Performance Metrics

February 19, 2021

1 Compute performance metrics for the given Y and Y_score without sklearn

[1]: # Importing packages

```
import numpy as np
     import pandas as pd
[2]: def get_conf_mat(df):
          n n n
          This function takes the dataset as the input and returns a 2x2.
          True Negative - [0,0]
         False Negative - [0,1]
         False Positive - [1,0]
          True Positive - [1,1]
          # Initializing an empty array
         conf_mat = [[0,0],[0,0]]
          # Iterative over the values of dataset and filling in the values based on \Box
      \hookrightarrow the conditions
         for i in range(len(df)):
              if(df[i][0] == 1 \text{ and } df[i][2] == 1):
                  conf_mat[1][1] += 1
              elif(df[i][0] == 1 \text{ and } df[i][2] == 0):
                  conf_mat[0][1] += 1
              elif(df[i][0] == 0 \text{ and } df[i][2] == 1):
                   conf_mat[1][0] += 1
              elif(df[i][0] == 0 \text{ and } df[i][2] == 0):
```

```
[3]: def get_auc(df, tot_neg, tot_pos, thresholds):

"""

This function takes the dataset, total number of negative points, total

→number of positive points and the unique

threshold values as an input and returns the Area Under Curve Score of the

→dataset.

"""
```

conf_mat[0][0] += 1

return conf_mat

```
# Creating two empty arrays to store the Total Positive Rate(TPR) and the
      → False Positive Rate(FPR)
         tpr, fpr = [],[]
         # Iterating over the unique threshold values
         for threshold in thresholds:
              # Counting the number of false positives and true positives.
              # Initializing them to O each iteration
              fp temp, tp temp = 0.0
              # Iterating over the whole dataset
             for i in range(len(df)):
                  # If the probability is >= threshold i.e., Model predicts 1
                  if(df[i][1] >= threshold):
                      # If the actual value is 1, ie., It's a True Positive.
      \hookrightarrow Incrementing it's value
                      if(df[i][0] == 1):
                          tp_temp += 1
                      # Else if the actual value is 0, i.e., It's a False Positive. \Box
      \hookrightarrow Incrementing it's value
                      elif(df[i][0] == 0):
                           fp\_temp += 1
                  # We don't need the False Negatives and True Negatives.
                  # If the probability is < threshold., we can just break and exit_
      \rightarrow the for loop.
                  # Before breaking, calculating the FPR and TPR values and appending
      \hookrightarrow them to the list.
                  elif(df[i][1] < threshold):</pre>
                      fpr.append(fp_temp/tot_neg)
                      tpr.append(tp_temp/tot_pos)
                      break
         # Calculating the AUC Score using the TPR and FPR lists.
         \# Before calculating, reversing the lists as the default order returns \sqcup
      \rightarrownegative AUC Score
         fpr = fpr[::-1]
         tpr = tpr[::-1]
         return np.trapz(tpr, fpr)
[4]: def get_best_threshold(df, thresholds):
         This function takes the dataset and returns the threshold that gives the
      \rightarrow lowest metric.
         # lowest_a will store the lowest_a value calculated so far. Initially it's \Box
      \rightarrow going to be -1
         lowest a = -1
         # best_threshold will store the threshold value that produced the lowest_a
         best_threshold = 0
```

```
# Iterative over all the thresholds
   for threshold in thresholds:
       # Storing the values of the confusion matrix at each iteration
       # a_temp stores the current A value
       fp_temp, tp_temp, fn_temp, tn_temp, a_temp = 0,0,0,0,0
       # Iterating over the dataset
       for i in range(len(df)):
           # If the probability is >= threshold ie., Model predicts 1
           if(df[i][1] >= threshold):
                # If the actual value is also 1, incrementing the value of True_
\rightarrowPositive
               if(df[i][0] == 1):
                    tp_temp += 1
                # If the actual value is 0, incrementing the value of False,
\rightarrow Positive
               elif(df[i][0] == 0):
                    fp temp += 1
           # If the probability is < threshold ie., Model predicts 0
           elif(df[i][1] < threshold):</pre>
                # If the actual value is 1, incrementing the value of False
\rightarrowNegative
               if(df[i][0] == 1):
                    fn temp += 1
                # If the actual value is alse 0, incrementing the value of True_
\rightarrowNegative
                elif(df[i][0] == 0):
                    tn_temp += 1
       # Calculating the value of a
       a_{temp} = (500*fn_{temp})+(100*fp_{temp})
       \# If the value of a is -1 ie., this is the first iteration
       if(lowest_a == -1):
           # Storing the value of a in lowest_a
           lowest a = a temp
       # Else if the value of a is less than lowest_a
       elif(a temp <= lowest a):</pre>
           # Storing the value of a in lowest_a
           lowest_a = a_temp
           # Storing the threshold in best_threshold
           best_threshold = threshold
   # Returning the best_threshold
   return best_threshold
```

```
[22]: # Importing the dataset using numpy
df_5a = np.genfromtxt('./Datasets/5_a.csv', delimiter=',')
# Removing the first row of the dataset (names of columns)
df_5a = np.delete(df_5a, 0, 0)
```

```
# Making forecasts based on the probability scores and storing them in a preds

→ array

preds_5a = np.array([1 if df_5a[i][1] >= 0.5 else 0 for i in range(len(df_5a))])

# Adding the predictions array to the dataset as a new column

df_5a = np.c_[df_5a, preds_5a]
```

