## hw3 q4

## April 20, 2023

```
[]: import numpy as np
import cv2
from matplotlib import pyplot as plt
import py7zr
```

Get dataset and unzip file

```
 \begin{tabular}{ll} []: &\# ! wget \ https://ultravideo.fi/video/SunBath\_3840x2160\_50fps\_420\_8bit\_YUV\_RAW.7z\\ &\# ! wget \ https://ultravideo.fi/video/HoneyBee\_1920x1080\_120fps\_420\_8bit\_YUV\_RAW.\\ &\lnot 7z \end{tabular}
```

Read YUV File and save the 10th frame to a file

```
[]: class VideoCaptureYUV:
         def __init__(self, filename, size):
             self.height, self.width = size
             self.shape = (self.height*3//2, self.width)
             self.frame_len = self.width * self.height * 3//2
             self.f = open(filename, 'rb')
         def read_raw(self):
             try:
                 raw = self.f.read(self.frame_len)
                 yuv = np.frombuffer(raw, dtype=np.uint8)
                 yuv = yuv.reshape(self.shape)
             except Exception as e:
                 print(str(e))
                 return False, None
             return True, yuv
         def read(self):
```

```
ret, yuv = self.read_raw()
if not ret:
    return ret, yuv, yuv
bgr = cv2.cvtColor(yuv, cv2.COLOR_YUV2RGB_I420)
return ret, bgr, yuv
```

```
[]: filename = "HoneyBee_1920x1080_120fps_420_8bit_YUV.yuv"
    size = (1080, 1920)
    cap = VideoCaptureYUV(filename, size)
    framenum = 10
    bgr4d = np.zeros(size+(3,framenum), dtype="uint8")
    yuv4d = np.zeros(size+(3,framenum), dtype="uint8")

for i in range(framenum):
    ret, bgrframe, yuvframe = cap.read()
    if ret:
        bgr4d[:,:,:,i] = bgrframe
    else:
        break

cv2.imwrite("last_frame.png", bgrframe);
    grayframe = cv2.cvtColor(bgrframe, cv2.COLOR_BGR2GRAY)
```

```
[]: # cv2.imshow("frame", bgrframe)
# cv2.waitKey(0)
# cv2.destroyWindow("frame")
plt.figure(figsize=(10,5))
plt.imshow(bgrframe)
plt.axis("off");
```



```
def divnormcoeffs(img):
    #image dtype
    image = img.astype('float')
    ksize = [5,5]

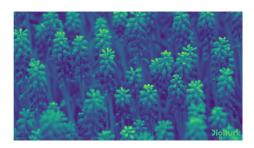
    oimg = np.zeros((img.shape[0]-ksize[0]+1,img.shape[1]-ksize[1]+1))

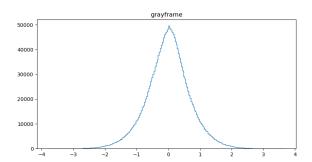
for i in range(oimg.shape[0]):
    for j in range(oimg.shape[1]):
        patch = img[i:i+ksize[0],j:j+ksize[1]]
        patchcen = patch[ksize[0]//2, ksize[1]//2]
        m = np.mean(patch)
        s = np.std(patch)
        oimg[i,j] = (patchcen-m)/(s+1e-6)

return oimg
```

```
[]: oimg = divnormcoeffs(grayframe)

plt.figure(figsize=(20,10))
plt.subplot(2,2,1)
plt.imshow(grayframe); plt.axis("off");
plt.subplot(2,2,2)
counts, bins = np.histogram(oimg.flatten(), bins=222)
plt.stairs(counts, bins);
plt.title('grayframe');
```

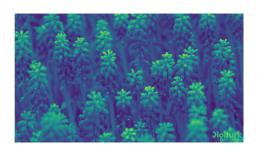


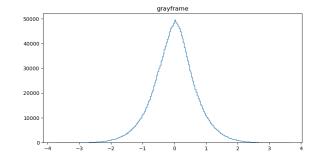


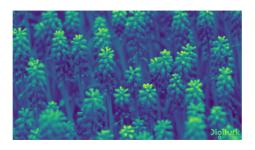
We can see that the histogram obeys the Gaussian EPDF law as expected.

