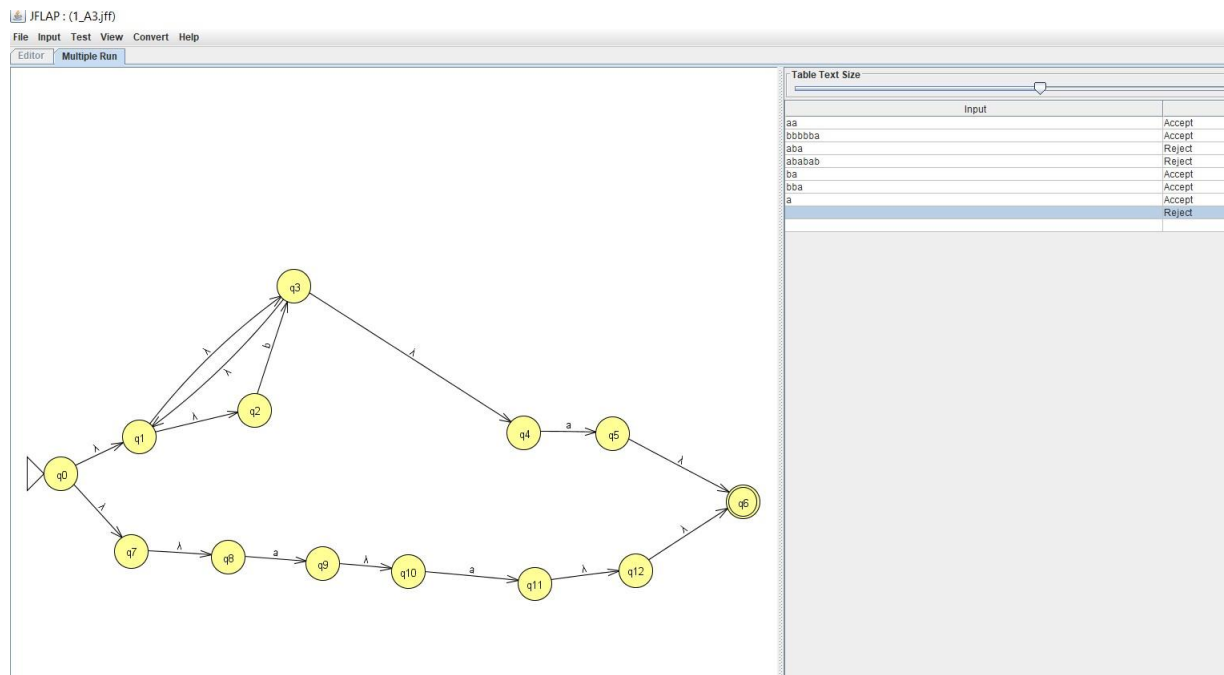


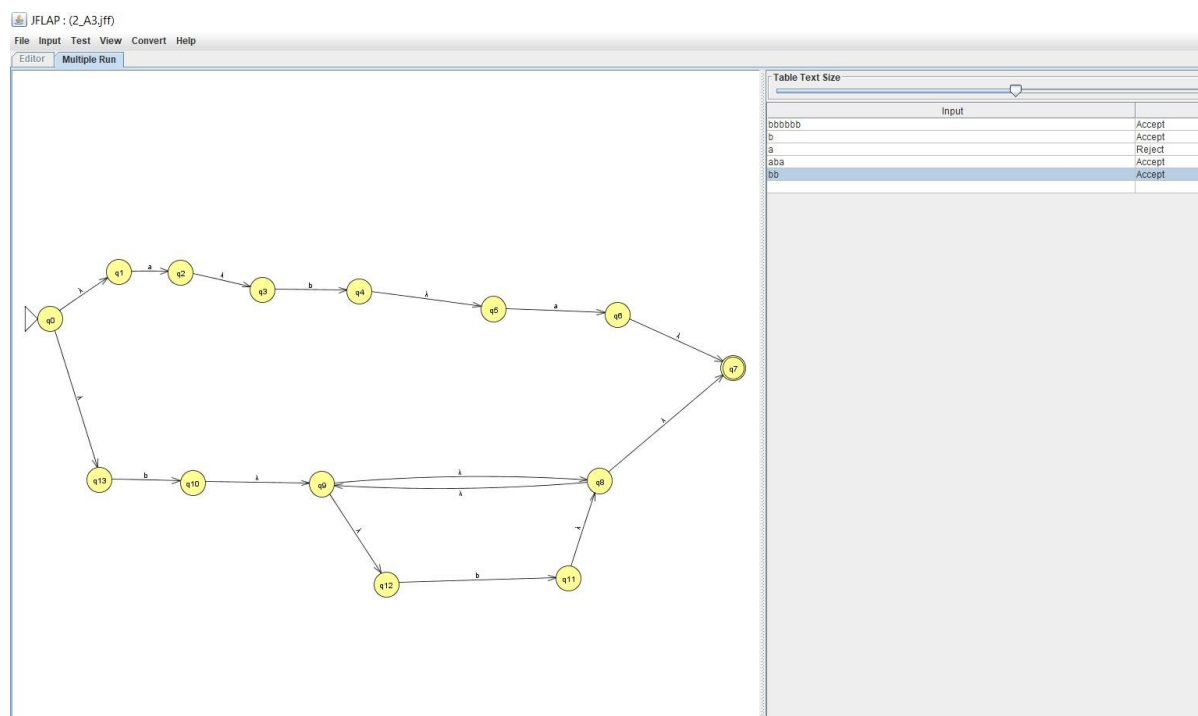
1. Create an nfa for  $\Sigma = \{a, b\}$  that accepts the language  $L(aa + b^*a)$ .



