
PRINCIPLE OF MATHEMATICAL INDUCTION

- One key basis for mathematical thinking is deductive reasoning. In contrast to deduction, inductive reasoning depends on working with different cases and developing a conjecture by observing incidences till we have observed each and every case. Thus, in simple language we can say the word 'induction' means the generalisation from particular cases or facts.
 - **Statement:** A sentence is called a statement, if it is either true or false.
 - **Motivation:** Motivation is tending to initiate an action. Here Basis step motivates us for mathematical induction.
 - **Principle of Mathematical Induction:** The principle of mathematical induction is one such tool which can be used to prove a wide variety of mathematical statements. Each such statement is assumed as $P(n)$ associated with positive integer n , for which the correctness for the case $n = 1$ is examined. Then assuming the truth of $P(k)$ for some positive integer k , the truth of $P(k+1)$ is established.
 - **Working Rule:**
 - Step 1:** Show that the given statement is true for $n = 1$.
 - Step 2:** Assume that the statement is true for $n = k$.
 - Step 3:** Using the assumption made in step 2, show that the statement is true for $n = k + 1$. We have proved the statement is true for $n = k$. According to step 3, it is also true for $k + 1$ (i.e., $1 + 1 = 2$). By repeating the above logic, it is true for every natural number.
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