Lab Assignment – 03 – Spring 2020

Signal & Systems

Atharva Deshpande | UG-1 | CSE | S20190010043 Indian Institute of Information Technology, Sri City. Sri City, Andhra Pradesh.

January 30, 2020.

Summary:

- In this assignment we learnt how to find the convolution of two signals.
- Two methods were mainly used. One of them being using 'for loop'.
- The other method was a straight forward way to find convolution using the in-built 'conv' function and we basically used this method to verify the previous one.
- 1) $y_1[n] = (x_1[n]+x_2[n]) * h[n]$ $y_2[n] = x_1[n]*h[n] + x_2[n]*h[n]$

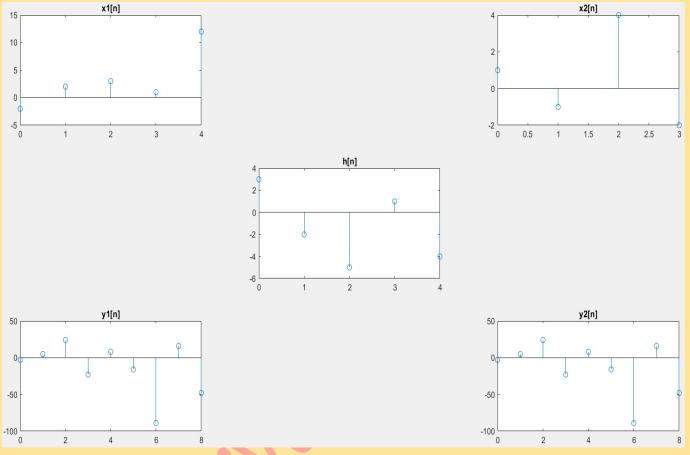
x₁, x₂ and h were given.

We had to plot x_1 , x_2 y_1 y_2 and h.

Here's the code for 1) a):

- \rightarrow First, we find $y_1 \& y_2$ by using 'for loop'.
- → Then we run the code and get its output.

