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# **Instruction Sets: Characteristics and Functions**

# **What is an Instruction Set?**

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- The complete collection of instructions that are understood by a CPU
- Machine Code
  - Binary
- Usually represented by assembly codes

# Elements of an Instruction

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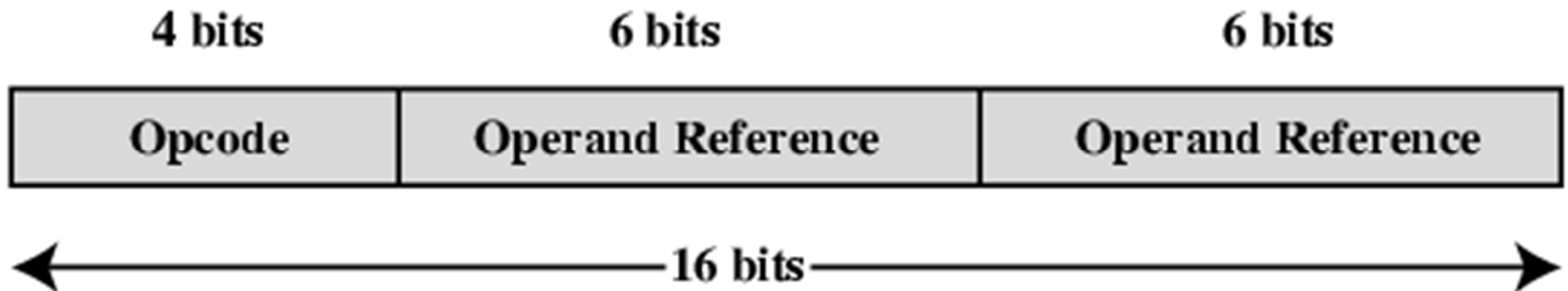
- Operation code (Op code)
  - Do this
- Source Operand reference
  - To this
- Result Operand reference
  - Put the answer here
- Next Instruction Reference
  - When you have done that, do this...

# Instruction Representation

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- In machine code each instruction has a unique bit pattern
- For human consumption (well, programmers anyway) a symbolic representation is used
  - e.g. ADD, SUB, LOAD
- Operands can also be represented in this way
  - ADD A,B

# **Simple Instruction Format**



# **Instruction Types**

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- Data processing
- Data storage (main memory)
- Data movement (I/O)
- Program flow control

## Number of Addresses (a)

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- 3 addresses
  - Operand 1, Operand 2, Result
  - $a = b + c;$
  - ADD a, b, c
  - May be a forth - next instruction (usually implicit)
  - Not common
  - Needs very long words to hold everything

## Number of Addresses (b)

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- 2 addresses
  - One address doubles as operand and result
  - $a = a + b$
  - ADD a, b
  - Reduces length of instruction
  - Requires some extra work
    - Temporary storage to hold some results



## **Number of Addresses (c)**

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- 1 address
  - Implicit second address
  - Usually a register (accumulator)
  - Common on early machines

# Number of Addresses (d)

Instruction		Comment
SUB	Y, A, B	$Y \leftarrow A - B$
MPY	T, D, E	$T \leftarrow D \times E$
ADD	T, T, C	$T \leftarrow T + C$
DIV	Y, Y, T	$Y \leftarrow Y \div T$

(a) Three-address instructions

Instruction		Comment
MOVE	Y, A	$Y \leftarrow A$
SUB	Y, B	$Y \leftarrow Y - B$
MOVE	T, D	$T \leftarrow D$
MPY	T, E	$T \leftarrow T \times E$
ADD	T, C	$T \leftarrow T + C$
DIV	Y, T	$Y \leftarrow Y \div T$

(b) Two-address instructions

Instruction		Comment
LOAD	D	$AC \leftarrow D$
MPY	E	$AC \leftarrow AC \times E$
ADD	C	$AC \leftarrow AC + C$
STOR	Y	$Y \leftarrow AC$
LOAD	A	$AC \leftarrow A$
SUB	B	$AC \leftarrow AC - B$
DIV	Y	$AC \leftarrow AC \div Y$
STOR	Y	$Y \leftarrow AC$

(c) One-address instructions

Figure 10.3 Programs to Execute  $Y = \frac{A - B}{C + (D \times E)}$

## Number of Addresses (e)

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- 0 (zero) addresses
  - All addresses implicit
  - Uses a stack
  - e.g. push a
  - push b
  - add
  - pop c
  - $c = a + b$

