## **EXAMPLE OF TECHNOLOGY, KHARAGPUR**

Date .......FN / AN Time: 2 Hrs. Full Marks: 30 No. of Students: 110

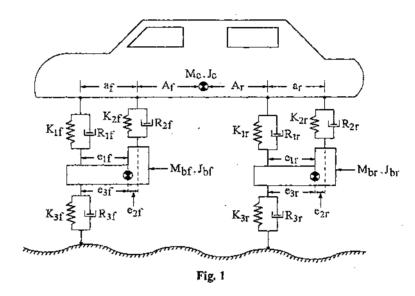
Autumn mid – Semester Deptt. : Mechanical Engineering

Sub. No. : ME 30003 / ME 40601 4<sup>th</sup> Yr. B. Tech (H)

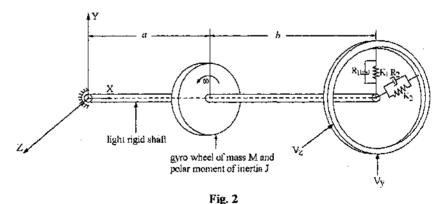
Sub. Name: Systems and Control

Instructions: Answer all questions. Questions carry equal marks.

Q1. An anti-pitch suspension system is created by mounting a heavy rigid body as sprung mass both in the front and rear suspensions of an automobile as shown in Fig. 1. Create a so called bicycle model of the system to simulate its dynamics in one plane as shown in the figure.



Q2. A simple model of a gyrocompass is shown in Fig. 2. Derive the equations of motion of the system through its bond graph model.



Reduce the bond model in such a way that it does not contain any gyrator element.

## **Continuation Page**

- Q3. Show the following equivalences and obtain the equivalent parameters.
  - a) A capacitor and a gyrator attached to a through junction are equivalent to an inertial element.
  - b) An inertial element and a gyrator attached to a through junction are equivalent to a capacitive element.
  - c) A resistive element and a gyrator attached to a through junction are equivalent to a resistive element.
  - d) All possible pairs of two port elements and through junction combinations are equivalent to one of the two port elements.
- Q4. A D.C. motor driving a rigid rotor with a disk is shown in Fig. 3. The motor field is separately energised redenring a motor characteristics as  $\tau = \mu^* i_a$ , where  $i_a$  is armature current and  $\mu$  is a constant.

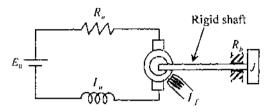


Fig.3

Using gyrator equivalence relations create a gyrator free model of the system referred to electrical side and show that final steady state current in the armature circuit would be  $i_a = E_0 * R_b / (\mu^2 + R_a * R_b)$ ,  $R_b$  is equivalent viscous resistance of the bearing. Explain why does armature current,  $i_a$  becomes zero if  $R_b = 0.0$ ?

Q5. Draw bond graph model for the system shown in Fig. 4. Reduce the graph such that there is no junction loop or differential causality. Augment the graph and derive equation of motion, for small oscillation.

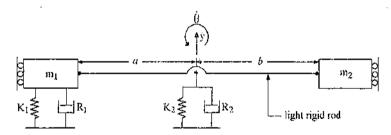


Fig. 4