## Random Matrix Analysis

#### Ali Taqi

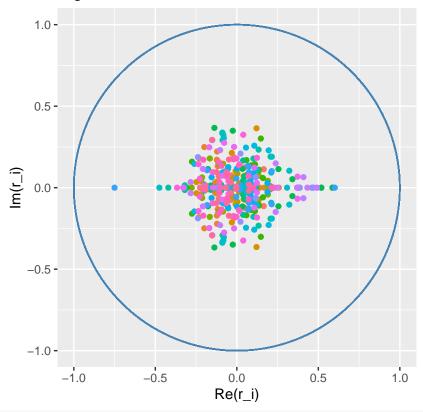
```
bool_plot <- T
bool_loud <- F
M <- 20</pre>
```

#### Eigenmetrics of Various Random Matrices

#### Stochastic Matrix

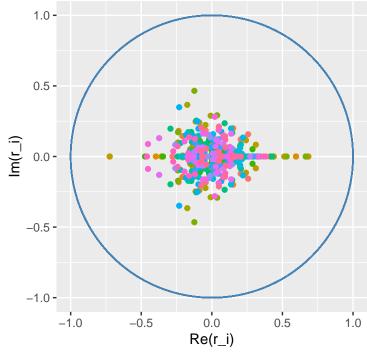
```
P <- rand_M_stoch(M, row_fn = r_zeros)
if(bool_plot){eigen_plot(P, loud = bool_loud, "Stochastic")}</pre>
```

#### Eigenvectors: Stochastic Matrix

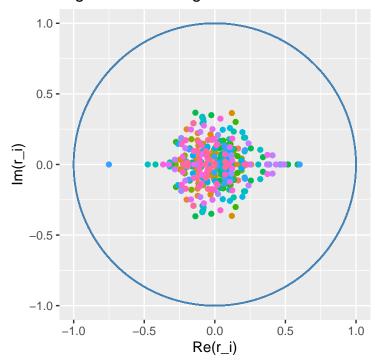


```
eigen_summary(eigen_frame(P))
```

## [1] "Proportion of real-valued rows: 0"  $\,$ 



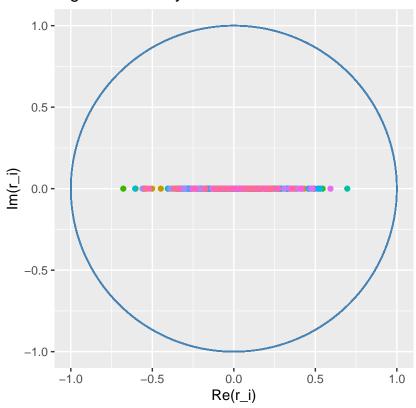
Eigenvectors: Original Matrix



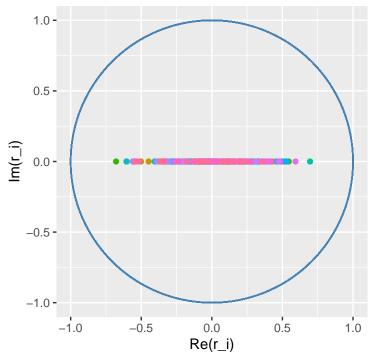
#### Symmetric Stochastic Matrix

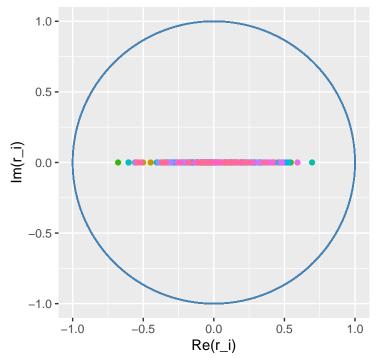
```
set.seed(23)
P <- rand_M_symm_stoch(M, row_fn = r_zeros)
if(bool_plot){eigen_plot(P, loud = bool_loud, "Symmetric Stochastic")}</pre>
```

