

Section, Name and ID#:

AMERICAN UNIVERSITY OF ARMENIA
College of Science and Engineering
CS 120 Introduction to Object-Oriented Programming
MIDTERM EXAM

Date / Time:

Friday, March 17 2017 at 17:30

Duration:

2 hours

Attention:

ANY TYPE OF COMMUNICATION IS STRICTLY PROHIBITED

Write down your section, name and ID# at the top of all used pages

Participation:

Problem 1: Consider below a C++ function `float kahan(float num1, float num2, float& compensation)` that implements the *Kahan Summation Algorithm* for high-precision compensated summation of two float arguments `float num1` and `float num2`:

```
float kahan(float num1, float num2, float &compensation)
{
    float result;
    num2 -= compensation;
    result = num1 + num2;
    compensation = (result - num1) - num2;
    return result;
}
```

Using this function, write a C++ function `float e(int n)` that computes the value e by the following formula:

$$e = \sum_{k=0}^n \frac{1}{k!} = \frac{1}{1} + \frac{1}{1} + \frac{1}{1*2} + \frac{1}{1*2*3} + \dots$$

Recall that the factorial of non-positive numbers equals to 1 by definition.

The initial value of `float compensation` is 0.0.

1) factorial function

2) for loop,

```
float e(int n) {
```

```
    float result;
```

```
    float gum1, gum2, result4, compensation = 0.0;
```

```
    for(int i=0; i<=n; i++) {
```

```
        gum1 = 1/factorial(i);
```

```
        gum2 = 1/factorial(i+1);
```

```
        result4 = kahan(gum1, gum2, compensation);
```

```
    }
```

```
    return result4;
```

```
}
```

$gum1 = 0$

$gum1 = float(0, 1, com.)$

$gum2 = 1$

$gum2 = i+1$

$$\frac{1}{0!} + \frac{1}{1!} + \frac{1}{2!} = \frac{2}{3} + \frac{1}{4}$$

$$0 \rightarrow 2, 1 \rightarrow 2+$$

Assume we

have factorial

function.

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Problem 2: Write a Java method `public static double[] mean(double[] data)` that takes as its argument an array of data points `double[] data`, and returns a two-element array – the first element being the mean value of the data points and the second element being the standard deviation. The standard deviation σ of n numbers a_i is computed as:

$$\sigma = \sqrt{\frac{\sum_{i=0}^{n-1} (a_i - \text{mean})^2}{n}}$$

1) takes any `double[] data` (firstly in main)
 2) returns 2 elem arr. (in main)
 Scanner input = new Scanner(System.in);
 int n;
 n = input.nextInt();
 double[] data = new double[n];
 for (int i = 0; i < n; i++)
 {
 data[i] = input.nextDouble();
 }
 mean = $\frac{i + i + 1 + \dots}{n}$

```
public static double[] mean(double[] data) {
```

```
    double mean_val = 0; stand_val = 0;
```

```
    double sum = 0; double result = new double[2];
```

```
    for (int i = 0; i < data.length; i++)
```

```
    {  
        sum += data[i];
```

```
        mean_val = sum / data.length;
```

```
        stand_val += sqrt((data[i] - mean_val) * (data[i] - mean_val) / data.length);
```

```
    }  
    result[0] = mean_val;
```

```
    result[1] = stand_val;
```

```
    return result;
```

```
}
```


1. Computes the center – the mean x and y vertex coordinates;
2. Returns the difference between the maximal and minimal distances from the center to the vertices.
- You may assume and use a method `double dist(double x1, double y1, double x2, double y2)` that takes as its arguments coordinates of two points and returns the distance between them.

for loop that will compute dists for vert.

$$\text{mean}_y = \overbrace{y_1} + \overbrace{y_2} + \dots + \overbrace{y_n} \quad \text{For loop}$$

2) 4/5th max-x, vertex, row 1 - by 6
max-y row 2 - by any min. jump
dist(max-x, max-y, min-x, min-y)

```

5) for (int col = 0; col < vertex[0].length; col++) {
    max_x += vertex[0][col] / vertex[0].length;
    min_y += vertex[1][col] / vertex[1].length;
}

```

```

2) for (int col = 0; col < vertex[0].length; col++) {
    if (vertex[0][col] < vertex[0][col+1]) {
        max_x = vertex[0][col+1];
    }
    if (vertex[1][col] < vertex[1][col+1]) {
        max_y = vertex[1][col+1];
    }
}

```

don't needed

anybody min. handup.

```
result = dist((max-x, max-y, min-x, min-y));
```


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Problem 4: Implement the following Java methods that swap element values between two 2D integer arrays of the same size `int[][] a` and `int[][] b`:

1. `public static void swap(int[][] a, int[][] b, int row, int col)` – swaps element values from the specified row `int row` and column `int col`;
2. `public static void swapCol(int[][] a, int[][] b, int col)` – swaps all element values from the specified column `int col`;
3. `public static void swapRow(int[][] a, int[][] b, int row)` – swaps all element values from the specified row `int row`. Get a bonus, if `swapRow()` performs faster than `swapCol()`.

```
1) public static void swap(int[][] a, int[][] b, int row, int col) {  
    a[row][col] += b[row][col];  
    b[row][col] = a[row][col] - b[row][col];  
    a[row][col] = a[row][col] - b[row][col];  
}
```

```
2) public static void swapCol(int[][] a, int[][] b, int col) {  
    for (int row = 0; row < a.length; row++) {  
        swap(a[row][col], b[row][col], row, col);  
    }  
}
```

```
3) public static void swapRow(int[][] a, int[][] b, int row) {  
    for (int col = 0; col < a[row].length; col++) {  
        swap(a[row][col], b[row][col], row, col);  
    }  
}
```

swap

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