The Confusion Matrix is [[0, 0], [100, 10000]] The F1 Score is 0.9950248756218906

```
[7]: # Sorting the dataset by the probabilites

df_5a_sorted = df_5a[df_5a[:,1].argsort()][::-1]

# Getting the unique probabilites and storing them in a thresholds list

thresholds_5a = np.unique(df_5a_sorted[:,1])

# Getting the total number of Positive and Negative points by summing up the

columns of the Confusion Matrix

tot_neg_5a, tot_pos_5a = conf_mat_5a[0][0]+conf_mat_5a[1][0],

conf_mat_5a[0][1]+conf_mat_5a[1][1]
```

[8]: # Getting the AUC Score using the get_auc function
auc_5a = get_auc(df_5a_sorted, tot_neg_5a, tot_pos_5a, thresholds_5a)
print(f"The AUC Score is {auc_5a}")

The AUC Score is 0.48829900000000004

The accuracy of the dataset is 0.990099009900901

```
[10]: # Importing the dataset using numpy
df_5b = np.genfromtxt('./Datasets/5_b.csv', delimiter=',')
# Removing the first row of the dataset (names of columns)
```

```
df_5b = np.delete(df_5b, 0, 0)
# Making forecasts based on the probability scores and storing them in a preds
→ array
preds_5b = np.array([1 if df_5b[i][1] >= 0.5 else 0 for i in range(len(df_5b))])
# Adding the predictions array to the dataset as a new column
df_5b = np.c_[df_5b, preds_5b]
```

The Confusion Matrix is [[9761, 45], [239, 55]] The F1 Score is 0.2791878172588833

```
[12]: # Sorting the dataset by the probabilites

df_5b_sorted = df_5b[df_5b[:,1].argsort()][::-1]

# Getting the unique probabilites and storing them in a thresholds list

thresholds_5b = np.unique(df_5b_sorted[:,1])

# Getting the total number of Positive and Negative points by summing up the

columns of the Confusion Matrix

tot_neg_5b, tot_pos_5b = conf_mat_5b[0][0]+conf_mat_5b[1][0],

conf_mat_5b[0][1]+conf_mat_5b[1][1]
```

```
[13]: # Getting the AUC Score using the get_auc function
auc_5b = get_auc(df_5b_sorted, tot_neg_5b, tot_pos_5b, thresholds_5b)
print(f"The AUC Score is {auc_5b}")
```

The AUC Score is 0.9376570000000001

The accuracy of the dataset is 0.9718811881188119

C. Compute the best threshold (similarly to ROC curve computation) of probability which gives lowest values of metric A for the given data 5_c.csv

```
[15]: # Importing the dataset using numpy
      df_5c = np.genfromtxt('./Datasets/5_c.csv', delimiter=',')
      # Removing the first row of the dataset (names of columns)
      df_5c = np.delete(df_5c, 0, 0)
      # Making forecasts based on the probability scores and storing them in a preds_{\sqcup}
      \hookrightarrow array
      preds_5c = np.array([1 if df_5c[i][1] >= 0.5 else 0 for i in range(len(df_5c))])
      # Adding the predictions array to the dataset as a new column
      df_5c = np.c_[df_5c, preds_5c]
[16]: # Using the get_conf_mat to get the Confusion Matrix
      conf_mat_5c = get_conf_mat(df_5c)
      # Calculating the Precision by dividing the True Positive by sum of True and
      \rightarrow False positives
      df 5c sorted = df 5c[df 5c[:,1].argsort()][::-1]
      # Calculating the Recall by dividing the True Positive by sum of False Negative
      →and True Positive
      thresholds_5c = np.unique(df_5c_sorted[:,1])
      # Calculating the F1 score by taking the Harmonic Mean of Precision and Recall
      tot_neg_5c, tot_pos_5c = conf_mat_5c[0][0]+conf_mat_5c[1][0],_
       \rightarrow conf_mat_5c[0][1]+conf_mat_5c[1][1]
[17]: # Using the get_best_threshold to get the best threshold value resposssible for
      best_t_5c = get_best_threshold(df_5c_sorted, thresholds_5c)
[18]: best_t_5c
[18]: 0.2300390278970873
[19]: # Importing the dataset using numpy
      df_5d = np.genfromtxt('./Datasets/5_d.csv', delimiter=',')
      # Removing the first row of the dataset (names of columns)
      df_5d = np.delete(df_5d, 0, 0)
[20]: # Storing the mean of actual values in mean_y
      mean_y = np.mean(df_5d[:,0])
      # Initializing the values of ss_total, ss_residual and MAPE to 0
      ss_total, ss_residual, mape, mse = 0, 0, 0, 0
      # Iterating over the dataset
      for i in range(len(df_5d)):
          # Calculating the ss_total, ss_residual and mape numerator
          ss_{total} += (df_{5d[i]}[0] - mean_y)**2
          ss_residual += (df_5d[i][0] - df_5d[i][1])**2
          mape += np.abs(df_5d[i][0] - df_5d[i][1])
      # Calculating the MSE, MAPE and R^2 values
      mse = ss_residual/len(df_5d)
```

```
mape /= np.sum(df_5d[:,0])
r_squared = 1-(ss_residual/ss_total)

[21]: # Printing obtained values
print(f"1. MSE : {mse}\n2. MAPE : {mape}\n3. R^2 : {r_squared}")

1. MSE : 177.16569974554707
2. MAPE : 0.1291202994009687
3. R^2 : 0.9563582786990964

[]:
```