Data Visualization

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- ► A useful non-tidyverse way of getting all of these statistics at once is the summary() function.

```
summary(bluebikes$tripduration / 60)
## Min. 1st Qu. Median Mean 3rd Qu. Max.
```

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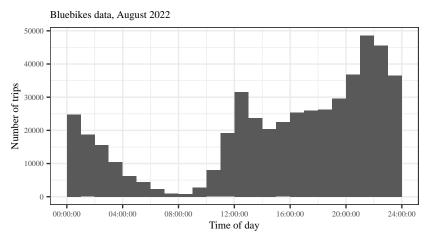
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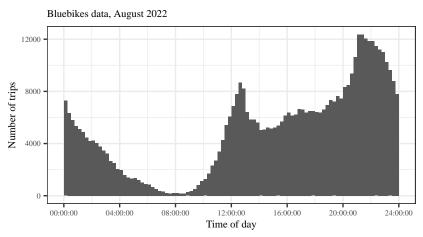
- ▶ But if we want to know about a variable's entire **distribution**, then data visualization can come in handy.
- ▶ Data visualization is also useful to explore *relationships* among variables.
- Different data types are better suited to different types of visualizations.
- Which types of visualization are you already familiar with?

For visualizing distributions of numeric variables, **histograms** are the most common choice.

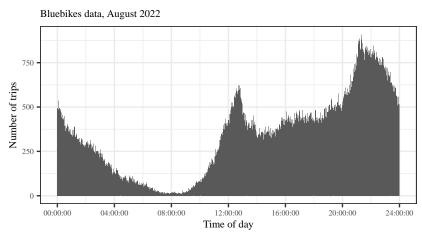
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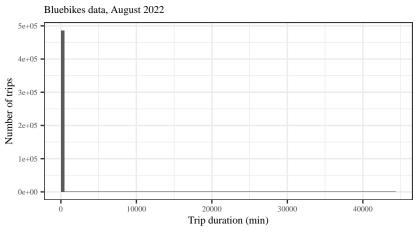


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It's best to experiment with a number of different bin sizes and choose whichever one looks "smooth" but still captures important features of the distribution.

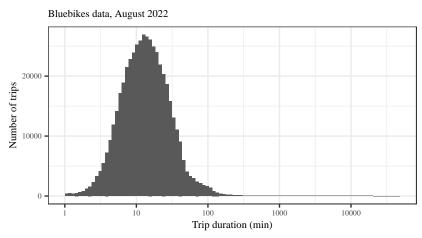
Here is another example from the Bluebikes dataset. What is the problem?



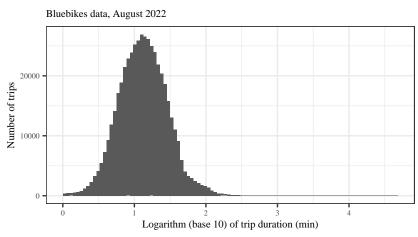
Here is another example from the Bluebikes dataset. What is the problem?

##		tripduration_days
##	1	30.50566
##	2	28.73723
##	3	27.89666
##	4	27.45263
##	5	27.20837
##	6	27.17883
##	7	26.63780
##	8	26.31271
##	9	26.03485
##	10	25.81250

In cases like these, it can be helpful to use a logarithmic scale:



Using a logarithmic scale is essentially equivalent to **log transforming** the data; i.e., replacing each of the values with their logarithm:



Producing readable plots

Here is a good time to point out some features that make for good, readable figures:

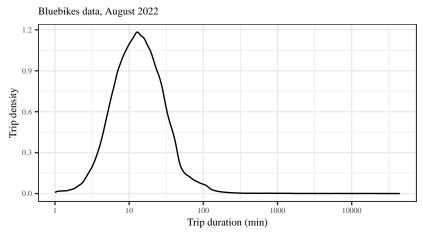
Always label your axes and include units (sec, min, hrs, etc.)

Producing readable plots

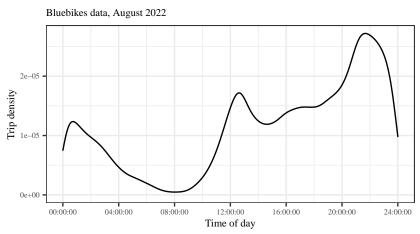
Here is a good time to point out some features that make for good, readable figures:

- Always label your axes and include units (sec, min, hrs, etc.)
- Always include a title that gives the context

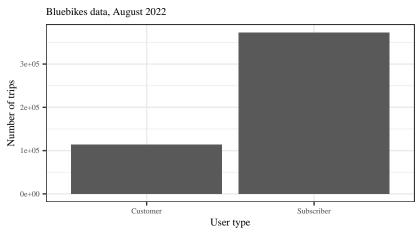
Another option for numeric variables is a **density plot**, which is more mathematically complex and cannot be plotted by hand, but usually gives "smooth" results without tinkering. Which do you prefer?



Density plots are not totally "automatic," however. Can you find the problem here?



For discrete data such as factors, histograms are not an option. One possibility is a bar plot:

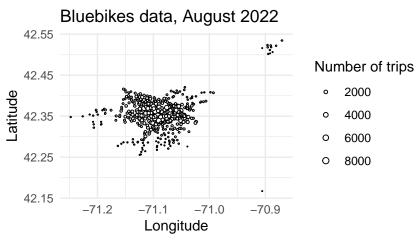


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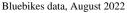
Do you prefer the bar plot or a simple table?

