Experiment No.4

Aim: Implementation of Binary Tree and its traversal for real-world application.

Objectives:

- 1. To learn fundamentals and implementation of binary tree.
- 2. To develop an ability to design and analyze algorithms using tree data structures.

Theory:

as a collection of elements called nodes.

In a binary tree, the topmost element is called the root node, and each node has o, I or atteast the most 2 children.

or a terminal node

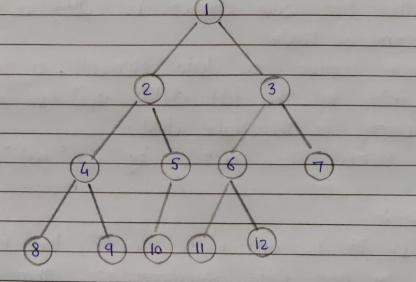
Every node contains a data element, a left pointer which points to the left child, and a right pointer which points to the right child.

The root element is pointed by a "root' pointer.

Terminologies ?-

Parent - If N is any node in T that has left successor so and right successor so, then N is called the parent of so and so.

Lavel number - Every node in the binary tree is assigned to a level number. Degree of a node- It is equal to the number of children that a node has Sibling - All nodes that are at the same level and share the same parent are called siblings. Leat node - & node that has no children. Similar binary trees - Two binary trees are said to be similar if both these trees have the same structure. Edge - It is the line connecting a hode N to any of its successors. Path- 1 sequence of consecutive edges. Depth - The depth of a node is given as the length of the path from the root to the node Height of a tree - It is the total number of nodes an the path from the root node to the deepest node in the tree



Operations -

- 1. Dearching- Find the location of some specific element in a binary tree
- 2. Insertion-Adding a new element to the tree at the appropriate location.
- 3. Deletion Deleting some specific node from a binary tree
- 4. Traversing Process of visiting each node exactly one

Tree traversal and its types-

Traversing a binary tree is the process of visiting each node in the tree exactly once in a systematic way Unlike linear data structure in which the elements is are traversed sequentially, tree is a non-linear data Structure in which the elements can traversed in many different ways.

(1) Pre-order traversal: To traverse a non-empty binary tree in pre-order, the following operations are performed recursively at each node.

The algorithm works by-

OVisiting the root node

2 Traversing the left sub-tree and

3 Traversing the right subtree.



	(2) In-order traversal: To traverse a non-empty binary
	free in in-order, the following operations are performed
a des	recursively at each node
	The algorithm works by-
	1) Traversing the left sub-tree
	(2) Visiting the root node and finally
	3 Traversing the right sub-tree
	e francisco fre
	(3) Post-order traversal: To traverse a non-empty binary
	tree in post-order, the following operations are perfor-
	med recursively at each node
	The algorithm works by -
	1) Traversing the left sub-tree
	2 Traversing the might sub-tree
	3 Visiting the root node.
	100 VISIAINA INC. 100 1/2000.
*	Algorithms:
	Searching for a given value
	Step 1 - If TREE - DATA = VAL OR TREE = NULL
	RETURN TREE
	ELSE
	IF VAL < TREE -> DATA
	RETURN Search element (TREE -> LEFT VAL)
	ELSF
	RETURN Search Element (TREE -7 RIGHT, VALUE)
	[END OF IF]
	END OF IFT
	Step 2 - END
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Insertion: INSERT (TREE, VAL)
Step1 - IF TREE = NULL
         allocate memory for tree
         Set TREF -> DATA = VAL
         Set TREE -> LEFT = TREE -> RIGHT = NULL
         ELSE
          IF VAL < TREE -> DATA
           Insert (TREE -7 LEFT, VAL)
         FISE
              Insert (TREE -> RIGHT, VAL)
         END OF IFT
         (END OF IF)
Step 2 - END
Deletion: Delete (TREE, VAL)
Step 1 - IF TREE = NULL
        Write "VAL NOT FOUND EN THE TREE"
        ELSE IF VAL < TREE -7 DATA
        Delete (Tree, -> LEFT, VAL)
        ELSE IF VAL > TREE -> DATA
        Delek (TREE -> RIGHT, VAL)
        Else if tree -> LEFT AND TREE -> RIGHT
          Set temp = find Largest Node (TREE - TLEFT)
          Set TREE => DATA = TEMP -> DATA
          Deleke (TREE -> LEFT, TEMP -> DATA)
        FISE
           Set temp = TREE
       IF TREE -> LEFT = NULL and TREE -> RIGHT= NULL
           Set TREE = NULL.
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ELSE IF TREE -> LEFT 1= NULL

Set TREE = TREE -> LEFT

FLSE

Set TREE = TREE -> RIGHT

(FND OF IF)

FREE TEMP

(END OF IF)

Step 2 : END

Pre-order Traversal-

Step1 - Repeat Steps 2 to 4 while TREE != NULL

Step 2 - Write TREE -> DATA

Step 3 - PREOR DER (TREF -> LEFT)

Step 4- PREORDER (TREE-> REGILT)

(END OF LOOP)

Step 5 - END.

Th-order Traversal

Step 1- Repeat Steps 2 to 4 while TREE != NULL

Stepz - INORDER (TREE -> LEFT)

Step 3- Write TREE -> DATA

Slep 4 - INORDER (TREE -> RIGHT)

(END OF LOOP)

Step 5 - END



Post-Order Traversal-

Step 1 - Repeat steps 2 to 4 while TREE &= NULL

Step 2 - Post order (TREE -> LEFT)

Step 3 - Post order (TREE -> RIGHT)

Step 4- Write TREE -> DATA

(END OF LOOP)

Step 5- END

Example-

Trees are used in decision-based algorithm, is in that is in machine learning which works upon the algorithm of tree.

Trees are also used in databases for indexing.

Tile system in any operating system also makes use of trees.

Debsites which allows

Conclusion: In this experiment, we learned about questes. We implemented trees and performed its basic operations like inscrition, deletion and traversing through the podes in the tree. We also come across the examples where trees are implemented in real-world.

Outcome - Applied the concepts of trees for real-world application.

