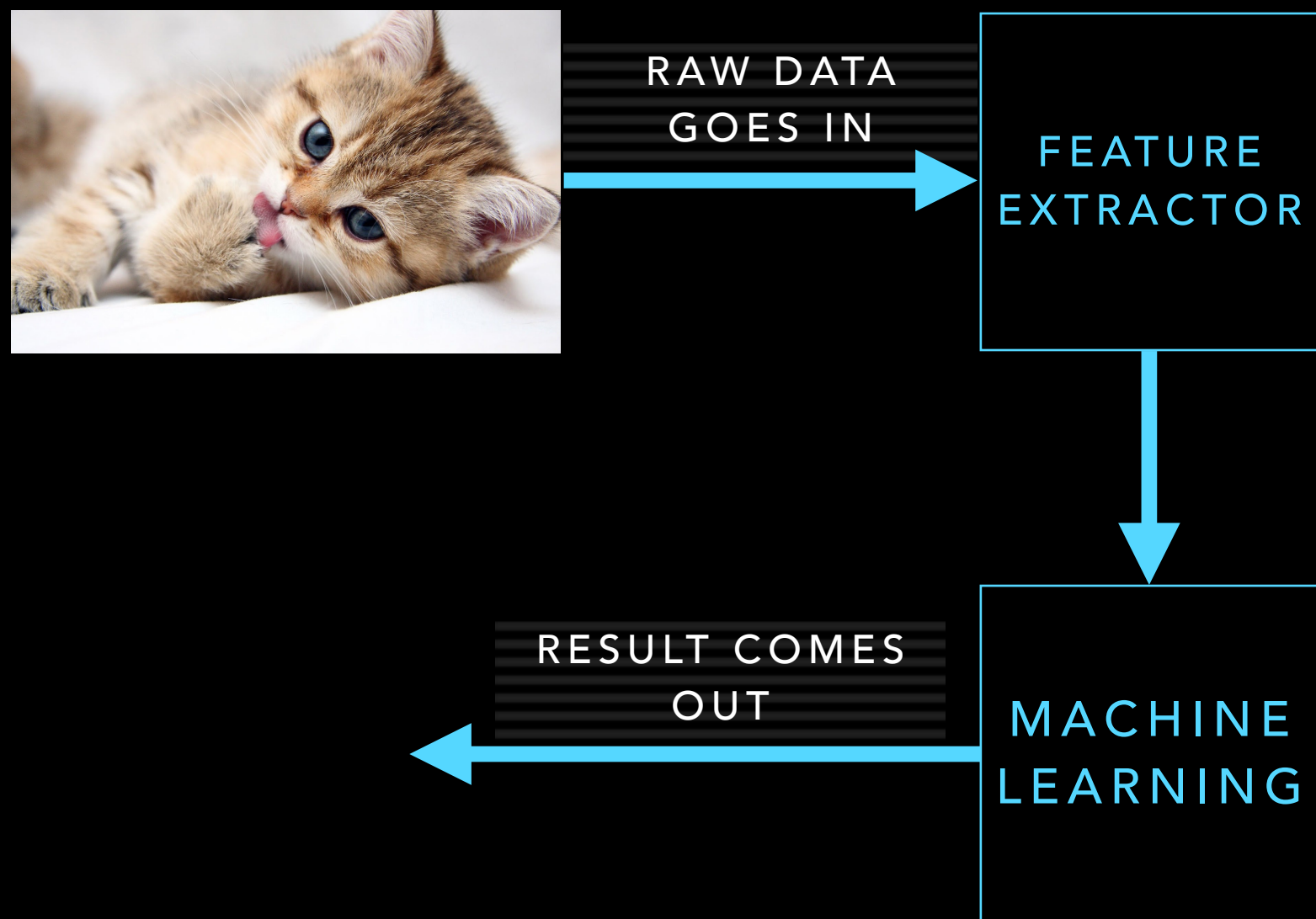


# Many applications involving machine learning take the following form:



NUMERIC FEATURES

- We can encode multiple numeric measurements in vector form:  $[m_1, m_2, m_3, \dots]$
- If the measurements come from different domains (e.g. windspeed (m/s), power output (kW), etc) we need to be careful to standardise the measurements
  - A difference of 1m/s is very different to a difference of 1kW!

BINARY FEATURES

- For binary features we can build binary vectors  
[0,1,1,0,...]
- Each element corresponds to something that can be measured in the original data (and is either present or absent)

# CATEGORICAL FEATURES

- How can we encode features that can take one value from a set of  $N \geq 2$  choices?
- We could choose to represent each value with a numeric index {A->0, B->2, C->3,...}
- But this is perhaps not the best option unless we believe that A is closer to B than A is to C

- Solution: One Hot Encoding
  - Map each value to a vector in which the values are all 0, except for a single element with a 1 in the position that represents that value.
  - For example, taking the mapping {A->0, B->1, C->2}, the value "B" can be encoded as [0,1,0]
  - All encodings are equally as distant from each other
    - We can think of this encoding as an idealised probability distribution when the possible values are independent of each other



# ASIDE: SIMILARITY

- What about if we have prior knowledge about similarities?
- For example, "Dalmatian" is closer to "Poodle" than it is to "Horse"
- There are alternative embedding strategies that allow this to be exploited....