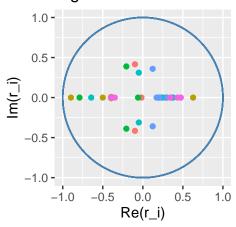
Sparsity Analysis

Ali Taqi

Demonstration

```
# Set parameters
M <- 6
p <- 0.5
# Generate matrix (Erdos-Renyi)
P <- RM_erdos(M, p)
# Get eigenvalues
eigen_df <- eigen_frame(P)
eigen_plot(P,mat_type = "Erdos-Renyi")</pre>
```

Eigenvectors: Erdos-Renyi Matrix

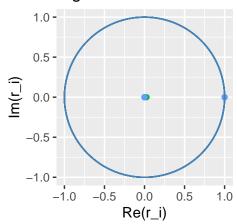


Various Parameter Values

```
M_{\text{vec}} \leftarrow c(3,5,10)
p_{\text{vec}} < c(0.1, 0.5, 0.6)
c(M1,M2,M3) %<-% M_vec
c(p1,p2,p3) %<-% p_vec
P_vec1 <- matrix(c(RM_erdos(M1,p1),</pre>
                    RM_erdos(M1,p1),
                    RM_erdos(M1,p1)),
                 nrow = M_vec[1]
P_vec2 <- matrix(c(RM_erdos(M2,p2),</pre>
                    RM_erdos(M2,p2),
                    RM_erdos(M2,p2)),
                 nrow = M_vec[2])
P_vec3 <- matrix(c(RM_erdos(M3,p3),
                    RM_erdos(M3,p3),
                    RM_erdos(M3,p3)),
                 nrow = M_vec[3]
```

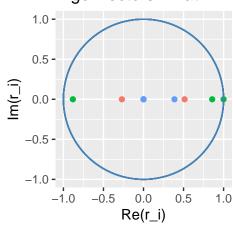
(M = 3, P = 0.1)

Eigenvectors: Matrix



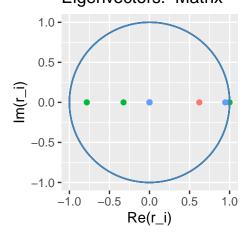
(M = 3, P = 0.5)

Eigenvectors: Matrix



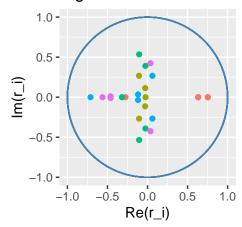
(M = 3, P = 0.9)

Eigenvectors: Matrix



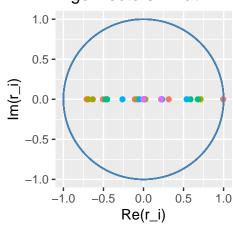
(M = 5, P = 0.1)

Eigenvectors: Matrix



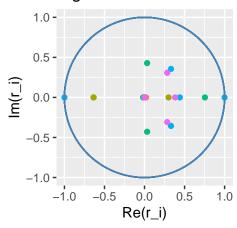
(M = 5, P = 0.5)

Eigenvectors: Matrix



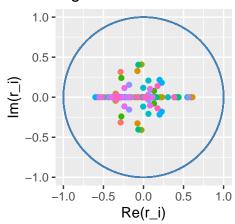
 $M=5,\,P=0.9$

Eigenvectors: Matrix



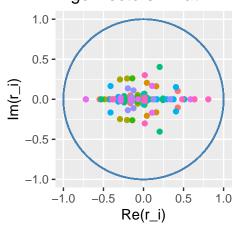
(M = 10, P = 0.1)

Eigenvectors: Matrix



(M = 10, P = 0.5)

Eigenvectors: Matrix



(M = 10, P = 0.9)

Eigenvectors: Matrix

