

DWARKADAS J. SANGHVI COLLEGE OF ENGINEERING

(Autonomous College Affiliated to the University of Mumbai) NAAC Accredited with "A" Grade (CGPA: 3.18)



Academic Year (2022-23) Year: 3 Semester: V

Program: T.Y. Tech. (Computer Engg.)

Subject: Artificial Intelligenec

Date: 07/01/23

Max. Marks: 75

Time: 10:30 am to 1:30 pm

Duration: 3 Hours

REGULAR EXAMINATION ANSWER KEY (Set 1)

Instructions: Candidates should read carefully the instructions printed on the question paper and on the cover page of the Answer Book, which is provided for their use.

- (1) This question paper contains two pages.
- (2) All Questions are Compulsory.
- (3) All questions carry equal marks.
- (4) Answer to each new question is to be started on a fresh page.
- (5) Figures in the brackets on the right indicate full marks.
- (6) Assume suitable data wherever required, but justify it.
- (7) Draw the neat labelled diagrams, wherever necessary.

Question No.		Max. Marks
Q1 (a)	PEAS for self-driving car 05 Marks	[10]
}	Performance: Safety, time, legal drive, comfort.	'
İ	• Environment: Roads, other cars, pedestrians, road signs.	
İ	Actuators: Steering, accelerator, brake, signal, horn.	
	• Sensors: Camera, sonar, GPS, Speedometer, odometer, accelerometer, engine sensors, keyboard.	
1	Justification of specified PEAS w.r.t. following points, 05 Marks	
	Fully observable vs Partially Observable	
	Static vs Dynamic	
	Discrete vs Continuous	200228800
	Deterministic vs Stochastic	
	Single-agent vs Multi-agent	
	Episodic vs sequential	1
	Known vs Unknown	
	Accessible vs Inaccessible	
	OR	
	OK .	
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		For each model: Explanation: 3 Marks and Diagram: 2 mar	rks	[10]
		Model-based reflex agents	in the first state of	
		(Visit report of the second of	Environmaent	
	Q1 (b)	Heuristic function:	02 Marks	[05]
dat	**************************************	Properties: Admissible, Monotonic	03 Marks	audi Jest
	Q2 (a)	For both the options:		[10]
	Q2 (a)	Explaination	05 Marks	[4.6]
		Working example	04 Marks	
		Comment on performance	01 Mark	
	02 (1)		OI MAIN	
	Q2 (b)	Steps: 1 Mark for each step	,	
	1	Initial population.		
		Fitness function.		[05]
		Selection.	`	"
		Crossover.		
		Mutation.		
	Q3 (a)	Universal and Existential quantifiers	04 Marks	[10]
	·	Unification example	06 Marks	
		OR		
		FOL form:	05 Marks	[10]
		1. Every child loves every candy. $\forall x \ \forall y \ (CHILD(x) \land CANDY(y) \rightarrow LOVES(x,y))$		
		2. Anyone who loves some candy is not a nutrition fanatic. $\forall x \ ((\exists y \ (CANDY(y) \land LOVES(x,y))) \rightarrow \neg EANATIC(x))$		
	William John John	3. Anyone who eats any pumpkin is a nutrition fanatic. $\forall x \ ((\exists y) (PUMPKIN(y)) \land EAT(x,y))) \rightarrow EANATIC(x))$	and the second	
		 Anyone who buys any pumpkin either carves it or eats it. ∀x ∀y (PUMPKEN(y) ∧BUY(x,y) → CARVE(x,y) ∨EAT(x,y)) 		
		5. John buys a pumpkin. 3x (PUMPKIN(x) A BUY(John,x))		
		6. Lifesavers is a candy. CANDY(Lifesavers)		
		 (Conclusion) If John is a child, then John carves some pumpkin. CHILD(John) → ∃x (PUMPKIN(x) ∧ CARVE(John,x)) 		
		CNF form:	05 Marks	