2. Create a regular expression for the set of all strings that consist of an odd number of 'a's followed by 'bb' (for example "abb", "aaabb", "aaaaabb", etc.).

**Solution:**  $(aa)^*abb$

3. Use the construction in Theorem 3.1 to create an nfa that accepts the language  $L(bb^* + aba)$ .



4. Create a regular expression for the language accepted by the following nfa:  
states: {q0,q1,q2,q3}

input alphabet: {a,b}

initial state: q0

final states: {q2}

transitions:

$\delta(q3,b) = \{q2\}$

$\delta(q1,b) = \{q1\}$

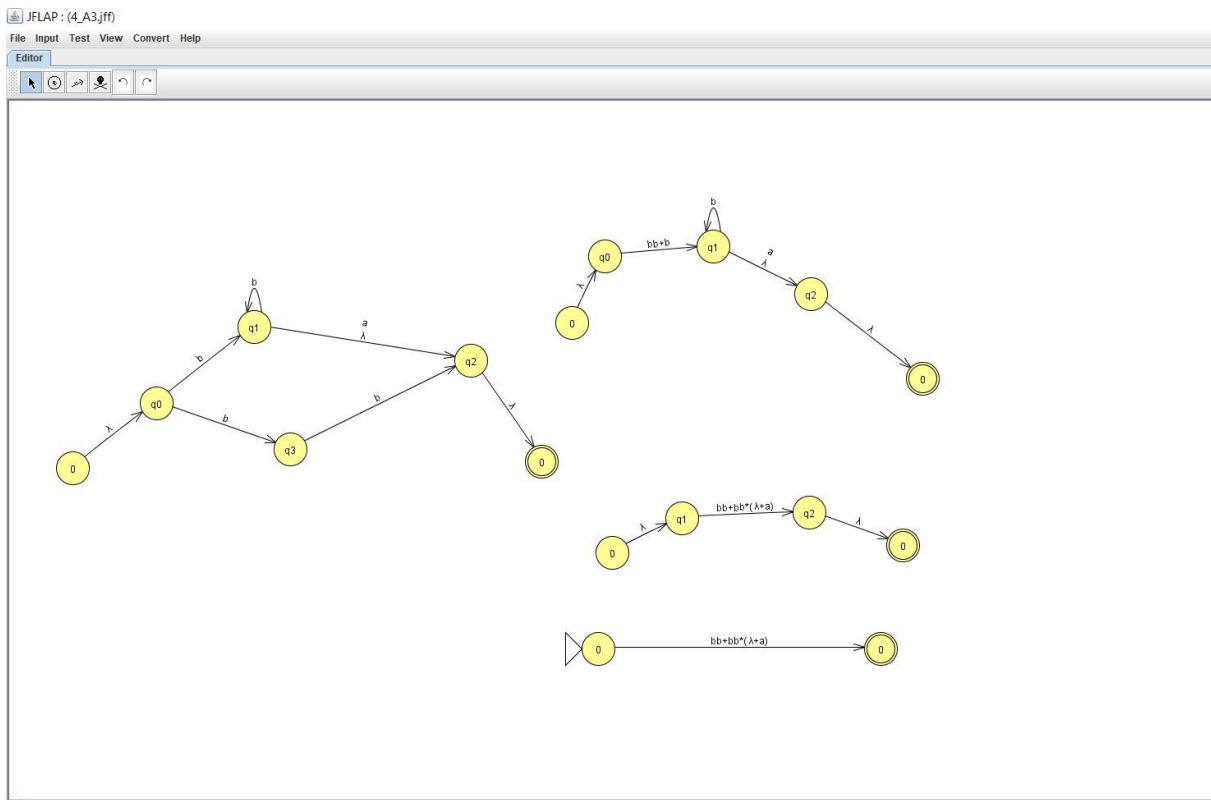
$\delta(q1,\lambda) = \{q2\}$

$\delta(q1,a) = \{q2\}$

