

## IV. Basics of CCD Image Processing [v1.2.6]

### A. Overview

- The raw data acquired at the telescope is rarely of immediate use for scientific analysis
  - ◊ Need to remove unwanted/unrelated signatures
  - ◊ Need to assess uncertainties
- A significant and careful effort is made to perform these activities
  - ◊ Ideally without any loss of signal
  - ◊ And without introducing significant systematic error
- References
  - ◊ Howell, “Astronomical CCD Observing and Reduction Techniques”

### B. Removing the Bias Level

- As discussed in the *CCD Basics* lecture, the readout electronics are designed to convert a signal of 0 electrons into a non-zero count value
  - ◊ This non-zero value is always much greater than 0
  - ◊ It is referred to as the bias level
- This bias level is additive
  - ◊ Rigid shift of the zero count level
  - ◊ Therefore, it is corrected for via subtraction
  - ◊ Note: the scatter in this bias level is the Read Noise (RN)
- Frequently, the bias level varies across the detector
  - ◊ Electronics vary a little during readout
  - ◊ Therefore, it is insufficient (or at least inaccurate) to subtract a single value
  - ◊ Instead, one generates a bias image
- Generating the Bias Image [Straightforward]
  - (a) Take a series of bias images (0s exposures)
  - (b) Combine (average/median; clip cosmic rays)
  - (c) Write to disk for future use
  - (d) This image may be subtracted from other exposures to remove the bias level
- Generating the Bias Image [Overscan]
  - ◊ CCD electronics are not 100% stable
    - ▲ A series of bias images taken at some other time may not exactly give the same bias level of your science frames
    - ▲ Would prefer to assess the bias in ‘real time’
  - ◊ Approach:

- ▲ Read ‘fake’ pixels beyond the CCD device
- ▲ There is no charge in these fake pixels
- ▲ Therefore, the values recorded give the bias level
- ▲ These values are written as the “overscan region”
- ◇ Analysis:
  - ▲ Average the values in the overscan region (along the row)
  - ▲ Fit the average values along the column
  - ▲ Generate a 2D image from this overscan fit
  - ▲ Subtract from each image
  - ▲ Write the new (bias subtracted) image to disk [as desired]

### C. Dark Current

- Thermal motions of electrons in the CCD accumulates a spurious charge
  - ◇ The *rate* of this charge accumulation is referred to as the dark current
  - ◇ In many modern devices, its value is negligible
- The signal from the dark current is also additive
  - ◇ But, unlike the bias, it is proportional to exposure time  $t_{\text{exp}}$
  - ◇ Probably linear with  $t_{\text{exp}}$ , but no guarantee
- Removing the dark current
  - (a) Take a series of dark exposures at each  $t_{\text{exp}}$  of interest
  - (b) Remove the bias [optional]
  - (c) Combine (clipping cosmic rays)
  - (d) Write to disk for future use
  - (e) Subtract the dark images from the science frames
- Should you measure (and subtract) the bias level separately?
  - ◇ In general, your dark images contain both bias and dark current
  - ◇ Primarily depends on whether you perform the overscan analysis

### D. Flat Fielding

- Telescope, instrument, and detector imprint unwanted signatures
  - ◇ Telescope:
    - ▲ Vignetting by the secondary, dome, etc.
    - ▲ Contributes to the so-called “illumination pattern”
  - ◇ Instrument (optics, gratings)
    - ▲ Vignetting of optics
    - ▲ Variation in throughput
    - ▲ Variations in angular magnification

- ▲ Ghosts from internal reflections
- ◇ Detector
  - ▲ Pixel-to-pixel variations in Q.E.
  - ▲ Variations in the sub-strate of the semi-conductor
- All of these effects are multiplicative
  - ◇ Not additive
  - ◇ All of the effects are relative
  - ◇ The absolute value is somewhat arbitrary (typically normalized to unity)
- Approach (combined)
  - ◇ Take a series of uniformly illuminated exposures
    - ▲ Twilight sky (wrong color)
    - ▲ Night sky (faint and not so uniform [e.g. stars])
  - ◇ Subtract detector signatures (bias, dark current)
  - ◇ Combine (remove stars, cosmic rays, etc.)
  - ◇ Normalize to a unit value
  - ◇ Divide into each science frame
- Approach: Two step
  - (a) Correct for pixel-to-pixel variations
    - ◇ Use an artificial uniform source
      - ▲ Dome screen
      - ▲ Internal mechanism
    - ◇ Normalize to unit value on large ( $> 100$  pixel) scales
    - ◇ Divide this into each science frame
  - (b) Correct for the illumination pattern
    - ◇ On-sky illumination (night sky is optimal)
    - ◇ Observe a series of exposures
    - ◇ Subtract the detector signatures
    - ◇ Smooth over pixel-to-pixel variations
    - ◇ Normalize to a unit value
    - ◇ Divide this into each science frame

## E. Variance ( $\sigma^2$ ) Image

- For many (all?) calculations, we require an estimate of the uncertainty in our measurements
  - ◇ Simplest approach is standard propagation of error
  - ◇ i.e. simple summation of the variances
- Converting to electrons (Gain)

- ◇ For a CCD, the charge accumulated is (ideally) proportional to the photons collected
  - ▲ The photons follow Poisson statistics
  - ▲ So, too, shall the charge
- ◇ The electronics output counts which are proportional to the charge
  - ▲ Gain ( $g$ ) = electrons per count
- ◇ Simple conversion:
  - ▲ Multiply the *true* counts by the gain
  - ▲ True counts are those from photons (not the detector!)
  - ▲  $N = DN * g$  (DN are counts or 'digital numbers')
- Detector Variance
  - ◇ Read Noise (RN)
    - ▲ Scatter associated with counting the charge
    - ▲ Typical variance is 10 – 100 electrons
    - ▲ Easily assessed from a series (or single) bias frames

$$\sigma_{\text{RN}} = (RMS_{\text{counts}}) g \quad (1)$$

- ◇ Dark Current (DC)
  - ▲ Poisson noise
  - ▲ Assume the average counts accumulated is  $DN_{\text{DC}}$
  - ▲ Variance, in electrons:

$$\sigma_{\text{DC}}^2 = DN_{\text{DC}} g \quad (2)$$

- ◇ Together, the detector variance is:

$$\sigma_{\text{Detector}}^2 = \sigma_{\text{RN}}^2 + \sigma_{\text{DC}}^2 \quad (3)$$

- Source Variance
  - ◇ Electrons associated with photons received:  $N_{\text{source}}$ 
    - ▲ Poisson process
    - ▲  $\sigma_{\text{source}}^2 = N_{\text{source}}$

- Altogether

$$\sigma_{\text{TOT}}^2 = \sigma_{\text{source}}^2 + \sigma_{\text{detector}}^2 \quad (4)$$

## F. Other (Unwanted) Issues

- Cross-talk (detector)
- Ghosts (instrument)
- Satellite trails
- Cosmic rays