

# MAT013 Coursework

*Deadline: 8/5/2013 at 0900*

## Instructions

The outputs of this coursework will be:

- A written report describing your code (SAS and R) to be handed in to Joanna Emery.
- An appendix containing a commented version of your code (SAS and R) to be handed in to Joanna Emery.
- A file containing the required SAS code. Name this file SAS-lastname-STUDENTNUMBER (eg. Knight-123456) and email it to Joanna Emery with MAT013 as the subject. Note that all operations needed to complete the coursework should be included in the SAS code.
- A file containing the required R code. Name this file R-lastname-STUDENTNUMBER (eg. Knight-123456) and email it to Joanna Emery with MAT013 as the subject. Note that all operations needed to complete the coursework should be included in the R code.

## Coursework

1. Using both SAS and R (in other words attempt this question using SAS and then using R):

Write code (in SAS: a macro, in R: a function) that will reproduce a mathematical procedure covered in MAT001 or MAT002. Clearly document this procedure in your report.

[20]

2. Using SAS:

The data files [Greedy.csv](#), [Random.csv](#), [Longest.csv](#) and [Shortest.csv](#) contain data relevant to the experimental play of 4 strategies for the game [Shut the Box](#) (you do not necessarily need to know of this game to complete this coursework).

The four strategies will be referred to as:

- Greedy

- **Random**
- **Longest**
- **Shortest**

The data file contains two variables for each strategy: **Score** and **Length**. The aim of the game is to have the lowest score (a minimum of 0).

- Obtain plots of the distribution of the **Score** variable for each strategy (represent these distributions on the same graph);
- Obtain plots of the distribution of the **Length** variable for each strategy (represent these distributions on the same graph);
- For each method are **Score** and **Length** related?
- Do the strategies give different outcomes and if so which strategy seems to be the best?

[25]

### 3. Using R:

Write a function that will return the  $n$ th [Fibonacci number](#),  $F(n)$ .

Modify the function so that it returns the  $n$ th number of the sequence defined by:

$$\begin{aligned} K(0) &= a \\ K(1) &= b \\ K(n) &= \alpha K(n-1) + \beta K(n-2) \end{aligned}$$

Where  $a, b, \alpha$  and  $\beta$  are input parameters.

Adapt your function so that it will write all numbers less than  $k$  to a csv file. The name of the csv file must not be an input parameter to the function but include the parameters  $a, b, \alpha$  and  $\beta$  as well as the date on which the code was run. For example: `general_fib_for-a=2-b=3-alpha=10-beta=-2_1984-14-02.csv`.

[25]

### 4. Using SAS or R.

The file [Solution\\_Space\\_Exploration.csv](#) contains experimental results pertaining to two approaches to solving an optimisation problem (aiming to minimize a cost function). These two approaches will be referred to as approach A and approach B. Approach B involves searching a space that contains the solution space that approach A searches. Thus approach B can at least match approach A.

Every row of the data file contains 6 variables which are (in order):

- A boolean variable indicating `True` if approach B finds a better solution than approach A: `B_optimal`;
  - The first dimension of the problem: `m`;
  - The second dimension of the problem: `n`;
  - A further problem parameter: `tau`;
  - The optimal cost function obtained using method A: `A_Cost`;
  - The optimal cost function obtained using method B: `B_Cost`;
- i. Give summary statistics for all the variables. [5]
  - ii. Obtain a 3 dimensional representation (eg surface or contour) showing the proportion of times that method B finds a better solution based on the dimensions of the problem. [5]
  - iii. Obtain a distribution of the gains made by method B over method A. [10]
  - iv. Explore and attempt to indicate parameters that influence the performance of either method (and when method B is better). [10]