

# Information and Communication Technology

## Class XI-XII

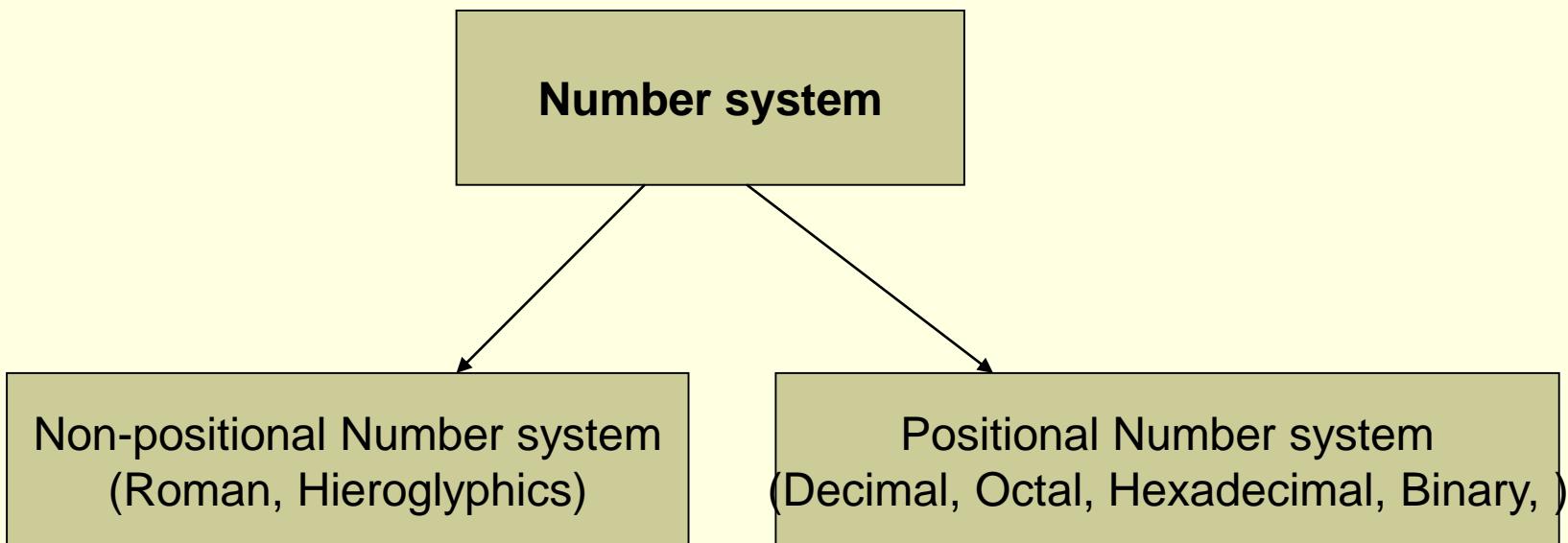


Chapter-3  
Number system

# Number system

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- A number system is a method for counting, expressing and calculating numbers.



# Non-positional number system

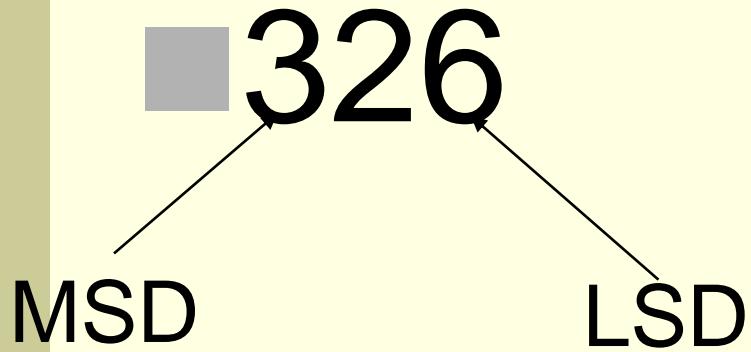
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- **Non-positional number system** is a numeral system where the position of a digit does not affect its value. Each symbol has a fixed value
  
- **Example:**
- Roman number system.
- Hieroglyphics (number system of ancient Egypt)

# Positional number system

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- **Positional number system** is a numeral system where the position of a digit determines its value, depending on the base of the system.
- **Example:**
  - Binary
  - Octal
  - Decimal
  - Hexadecimal



- LSD = Least Significant Digit
- MSD = Most Significant Digit

- LSB = Least Significant Bit
- MSB = Most Significant Bit

- $(9114)_{10}$
- What is 4 of this number ?
- Ans: LSB
- What is 9 of this number ?
- Ans: MSB

# Base of number system

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- **Base** of a number is defined as the **total** number of digits (basic symbols) used in that number system.
  
- **Example:**
- There are 10 digits in decimal number system
  - i.e. 0,1,2,3,4,5,6,7,8,9
- So **base** of decimal number system is **10**

- 
- The important factors in calculating the value of a positional number system are:
    - The base
    - The position of each digit
    - The value of the number

# Different number systems & their base

Number system	Used Symbols	Base	Example
Binary	0 and 1	2	$(1010101)_2$
Octal	0,1,2,3,4,5,6,7	8	$(5071)_8$
Decimal	0,1,2,3,4,5,6,7,8,9	10	$(8193)_{10}$
Hexadecimal	0,1,2,3,4,5,6,7,8,9 , A,B,C,D,E,F	16	$(3A7C)_{16}$

# Explain

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- 3 base number system.
- N based number system
  
- bit 0/1
  
- Byte= 00000000
- 11111111
- 10101010

- 3 base number system:
- Total 3 basic symbols is used in 3 base number system that is 0,1 and 2.
- Example:
  - $(21)_3$

- N base number system:
- Total N basic symbols is used in N base number system that is 0,1,2,3.....N-1
- Example:
- $(216)_N$

# Why Binary number system is used in Computer?

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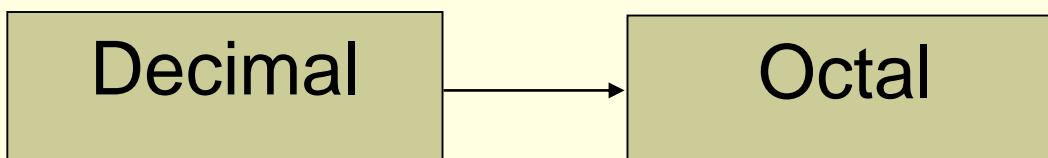
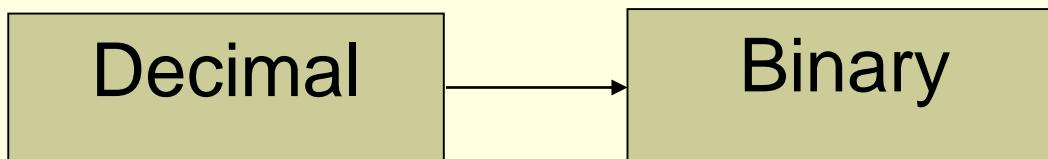
it is easy to make computer understand 2 states(0 and 1)

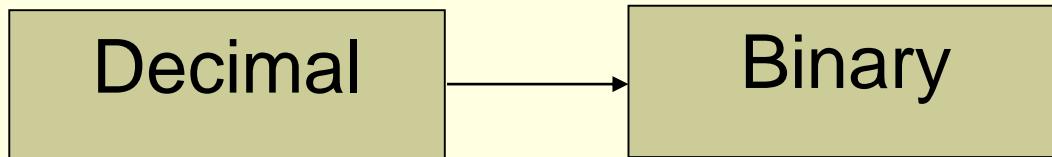
- Only 2 symbols used in Binary number system
- That is: 0 and 1
- 0= Absent of electricity
- 1= present of electricity

- The decimal number system is not suitable for computers because it has 10 different digits (0 to 9).
- To use decimal, a computer would need to handle 10 different levels of electricity, which is very difficult and unreliable.

