Lab 5: Segmentation of cells in microscopy images

Maria Magnusson, 2007-2021, Computer Vision Laboratory, Department of Electrical Engineering, Linköping University, Sweden

1 Introduction



Read all instructions before the lab-exercise and repeat necessary theory from the lectures and the book. Problems marked with a pointing hand are supposed to be solved as a preparation before the lab-exercise.

The lab is inspired by the article:

Segmentation of Cytoplasms of cultured cell by Amin Allalou et al.

It is good to browse the article so that you understand it approximately.

A computer symbol indicates that a MATLAB-script has to be written and demonstrated during the lab-assignment.

Start by extracting the zip-archive containing the files c9minpeps2.bmp, SegmentCellsPrel.m and Overlay.m into a suitable folder, e.g. Lab5.

2 Introductory watershed experiments

At first we will try the watershed algorithm on an inherent image in MATLAB. Create a file MyWatershed.m with the subsequent contents and execute it.

```
\mbox{\ensuremath{\$}} Read a color image and convert to a gray-scale image
[X,map] = imread('corn.tif');
newmap = rgb2gray(map);
corn = ind2gray(X, newmap);
imlgray = double(corn);
figure(1), imagesc(im1gray,[0 255]), colormap(gray), colorbar,
title('original image');
% Negate the image
im2gray = double(255-im1gray);
figure(2), imagesc(im2gray,[0 255]), colormap(gray), colorbar,
title('negated image = landscape');
% Prepare for smoothing
% ==========
kernel = [1 2 1; 2 4 2; 1 2 1] / 16;
D = im2gray;
k=1:
while k < 1
 D = conv2(D, kernel, 'same');
```

QUESTION 1: Why is it necessary to negate the original image?

Because the watershed algorithm operates such that it finds areas encapsulated by white ridges

QUESTION 2: Look at the resulting watershed image W1. Oversegmentation is evident. Why does oversegmentation happen?

Because it still has a large variety within the kernel areas

```
=> too many local minima
```

QUESTION 3: Oversegmentation can be prevented by smoothing the image. Adjust the while-loop so that most of the individual corn grains in the resulting image become segmented properly. How many times did you need to convolve with the given kernel?

Around 5 times

QUESTION 4: See the matrix below.

```
A =

10 10 10 10 10 10 10 10 10

10 7 7 10 10 10 10

10 10 10 10 10 10 10

10 10 10 10 10 10 10

10 10 10 10 2 2 10

10 10 10 10 10 2 2 10

10 10 10 10 10 2 2 10

10 10 10 10 10 2 2 10
```

What is the result when using B=imhmin(A, 4)? Also explain the look of B.

ans =

```
10
    10
        10
             10
                  10
                      10
                           10
10
    10
        10
             10
                  10
                      10
                           10
                                      we raise the waterlevel
10
    10
        10
             10
                  10
                      10
                          10
                                      by 4
10
    10
        10
             10
                  10
                      10
                          10
                                      so the 7:s overflow and
10
    10
         10
                  6
                      6
                         10
             10
                                      2:s rise to 6:s
10
                  6
                      6
                          10
    10
         10
             10
10
                  6
                       6
                          10
    10
         10
             10
10
    10
         10
             10
                  10
                      10
                          10
```

An alternative to smoothing is to use the function imhmin.m Add the following code to MyWatershed.m.

```
% Prepare for imhmin treatment
% =============
E = im2gray;
E = imhmin(E,0);
figure(5), imagesc(E);
```

QUESTION 5: Look at the resulting watershed image W2. Oversegmentation is evident. Adjust the parameter in imhmin to get rid of most of the oversegmentation. Write your imhmin command below. Also mention what happens with the local means (water holes).

```
E = imhmin(E,30);
the contours are better preserved
```

QUESTION 6: Compare the two watershed results, W1 and W2. Which one delineates the individual corn grains best?

W2 is a bit better

3 Segmentation of cells, cytoplasm and padlock-signals

See the microscopy image in Figure 1. The cell kernels are blue. There are also so called padlock-signals of two different types, red and green. The cytoplasm (invisible) is located around the cell kernels. The hypothesis is that a pixel rather close to, but outside, the cell kernels contains cytoplasm and belongs to the closest cell kernel.

The task is to determine which padlock signals belong to the respective cell. The desired result is shown in Figure 2, where the cytoplasm for each cell has been delineated (in yellow). For one cell, the corresponding green padlock signals have been detected and marked with circles (in cyan).

The first part of the MATLAB script SegmentCellsPrel.m is shown below. A color microscopy image is read and shown in figure(1). Its three color components are shown in figure(2), figure(3) and figure(4). The blue component contains the cells kernels and are treated first. A histogram of the central part of the image is calculated and shown in figure(5). The reason to use the central part is to lower the influence of the dark background and the diffuse magenta-colored objects below-left in Figure 1.