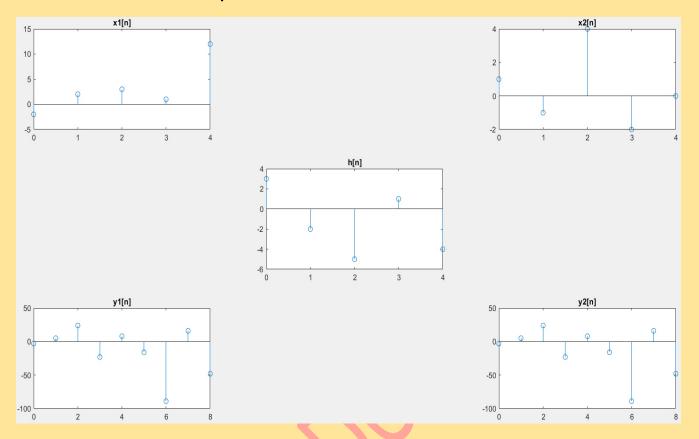
```
▶ atharva deshpande ▶ Documents ▶ MATLAB
lab3one.m × verify3one.m × lab3two.m × verify3two.m × lab3three.m × verify3three.m × +
        5
                  %Second part x1*h + x2*h
       7 -
                  o=5;p=0:o-1; %Since there are 5 num in x1,h & they work as indices of values of x1,h: (0,1,2,3,4)
                  \verb|x1=zeros(size(p)); | x1(p==0) = -2; | x1(p==1) = 2; | x1(p==2) = 3; | x1(p==3) = 1; | x1(p==4) = 12; | x1(p==2) = 3; | x1(p==3) = 1; | x1(p==4) = 12; | x1(p==2) = 3; | x1(p==3) = 1; | x1(p==4) = 12; | x1(
       8 -
       9 -
                   subplot(3,3,1); stem(p,x1); title('x1[n]');
      10 -
                  h=zeros(size(p)); h(p==0)=3; h(p==1)=-2; h(p==2)=-5; h(p==3)=1; h(p==4)=-4;
                  subplot(3,3,5); stem(p,h); title('h[n]');
      11 -
      12 -
                  m=length(x1); n=length(h); l=m+n-1;
      13 -
                 x1e=zeros(1,1);
      14 -
                 h1e=zeros(1,1);
      15 -
                  y1=h1e;
      16 -
                   x1e(1:m)=x1;
      17 -
                 x1e(m+1:1)=0;
      18 -
                  h1e(1:n)=h;
      19 -
                  h1e(n+1:1)=0;
      20 - 🗦 for i=1:1
      21 -
                         y1(i)=0;
      22 -
                         for k=1:i
      23 -
                                 y1(i)=y1(i)+h1e(k)*x1e(i-k+1);
      24 -
      25 -
                 end
      26 -
                  b=4;j=0:b-1; %Since there are 4 numbers in x2 & they work as indices of values of x2 : (0,1,2,3)
     27 -
                  x2=zeros(size(i));
      28 -
                  x2(j==0)=1; x2(j==1)=-1; x2(j==2)=4; x2(j==3)=-2;
▶ atharva deshpande ▶ Documents ▶ MATLAB
                                                                                                                                                                                                                              (₹) X
    Z Editor - C:\Users\atharva deshpande\Documents\MATLAB\lab3one.m
        lab3one.m × verify3one.m × lab3two.m × verify3two.m × lab3three.m × verify3three.m × +
    29 -
                 subplot(3,3,3); stem(j,x2); title('x2[n]');
     30 -
                  f=length(x2);d=n;l=f+d-1;
     31 -
                  x2e=zeros(1,1);
     32 -
                h2e=zeros(1,1);
      33 -
                y2=h2e;
     34 -
                 x2e(1:f)=x2;
     35 -
                  x2e(f+1:1)=0;
     36 -
                 h2e(1:d)=h;
     37 -
                 h2e(d+1:1)=0;
     38 - □ for g=1:1
     39 -
     40 -
                          for k=1:a
     41 -
                                y2(g)=y2(g)+h2e(k)*x2e(g-k+1);
     42 -
     43 -
                  %Since y1 has 9 elements and y2 has 8, for addition purpose we have to pad y2(9)=0
     44
     45 -
                  y2(9)=0;
                   %We can also make an algorithm that if y1 not equal to y2
     46
     47
                   %The lower one will be padded with zeroes until the end i.e number of values in y1
     48
     49
                  % As we know x1:(0->4) x2:(0->3) h(0->4) \mid max(x1,x2)=4 \mid y1+y2 \mid (0->8) = 9 \mid nos (5+5-1)
     50 -
                  v=0:8;
     51 -
                   subplot(3,3,9); stem(v,y1+y2); title('y2[n]');
     52
▶ atharva deshpande ▶ Documents ▶ MATLAB
(₹) X
          lab3one.m × verify3one.m × lab3two.m × verify3two.m × lab3three.m × verify3three.m × +
 ^ 53
                  %First Part (x1+x2)*h
     54
      55
                  %For adding x1,x2 both need to be of the same length
     56 - □ for q=b+1:o
     57 -
                         x2(q)=0;
                end
     58 -
     59 -
                  z=x1+x2;
      60 -
                  mm=length(z);nn=n;l=mm+nn-1;
      61 -
                  z1e=zeros(1,1);
     62 -
                hzle=zeros(1,1);
     63 -
                 v3=hz1e;
     64 -
                 z1e(1:mm)=z;
      65 -
                  z1e(mm+1:1)=0;
      66 -
                  hz1e(1:nn)=h;
     67 -
                  hz1e(nn+1:1)=0;
     68 - □ for i=1:1
     69 -
                         y3(i)=0;
     70 -
                          for k=1:i
     71 -
                                y3(i) = y3(i) + hz1e(k) * z1e(i-k+1);
     72 -
     73 -
 74 -
                  subplot(3,3,7); stem(v,y3); title('y1[n]');
```



Here's the code for 1) b):