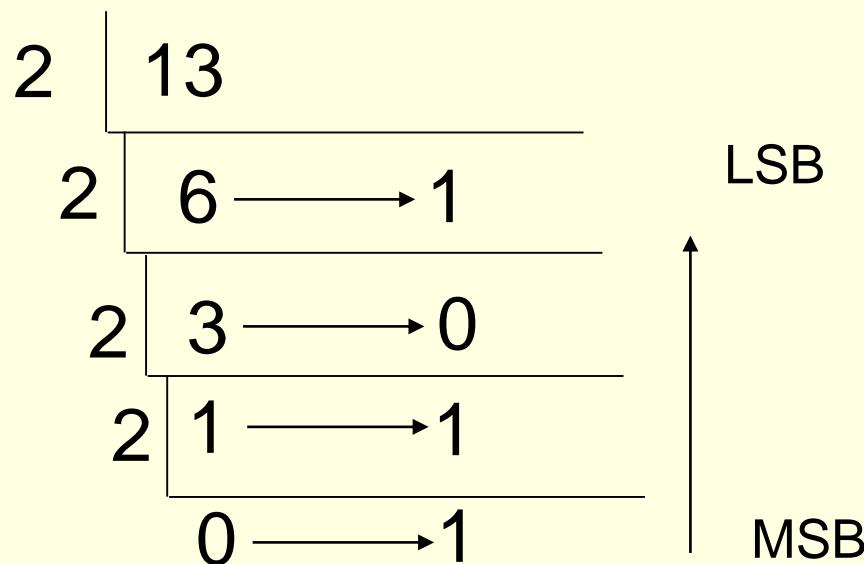
# Rule#1

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■  $(13)_{10} = (?)_2$

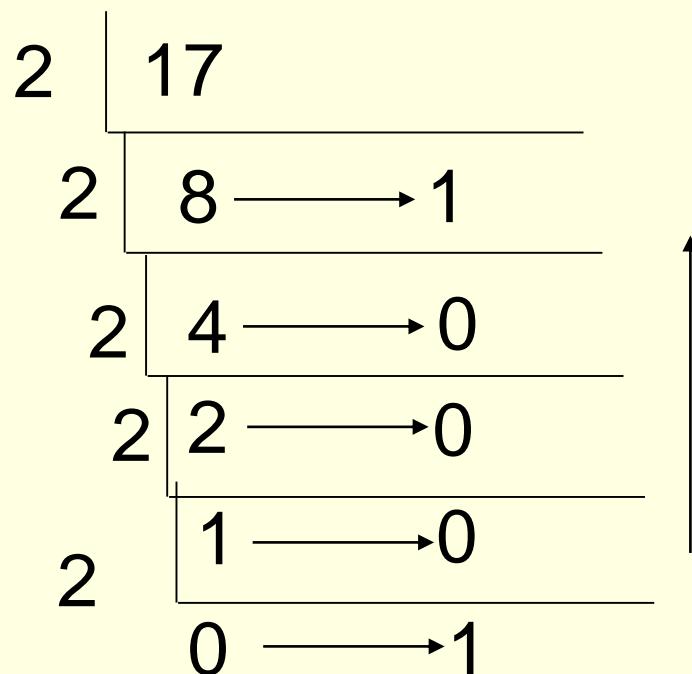


Ans:  $(13)_{10} = (1101)_2$

Decimal

Binary

■  $(17)_{10} = (?)_2$



Ans:  $(17)_{10} = (10001)_2$

$$2) (133.0625)_{10} = (?)_2$$

A vertical diagram for binary conversion. On the left, the divisor '2' is written vertically above each step. To the right of the first step, the dividend '133' is shown. Subsequent steps show the quotient and remainder: 66 (remainder 1), 33 (remainder 0), 16 (remainder 1), 8 (remainder 0), 4 (remainder 0), 2 (remainder 0), and finally 1 (remainder 0). The remainders are connected by arrows pointing to the right, indicating the binary digits from bottom to top.

$$\begin{array}{r} 133 \\ \hline 2 | 66 \rightarrow 1 \\ \hline 33 \rightarrow 0 \\ \hline 16 \rightarrow 1 \\ \hline 8 \rightarrow 0 \\ \hline 4 \rightarrow 0 \\ \hline 2 \rightarrow 0 \\ \hline 1 \rightarrow 0 \\ \hline 0 \rightarrow 1 \end{array}$$

$$(133)_{10} = (10000101)_2$$

$$(0.0625)_{10} = (?)_2$$

A handwritten multiplication process:

	.0625
	x 2
0	.125
	x 2
0	.25
	x 2
0	.5
	x 2
1	0

The process shows the multiplication of .0625 by 2 five times, resulting in 1.0. An arrow points from the left towards the multiplication steps.

$$(.0625)_{10} = (.0001)_2$$

**Ans:  $(133.0625)_{10} = (10000101.0001)_2$**

$$3) (173.46)_{10} = (?)_2$$

$$\begin{array}{r} 2 \Big| 173 \\ \hline 86 \longrightarrow 1 \\ \hline 43 \longrightarrow 0 \\ \hline 21 \longrightarrow 1 \\ \hline 10 \longrightarrow 1 \\ \hline 5 \longrightarrow 0 \\ \hline 2 \longrightarrow 1 \\ \hline 1 \longrightarrow 0 \\ \hline 0 \longrightarrow 1 \end{array}$$

