

3rd version of division algorithm -

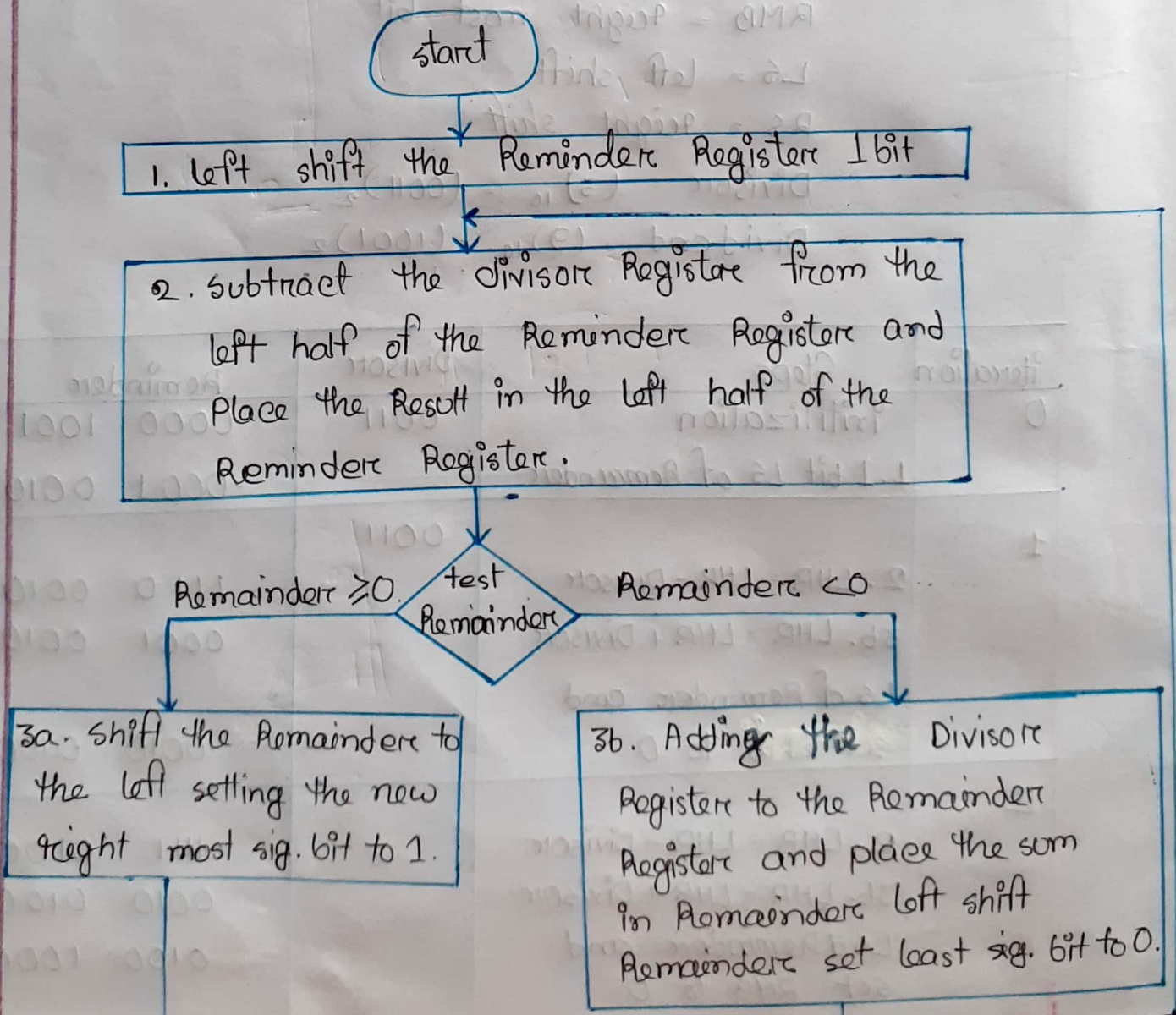
My id is 20101084

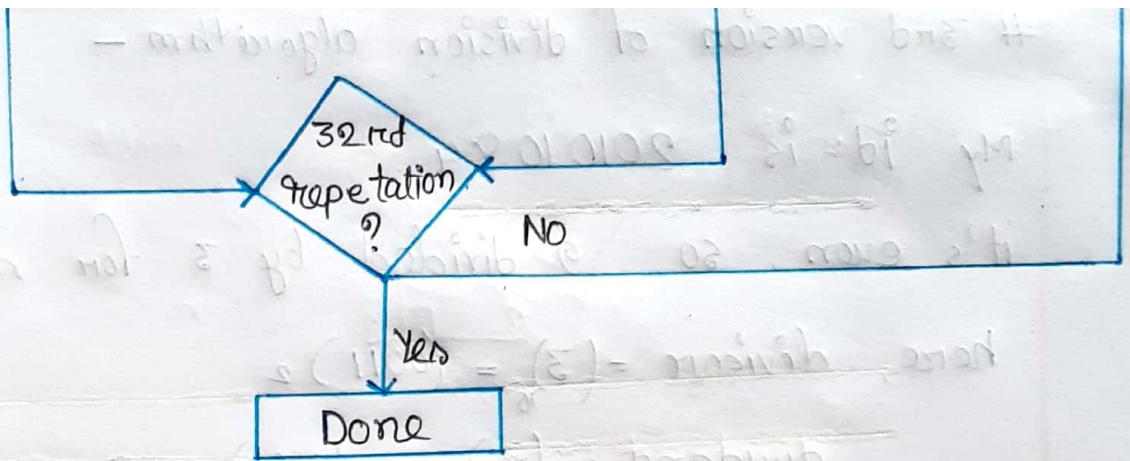
it's even, so, 9 divided by 3 for me

here, divisor = $(3)_{10} = (0011)_2$

dividend = $(9)_{10} = (1001)_2$

now, Algorithm -





now, let, LHR = left half of Remainder

RMB = right most bit

LS = left shift

RS = right shift

Divisor = $(3)_{10} = (0011)_2$

Dividend = $(9)_{10} = (1001)_2$

Iteration	Steps	Divisor	Remainder
0	Initialization	0011	0000 1001
	1. 1 bit LS of Remainder		0001 0010
1	2. LHR = LHR - Divisor	0011	1110 0010
	3b. LHR = LHR + Divisor		0001 0010
	LS of Remainder and set RMB to 0		0010 0100
2	2. LHR = LHR - Divisor		1111 0100
	3b. LHR = LHR + Divisor		0010 0100
	LS of Remainder and set RMB to 0		0100 1000

Asima Sultana
20101084

Iteration	Steps	Divisor	Remainder
3	2. $LHR = LHR - \text{Divisor}$ 3a. Ls of Remainder and set RMB to 1.		→ 0001 1000 → 0011 0001
4	2. $LHR = LHR - \text{Divisor}$ 3a. Ls of Remainder and set RMB to 1.		→ 0000 0001 → 0000 0011

here, after the 4th iteration, the

$$LHR = \text{Remainder} = (0000)_2 = (0)_{10}$$

$$RHR = \text{Quotient} = (0011)_2 = (3)_{10}$$

given, $9 \div 3 = 3 = (0011)_2$

no remainder, so, $0 = (0000)_2$.

[Proved]