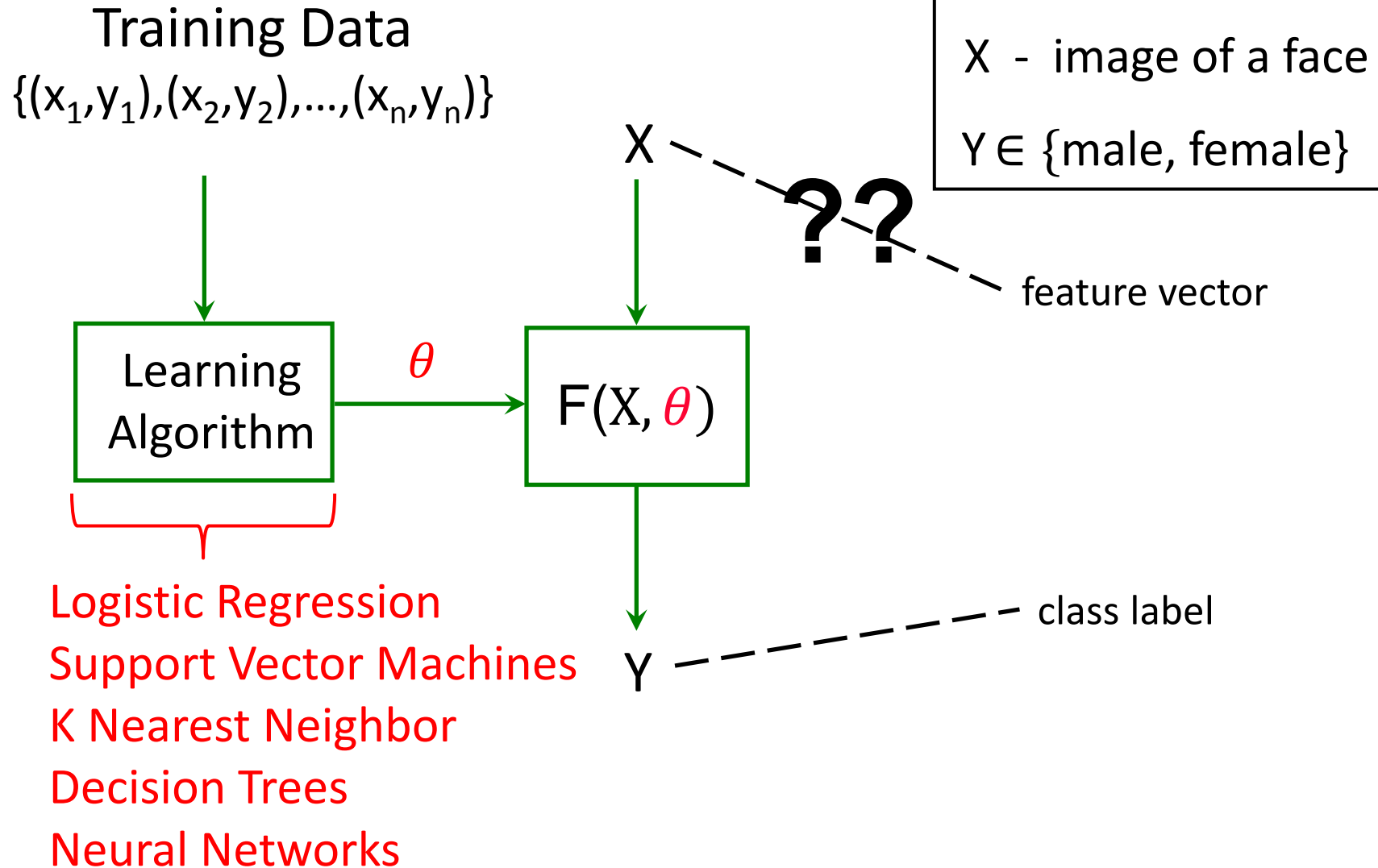


Lecture #2: Input Representation, Abstract ML Algorithm, and Supervised Learning Settings

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Learning for Simple Outputs



Input examples: Representation

- In ML, our input examples (emails, text documents, images) are often represented as real-valued vectors: $x \in R^d$
 - ▲ each co-ordinate of x is called a **feature**
- Some examples
 - ▲ Bag-of-words representation of text
 - ▲ Histograms of colors in image
 - ▲ Sound frequency histogram