$$(173)_{10} = (10101101)_2$$

$$(.46)_{10} = (?)_2$$

	.46
	x 2
0	.92
	x 2
1	.84
	x 2
1	.68
	x 2
1	.36
	x 2
0	.72
	x 2
1	.44

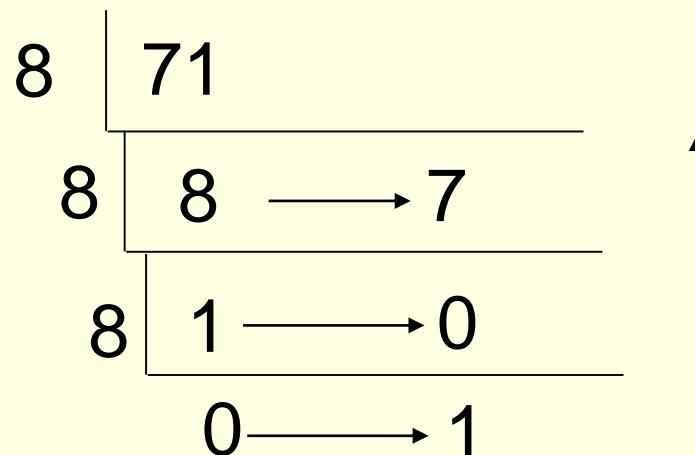
$$(.46)_{10} = (.011101\dots)_2$$

Ans:  $(173.46)_{10} = (10101101.011101\dots)_2$

Decimal

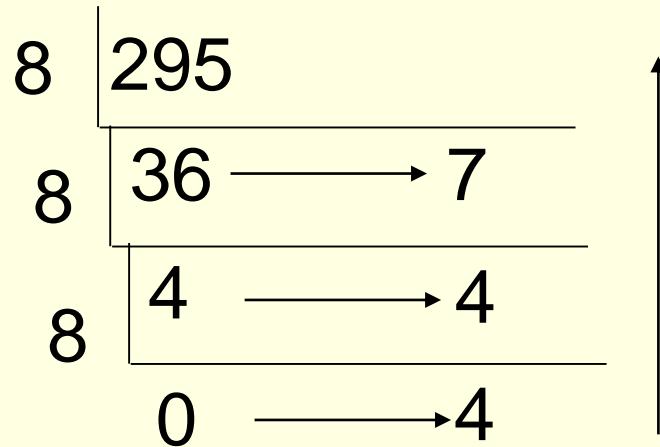
Octal

■ 1)  $(71)_{10} = (?)_8$



Ans:  $(71)_{10} = (107)_8$

$$2) (295.03125)_{10} = (?)_8$$



A vertical division algorithm diagram for base 8 conversion. It shows the division of 295 by 8, with successive quotients 36, 4, and 0, and remainders 7, 4, and 4 respectively. An arrow points upwards from the bottom right towards the quotient 7.

8	295
8	36 → 7
8	4 → 4
0	→ 4

$$(295)_{10} = (447)_8$$

$$(.03125)_{10} = (?)_8$$

A handwritten multiplication diagram. On the left, a vertical arrow points downwards. To its right, the number  $.03125$  is written above the multiplication symbol ( $\times$ ). Below it, the number  $8$  is written. A horizontal line separates the first row from the second. In the second row, the digit  $0$  is aligned with the decimal point. To its right, the product  $.25$  is written. Another horizontal line separates the second row from the third. In the third row, the digit  $2$  is aligned with the tens column. To its right, the digit  $0$  is written.

$$(.03125)_{10} = (.02)_8$$

Ans:  $(295.03125)_{10} = (447.02)_8$

# Decimal to Octal

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- $(367.23)_{10} = ( ? )_8$
- $(557.165605\dots\dots\dots)_8$

Decimal

Hexadecimal

■ 1)  $(251)_{10} = (?)_{16}$

$$\begin{array}{r} 16 \mid 251 \\ \hline 16 \mid 15 \longrightarrow 11(B) \\ \hline 0 \longrightarrow 15(F) \end{array}$$

Ans:  $(251)_{10} = (FB)_{16}$

$$2) (411.015625)_{10} = (?)_{16}$$

A vertical division algorithm diagram for base 16 conversion of the decimal number 411. The divisor is 16. The quotient digits are 25, 1, and 0, which correspond to the hexadecimal digits B, 9, and 1 respectively. The remainders are 11 and 0.

411
25
1
0

16      16      16      |

25 —————→ 11(B)

1 —————→ 9

0 —————→ 1

$$(411)_{10} = (19B)_{16}$$

$$(.015625)_{10} = (?)_{16}$$

A handwritten multiplication diagram. On the left, there is a vertical arrow pointing downwards. To its right, the number  $.015625$  is written above a multiplication sign  $\times 16$ , which is positioned above a horizontal line. Below this line, the product  $.25$  is written, followed by another multiplication sign  $\times 16$ , and another horizontal line. Below this second line, the result  $0$  is written. To the left of the first multiplication step, the digit  $0$  is written above the decimal point. To the left of the second multiplication step, the digit  $4$  is written above the decimal point.

$$(.015625)_{10} = (.04)_{16}$$

Ans:  $(411.015625)_{10} = (19B.04)_{16}$

$$3) (555.23)_{10} = (?)_{16}$$

A handwritten diagram showing the division of 555 by 16 to find the quotient and remainder. The first division step shows 555 divided by 16, resulting in a quotient of 34 and a remainder of 2. An arrow points from the remainder 2 to the next step. The second division step shows 34 divided by 16, resulting in a quotient of 2 and a remainder of 0. An arrow points from the remainder 0 to the final result. A vertical arrow on the right indicates the final result is 22B.

16   555	↑
16   34 → 11(B)	
16   2 → 2	
0 → 2	

$$(555)_{10} = (22B)_{16}$$

$$(.23)_{10} = (?)_{16}$$



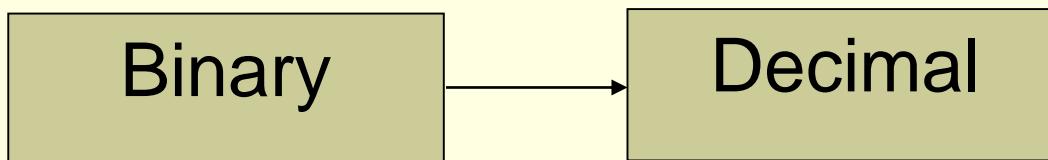
	.23
	x 16
3	.68
	x 16
(A) 10	.88
	x 16
(E) 14	.08
	x 16
1	.28
	x 16
4	.48
	x 16
7	.68

$$(.23)_{10} = (.3AE147\dots)_{16}$$

Ans:  $(555.23)_{10} = (22B.3AE147\dots)_{16}$

# Rule#2

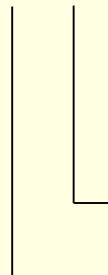
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- $(101)_2 = (?)_{10}$