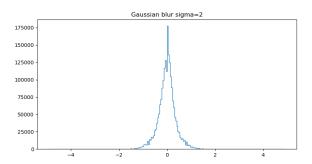
```
[]: def blurimg(img, ksize, s):
    oimg = cv2.GaussianBlur(img, ksize, s)
    return oimg
```

```
[]: plt.figure(figsize=(20,10))
    plt.subplot(2,2,1)
     plt.imshow(grayframe); plt.axis("off");
     plt.subplot(2,2,2)
     counts, bins = np.histogram(oimg.flatten(), bins=222)
     plt.stairs(counts, bins);
     plt.title('grayframe');
    ksize = (25, 25)
     s = 2
     blurframe = blurimg(grayframe, ksize, s)
     oimg2 = divnormcoeffs(blurframe)
     plt.figure(figsize=(20,10))
     plt.subplot(2,2,1)
     plt.imshow(blurframe); plt.axis("off");
     plt.subplot(2,2,2)
     counts, bins = np.histogram(oimg2.flatten(), bins=222)
     plt.stairs(counts, bins);
     plt.title("Gaussian blur sigma="+str(s));
```





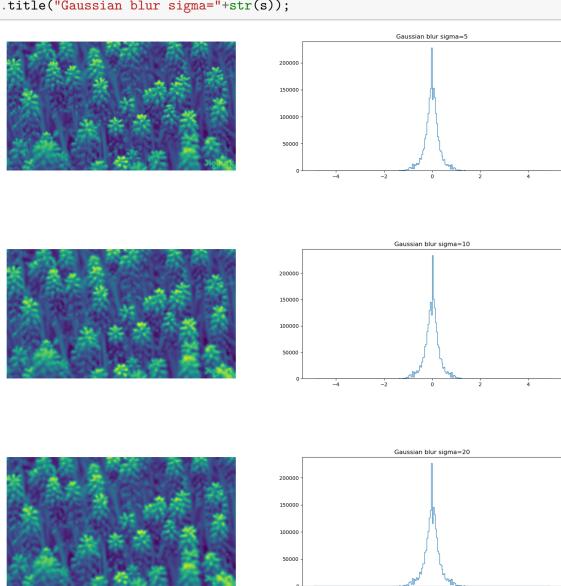




We notice that the width of the gaussian epdf gets smaller as more values are concentrated at the center. This is because the guassian blur kernel has a smoothening effect and thus values within a patch are clustering around a central value.

```
\lceil \ ]: s = 5
     blurframe3 = blurimg(grayframe, ksize, s)
     oimg3 = divnormcoeffs(blurframe3)
     plt.figure(figsize=(20,10))
     plt.subplot(2,2,1)
     plt.imshow(blurframe3); plt.axis("off");
     plt.subplot(2,2,2)
     counts, bins = np.histogram(oimg3.flatten(), bins=222)
     plt.stairs(counts, bins);
     plt.title("Gaussian blur sigma="+str(s));
     s = 10
     blurframe4 = blurimg(grayframe, ksize, s)
     oimg4 = divnormcoeffs(blurframe4)
     plt.figure(figsize=(20,10))
     plt.subplot(2,2,1)
     plt.imshow(blurframe4); plt.axis("off");
     plt.subplot(2,2,2)
     counts, bins = np.histogram(oimg4.flatten(), bins=222)
     plt.stairs(counts, bins);
     plt.title("Gaussian blur sigma="+str(s));
     s = 20
     blurframe5 = blurimg(grayframe, ksize, s)
     oimg5 = divnormcoeffs(blurframe5)
     plt.figure(figsize=(20,10))
     plt.subplot(2,2,1)
```

```
plt.imshow(blurframe5); plt.axis("off");
plt.subplot(2,2,2)
counts, bins = np.histogram(oimg5.flatten(), bins=222)
plt.stairs(counts, bins);
plt.title("Gaussian blur sigma="+str(s));
```



As we increase the variance of the gaussian filter, the filter blurs a larger and larger area. As explained in the previous paragraph, this results in a smoothening of the values and removal of high frequency components. This means that the values in a patch are more likely to be clustered around the mean. This leads to the gaussian EPDF getting narrower and narrower.