_1 \bowtie R_2$		
X	Y	Z
$x_1$	$y_1$	$z_1$
$x_1$	$y_1$	$z_2$

$R_2$  satisfies  $Z \rightarrow X$ ; but  $R_1 \bowtie R_2$  does not satisfy  $XY \rightarrow Z$