- 1 0 1



$$2^0 \times 1 = 1$$

$$2^1 \times 0 = 0$$

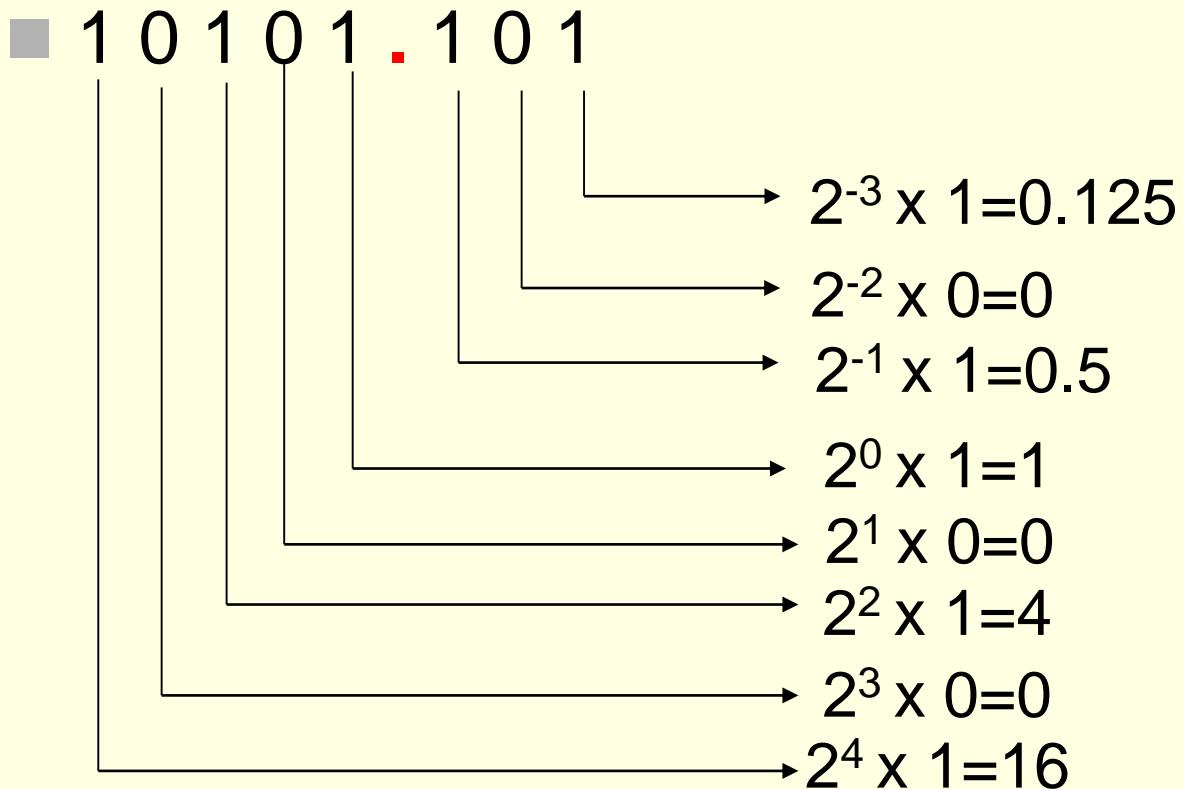
$$2^2 \times 1 = 4$$

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5

- **Ans:**  $(101)_2 = (5)_{10}$

$$(10101.101)_2 = (?)_{10}$$



21.625



- $(507)_8 = (?)_{10}$

- 5 0 7

$$\begin{aligned} & 8^0 \times 7 = 7 \\ & 8^1 \times 0 = 0 \\ & 8^2 \times 5 = 320 \end{aligned}$$

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$$327$$

- **Ans:**  $(507)_8 = (327)_{10}$

$$(7432.106)_8 = (?)_{10}$$

7 4 3 2 . 1 0 6



$$8^{-3} \times 6 = 0.0117$$



$$8^{-2} \times 0 = 0$$



$$8^{-1} \times 1 = 0.125$$



$$8^0 \times 2 = 2$$



$$8^1 \times 3 = 24$$



$$8^2 \times 4 = 256$$



$$8^3 \times 7 = 3584$$

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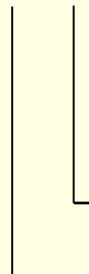
$$3866.1367$$

Hexadecimal

Decimal

- (A2C)<sub>16</sub> = ( ? )<sub>10</sub>

- A 2 C



$$16^0 \times 12 = 12$$

$$16^1 \times 2 = 32$$

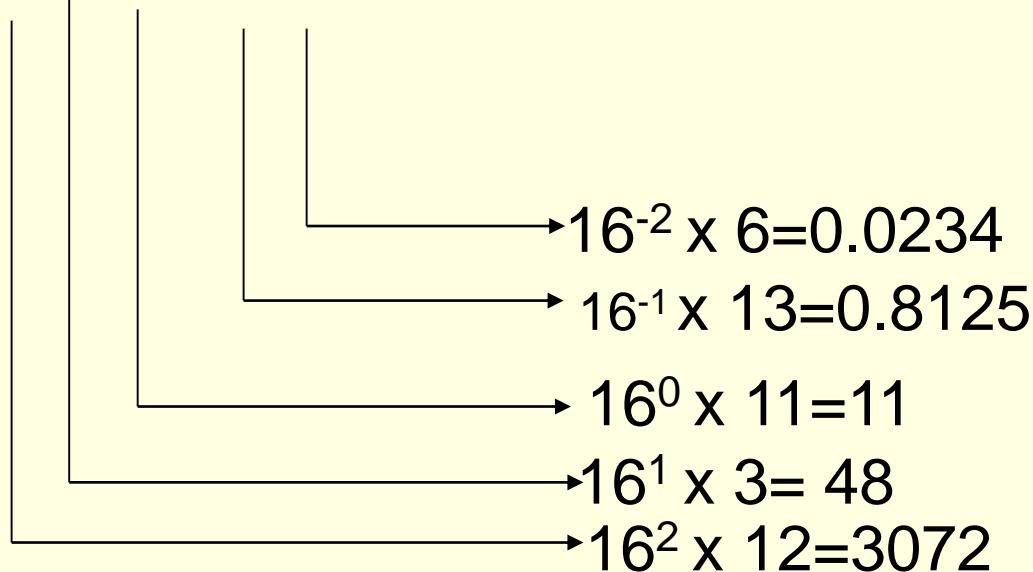
$$16^2 \times 10 = 2560$$

$$\hline 2604$$

- Ans:** (A2C)<sub>16</sub> = (2604)<sub>10</sub>

$$(C3B.D6)_{16} = (?)_{10}$$

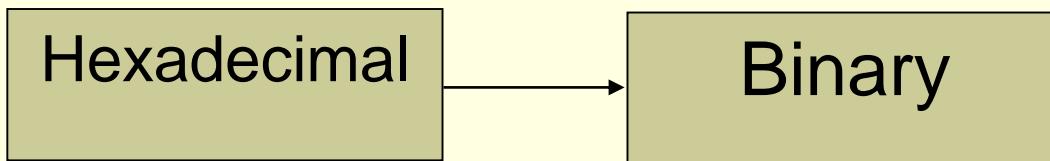
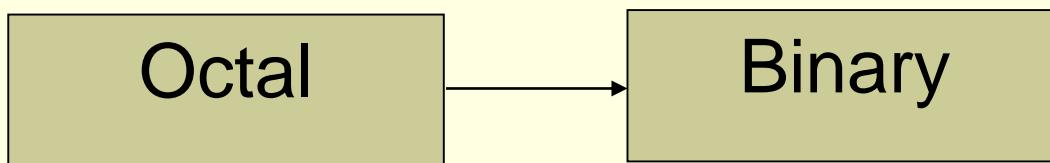
C 3 B . D 6

