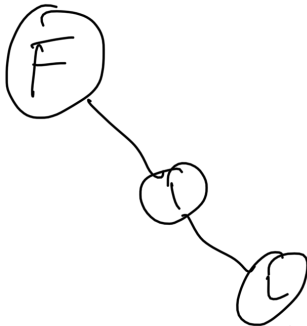
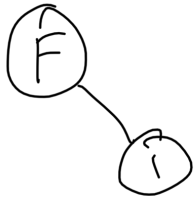
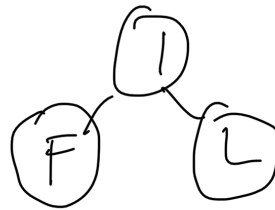


Alp Tugrul Agca  
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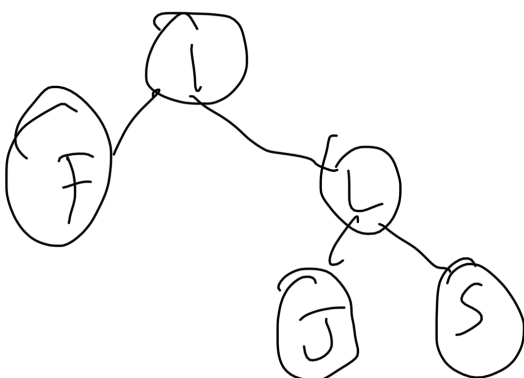
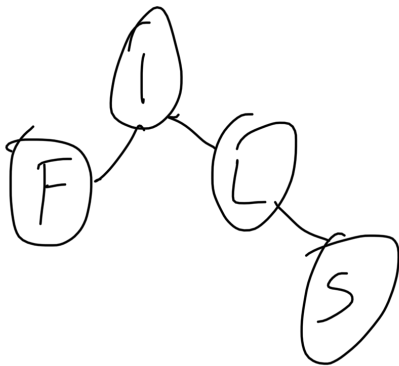
Q1. a