- \rightarrow First, we find $y_1 \& y_2$ by using 'conv' function.
- → Then we run the code and get its output.

```
▶ atharva deshpande ▶ Documents ▶ MATLAB
  Editor - C:\Users\atharva deshpande\Documents\MATLAB\verify3one.m
                                                                                                                                    ∀ ×
     lab3one.m × verify3one.m × lab3two.m × verify3two.m × lab3three.m × verify3three.m × +
   1 -
          clc
   2 -
          clear
   3 -
          close all
   5
   6
          m=5; n=0:m-1; m=max(x1,x2)=max(5,4)=5
   8 -
          x1=zeros(size(n));
   9 -
          x1(n==0)=-2; x1(n==1)=2; x1(n==2)=3; x1(n==3)=1; x1(n==4)=12;
  10 -
          subplot(3,3,1); stem(n,x1); title('x1[n]');
          x2=zeros(size(n));
  12 -
          x2(n==0)=1; x2(n==1)=-1; x2(n==2)=4; x2(n==3)=-2;
          subplot(3,3,3); stem(n,x2); title('x2[n]');
          h(n==0)=3; h(n==1)=-2; h(n==2)=-5; h(n==3)=1; h(n==4)=-4;
  15 -
  16 -
          subplot(3,3,5); stem(n,h); title('h[n]');
          z1=x1+x2;%First Part
          y1=conv(z1,h);
  19 -
          p=0:2*m-2; p=0:8->9 values or from 0:(m+n-1)-1 as we are starting from 0 \in (m,n)=(5,4)
          subplot(3,3,7); stem(p,y1); title('y1[n]');
  21 -
          z2=conv(x1,h); z3=conv(x2,h); y2=z2+z3; %Second Part
  22 -
          subplot(3,3,9); stem(p,y2); title('y2[n]');
```



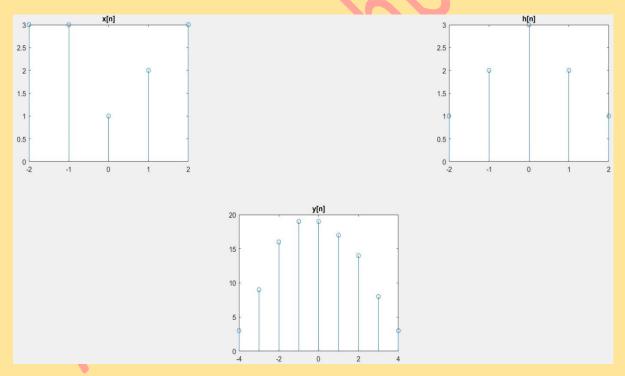
As we can see, the output signals $y_1 \& y_2$ are coming out to be one and the same in both the ways (conv and for loop). So, the given output is verified successfully.

2) Now x and h were already given, we had to find the output signal y.

Here's the code for 2) a):

- First, we find y by using 'for loop'.
- → Then we run the code and get its output.

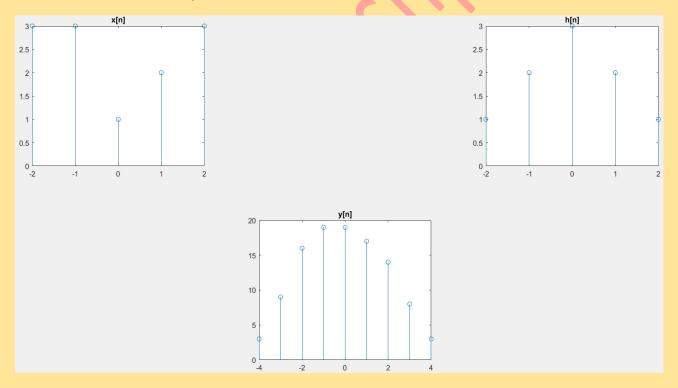
```
▶ atharva deshpande ▶ Documents ▶ MATLAB
   Editor - C:\Users\atharva deshpande\Documents\MATLAB\lab3two.m
                                                                                                                                    (w) X
      lab3one.m × verify3one.m × lab3two.m × verify3two.m × lab3three.m × verify3three.m × +
    6
    7 -
          o=2;p=-o:1:o;
    8 -
          x=zeros(size(p));
         x(p==-2)=3; x(p==-1)=3; x(p==0)=1; x(p==1)=2; x(p==2)=3;
          subplot(2,3,1); stem(p,x); title('x[n]');
   11 -
          h=zeros(size(p));
   12 -
          h(p==-2)=1; h(p==-1)=2; h(p==0)=3; h(p==1)=2; h(p==2)=1;
   13 -
          subplot(2,3,3);stem(p,h);title('h[n]');
   14 -
          m=length(x); n=length(h); l=m+n-1;
   15 -
          xe=zeros(1,1);
   16 -
          he=zeros(1,1);
   17 -
          y=he;
   18 -
          xe(1:m)=x;
   19 -
           xe(m+1:1)=0;
   20 -
          he(1:n)=h;
   21 -
          he (n+1:1)=0;
   22 - for i=1:1
   23 -
               y(i) = 0;
   24 -
               for k=1:i
   25 -
                   y(i) = y(i) + he(k) *xe(i-k+1);
   26 -
   27 -
   28 -
          v=-2*o:1:2*o; Needless to say it should be double the range (here=2) from both the sides.
           subplot(2,3,5); stem(v,y); title('y[n]');
```



Here's the code for 2) b):

- → First, we find y by using 'conv' function.
- → Then we run the code and get its output.