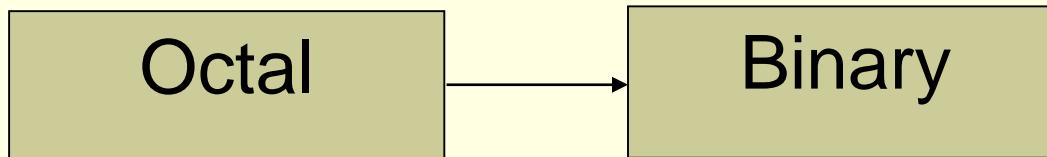


3131.8359

# Rule#3

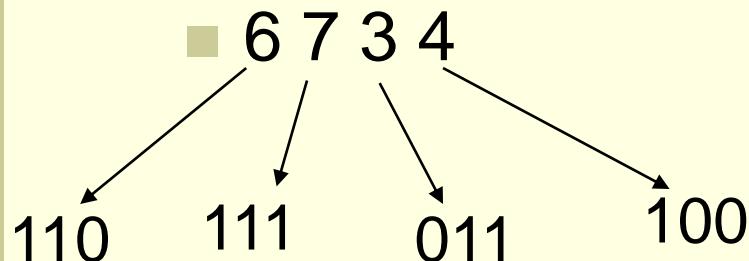
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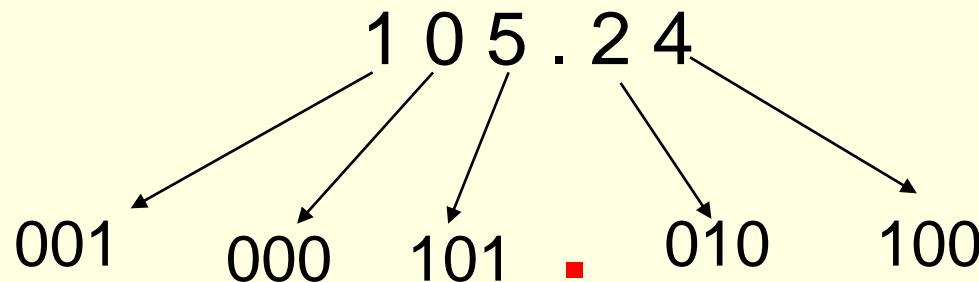


■  $(6734)_8 = (?)_2$

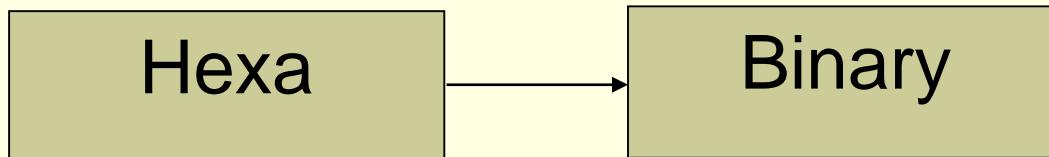
4	2	1
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Ans:  $(110111011100)_2$



Ans:  $(001\ 000\ 101.\ 010\ 100)_2$



■  $(6F3E)_{16} = (?)_2$

6 F 3 E  
↓ ↓ ↓ ↓  
0110 1111 0011 1110

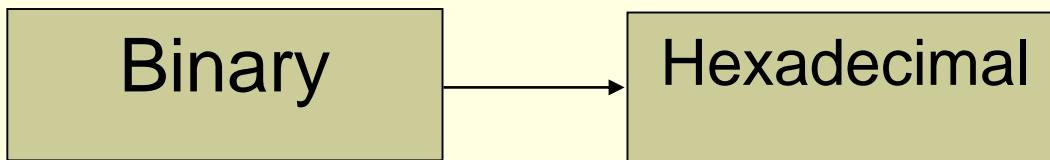
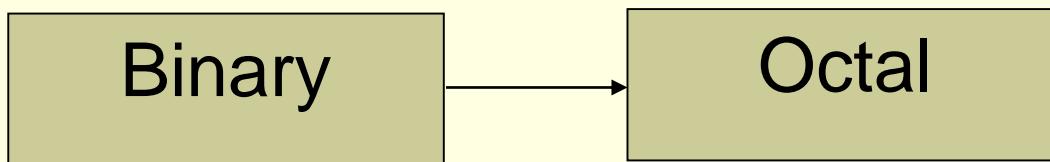
Ans:  $(0110111100111110)_2$

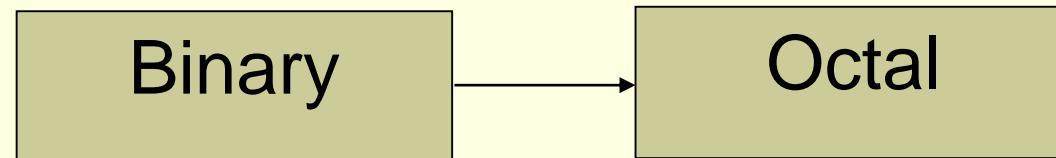
B 0 C . 1 9  
↓ ↓ ↓ ↓ ↓ ↓  
1011 0000 1100 . 0001 1001

Ans: 1011 0000 1100.0001 1001

# Rule#4

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■ 11101

4	2	1
---	---	---

■ 011 101

$\underbrace{\phantom{0}}_3$      $\underbrace{\phantom{0}}_5$

3    5

Ans:

$$(11101)_2 = (35)_8$$

4	2	1
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■ 1011001

■ 001 011 001

1      3      1

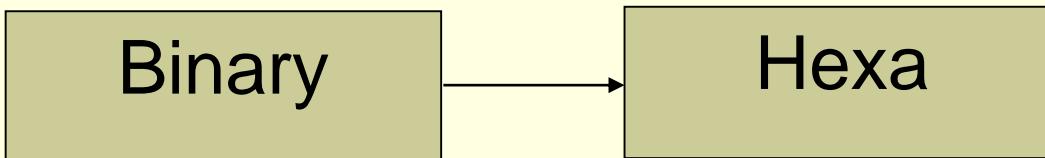
■ Ans:  $(131)_8$

■ 1110111.10001

4	2	1
---	---	---

■ 001 110 111. 100 010  
    1      6      7      4      2

Ans: (167.42)<sub>8</sub>



111100

8	4	2	1
---	---	---	---

0011 1100  
\_\_\_\_\_  
3        12(C)

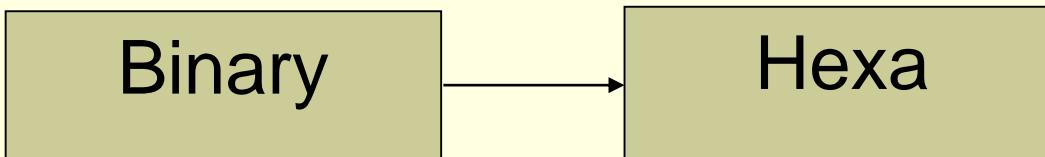
Ans: (3C)<sub>16</sub>

8	4	2	1
---	---	---	---

■ 1111101

■ 0111 1101  
          7               13(D)