Execute SegmentCellsPrel.min MATLAB and verify the result in figure(1)-figure(5)!

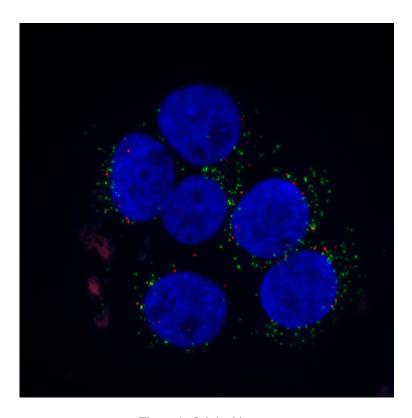


Figure 1: Original image.

```
% Cell segmentation, preliminary
% #################################
% Read a color image
im1 = double(imread('C9minpeps2.bmp'));
figure(1), imshow(im1/255);
title('Original color image');
\mbox{\%} Look at the three colour components RGB
imlr=im1(:,:,1); imlg=im1(:,:,2); imlb=im1(:,:,3);
imlbSmall = im1(200:800,200:800,3);
figure(2), imagesc(im1r,[0 255]), axis image, colormap(gray), colorbar;
title('Red image');
figure(3), imagesc(im1g,[0 255]), axis image, colormap(gray), colorbar;
title('Green image');
figure(4), imagesc(im1b,[0 255]), axis image, colormap(gray), colorbar;
title('Blue image');
\mbox{\ensuremath{\$}} Compute histogram of central part of the blue image
histo = hist(im1bSmall(:),[0:255]);
figure(5), stem(histo);
```

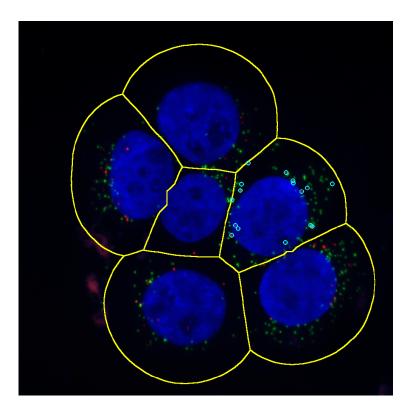


Figure 2: Desired result image.

3.1 Thresholding and Morphological image processing

The second part of the MATLAB script SegmentCellsPrel.m is shown below. The image is manually thresholded at 42 and shown in figure(6). Then the image is morphologically processed and shown in figure(7).

```
% Perform thresholding
im1bT = im1b > 42;
figure(6), imagesc(im1bT), axis image, colormap(gray), colorbar;
title('After thresholding');
% Perform opening
% ========
SE4 = [0 \ 1 \ 0;
      1 1 1;
      0 1 0];
SE8 = [1 1 1;
      1 1 1;
      1 1 1];
tmp = im1bT;
tmp = imerode(tmp, SE4);
tmp = imdilate(tmp, SE4);
imlbTmorph = tmp;
figure(7), imagesc(im1bTmorph), axis image, colormap(gray), colorbar;
title('After morphological processing');
```



DEMO A: Instead of manual thresholding, perform automatic thresholding, similar to what you did in the previous lab.

Also improve the morphological processing. The goal is to get an image of the cell kernels with smooth borders and without holes, noise and small objects, see Figure 3. You will probably need the MATLAB function bwareaopen.

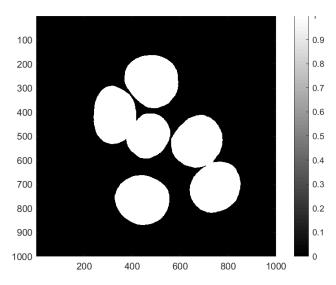


Figure 3: Desired binary image.

3.2 Watershed segmentation

The third part of the MATLAB script SegmentCellsPrel.m is shown below. The distance transform is calculated within the cells. Then some processing gives a suitable "land-scape".

 $\label{lem:exact beginning matter} Execute \ {\tt SegmentCellsPrel.min\ MATLAB}\ \ and\ verify\ the\ result\ in\ figure (8)-figure (9)!$



DEMO B: Segment the cell kernels using the watershed algorithm. You also need to do some preprocessing with imhmin to prevent oversegmentation. The goal is to first get a landscape similar to Figure 4. and then an image with labelled individual cell kernels as in Figure 5.

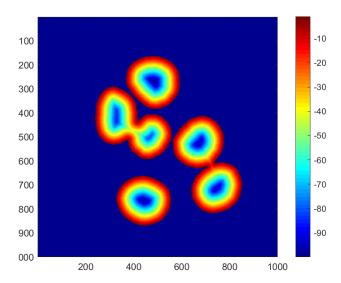


Figure 4: Distance map within cells treated with imhmin.