$\delta(q0,b) = \{q3,q1\}$

**Solution:**

$bb + bb^*(\lambda + a)$

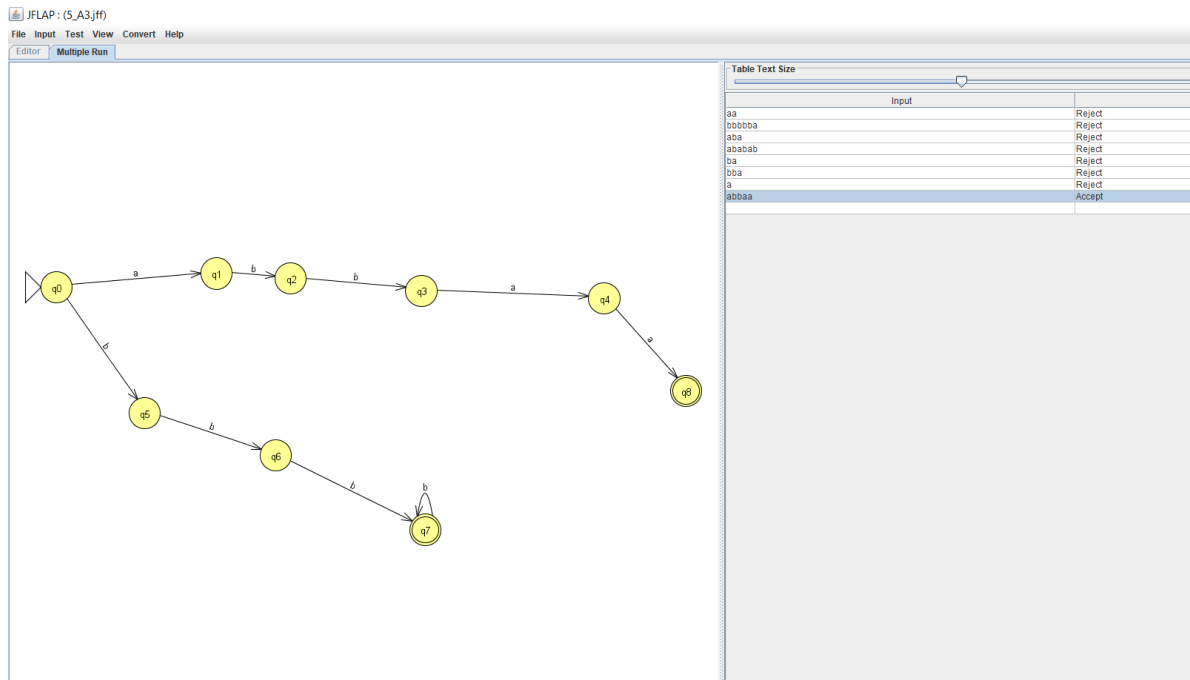


5. Create a nfa for  $\Sigma = \{a, b\}$  that accepts the language generated by the following right-linear grammar:

$S \rightarrow abbA \mid bbB$

$A \rightarrow aa \mid a$

$B \rightarrow bB \mid b$



6. Construct a right-linear grammar for the language  $L((a + b)^*)$ .

**Solution:** Consider the right linear grammar. Here we have

$S \rightarrow aS$

$S \rightarrow bS$

$S \rightarrow \lambda$

Hence, we have the right linear grammar as  $S \rightarrow \lambda \mid aS \mid bS$