■ Ans: 7D



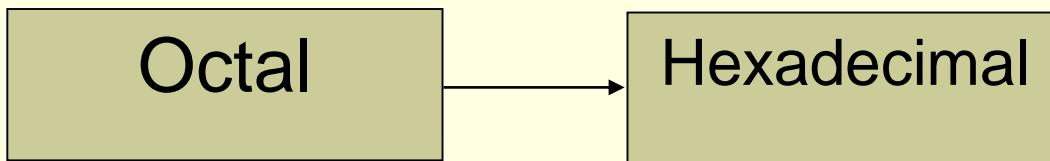
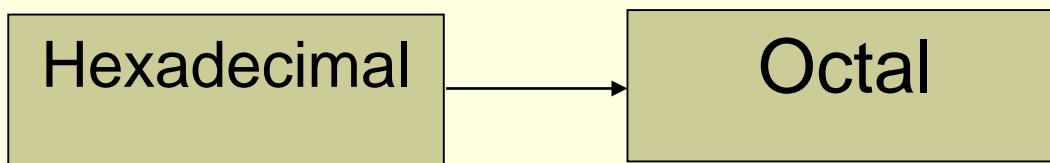
1 1 1 1 1 0 1.1 1 1 1 1 1 1

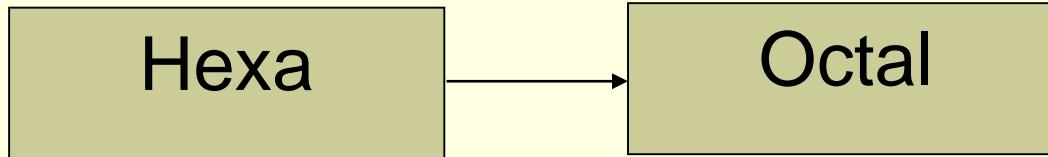
0111 1101. 1111 1110  
7 13(D) 15(F) 14(E)

Ans: 7D.FE

# Rule#5

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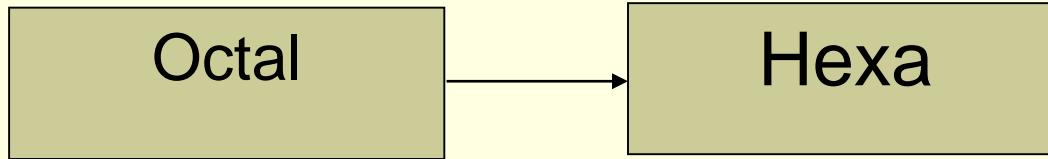




- $AB.CD = ( ? )_8$

- $\begin{array}{cccc} A & B & . & C & D \end{array}$   
1010 1011. 1100 1101

- $\begin{array}{cccccc} 010 & 101 & 011. & 110 & 011 & 010 \\ \hline 2 & 5 & 3 & . & 6 & 3 & 2 \end{array}$



■  $(67.56)_8 = (?)_{16}$

6 7 . 5 6  
↓ ↓ ↓ ↓  
110 111 . 101 110

0011 0111 . 1011 1000  
3 7 11(B) 8

Ans: 37.B8

# Rules of Binary Addition

$$\begin{array}{r} 0 \\ 0 \\ \hline C=0 \quad S=0 \end{array}$$

$$\begin{array}{r} 0 \\ 1 \\ \hline C=0 \quad S=1 \end{array}$$

$$\begin{array}{r} 1 \\ 1 \\ \hline C=1 \quad S=0 \end{array}$$

$$\begin{array}{r} 1 \\ 1 \\ \hline C=1 \quad S=1 \end{array}$$

# Add $(11011)_2$ and $(1101)_2$

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$$\begin{array}{r} 11011 \\ 1101 \\ \hline 101000 \end{array}$$

Ans:  $(101000)_2$

Add  $(101010)_2$  and  $(111011)_2$

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$$\begin{array}{r} 101010 \\ 111011 \\ \hline 1100101 \end{array}$$

Ans: 1100101

Add  $(101.11)_2$  and  $(1111.1011)_2$

---

$$\begin{array}{r} 1101.11 \\ 1111.1011 \\ \hline 10101.0111 \end{array}$$

Ans:10101.0111

---

1 0 1 1 . 1 0 1 1  
1 1 1 . 1 0 1

---

10 0 1 1 . 0 1 0 1

# Explain

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- $6+5+3=1110$

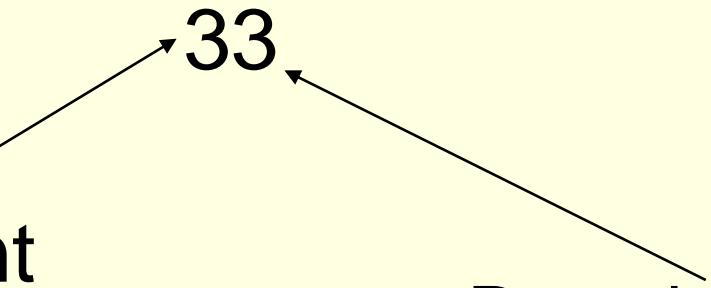
- $1+7=10$

# Add 2 Octal numbers

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$$\begin{array}{r} 16 \\ 15 \\ \hline 33 \end{array}$$

Quotient added                          Remainder here



# OCTAL ADDITION

---

■ 6 7 5

■ 4 7 7

---

1 3 7 4

---

 5 4 3 7 7 0 6 3

---

 1 4 5 2 2

# Hexa addition

---

■ A D 8 3 F 2 1

■ 0 5 7 E B 8 7

---

■ B 3 0 2 A A 8

---

 A C 5 A 9 E D 6 9 4

---

1 9 9 C 3 D

# Rules of Binary Subtraction

$$\begin{array}{r} 0 \\ - 1 \\ \hline 0 \end{array}$$

$$\begin{array}{r} 1 \\ - 0 \\ \hline 1 \end{array}$$

$$\begin{array}{r} 0 \\ - 1 \\ \hline 1 \end{array}$$

Borrow

Subtract  $(111)_2$  from  $(1011)_2$

---

1 0 1 1

1 1 1

---

1 0 0

Ans: 100

Subtract  $(111)_2$  from  $(1101)_2$

---

$$\begin{array}{r} 1101 \\ - 111 \\ \hline 110 \end{array}$$

Ans: 110

# Subtract (101110) from (1011011)

---

$$\begin{array}{r} 1011011 \\ - 101110 \\ \hline 0101101 \end{array}$$

---

 100100 111111

---

 100101

---

 1 1 . 0 1 1 0 . 1 1

---

0 0 . 1 0

---

 1 0 0 . 0 1 1 1 . 1 1

---

0 1 0 . 1 0

# Subtract (1011.110) from (11011.001)

---

$$\begin{array}{r} 11011.001 \\ 1011.110 \\ \hline \end{array}$$
$$01111\cdot011$$

---

■ 1 0 1 0 1 . 1 1 1

1 0 0 1 . 1 0 1

---

1 1 0 0 . 0 1

Add  $(+13)_{10}$  and  $(-7)_{10}$  by 2's complement method using 8 bit register

