

The CMS experiment was designed to be able to measure muons with a good precision. Your task is to study whether the Higgs boson can be detected in the LHC Run 3 with 13.6 TeV center-of-mass energy with the discovered mass $m_H = 125 \text{ GeV}/c^2$ in the $H \rightarrow \mu\mu$ decay channel.

The main backgrounds for this channel are the γ^*/Z (Drell-Yan) and $t\bar{t}$ production. Assume that the collected amount of data will be $\sim 300 \text{ fb}^{-1}$.

1. What is the expected number of events for each dataset?

The events are triggered with a HLT_DoubleIsoMu20_eta2p1 trigger with symmetric thresholds: $|\eta| < 2.1$ and $p_T > 20 \text{ GeV}/c$ for both muons. Ignore the isolation (Iso) at this point.

Create generator-level datasets with events passing the trigger for

- a) signal
- b) Drell-Yan background
- b) $t\bar{t}$ background

Store the events in a ROOT TTree.

What is the trigger efficiency for the signal?
(6 points)

2. Analyze your data.

- a) Identify the signal muons. Take as the muon candidates the muons in the event. Apply the following operations and standard selection criteria to each of the muon candidates:
 - Simulate the muon measurement error by applying 1% Gaussian smearing to their momenta and 2 mrad Gaussian smearing to their angles θ and ϕ .
 - Selection of the two signal muons: Require that the muon candidates satisfy $p_T > 30 \text{ GeV}/c$.
 - Track isolation: Require that the sum of the momenta of charged pions within $\Delta R < 0.3$ of a muon candidate is smaller than $1.5 \text{ GeV}/c$ in p_T ; after this criterion at least two muon candidates have to exist in the event

Report the number of events passing the selection. (6 points)

- b) Reconstruct the invariant mass $M_{\mu\mu}$. Produce a ROOT histogram of $M_{\mu\mu}$ with correct normalization (i.e. that each entry in the histogram corresponds to a correct amount of cross-section in fb). Plot two invariant mass distributions in the same figure: the background only, and the sum of the signal and background. (6 points)
- c) Fit the signal+background and background only $M_{\mu\mu}$ histograms with appropriate functions over an appropriate mass range.

Choose a reasonable mass window and calculate the number of signal and background events.

Estimate the statistical significance of the signal peak with the naive expression $N_S/\sqrt{N_B}$, where N_S and N_B are the number of signal and background events, respectively. (6 points)

3. If the data were real data, you'd have to present your work to the world-wide scientific community. Reason why the scientific community should believe in your results. Can you convince yourself? Why/why not? How would you improve your study to make it more realistic? (6 points)

Please use a git repository, or make a gzipped tar-ball of all of your files (except the datasets) and return it by email to: Sami.Lehti@cern.ch. Include in your answer a written description how you proceed and where you argument any non-trivial choice you make.