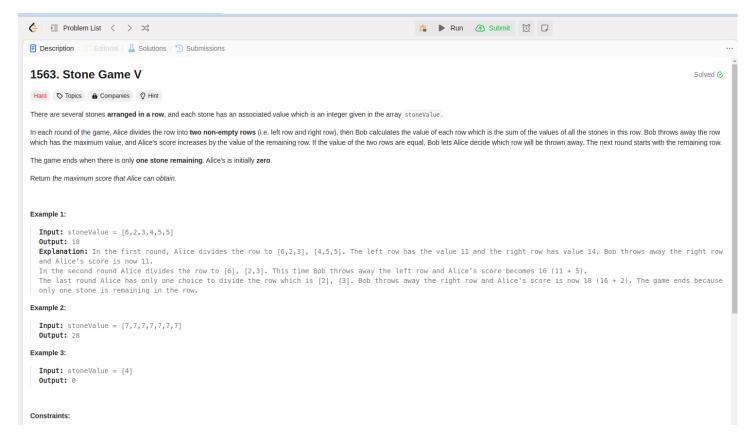
MCS – 253P ADVANCED PROGRAMMING AND PROBLEM SOLVING

LAB 10 Writeup(Stone Game V)

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Question)



Understanding the Problem

The problem involves a game where Alice and Bob take turns dividing a row of stones into two separate rows until there's only one stone left. Each stone has an associated value. Alice aims to maximize her score by choosing how to divide the rows, and Bob strategically discards the row with the higher value, thereby increasing Alice's score. The goal is to determine the maximum score Alice can achieve at the end of the game.

Effective Test Cases

Case 1:

Input: stoneValue = [6,2,3,4,5,5]

Expected Output: 18

Explanation:

The iterative division process results in the optimal sequence leading to Alice's maximum score of 18.

Case 2:

Input: stoneValue = [7,7,7,7,7,7,7]

Expected Output: 28

Explanation:

All stones have equal values, presenting a scenario where Alice continually chooses the optimal division to achieve the maximum score of 28.

Case 3:

Input: stoneValue = [4]

Expected Output: 0

Explanation:

With only one stone, there are no divisions possible, resulting in Alice's score remaining at 0.

Identifying Edge Cases

- There's only one stone.
- All stones have equal values.
- The number of stones is minimal or close to the upper constraint of 500.

Algorithm

- Utilizing prefix sums for efficient range sum queries.
- Employing a helper function (stoneGameHelper) to recursively determine the maximum score for each possible division.
- Memoization is applied to store and reuse the results of subproblems to enhance computational efficiency.

Time and Space Complexity

Time Complexity: The time complexity of the algorithm is $O(n^3)$, where 'n' is the number of stones. This arises due to the nested loops and recursive calls in the memoization process.

Space Complexity: The space complexity is $O(n^2)$ as the memoization table is of size 'n x n', storing results for all subproblems.