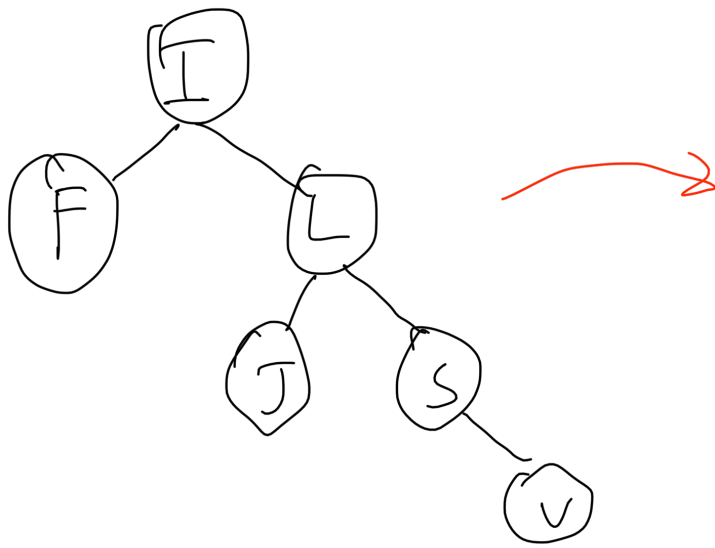


before rotation

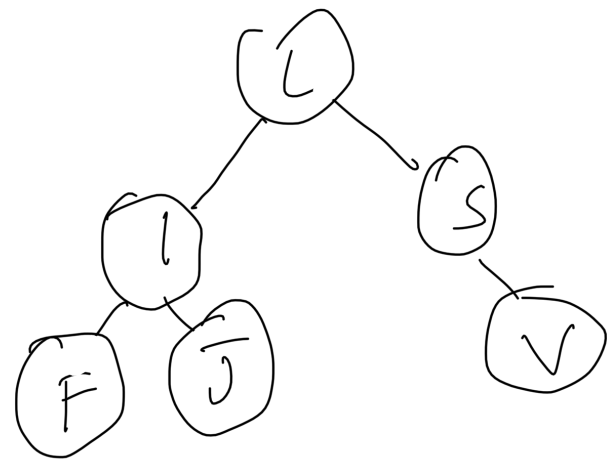


after rotation

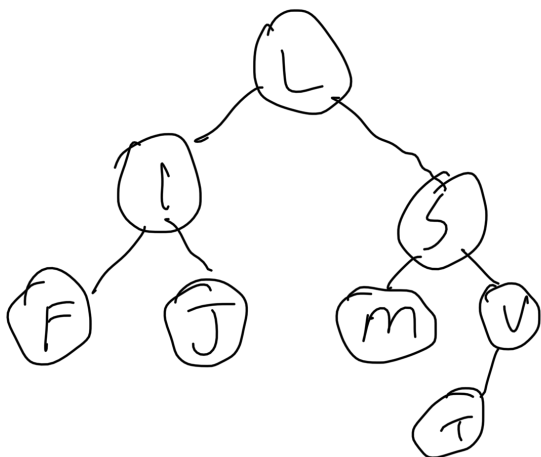
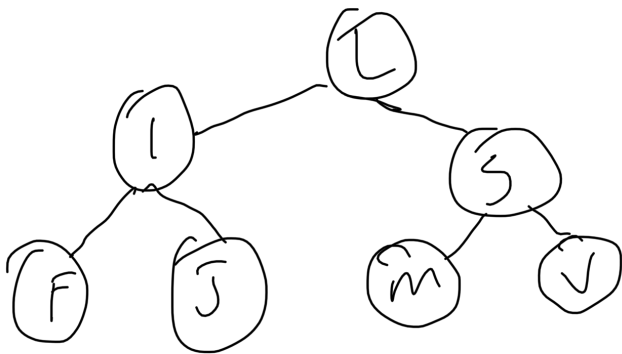


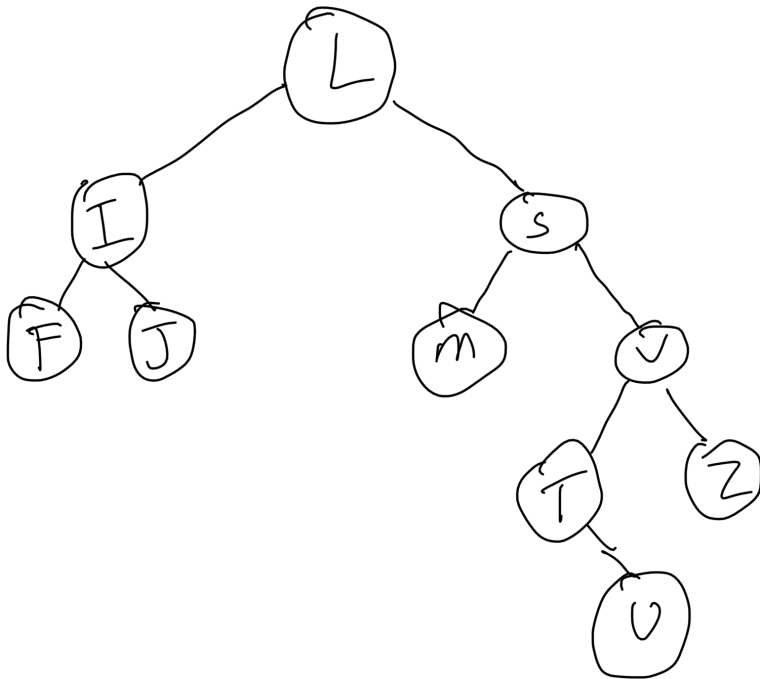
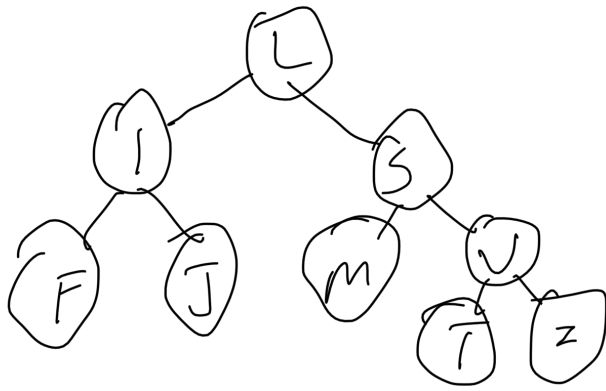