# Eigenvectors: Symmetric Stochastic Matrix



## [1] "Proportion of real-valued rows: 1"

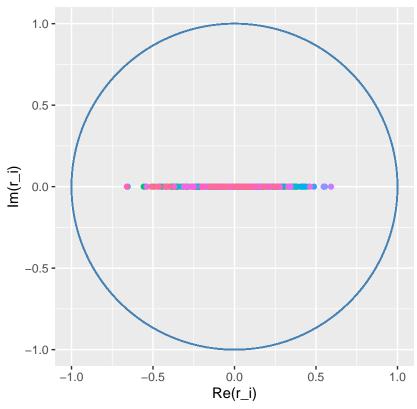




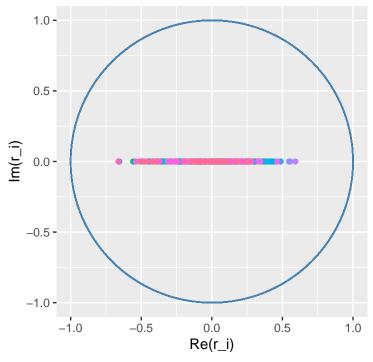
#### Normal Symmetric Matrix

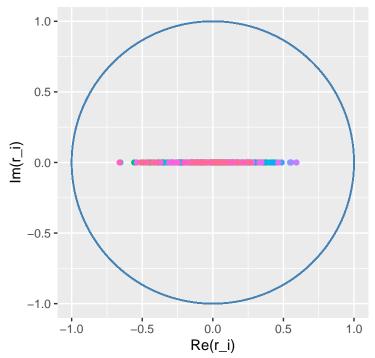
```
set.seed(23)
P <- rand_M_symm_norm(M, mu = 0, sd = 1)
if(bool_plot){eigen_plot(P, loud = bool_loud, "Normal Symmetric (Mu = 0)")}</pre>
```

### Eigenvectors: Normal Symmetric (Mu = 0) Matrix



## [1] "Proportion of real-valued rows: 1"

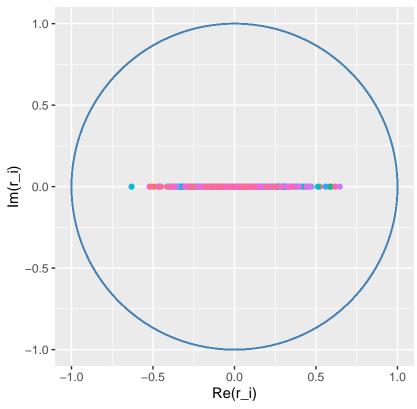




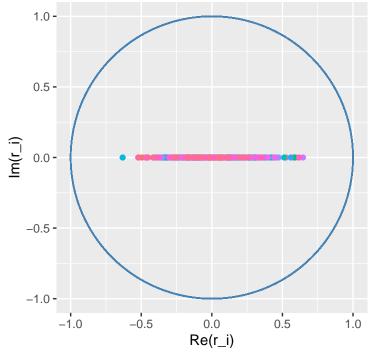
#### Normal Symmetric Matrix

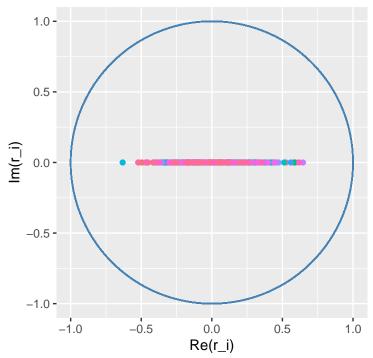
```
set.seed(23)
P <- rand_M_symm_norm(M, mu = 1, sd = 2)
if(bool_plot){eigen_plot(P, loud = bool_loud, "Normal Symmetric (Mu = 1)")}</pre>
```

### Eigenvectors: Normal Symmetric (Mu = 1) Matrix



## [1] "Proportion of real-valued rows: 1"

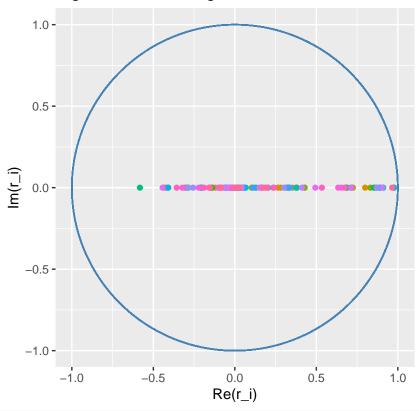




#### Tridiagonal Matrix

```
set.seed(23)
P <- rand_M_trid(M)
if(bool_plot){eigen_plot(P, loud = bool_loud, "Tridiagonal")}</pre>
```

## Eigenvectors: Tridiagonal Matrix



## [1] "Proportion of real-valued rows: 1"

