

BİLGİSAYAR VE BİLİŞİM BİLİMLERİ FAKÜLTESİ BİLGİSAYAR MÜHENDİSLİĞİ BÖLÜMÜ ALGORİTMA ANALİZİ VE TASARIMI DERSİ PROJE ÖDEVİ

ÖĞRENCİ ADI: ASLIHAN ÇETİNER

ÖĞRENCİ NO: G171210014

ÖĞRENİM: 2. ÖĞRETİM

DERS GRUBU: A

ÖĞRETMEN ADI: Prof.Dr. NEJAT YUMUŞAK

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ALGORITMA ANALIZI VE TASARIMI ÖDEVÎ

Ashhan GETINER BIF1210014
2A Grubu

1. M: 2x3 M2: 3x6, M3: 6x4, M4: 4x2, M5: 2x7

K	Y	(2	3	4	5
	5	124	116	132	56	0
1	4	96	84	48	0	
-	3	84	71	0		
-	2	36	0			
	(0				

 $\rightarrow m[i_1k] + m[k+1, j] + P_{i_1}P_kP_j$ $m[1,2] = m[1,1] + m[2,2] + P_0P_1P_2 (M_1M_2) = 3b$ $m[2,3] = m[2,2] + m[3,3] + P_1P_2P_3 (M_2M_3) = 72$ $m[3,4] = m[3,3] + m[4,4] + P_2P_3P_4 (M_3M_4) = 48$ $m(4,5) = m[4,4] + m[5,5] + P_3P_4P_5 (M_4M_5) = 56$ $m[1,3] = m[4,1] + m[2,3] + P_0P_1P_3 (k=1) \rightarrow 96$

m[1,2]+m[3,3]+ PoP2P3 (k=2) -> 84 V m[2,4]= m[2,2] +m[3,4]+P1P2P4 (k=2) -> 84 V m[2,3]+m[4,4]+P1P2P4 (k=3)-> 96

m[3,5]= m[3,3]+m[4,5]+p2p3p5 (k=3) -> 224V m[3,4]+ m[5,5]+p2p4p5 (k=4) -> 132

M[1,4] = M[1,1]+M[2,4] + POP,P4 (k=1) → 96 V M[1,2]+M[3,4]+POP2P4 k=2 → 108 M[1,3]+M[4,4]+POP3P4 k=3 → 100

m[2,5]= m[2,2]+m[3,5]+P,P2P5 (k=2) 350 m[2,3]+ m[4,5]+P,P3P5 (k=3) 212 m[2,4]+ m[5,5]+ P,P4P5 (k=4) 126 V

 $MLI(5] > MLI(1) + MLZ(5] + POP(P5 (k=1) \rightarrow 392$ $MLI(2) + ML3(5) + POP2P5 (k=2) \rightarrow 252$ $MLI(3) + MLU(5) + POP3P5 (k=2) \rightarrow 191$ $MLI(4) + ML5(5) + POP4P5 (k=4) \rightarrow 1241$ 1. Az XZYZZYX B= ZXYYZXZ

			3	X	19	9	2	8	7
		0	1						
~	0	0	0	0		0		0	0
(8)	-	0	0	1	1	1	1	1	1
(E)	2	0	1	1	(1	2	2	2
	3	0	1	1	2	2	2	2	2
(2)	4	0	1	1	2	2	3	3	3
_	5	0	1	1	2	2	3	3	4
-	6	0	1	1	2	3	3	3	4
	7	0	(2	2	3	3	4	4
	-	-		-		-	No. of Lot	-	

sagdon sola → | 244 x | = 4
yukordon asogn → | x 2 22 | = 4

3. $2^{2n+1} > 2^{2n} > (n+1)! > n! > e^n > n \cdot 2^n > 2^n > (\frac{3}{2})^n > \frac{\log(\log n)}{\log(\log n)} > (\log n)! > n^3 > n^2 = L^{\log n} > n \cdot \log n = \log(n!) > n = 2^{\log n} > (\sqrt{2})^{\log n} > 2^{\sqrt{2\log n}} > \log^2 n > \ln n > \sqrt{\log n} > \ln(\ln n) > 2^{\log^2 n} > \log^2 (\log n) = \log^n n > \log(\log^2 n) > 1 = n^{\frac{1}{\log n}}$

4.
$$T(n) = \sum_{i=1}^{n-1} \sum_{j=i+1}^{n-1} \sum_{i=1}^{n-1} \sum_{j=i+1}^{n-1} \sum_{j=i+1}^{n-1} \sum_{j=1}^{n-1$$

5.
$$(n_1)^2 + (n_1)^2$$
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$$T(n) = n^{2} + \frac{n^{2}}{2} + \frac{n^{2}}{4}$$

$$T(n) \leq \sum_{i=0}^{\infty} \left(\frac{1}{2^{i}}\right)$$

$$T(n) \leq n^{2} \left(\frac{1}{1 - \frac{1}{2}}\right) \leq 2n^{2}$$

$$T(n) = O(n^{2})$$

6.
1)
$$T(n) = t(2n/3)+1$$

 $a = 1 b = 3/2 c = 0$
 $c = \log_3 i_2 = 0 f(n) = 1 k = 0 Durum 2$
 $T(n) = O(n^0 \log n)$
 $T(n) = O(\log n)$

2)
$$T(n)_2 3T(n|4) + n\log n$$

 $\log_a b = \log_u^3 = 0$ $c = 1$
 $c) \log_u^3 \quad \underline{Durun 3}$
 $a.f(\frac{n}{b}) \le kf(n), k < 1$
 $3.f(\frac{n}{4}) \le k \cdot n\log n \quad k = 3|4$
 $T(n)_2 o.f(n)$
 $T(n)_2 o.f(n)$

3)
$$T(n) = 4T(n|2) + n$$

 $\log_{0}b = \log_{2}4 = 2$
 $c = 1 \quad c < \log_{0}b \quad \underline{Durum 1}$
 $T(n) = O(n^{\log_{0}b})$
 $= O(n^{2})$