---

$$+13 = 00001101$$

$$+7 = 00000111$$

$$\begin{array}{r} +7 = 0\ 0\ 0\ 0\ 0\ 1\ 1\ 1 \\ \downarrow \quad \downarrow \quad \downarrow \quad \downarrow \quad \downarrow \quad \downarrow \quad \downarrow \\ 1\ 1\ 1\ 1\ 1\ 0\ 0\ 0 \end{array} \quad (1\text{'s complement})$$

$+1$

---

$$-7 = 1\ 1\ 1\ 1\ 1\ 0\ 0\ 1 \quad (2\text{'s complement})$$

$$\begin{array}{r} +13 = 00001101 \\ -7 = 11111001 \\ \hline +6 = \textcircled{1} \textcircled{0} 0000110 \\ \text{Carry bit} \quad \text{sign bit} \end{array}$$

Ans  $(+6)_{10}$  or  $(00000110)_2$

Add  $(+17)_{10}$  and  $(-23)_{10}$  by 2's complement method using 8 bit register

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$$17 = 00010001$$

$$23 = 00010111$$

$$11101000 \quad (1\text{'s complement})$$

1

---

$$-23 = 11101001 \quad (2\text{'s complement})$$

---

$17 = 00010001$

$-23 = 11101001$

---

$-6 = 11111010$

Ans: -6 or 11111010

$(-12)_{10}$  and  $(-7)_{10}$

---

$$+12 = 0\ 0\ 0\ 0\ 1\ 1\ 0\ 0$$

$$\begin{aligned} &= 1\ 1\ 1\ 1\ 0\ 0\ 1\ 1 \text{ (1's complement)} \\ &\quad + 1 \end{aligned}$$

---

$$-12 = 1\ 1\ 1\ 1\ 0\ 1\ 0\ 0 \text{ (2's complement)}$$

$$+7 = 0\ 0\ 0\ 0\ 0\ 1\ 1\ 1$$

$$\begin{aligned} &= 1\ 1\ 1\ 1\ 1\ 0\ 0\ 0 \text{ (1's complement)} \\ &\quad + 1 \end{aligned}$$

---

$$-7 = 1\ 1\ 1\ 1\ 1\ 0\ 0\ 1 \text{ (2's complement)}$$

---

 $-7 = 1\ 1\ 1\ 1\ 1\ 0\ 0\ 1$  $-12 = 1\ 1\ 1\ 1\ 0\ 1\ 0\ 0$ 

---

 $-19 = \underline{1}1\ 1\ 1\ 0\ 1\ 1\ 0\ 1$ 

Carry

Ans: -19 or 1 1 1 0 1 1 0 1

Add  $(-12)_{10}$  and  $(-5)_{10}$  by 2's complement method using 8 bit register

---

■  $+12 = 00001100$   
 $= 11110011$  (1's complement)

$$\begin{array}{r} +1 \\ \hline -12 = 11110100 \end{array}$$

$+5 = 00000101$   
 $= 11111010$  (2's complement)

$$\begin{array}{r} +1 \\ \hline -5 = 11111011 \end{array}$$

■  $-12 = 11110100$

■  $-5 = 11111011$

---

■  $-17 = 11101111$

Carry Bit

■ Ans: 11101111

Subtract  $(9)_{10}$  from  $(13)_{10}$  by 2's complement using addition method

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■  $(+13) - (+9)$

■  $(+13) + (-9)$

■  $+13 = 00001101$

■  $+9 = 00001001$

11110110 (1's Complement)

$$\begin{array}{r} +1 \\ \hline \end{array}$$

$-9 = 11110\ 111$  (2's Complement)

■ +13 = 0 0 0 0 1 1 0 1

■ -9 = 1 1 1 1 0 1 1 1

---

■ 4 = 1 0 0 0 0 0 1 0 0

Carry Bit

■ Ans: 4 = 0 0 0 0 0 1 0 0

# Determine difference $(77)_8$ And $(A2)_{16}$ in addition method

---

■ A2= 1 0 1 0 0 0 1 0

■ 77= 0 0 1 1 1 1 1 1

■ 1 1 0 0 0 0 0 0 (1's complement)

+1

---

■ 1 1 0 0 0 0 0 1 (2's complement)

■ A2= 1 0 1 0 0 0 1 0

■ 1 1 0 0 0 0 0 1

■ 1 0 1 1 0 0 0 1 1

Carry  
Bit

# Subtract (-17) from (-23) by 2's complement using 8 bit register

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- $(-23) - (-17)$
- $(-23) + (+17)$
- $23 = 0\ 0\ 0\ 1\ 0\ 1\ 1\ 1$ 
  - $= 1\ 1\ 1\ 0\ 1\ 0\ 0\ 0$  (1's Complement)
    - $+1$ 

---
    - $= 1\ 1\ 1\ 0\ 1\ 0\ 0\ 1$  (2's Complement)

■  $-23 = 11101001$

■  $+17 = 00010001$

---

■  $-6 = 11111010$

■ Ans:  $-6 = 11111010$

# Subtract (-12) from (+15) by 2's complement using 8 bit register

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- $(+15) - (-12)$
- $= (+15) + (+12)$

# Binary subtraction by 2's Complement

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- Subtract  $(1101)_2$  from  $(11101)_2$  by 2's Complement

$$\begin{array}{r} 00001101 \\ 11110010 \quad \text{(1's complementation)} \\ \hline 11110011 \quad \text{(2's complementation)} \end{array}$$

0	0	0	1	1	1	0	1
1	1	1	1	0	0	1	1

---

1

0 0 0 1 0 0 0 0

Carry bit

Ans: 0 0 0 1 0 0 0

# Subtract $(110)_2$ from $(1110)_2$ by 2's complement using 8 bit register

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- $1110 = 00001110$

- $110 = 00000110$

$$\begin{array}{r} 11111001 \\ \hline 11111111 \end{array}$$

# Advantage of 2's Complement

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- Simple circuit and works faster
- less expensive mechanism
- Use same circuit for converting positive to negative and vise versa
- Use same circuit for both addition and subtraction

# Explain

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- 2's complement methods makes digital circuit simple.
- Only sign of a number is changed by 2's complement

# Stem:

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- Professor of ICT was teaching number system in class. He asked Imran about his marks in half-yearly and yearly examinations. Imran informed him that he scored  $(37)_8$  in half yearly and 3F in final exam.
- C) Convert Imran's half yearly marks in hexadecimal
- D) Is Imran marks in final exam greater than  $(72)_{10}$  or not? What are the difference between them?

# JB 2019

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- Rumi and Jhumi scored  $(72)_{10}$  and  $(72)_8$  in test examination. Their roll in class is  $(37)_8$  and  $(3A)_{16}$
- c) convert their roll in traditional number system.  $(31)_{10}$ ,  $(58)_{10}$
- D) is it possible to find difference of their marks by addition ?