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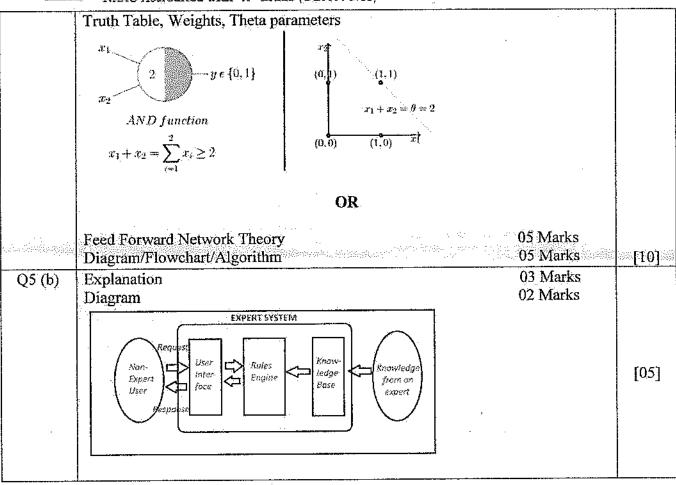
		[05	
Backward chaining	Forward chaining	[03	
Goal driven approach.	Data driven approach.		
Backward chaining is a reasoning technique employed by the expert. Forward chaining is problem solving technique used by Expert System (ES).			
Approach starts with an expectation of what's happening and evidence that supports the expectation.	Approach starts with basic available data, then later draws conclusion.		
Analyzes by testing hypotheses and sub hypotheses.	Analyzes the problem making use of inference rules.		
Backward chaining tends to ask less data and examine more rules.	Forward chaining tend to ask more data to climinate possibilities and therefore to process fewer rules.		
Good for problem diagnosis.	Good for configuring computer system and to meet their requirements.		
Backward chaining runs more efficiently than forward chaining.	It's not so efficient compared to backward chaining.		
For both the options:		[10]	
Example	05 Marks 05 Marks	[10]	
	and B are listed as follows.		
Intersection:			
$A \cap B \Leftrightarrow \mu_{A \cap B} = \mu_A \wedge \mu_B$.			
Complement:			
$\ddot{A} = \mu_{\ddot{A}} = 1 - \mu_{A}$			
Algebraic Product:			
$A \cdot B \Leftrightarrow \mu_{A \cdot B} = \mu_A \mu_B$			
A + B - 4 3 3 3	$= \mu_A + \mu_B - \mu_A \mu_B$ $= 1 - (1 - \mu_A (1 - \mu_A))$. July 198	
4-43/48/4:3		[05]	
32 MIZUMOTO AND TANAKA			
Bounded-Sum:			
$A \oplus B \Leftrightarrow \mu_{A \oplus b} = 1 \wedge (\mu_A + \mu_B).$			
Bounded-Difference:			
	$=0\vee(\mu_A-\mu_B).$		
· 	∞ 0 × (a		
Linear separability			
l inear cenarability	04 Marks	[10]	
	Backward chaining is a reasoning technique employed by the expert. Approach starts with an expectation of what's happening and evidence that supports the expectation. Analyzes by testing hypotheses and sub hypotheses. Backward chaining tends to ask less data and examine more rules. Good for problem diagnosis. Backward chaining runs more efficiently than forward chaining. For both the options: Planning description Example The operations of fuzzy sets A Union: AOB & PACE Complement: AOB & PACE Algebraic Product: AOB & PACE Algebraic Sum: AOB & PACE Bounded-Difference: AOB & PACE Bounded-Product: AOB & PACE Bounded-Product: AOB & PACE Bounded-Product:	Goal driven approach. Backward chaining is a reasoning technique employed by the expert. Approach starts with an expectation of what's happening and evidence that supports the expectation. Analyzes by testing hypotheses and sub hypotheses. Backward chaining tends to ask less data and examine more rules. Good for problem diagnosis. Good for problem diagnosis. Backward chaining runs more efficiently than foroward chaining. For both the options: Planning description Example O5 Marks The operations of fuzzy sets A and B are listed as follows. Union: A B ⇔ μ _{A □ B} = μ _A ∨ μ _B . Intersection: A ⊕ B ⇔ μ _{A □ B} = μ _A + μ _B . Algebrate Sum: A ⊕ B ⇔ μ _{A □ B} = μ _A + μ _B . Algebrate Sum: A ⊕ B ⇔ μ _{A □ B} = 1 ∧ (μ _A + μ _B). Bounded-Difference: A ⊕ B ⇔ μ _{A □ B} = 0 ∨ (μ _A - μ _B). Bounded-Product: A ⊕ B ⇔ μ _{A □ B} = 0 ∨ (μ _A - μ _B). Bounded-Product: A ⊕ B ⇔ μ _{A □ B} = 0 ∨ (μ _A - μ _B). Bounded-Product: A ⊕ B ⇔ μ _{A □ B} = 0 ∨ (μ _A - μ _B). Bounded-Product: A ⊕ B ⇔ μ _{A □ B} = 0 ∨ (μ _A - μ _B).	



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All the Best!