# How Many Addresses

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- More addresses
  - More complex (powerful?) instructions
  - More registers
    - Inter-register operations are quicker
  - Fewer instructions per program
- Fewer addresses
  - Less complex (powerful?) instructions
  - More instructions per program
  - Faster fetch/execution of instructions

# Design Decisions (1)

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- Operation repertoire
  - How many ops?
  - What can they do?
  - How complex are they?
- Data types
- Instruction formats
  - Length of op code field
  - Number of addresses

## **Design Decisions (2)**

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- Registers
  - Number of CPU registers available
  - Which operations can be performed on which registers?
- Addressing modes

# Types of Operand

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- Addresses
- Numbers
  - Integer/floating point
- Characters
  - ASCII etc.
- Logical Data
  - Bits or flags

## **Specific Data Types**

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- General - arbitrary binary contents
- Integer - single binary value
- Ordinal - unsigned integer
- Unpacked BCD - One digit per byte
- Packed BCD - 2 BCD digits per byte
- Near Pointer - offset within segment
- Bit field
- Byte String
- Floating Point



# Integer Representation

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- Only have 0 & 1 to represent everything
- Positive numbers stored in binary
  - e.g.  $41 = 00101001$
- Sign-Magnitude
- Two's complement

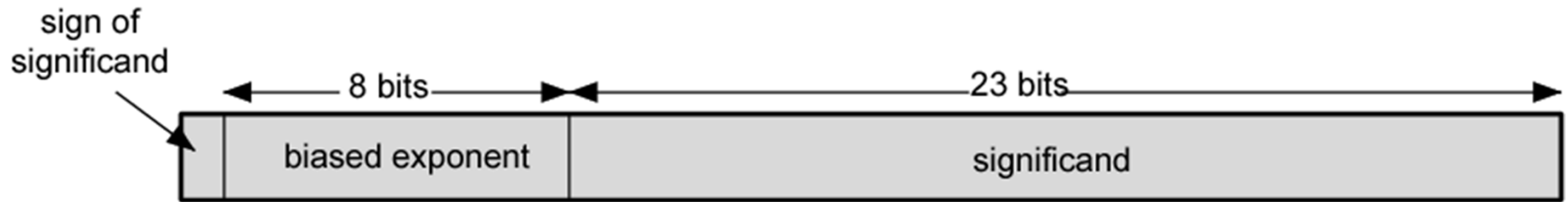
# Real Numbers

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- Numbers with fractions
- Could be done in pure binary
  - $1001.1010 = 2^4 + 2^0 + 2^{-1} + 2^{-3} = 9.625$
- Where is the binary point?
- Fixed?
  - Very limited
- Moving?
  - How do you show where it is?

# Floating Point

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(a) Format

- $\pm \text{.significand} \times 2^{\text{exponent}}$
- Misnomer
- Point is actually fixed between sign bit and body of mantissa
- Exponent indicates place value (point position)
- IEEE 754 single format
- IEEE 754 double format (64bits = 1+11+52)

# **Types of Operation**

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- Data Transfer
- Arithmetic
- Logical
- Conversion
- I/O
- System Control
- Transfer of Control

# Data Transfer

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- Specify
  - Source
  - Destination
  - Amount of data
- May be different instructions for different movements
  - e.g. IBM 370
- Or one instruction and different addresses
  - e.g. VAX

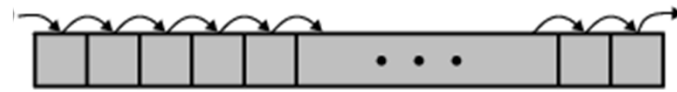
# Arithmetic

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- Add, Subtract, Multiply, Divide
- Signed Integer
- Floating point
- May include
  - Increment ( $a++$ )
  - Decrement ( $a--$ )
  - Negate ( $-a$ )

# Shift and Rotate Operations

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(a) Logical right shift

SHR



(b) Logical left shift

SHL



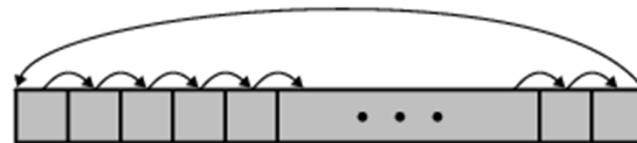
(c) Arithmetic right shift

ASR



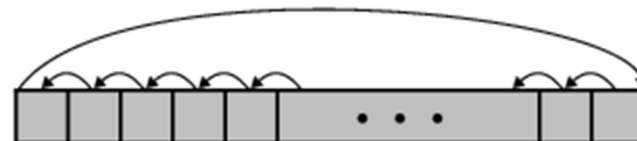
(d) Arithmetic left shift

ASL



(e) Right rotate

ROR



(f) Left rotate

ROL

# Logical

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- Bitwise operations
- AND, OR, NOT



