

Multi Dimensional Array

Multi Dimensional Array(2-D Array): A multi-dimensional array is an array of arrays. 2-dimensional arrays are the most commonly used. They are used to store data in a tabular manner.

Syntax of Declaration of Single Dimensional Array:

Type arrayname[row_size][column-size];

Example:

int A[10][5];

char B[5][5];

float C[6][6];

		Columns →				
		0	1	2	3	4
Rows ↓	0	5	12	17	9	3
	1	13	4	8	14	1
	2	9	6	3	7	21

2D Array of size 3 x 5

2-D Array Initialization:

int A[3][5] = {{5,12,17,9,3},{13,4,8,14,1},{9,6,3,7,21}};

Representation of multi Dimensional Array:

	0	1	2	n-1
0	a[0][0]	a[0][1]	a[0][2]	a[0][n-1]
1	a[1][0]	a[1][1]	a[1][2]	a[1][n-1]
2	a[2][0]	a[2][1]	a[2][2]	a[2][n-1]
3	a[3][0]	a[3][1]	a[3][2]	a[3][n-1]
4	a[4][0]	a[4][1]	a[4][2]	a[4][n-1]
.
.
.
n-1	a[n-1][0]	a[n-1][1]	a[n-1][2]	a[n-1][n-1]

a[n][n]

Address Calculation in a multi Dimensional Array:

Address of an element of a multi dimensional array is calculated in two forms given below:

1. Row Major Order

The address of an element in multi dimensional array using row major order is calculated using the following formula:

$$\text{Address of A [I][J]} = \text{B} + \text{W} * [\text{N} * (\text{I} - \text{L}_R) + (\text{J} - \text{L}_C)]$$

Where,

B= (Base Address): The address of first element in an array.

W= (width): storage size (in bytes) acquired by one element in array.

I= Row subscript of element whose address is to be found.

J = Column subscript of element whose address is to be found.

L_R = Lower limit of row, if not given assumed zero(0).

L_C = Lower limit of column, if not given assumed zero(0).

M = Number of rows of matrix.

N = Number of columns of matrix.

2. Column Major Order

The address of an element in multi dimensional array using column major order is calculated using the following formula:

$$\text{Address of A [I][J]} = B + W * [(I - L_R) + M * (J - L_C)]$$

Note: if number of rows and columns of matrix is given as A [L_R ----- U_R][L_C ---- U_C] then,

$$\text{Number of rows } M = (U_R - L_R) + 1$$

$$\text{Number of columns } N = (U_C - L_C) + 1$$

Examples:

Q1. An array X [-15.....10, 15.....40] requires one byte of storage. If beginning location is 1500 determine the location of X [15][20].

Solution:

As number of rows and columns is not given, so first calculate number of rows and columns using formula,

$$\text{Number of rows } M = (U_R - L_R) + 1$$

$$= (10 - (-15)) + 1$$

$$= 26$$

$$\text{Number of columns } N = (U_C - L_C) + 1$$

$$= (40 - 15) + 1$$

$$= 26$$

a. Row major wise

$$\text{Address of A [I][J]} = B + W * [N * (I - L_R) + (J - L_C)]$$

Where,

B= 1500

W= 1 byte

I= 15

J=20

N=26

L_R = -15

L_C = 15

$$\text{Address of A [15][20]} = 1500 + 1 * [26 * (15 - (-15)) + (20 - 15)]$$

$$= 1500 + 1 * [26 * 30 + 5]$$

$$= 2285$$

b. Column major wise

$$\text{Address of A [I][J]} = B + W * [(I - L_R) + M * (J - L_C)]$$

$$\text{Address of A [15][20]} = 1500 + 1 * [(15 - (-15)) + 26 * (20 - 15)]$$

$$= 1500 + 1 * [30 + 26 * 5]$$

$$= 1660$$