Before rotation

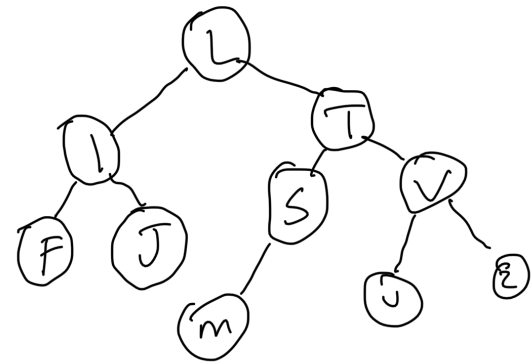


after rotation

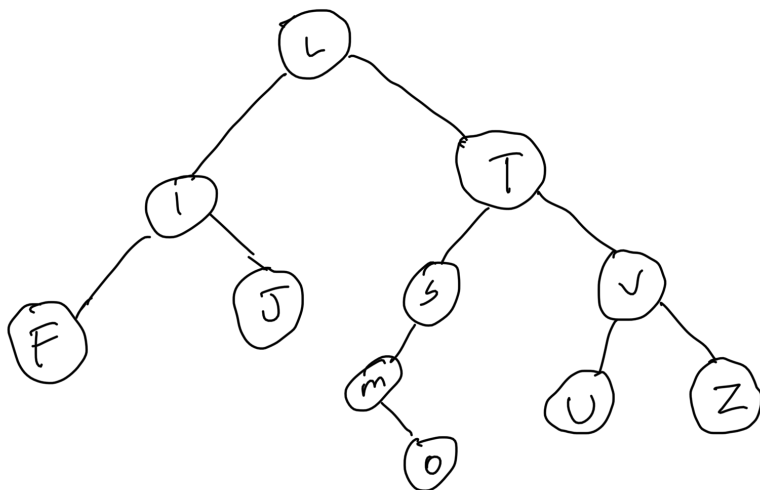




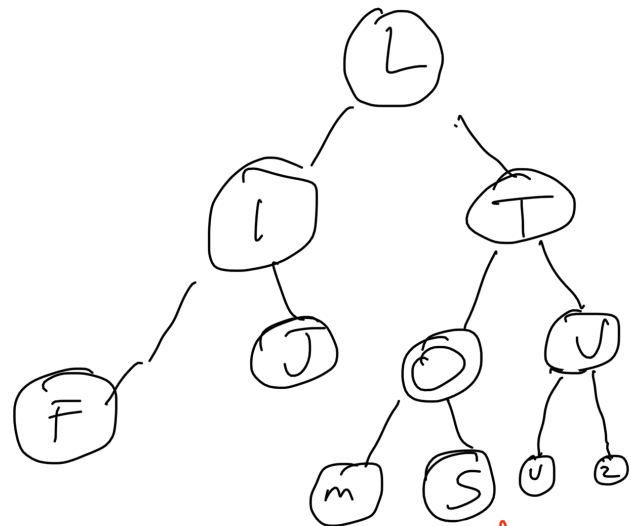
before rotation



after rotation



before rotation



after rotation

Q1. b

double computeMedian(Node\* root) {

int size1 = root → size;

int middle1 = 0;

int middle2 = 0;

int count = 0;

findMedian(root, size1, middle1, middle2, count);

if (size1 % 2 == 0) {  
double result = (middle1 + middle2) / 2;  
return result;

}

else {

double result = middle2;  
return result;

}

}

void

findMedian(Node\* root, int size, int & mid1,  
int & mid2, int & count) {

if (root == NULL) {  
return;

}

else {

findMedian(root → leftchild, size, mid1, mid2, count);  
count ++;

if (count == (size / 2))  
mid1 = root → data;

else if (count == (size / 2) + 1)  
mid2 = root → data;

find Median (root  $\rightarrow$  right child, size, mid1, mid2, count);

}

}

\* In part b of Q1, we should add the size of tree (or subtree) in node structure

\* Time complexity is same with traversal.  $O(N)$

Q1.c

```
int max(int a, int b) {
```

```
    if (a >= b)
```

```
        return a;
```

```
    else
```

```
        return b;
```

```
}
```

```
int height(Node* root) {
```

```
    if (root == NULL)
```

```
        return 0;
```

```
    else
```

```
        return (1 + max(height(root->leftchild), height(root->rightchild)));
```

```
}
```

```
bool checkAVL(Node* root) {
```

```
    if (root == NULL)
```

```
        return true;
```

```
    else {
```

```
        int left = height(root->leftchild);
```

```
        int right = height(root->rightchild);
```

```
        int difference = left - right;
```

if ( difference  $\geq -1$  && difference  $\leq 1$  &&  
checkAVL (root  $\rightarrow$  leftchild) &&  
checkAVL (root  $\rightarrow$  rightchild) ) {

return 1;

}

else return 0;

}

\* time complexity of height function is  $O(n)$ .  
So we have,  $n$  for calculating height and because  
of the recursive function is traversal  $n$  for recursive.  
 $n * n = O(n^2)$

Q3.

If we have many many more requests and because  
of that we will need much more computer, counting computers  
one by one is ineffective. Because, if we need  $N$  computers,  
with this method we simulate  $N$  times. Instead of that,  
if we have  $N$  potential computer, first we try  $N$   
computer, then  $N/2$  then  $N/4$  or  $3N/4$  and it goes  
until we find the computer amount whose simulation time  
under and closest to the maximum time. With this  
method we only simulate  $\log_2 N$  times.