# **Input/Output**

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- May be specific instructions
- May be done using data movement instructions (memory mapped)
- May be done by a separate controller (DMA)

# **Systems Control**

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- Privileged instructions
- CPU needs to be in specific state
  - Kernel mode
- For operating systems use

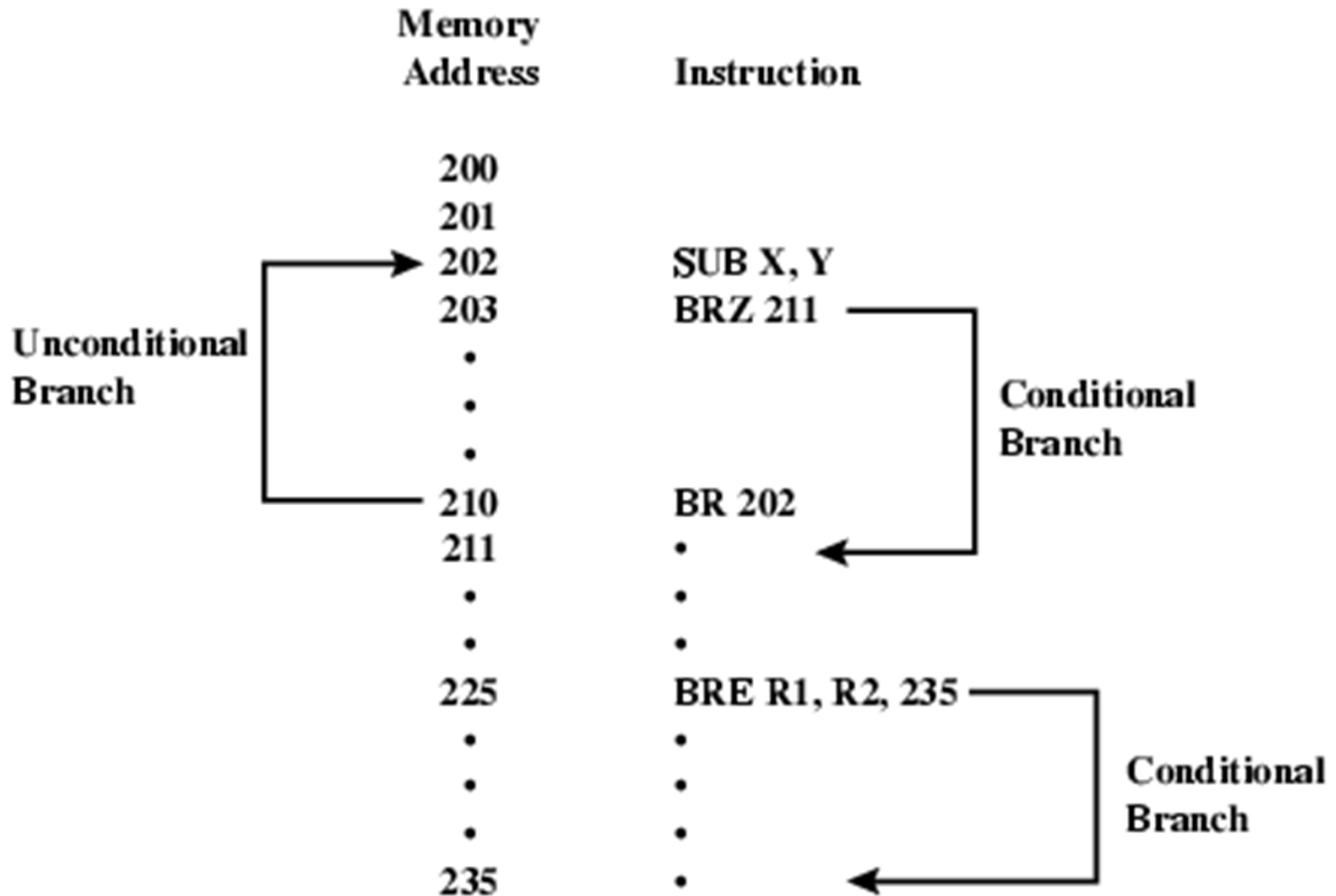
