Week 5 Day 1 Activity: Revisiting IMDb Movie Reviews — Comparing Two Groups

This week our focus is comparing the means of two groups. With linear regression we were able to compare the predicted mean response across different values of a continuous explanatory variable. This week, however, we are moving from a *continuous* explanatory variable to a **categorical** explanatory variable!

Movies released in 2016

Recall the dataset we used a couple of weeks ago, visualizing the distribution of IMDB movie ratings. The dataset included eight variables, listed below.

Variable	Description
movie_title	Title of movie
budget_mil	Amount of money (in US \$ millions) budgeted for the production of the movie
revenue_mil	Amount of money (in US \$ millions) the movie made after release
duration	Length of the movie (in minutes)
content_rating	Rating of the movie (G, PG, PG-13, R, Not Rated)
imdb_score	IMDb user rating score from 1 to 10
genres	Categories the movie falls into (e.g., Action, Drama, etc.)
facebook_likes	Number of likes a movie receives on Facebook

Comparing Two Groups

Let's compare the budget for movies rated PG and movies rated R. Technically, the dataset has four different content ratings: Not Rated, PG, PG-13, and R. To make the comparison of PG and R movies easier, I went ahead and made a smaller dataset containing only these two ratings.

In case you are interested, this is the code I used!

Similar to summarizing the mean of all of the movies, we have two options to compare these two groups:

- 1. Use summary statistics
- 2. Use visualizations

Summary Statistics

Let's start with summary statistics. Our familiar friend favstats() can help us compare summary statistics across different groups. Before when we used favstats() we only had one variable, but now we have two!

Now, we will use two variables as a "formula", which looks like response ~ explanatory. So, the budget of the film is the response and the content rating is the explanatory variable. So, our code looks like:

Use the output from the favstats() function to answer the following questions:

```
## content_rating min Q1 median Q3 max mean sd n missing
## 1 PG 0.5 11.00 74.0 151.250 175 86.54167 71.52795 12 0
## 2 R 0.0 7.75 19.5 29.625 60 21.09375 16.99926 32 0
```

- 1. Report the mean budget amount for the PG rating. Use appropriate notation.
- 2. Report the mean budget amount for the R rating. Use appropriate notation.
- 3. Calculate the difference in mean budget amount for movies in 2016 with a PG rating minus those with a R rating. Use appropriate notation with informative subscripts.

4. Which content rating has the largest standard deviation?

5. Which content rating has the largest sample size? What effect does sample size have on each group's standard deviation?

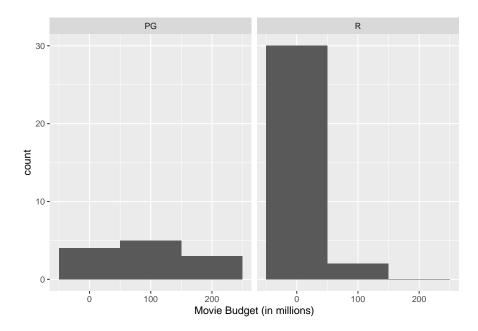
Faceted Histograms

When we want to add a categorical variable (like content_rating) to a histogram, we create separate plots for each level of the categorical variable. These separate plots are called **facets**. We are comparing the budgets for PG and R movies, so we will have two facets, one per content rating.

The code to make a faceted histogram looks like the following:

Notice the last line is the only new part! That line creates a faceted plot (using facet_wrap()) and says to facet "by" (~) the content_rating.

Let's look at what this plot ends up looking like:



10. How would you describe the shape of the distribution of PG movie budgets?

11. How would you describe the shape of the distribution of R movie budgets?

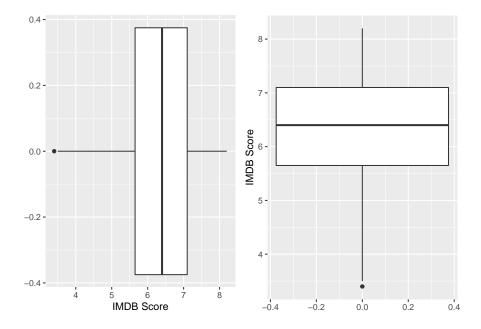
12. Visually, does it appear that there are outliers in either of these groups?

13. How do these distributions compare to what you expected in your sketches (in #7)?

Side-by-Side Boxplots

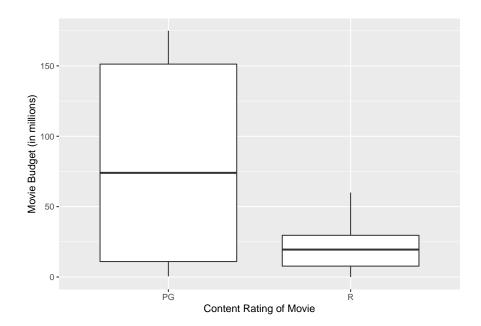
Another way we can incorporate a categorical into our plots is to plot our boxplots for each group side-by-side. As opposed to faceting, these boxplots will be on the **same** plot. We only need to add one extra piece to our previous code: a categorical variable.

Before, we either plotted our **one** numerical variable horizontally (using x) or vertically (using y).



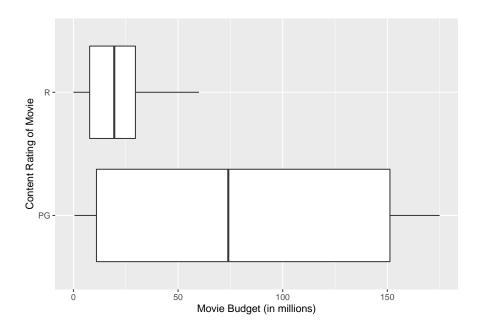
Now. we need to plot \mathbf{two} boxplots side-by-side. Similar to before, we can stack the plots horizontally or vertically.

Horizontal Stacking



14. Why are the boxplots stacked side-by-side horizontally? What part of the R code does this?

Vertical Stacking



15. How was the previous code changed to stack the boxplots side-by-side vertically?

16. Which orientation do you prefer?