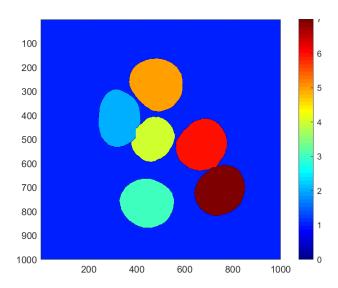


Figure 5: Desired labelling of the cell kernels.

The cytoplasm is located around the cell kernels. As mentioned previously, the hypothesis is that a pixel rather close to, but outside, the cell kernels contains cytoplasm and belongs to the closest cell kernel. Consequently, the cytoplasm can be determined by using the distance transform.



DEMO C: The desired cytoplasm "landscape" can be produced by first making a distance map outside the cell kernels and then limit the distance map to a suitable value. Use 100! The goal is to get an image as in Figure 6.

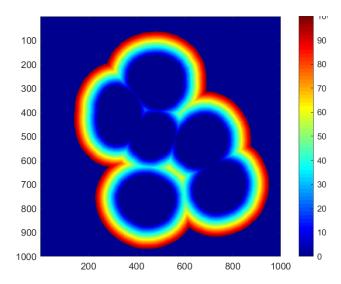


Figure 6: Desired landscape for the cytoplasms.

DEMO D: A combined landscape for the cells and cytoplasms can be produced by combining the cell distance map in Figure 4, the cytoplasm distance map in Figure 6 and the binary image in Figure 3. The goal is to get an image as in Figure 7.

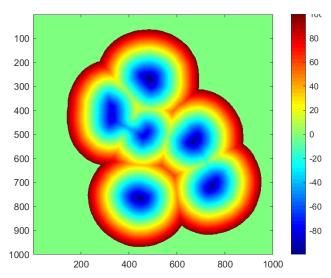


Figure 7: Combined landscape for the cells and cytoplasm.

Apply the watershed algorithm on your combined landscape for the cells and cytoplasms. The watersheds (dams) outline the cell cytoplasms. They can be extracted. They corresponds to the yellow borders in Figure 2.

Read and execute the MATLAB script Overlay.m. There, it is shown how to overlay a binary mask on the input color image. The example mask in Overlay.m is a magenta colored "M".



DEMO E: Overlay the outlines of the cell cytoplasms in *yellow* on the input color image, similarly as in Figure 2.

3.3 Localization of padlock-signals

As mentioned in the introduction, the laboratory assignment is inspired by an article. It tells about a 5×5 convolution filter which can be used to enhance local maxima. Such a filter might be the negative Laplacian filter,

$$-\Delta = -\frac{\partial^2}{\partial x^2} - \frac{\partial^2}{\partial y^2} = -\frac{\partial}{\partial x} * \frac{\partial}{\partial x} - \frac{\partial}{\partial y} * \frac{\partial}{\partial y}.$$

QUESTION 7: Construct such a filter based on the Sobel-operators. Two-dimensional convolution can be performed with the the conv2-command. Sketch your negative Laplacian filter below!

-2.	-4	-4.	-4.	-2
-4	0.	8.	0.	-4
-4.	8.	24.	8.	-4
-4.	0.	8.	0.	-4
-2.	-4.	-4	4.	-2

/64

Your negative Laplacian filter can also be thought of as a matching filter for small circular objects, blobs. The filter contains a central circular positive area that matches blobs. The surrounding negative values make the filter DC-level independent. (More about this during the next laboratory assignment.)



DEMO F: The negative Laplacian filter acts as a padlock cell detector. The resulting image contains both positive and negative values. Smooth humps (or hills) are located at the padlock signals. Show this image!



DEMO G: Study the method to detect the padlock signals in Figure 8. Implement this method to detect the red padlock signals.

QUESTION 8: How many red padlock signals did you find?





DEMO H: Finish your program so that the red padlock signals in a selected cell is marked with circles. Let the color of the circles be *cyan*. The resulting image should look approximately as in Figure 2. The program should also print out the number of red padlock signals belonging to the selected cell.

QUESTION 9: How many red padlock signals did you find in the selected cell?

cell 6: 11 padlock signals

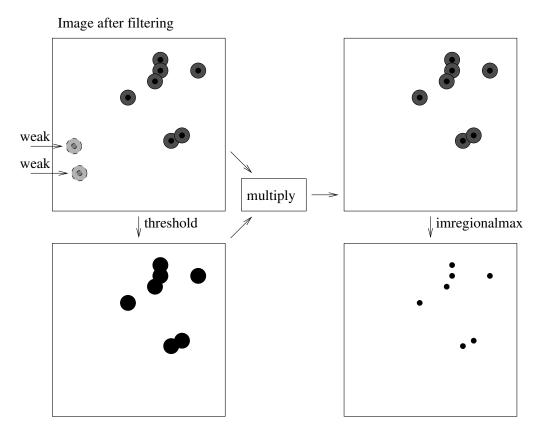


Figure 8: Padlock signal detection.