

Name and, if possible, ID#: _____

AMERICAN UNIVERSITY OF ARMENIA
College of Science and Engineering
COMP120 Introduction to Object-Oriented Programming

FINAL EXAM

Date: Monday, May 18 2015
Starting time: 09:20
Duration: 1 hour 40 minutes
Attention: **ANY TYPE OF COMMUNICATION IS PROHIBITED**
Please write down your name at the top of all used pages

4/15

Problem 1

Consider below a *public interface Valuable* that includes the only method *public double value(double x)*:

```
public interface Valuable {  
    public double value(double x);  
}
```

- 1.1 Implement a *public class Function* that encapsulates a member variable of type *Valuable* and computes its integral in the specified range from x_1 to x_2 using the approximation:

$$\int_{x_1}^{x_2} f(x) dx \approx \frac{x_2 - x_1}{6} \left(f(x_1) + 4f\left(\frac{x_1 + x_2}{2}\right) + f(x_2) \right)$$

```
public class Function {  
    private Valuable f;  
    private double dx;  
  
    public Function(Valuable newValuable, double newDX) {  
        //TO BE IMPLEMENTED  
    }  
  
    public double integral(double x1, double x2) {  
        //TO BE IMPLEMENTED  
    }  
}
```

- 1.2 Implement an expression

$$\sqrt{x^2 + a} + \sqrt{x^2 + b}$$

as a *public class Roots* that implements the interface *Valuable* and encapsulates double parameters *a* and *b*. The parameters are initialized by the two-argument constructor *public Roots(double newA, double newB)*;

- 1.3 In a separate *public static void main(String args[])* write a code that inputs two double values, creates an object of type *Roots* and, using the class *Function*, prints the value of its integral from $x_1 = 1.0$ to $x_1 = 2.0$:

```
public static void main(String args[]) {  
    Scanner input = new Scanner(System.in);  
    double a = input.nextDouble(), b = input.nextDouble();  
  
    //TO BE COMPLETED  
}
```

Use the backside, if needed

Page 1 of 4

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0, double num D0)

```
DX = new DX; if?  
    return value(double DX); }  
public double integral(double x1, double x2) {  
    fX2 = f.value(x2);  
    fX1 = f.value(x1);  
    return ((x2 - x1) / 6) * (value(x1) + 4 * value((x1 + x2) / 2) + value(x2)); }
```

```
public class Roots {  
    private Valuable f;  
    private double a;  
    private double b;  
    public Roots(double newA, double newB) {  
        a = newA;  
        b = newB; integral()?  
        return (sqrt(x * x + a) + sqrt(x * x + b)); }  
}
```

```
int x = Roots(a, b);  
double x1 = 1.0;  
double x2 = 2.0;  
int result = Function(x1, x2);  
System.out.print(result);  
}
```


Problem 2

```
public class ChessPiece {
```

```
private Rectangle field;
private Polygon base;

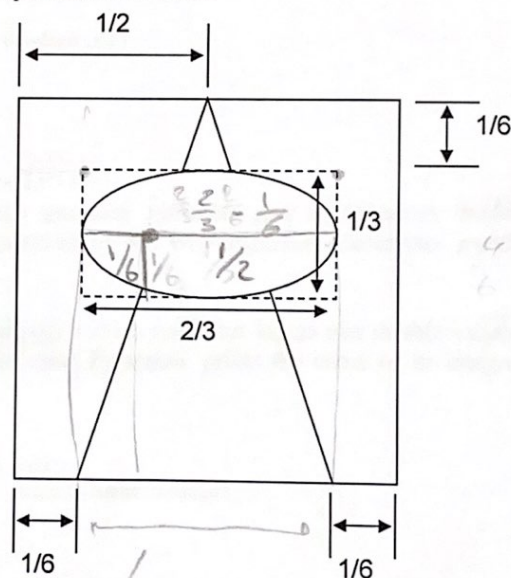
public ChessPiece(int size) {
    field = new Rectangle(size, size);
    base = new Polygon(); //initially empty polygon
    base.addPoint(size / 6, size); //left vertex of the base
    base.addPoint(5 * size / 6, size); //right vertex of the base
    base.addPoint(size / 2, 0); //top vertex of the base
}

public void drawBase(Graphics g) {
    g.drawRect(field.x, field.y, field.width, field.height);
    g.drawPolygon(base);
}

public void drawCap(Graphics g) {
}

public void draw(Graphics g) {
    g.drawBase(g);
    g.drawCap(g);
}
```

A diagram of a triangle with a horizontal base and a vertical height. The height is labeled $\frac{1}{2}$. The base is divided into three segments: the left segment is labeled $\frac{1}{6}$, the middle segment is labeled $\frac{1}{6}$, and the right segment is labeled $\frac{1}{6}$.


$$\frac{2}{3} - \frac{1}{3} = \frac{1}{3}$$

ssPiece {

public Bishop (int size)

base = new Oval(); ^{Cap?}

base.addPoint (size/3, size/3); //center }

public void drawCap (Graphics g) } ^{Cap?}

g.drawOval (field.x, field.y, field.width, field.height);

g.fillOval (field.x-1, field.y-1, field.width, field.height);

}

2