As we can see, the output signal y is coming out to be one and the same in both the ways (conv and for loop). So, the given output is verified successfully.

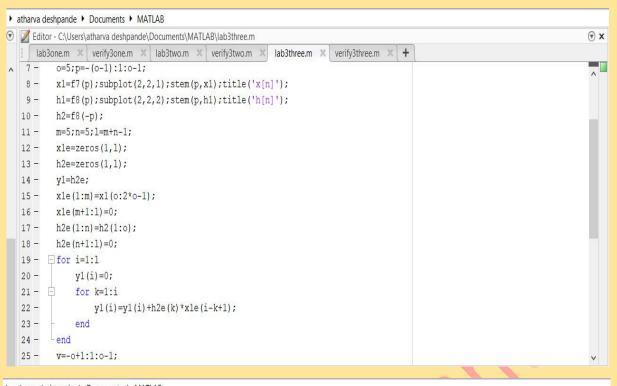
3) x and h are given. We have to find the output for shifted and scaled version of x and h. Basically, there are two parts in one script and we have to verify the output using the in-built function.

Here's the code for 3) a):

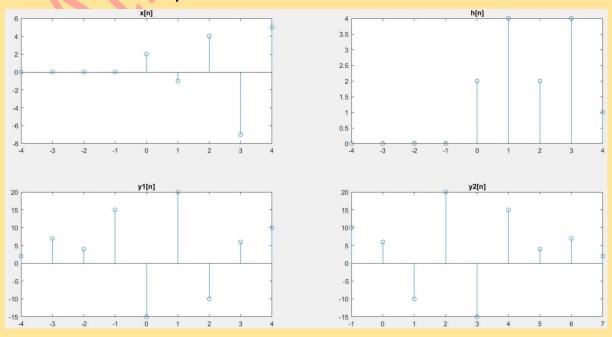
- → First, we find y by using 'for loop'.
- → Then we run the code and get its output.
- → Here we have used two functions f7 & f8.

f7 function

f8 function





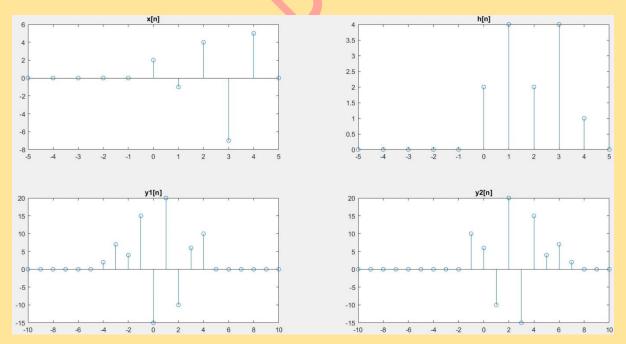


Here's the code for 3) b):

- → First, we find y by using 'conv' function.
- → Then we run the code and get its output.

```
▶ atharva deshpande ▶ Documents ▶ MATLAB
    lab3one.m × verify3one.m × lab3two.m × verify3two.m × lab3three.m × verify3three.m × +
    1 -
    2 -
           clear
    3 -
           close all
    4
    5
    6
    7 -
           m=5;
    8 -
           n=-m:1:m;
    9 -
           x=zeros(size(n));
           x1=f7(n); subplot(2,2,1); stem(n,x1); title('x[n]'); % real input signal
   10 -
   11 -
           \label{eq:h1=f8(n);subplot(2,2,2);stem(n,h1);title('h[n]'); real system equation here.} \\
  12 -
           h2=f8(-n);
   13 -
           y1=conv(x1,h2);
   14 -
           p=-2*m:1:2*m;
  15 -
           subplot(2,2,3);stem(p,y1);title('y1[n]');
  16 -
          x2=f7(3-n);
  17 -
          y2=conv(x2,h1);
           subplot(2,2,4); stem(p,y2); title('y2[n]');
```

Here's the output:



As we can see, the output signals $y_1 \& y_2$ are coming out to be one and the same in both the ways (conv and for loop). So, the given output is verified successfully.