

Results

December 12, 2011

Properties

	plain	simple ind	approx	fixpoint ind	struct ind
<i>prop_{add_{comm}}</i> $+ \ x \ y = + \ y \ x$					\checkmark_{fin}
<i>prop_{assoc_{mul}}</i> $* \ x \ (* \ y \ z) = * \ (* \ x \ y) \ z$					
<i>prop_{assoc_{plus}}</i> $+ \ x \ (+ \ y \ z) = + \ (+ \ x \ y) \ z$		\checkmark_{∞}	\checkmark_{∞}	\checkmark_{∞}	\checkmark_{∞}
<i>prop_{idem_{mul}}</i> $* \ x \ x \neq x$			\checkmark_{∞}		
<i>prop_{idem_{plus}}</i> $+ \ x \ x \neq x$			\checkmark_{∞}		
<i>prop_{le_{plus}}</i> $\leq n \ (+ \ n \ m) = \text{True}$		\checkmark_{fin}			\checkmark_{fin}
<i>prop_{le_{plus_{sym}}}</i> $\leq n \ (+ \ m \ n) = \text{True}$					
<i>prop_{le_{succ_{plus}}}</i> $< i \ (S \ (+ \ i \ m)) = \text{True}$		\checkmark_{fin}			\checkmark_{fin}
<i>prop_{left_{distrib}}</i> $* \ x \ (+ \ y \ z) = + \ (* \ x \ y) \ (* \ x \ z)$					
<i>prop_{left_{identity_{mul}}}</i> $* \ (S \ (Z)) \ x = x$		\checkmark_{∞}			\checkmark_{∞}
<i>prop_{left_{identity_{plus}}}</i> $+ \ (Z) \ x = x$		\checkmark_{∞}	\checkmark_{∞}		\checkmark_{∞}
<i>prop_{lt_{suc}}</i> $< i \ (S \ (+ \ m \ i)) = \text{True}$					
<i>prop_{lt_{zeroeqzero}}</i> $\leq n \ (Z) = == \ n \ (Z)$		\checkmark_{fin}			\checkmark_{fin}
<i>prop_{max_{absorb}}</i> $\max \ x \ (\min \ x \ y) = x$					\checkmark_{fin}
<i>prop_{max_{assoc}}</i> $\max \ (\max \ a \ b) \ c = \max \ a \ (\max \ b \ c)$					\checkmark_{∞}
<i>prop_{max_{le}}</i> $== \ (\max \ a \ b) \ a = \leq b \ a$					\checkmark_{fin}
<i>prop_{max_{le_{sym}}}</i> $== \ (\max \ a \ b) \ b = \leq a \ b$					\checkmark_{fin}
<i>prop_{max_{sym}}</i> $\max \ a \ b = \max \ b \ a$					\checkmark_{∞}

<i>prop_{min_{absorb}}</i> min x (max x y) = x					✓ _{fin}
<i>prop_{min_{assoc}}</i> min (min a b) c = min a (min b c)					✓ _∞
<i>prop_{min_{le}}</i> == (min a b) a = <= a b					✓ _{fin}
<i>prop_{min_{le_{sym}}}</i> == (min a b) b = <= b a		✓ _{fin}			✓ _{fin}
<i>prop_{min_{sym}}</i> min a b = min b a					✓ _{fin}
<i>prop_{minus_{absorbish}}</i> - (+ n m) n = m		✓ _{fin}			✓ _{fin}
<i>prop_{minus_{assocish}}</i> - (- i j) k = - i (+ j k)		✓ _∞			✓ _∞
<i>prop_{minus_{distribish}}</i> - (+ k m) (+ k n) = - m n		✓ _{fin}			✓ _{fin}
<i>prop_{minus_{plus}}</i> - (+ m n) n = m					
<i>prop_{minus_{zero}}</i> - m m = Z		✓ _{fin}			✓ _{fin}
<i>prop_{minus_{zeroish}}</i> - n (+ n m) = Z		✓ _{fin}			✓ _{fin}
<i>prop_{mul_{comm}}</i> * x y = * y x					
<i>prop_{refl}</i> == x x = True		✓ _{fin}			✓ _{fin}
<i>prop_{right_{distrib}}</i> * (+ x y) z = + (* x z) (* y z)					
<i>prop_{right_{identity_{mul}}}</i> * x (S (Z)) = x		✓ _∞			✓ _∞
<i>prop_{right_{identity_{plus}}}</i> + x (Z) = x		✓ _∞	✓ _∞		✓ _∞
<i>prop_{succ_{minus₃}}</i> - (- (S m) n) (S k) = - (- m n) k		✓ _{fin}			✓ _{fin}
<i>prop_{zero_{isone}}</i> Z != S (Z)	✓ _∞		✓ _∞		

Summary

	total	plain	simple ind	approx	fixpoint ind	struct ind
✓ _∞	12/36	1/12	6/12	6/12	1/12	9/12
✓ _{fin}	17/36		10/17			17/17