# Transfer of Control

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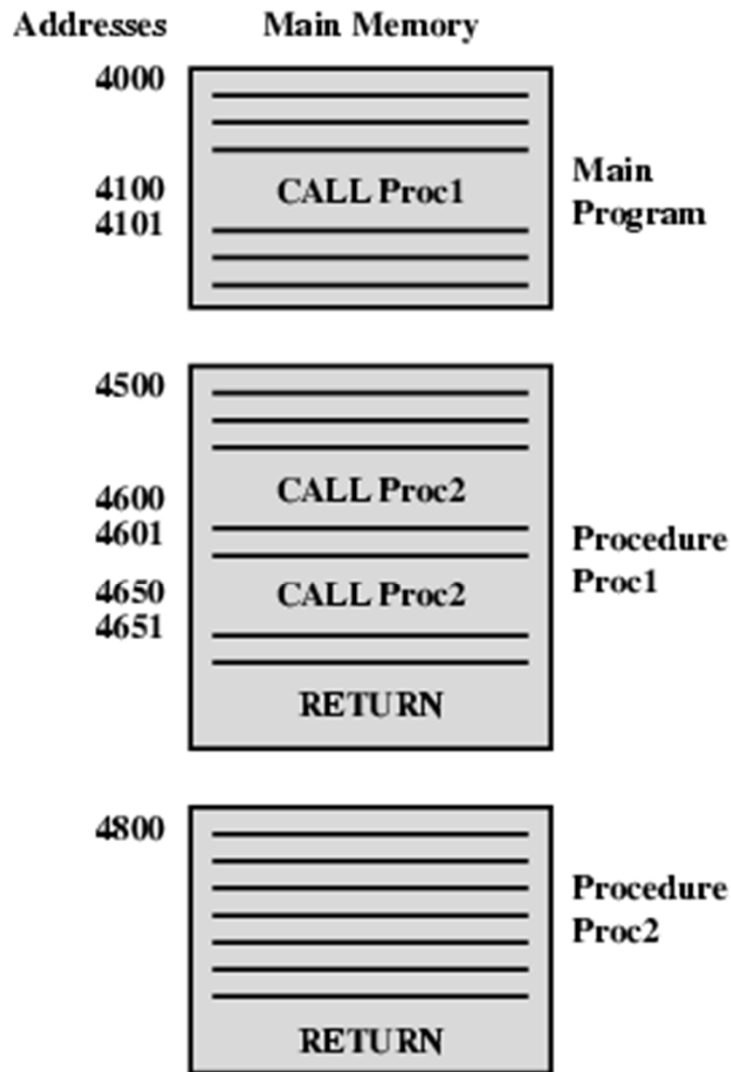
- Branch
  - e.g. branch to x if result is zero
- Skip
  - e.g. increment and skip if zero
- Conditional Instruction
  - ISZ Register1
  - Branch xxxx
  - BNZ xxxx
  - BP xxxx
- Subroutine call
  - interrupt call

# Branch Instruction

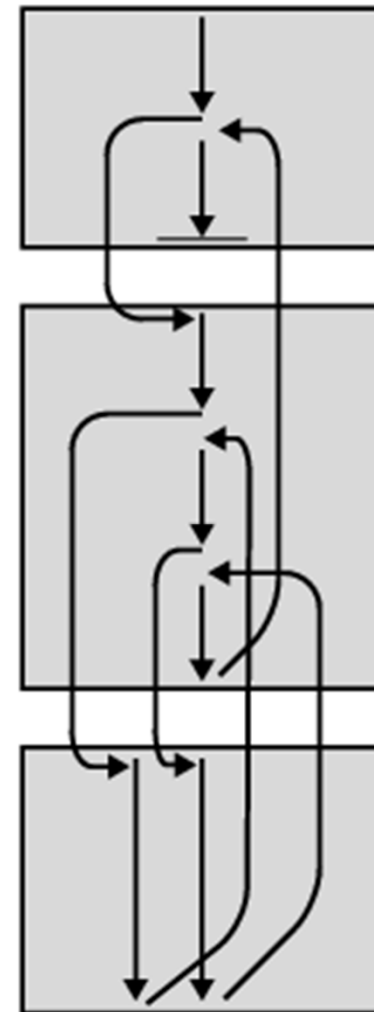
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# Nested Procedure Calls



(a) Calls and returns



(b) Execution sequence