

## 課題 4.1

```

1 (* 円,正方形,長方形の図形を定義する *)
2 type figure =
3   | Circle of float
4   | Square of float
5   | Rectangle of float * float;;
6
7 let area figure =
8   match figure with
9   | Circle (r) -> r *. r *. (4.0 *. atan 1.0)
10  | Square (x) -> x *. x
11  | Rectangle(x, y) -> x *. y;;

```

## 実行結果

```

1 # Circle 2.0;;
2 - : figure = Circle 2.
3 # Square 4.0;;
4 - : figure = Square 4.
5 # Rectangle (2., 4.);;
6 - : figure = Rectangle (2., 4.)
7 # area (Circle 1.);;
8 - : float = 3.14159265358979312
9 # area (Square 4.);;
10 - : float = 16.
11 # area (Rectangle (2., 4.));;
12 - : float = 8.

```

## 課題 4.2

```

1 (* 木の定義 *)
2 type 'a tree =
3   Lf
4   | Br of 'a * 'a tree * 'a tree;;
5
6 (* 木の例 *)
7 let tree2= Br ("A", Br ("B", Br ("C", Lf, Lf),
8   Br ("D", Br ("E", Lf, Lf),
9   Lf)),
10  Br ("F", Lf, Lf));;
11 (* 木の深さを計算する *)
12 let rec depth t =
13   match t with
14   | Lf -> 0
15   | Br (v, t1, t2) -> 1 + max (depth t1) (depth t2)
16
17 (* 深さがn でのすべてのノードのラベルが x の完全 2 分木を作る関数 *)
18 let rec comptree (n, x) =
19   match n with
20   | 0 -> Lf
21   | _ -> Br (x, comptree(n-1, x), comptree(n-1, x));;

```

## 実行結果

```

1 # depth tree2;;
2 - : int = 4
3 # comptree(3, "A");;
4 - : string tree =
5 Br ("A", Br ("A", Br ("A", Lf, Lf), Br ("A", Lf, Lf)),
6   Br ("A", Br ("A", Lf, Lf), Br ("A", Lf, Lf)))

```

## 課題 4.3

```

1 (* 木の定義 *)
2 type 'a tree =
3   Lf
4   | Br of 'a * 'a tree * 'a tree;;
5
6 (* 木の例 *)
7 let tree2 = Br ("A", Br ("B", Br ("C", Lf, Lf),
8   Br ("D", Br ("E", Lf, Lf),
9     Lf)),
10  Br ("F", Lf, Lf));;
11
12 (* 木を中順で走査しリストとして返す *)
13 let rec inorder t =
14   match t with
15   | Lf -> []
16   | Br (v, t1, t2) -> inorder t1 @ [v] @ inorder t2;;
17
18 (* 木を後順で走査しリストとして返す *)
19 let rec postorder t =
20   match t with
21   | Lf -> []
22   | Br (v, t1, t2) -> postorder t1 @ postorder t2 @ [v];;

```

## 実行結果

```

1 # inorder tree2;;
2 - : string list = ["C"; "B"; "E"; "D"; "A"; "F"]
3 # postorder tree2;;
4 - : string list = ["C"; "E"; "D"; "B"; "F"; "A"]

```

## 課題 4.4

```

1  (* 有限分岐の木の定義 *)
2  type 'a ftree = FBr of 'a * 'a ftree list;;
3
4  (* 有限分岐の木の例 *)
5  let ftree = (FBr (1, [FBr (2, []) ; FBr (3, [FBr (4, [])]); FBr (5, [])]));;
6
7  (* 有限分岐の木に対して木の深さを返す *)
8  let rec fdepth t =
9      match t with
10     FBr (v, ts) -> fdepth_ts ts
11   and fdepth_ts ts =
12       match ts with
13       [] -> 0
14     | t::ts' -> fdepth t + fdepth_ts ts' + 1;;
15
16  (* 有限分岐の木を先順で走査する関数 *)
17  let rec fpreorder t =
18      match t with
19      FBr (v, ts) -> [v] @ fpreorder_ts ts
20   and fpreorder_ts ts =
21       match ts with
22       [] -> []
23     | x::rest -> fpreorder x @ fpreorder_ts rest;;

```

## 実行結果

```

1  # fdepth ftree;;
2  - : int = 4
3  # fpreorder ftree;;
4  - : int list = [1; 2; 3; 4; 5]

```