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<b>AIM:</b>	To implement RSA public-key cryptosystem including key generation, encryption, and decryption.
<b>THEORY:</b>	<p><b>Concept:</b>  RSA is an asymmetric cryptographic algorithm. It uses two keys:  - Public key (e, n) for encryption  - Private key (d, n) for decryption  The security relies on the difficulty of factoring <math>n = p \times q</math>.</p> <p><b>Steps:</b>  1. Choose two large prime numbers p and q.  2. Compute <math>n = p \times q</math> and Euler's totient <math>\phi(n) = (p-1)(q-1)</math>.  3. Select e such that <math>\gcd(e, \phi(n)) = 1</math>.  4. Compute <math>d \equiv e^{-1} \pmod{\phi(n)}</math>.  5. Encryption: <math>c \equiv m^e \pmod{n}</math>  6. Decryption: <math>m \equiv c^d \pmod{n}</math></p> <p><b>Key Points:</b>  - Prime generation is done using random numbers and primality testing.  - The totient function ensures the number of coprimes with n.  - Modular inverse ensures correct decryption key.  - Security depends on prime size (lab demo uses small primes, real systems use <math>\geq 2048</math> bits).</p>
<b>CONCLUSION:</b>	RSA successfully demonstrates public-key cryptography with asymmetric keys. The implementation shows end-to-end working: key generation → encryption → decryption. It highlights the importance of prime generation, modular arithmetic, and number theory in modern cryptography.