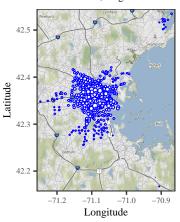
There are 436 stations, so a bar plot would look terrible. Any ideas for how to visualize the number of trips per station?

We have geographic coordinates; we might as well use them...



Even better:





Number of trips

- o 2000
- O 4000
- O 6000
- 0 8000

We've looked at continuous (numeric and datetime) variables and discrete variables (factors, but also logical and some integer variables). So we have three possibilities:

Relate two continuous variables

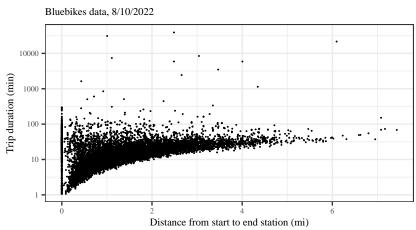
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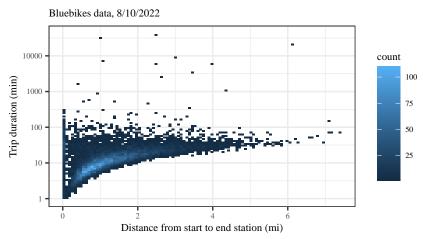
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- Relate two discrete variables

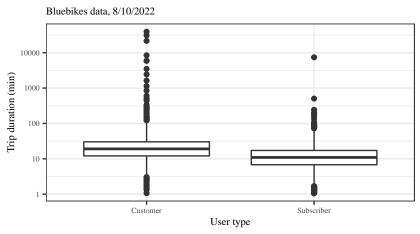
To compare two numeric variables, a **scatterplot** is often your best choice. If there is a dependent and independent variable (i.e., cause and effect), the convention is to put the independent variable on the x-axis:



With large datasets, we need to be wary of **overplotting**. The previous example looks better plotted as a **two-dimensional histogram**:



A **boxplot** is a traditional way to compare a numeric variable across several levels of a factor variable:



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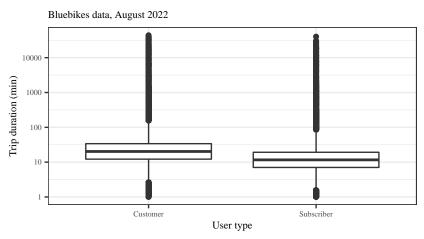
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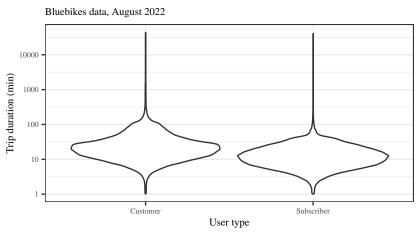
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- ▶ All other points are **outliers** (lying beyond 1.5 IQR of the first and third quartiles).

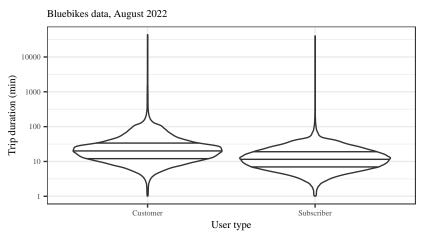
Boxplots were designed to be drawn by hand, and are not very well suited to huge datasets. In particular, the definition of "outlier" seems pretty arbitrary:



The **violin plot** is a more modern invention. Unlike the boxplot, it cannot be drawn by hand and requires sophisticated computations. However, it does a better job of showing the overall shapes of the distributions:

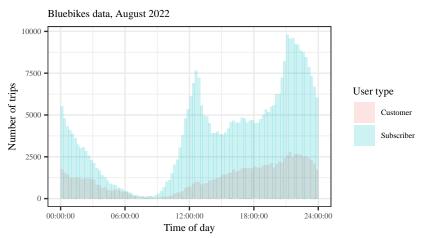


We can show quantiles as well:

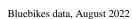


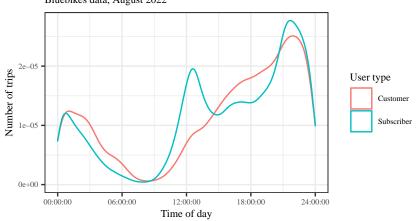
What if we're interested in the relationship between user type and time of day? Box plots and violin plots don't make much sense (why?). Any ideas?

We can use overlapping histograms:



Or overlapping density plots:





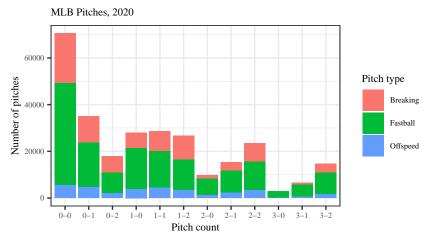
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Showing relationships between two discrete variables that are both factors might be trickiest. Sometimes it's best to just go with a table:

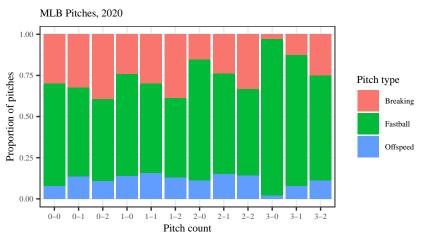
275

554

A stacked bar chart can also be a good choice.



If we're less interested in overall numbers, we can show proportions instead. Any further suggestions for improving this figure?



We can split up balls and strikes and show three variables in a **mosaic plot**:

