

Section, Name and ID#:

data → array

AMERICAN UNIVERSITY OF ARMENIA  
College of Science and Engineering  
CS 120 Introduction to Object-Oriented Programming  
MIDTERM EXAM

Date / Time:

Friday, March 17 2017 at 17:30

Duration:

2 hours

Attention:

**ANY TYPE OF COMMUNICATION IS STRICTLY PROHIBITED**

Write down your section, name and ID# at the top of all used pages

Participation:

**Problem 1:** Consider below a C++ function `float kahan(float num1, float num2, float& compensation)` that implements the *Kahan Summation Algorithm* for high-precision compensated summation of two float arguments `float num1` and `float num2`:

```
float kahan(float num1, float num2, float &compensation)
{
    float result;
    num2 -= compensation;
    result = num1 + num2;
    compensation = (result - num1) - num2;
    return result;
}
```

Using this function, write a C++ function `float pi(int n)` that computes the value  $\pi$  by the following formula:

$$\pi = 16 \sum_{k=0}^n \frac{(-1)^k}{(2k+1)5^{2k+1}} - 4 \sum_{k=0}^n \frac{(-1)^k}{(2k+1)239^{2k+1}} = \left(\frac{16}{1*5} - \frac{4}{1*239}\right) - \left(\frac{16}{3*5^3} - \frac{4}{3*239^3}\right) + \left(\frac{16}{5*5^5} - \frac{4}{5*239^5}\right) - \dots$$

The initial value of `float compensation` is `0.0`.

```
float pi(int n)
{
    float num1 = 0;
    float num2 = 0;
    for (int k=0; k<=n; k++)
    {
        float n1 = 16 * (pow(-1, k)) / ((2*k+1) * pow(5, 2*k+1));
        float num1 += n1;
    }
    for (int j=0; j<=n; j++)
    {
        float n2 = 4 * pow(-1, j) / ((2*j+1) * pow(239, 2*j+1));
        num2 += n2;
    }
}
```

Use the backside, if needed

արցախ 2 քեր քեր կարգի

Problem 1 of 4

kahan ֆունկցիոն կարգի 2

քեր քեր =>  $\pi - \pi$

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3



**Problem 2:** Write a Java method `public static double[] expReg(double[] data)` that takes as its argument an array of data points `double[] data`, and returns a two-element array – the first element being the exponent of an exponential regression and the second element being the amplitude. The exponential regression approximates the data points by a formula

$$y = a e^{mx},$$

where the exponent  $m$  and the amplitude  $a$  are computed as

$$m = \frac{\overline{xy} - \bar{x}\bar{y}}{\overline{x^2} - \bar{x}^2} \quad a = \bar{y} - m\bar{x}$$

Here  $\bar{x}$  is the mean of the  $x$  coordinates,  $\bar{y}$  is the mean of the natural logarithm of  $y$  coordinates,  $\overline{x^2}$  is the mean of the squares of the  $x$  coordinates, and  $\overline{xy}$  is the mean of the products of the  $x$  and natural logarithm of  $y$  coordinates. Use the element indices of the array `double[] data` as  $x$  coordinates and the element values as  $y$  coordinates. For natural logarithm, use the method `double Math.log()`.

Both result elements are zeros, if at least one data element is non-positive.

```

public static double[] expReg(double[] data) {
    double[] result = new double[2];
    result[0] = 0;
    for (int i = 0; i < data.length; i++) {
        if (data[i] <= 0) {
            result = {0, 0}; only once
        }
        else {
            // calculate mean X and mean Y
            // mean X
            for (int j = 0; j < data.length; j++) {
                meanX += j;
            }
            meanX = meanX / data.length;

            // mean Y
            for (int i = 0; i < data.length; i++) {
                meanY += Math.log(data[i]);
            }
            meanY = meanY / data.length;
        }
    }
    return result;
}

```

Use the backside, if needed



```

meanX2 {
    for (int i=0; i < data.length; i++) {
        meanX2 += pow(i, 2);
    }
    meanX2 = meanX2 / data.length;
}

```

```

{
    for (int i=0; i < data.length; i++) {
        meanXY += i * Math.log(data[i]);
    }
    meanXY = meanXY / data.length;
}

```

```

result[0] = (meanXY - meanX * meanY) / (meanX2 - pow(meanX, 2));

```

```

result[1] = meanY - meanX * result[0];

```

```

return result;

```

```

}

```

```

}

```

```

}

```

3





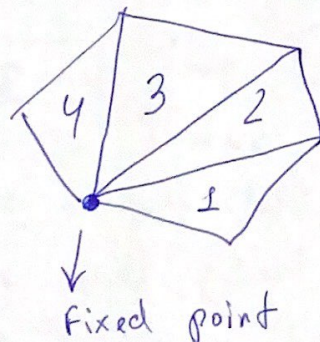


միանոց շրջան կառուցելու: Այս պե՛ս 3 կետ  
 համար պայծառ պետք ունի, ապա ջրակն polygon-ի  
 շրջան 5: համարակն պետք աջ շրջան 5 շրջան  
 polygon-ի:

Չնայած հետևյալն ու առկա ժողովրդական  
 P.S. օգտակար ըմբռնումներ, որ կոչ ջրակն  
 polygon-ի շրջան 5, ապա աջ շրջան 3  
 կառուցում կառուցում թե՛ 5: → Բնական  
 ըմբռնում ջրակն կառուցումներն ունի 5 թե՛ 5 և թե՛  
 25: Եթե ոչ ապա polygon-ի թե՛ 5 և 25:

առկա օպերացիան թե՛ 5-ի համար ժողովրդական ըմբռնում  
 թե՛ 5-ի և ջրակն ու կրթական հետևյալն ըմբռնում աջ կետ  
 ու կետ հետևյալն 2 աջ կետ կառուցում: Եթե հետևյալ  
 կետեր թե՛ 5 կառուցում: Այսպիսով առկա Polygon-ի  
 թե՛ 5-ի ջրակն կառուցում: Օգտակար ըմբռնում առկա  
 ջրակն թե՛ 5-ի առկա համար ջրակն կառուցում  
 շրջան 5 և թե՛ 25

2





Section, Name and ID#: \_\_\_\_\_

**Problem 4:** Write a Java method `public static void magicOdd(int[][] square)` that creates a magic square of an *odd* size using the following algorithm:

1. The number 1 goes in the middle of the top row;
2. All numbers are then placed one *column to the right* and *one row up* from the previous number;
3. Whenever the next number placement is above the top row, stay in the same column and place the number in the bottom row (note the place of 2 instead of the shaded location);
4. Whenever the next number placement is outside of the rightmost column, stay in the same row and place the number in the leftmost column (note the place of 3 instead of the shaded location);
5. When encountering an already filled-in square, place the next number directly below the previous number;
6. When the next number position is outside both a row and a column, place the number directly beneath the previous number (note the place of 7 instead of the shaded location).

`square[0][0]`

	9	2	7
8	1	6	8
3	5	7	3
4	9	2	

~~square~~

$$\text{square}[i][j] = \text{square}[i-1][j-1] + 1$$

```
public static void magicOdd(int[][] square) {
```

```
    int[][] magic-square;
```

```
    for (int i = 0; i < square.length; i++)
```

magic-square[i][0] = 1;

for (int j = 1; j < square[i].length; j++)

magic-square[i][j] = magic-square[i][j-1] + 1;

for (int k = 0; k < magic-square[i].length; k++)

magic-square[i][k] = magic-square[i][k-1] + 1;

return magic-square;

}

$$\text{square}[i][j] = \text{square}[i-1][j-1] + 1$$

Use the backside, if needed

Problem 4 of 4

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1