- ICT teacher was teaching Number system in class (XI). But he asked the Roll number of a student by being annoyed at his inattentiveness. The student replied  $(31)_{10}$ . Then on being asked by the teacher about the roll number of his previous class, he replied  $(15)_{10}$ . Then the teacher told him that his bad result was due to his inattentiveness.
- (c) Express the roll number of the student of running class in Binary number system.
- (d) Evaluate the change in their result of the student in the Stimuli finding out the difference of the roll number of the two classes only through addition.

Become of natural disaster in 2016 the farmers suffered a lot of damage:

<b>Farmer</b>	<b>crop</b>	<b>Area Damaged</b>
Mr. Ali	Potato	$(42)_{10}$ Hector
Mr. Jamil	Rice	$(253)_8$ Hector
Mr. Hasib	Tomato	$(E3)_{16}$ Hector
Mr. Jalil	Carrot	$(110)_2$ Hector

- c) Subtract land of Mr. Jalil from land of Mr. Ali in 2's complement system.
- d) Between Mr. Jamil and Mr. Hasib who become looser?

- Ages of Sumi, Sumi's father and mother are  $(10)_{16}$ ,  $(100)_8$  and  $(2F)_{16}$  years respectively.
- (c) Convert the age of Sumi's mother into octal.
- (d) How many times is the age of Sumi's father than that of Sumi? Analyze.

- Roni gets idea about different number system in his ICT class, According to this idea, the age of his sister is  $(110101)_2$  and the age of his brother is  $(53)_8$ . Roni and his brother purchase two school bags of the same brand and model by  $(207)_{16}$  and  $(510)_{10}$  Tk. accordingly from different stalls.
- (c) Find out the difference between the ages of Roni's brother and sister from the stem using addition system.
- (d) Find out the price of their school bags in octal-system and give your opinions.

- ‘X’, ‘Y’ and ‘Z’ are 3 friends. They went Bazar . X purchased books of Tk  $(110110)_2$ , Y purchased books of  $(36)_8$  and Z purchased tk A9.
- Between X and Y who spent more money?
- $(110110) \quad (011\ 110)$
- What are the total price of X, Y and Z’s book in Octal ? (375)

# Stem:

---

- ICT teacher said each of the three students to write one positional number each. Students wrote  $(1010110)_2$ ,  $(77)_8$  and  $(1C)_{16}$ .
- Subtract third number from 2<sup>nd</sup> number using 2's complement method.
- According to the stern, whether the addition of first and third number is the largest or the smallest from second number? Analyze.

## Stem:

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■ Monthly Telephone bill of Mr. Zaman Tk(705.75)<sub>10</sub>. While going to purchase a laptop for Mobin, saw that RAM(3FF) and (1247)<sub>8</sub> is written on 1<sup>st</sup> and 2<sup>nd</sup> laptop.

- C) Convert telephone bill in to Hexadecimal
- D) Which laptop is better?

```
1101010101010010100010  
1001011100001000100101  
0101010101001011100011  
010001010010101110001001  
01010101000011110101010  
0101010101010100100011
```

Code

# Code

---

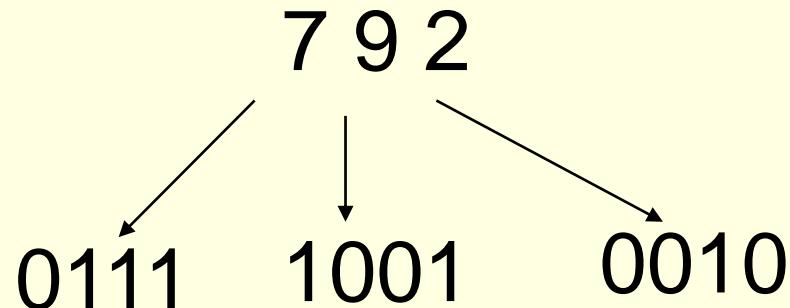
- The computer code is a way of representing each character using only 0 and 1
- The letter, number and special characters that we input into computer are stored using computer code

# BCD

---

- Binary Coded Decimal
- Represent each decimal digit by 4 bit binary digit

$$(792)_{10} = (?)_{\text{BCD}}$$



# Difference between BCD code and Binary Number System

BCD	Binary Number
1. BCD code used to represent each decimal digit into 4 bit binary	1. It is a Number system that use only 0 and 1 called Binary Number system
2. Need more bit to represent any decimal number	2. Need less number bit to represent any decimal number
3. Example: $(13)_{10} = (0001\ 0011)_{BCD}$	3. Example: $(13)_{10} = (1101)_2$
4) BCD can be converted from only Decimal number	4) Can be converted from any number system

# Alphanumeric code

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- EBCDIC
- ASCII
- Unicode

# EBCDIC

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**Extended Binary Coded Decimal  
Interchange Code**

is an 8-bit character encoding

Can represent  $2^8$  or 256 character uniquely

- **EBCDIC created by IBM company for using letter, symbols in their computers.**

- In the year 1963 and 1964, computer input method was very old. In this method, input had to be given by making holes in the paper card.
- So when making EBCDIC, it was also considered to make holes in the paper.

# Alphanumeric code

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- Use alphabet, numbers and symbols
- a- z, A-Z, 0-9, @#\$%^&\*()
- Examples:
  - ASCII
  - Unicode

# ASCII

---

- **American Standard Code for Information Interchange**
- This is an alphanumeric code of 7 bits. As it is 7 bits, it can express a total of 128 symbols
- A = 65= 100 0001

# Partial chart of ASCII code

Character	Decimal equivalence value	ASCII
A	65	0100 0001
B	66	0100 0010
C	67	0100 0011
D	68	0100 0100

# Partial chart of ASCII code

Character	Decimal equivalence value	ASCII
a	97	0110 0001
b	98	0110 0010
c	99	0110 0011
d	100	0110 0100

# ASCII

---

- Initially a teleprinter was created to be used and later to integrate computers.
  
- Teleprinter- Device for transmitting telegraph messages as they are keyed, and for printing messages received.

- The first 32 codes are used for mechanical control, the remaining 96 codes are lowercase English letters (a-z), uppercase English letters (A-Z), numbers (0-9), punctuation marks (; /, ?: ), Mathematical symbols (+, -, %) etc.

- The 8-bit ASCII is currently used by adding the eighth bit to the 8-bit ASCII
- A = 65= 0100 0001

# Unicode

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- 16 bit code
  - Can identify  $2^{16} = 65536$  character uniquely
  - character from all language become possible to identify (Chinese, Japanese, Greek etc.)
  - Emoji are also included in Unicode
- 
- 0000 0000 0000 0000
  - To
  - 1111 1111 1111 1111
  - 
  -

- First version of Unicode(1.0.0) published in 1991. At that time it was possible to allow 24 languages in Unicode
- In 2020, 13<sup>th</sup> version of Unicode is published. Its become possible to allow 154 languages in Unicode.

- There are several ways to process Unicode bites:
  - UTF-8
  - UTF-16
- UTF-Unicode Transformation Format

# UTF-8(for website only)

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- Although UFT-8 is 8 bit, only necessary bits will take place while being used.
- **Explain**
- All language of the world become possible to be coded