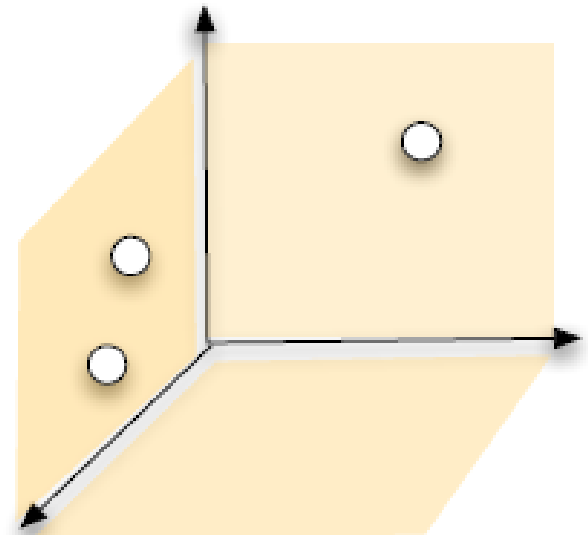
Input examples: Representation

- Bag-of-words model

- ▲ sentences to points

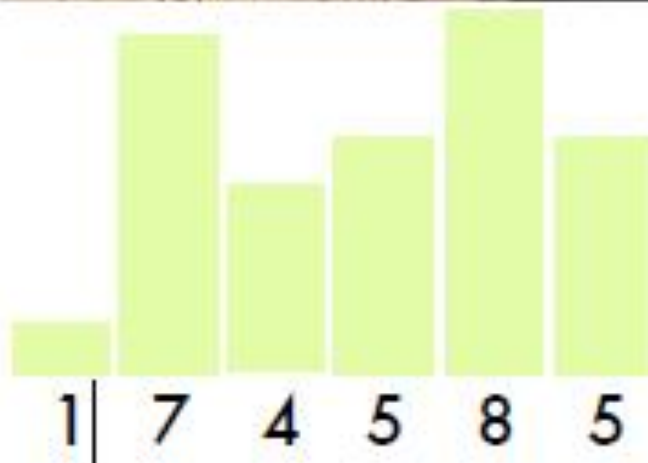
1. To be, or not to be,
2. To be a woman,
3. To not be a man

To	be	or	not	woman	a	man
2	2	1	1	0	0	0
1	1	0	0	1	1	0
1	1	0	1	0	1	1



Input examples: Representation

- Histogram of colors in image



Input examples: Representation

- Sound frequency histogram



Recap of last lecture

- **Different learning paradigms**
 - ▶ Supervised, semi-supervised, unsupervised, active, and reinforcement learning
- **Representation of Input objects**
 - ▶ set of features or feature vectors
 - ▶ some examples (e.g., Bag-of-Words for text)
- **Abstract machine learning algorithm**

Overview of ML Algorithms

- There are lot of machine learning algorithms
- Every machine learning algorithm has three components
 - ▲ **Representation**
 - ▲ **Evaluation**
 - ▲ **Optimization**

Representation: Examples

- Linear hyper-planes
- Decision trees
- Sets of conjunctive / logical rules
- Graphical models (Bayes/Markov nets)
- Neural Networks
- ...

Evaluation: Examples

- Accuracy
- Precision and recall
- Squared error
- Likelihood
- Cost / Utility
- Margin
- Entropy
- ...

Optimization: Examples

- **Combinatorial Optimization**
 - ▲ greedy search, dynamic programming
- **Convex Optimization**
 - ▲ gradient descent, co-ordinate descent
- **Constrained Optimization**
 - ▲ linear programming, quadratic programming
- ...

Generative vs. Discriminative Learning

- Training data: $(x_1, y_1), (x_2, y_2), \dots, (x_n, y_n)$ drawn from a joint distribution $P(X, Y)$
- **Generative learning:** learn the distribution $P(X, Y)$
 - ▲ “what controls the rise and fall of the stock prices?”
- **Discriminative learning:** learn the **conditional** distribution $P(Y|X)$
 - ▲ “will there be a rise in the stock prices today evening?”

$$P(Y|X) = \frac{P(X, Y)}{P(X)}$$

Parametric vs. Non-Parametric Learning

- **Parametric learning**

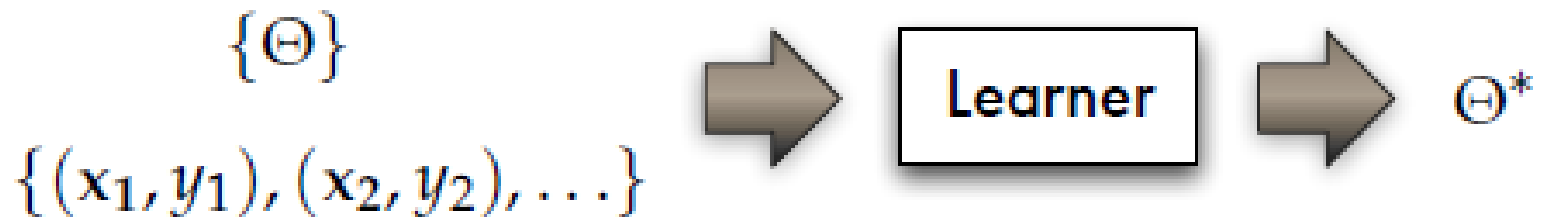
- ▶ define a space of models parameterized by a fixed number of parameters
- ▶ find model that best fits the data (by searching over the parameters)
- ▶ Example: logistic regression

- **Non-Parametric learning**

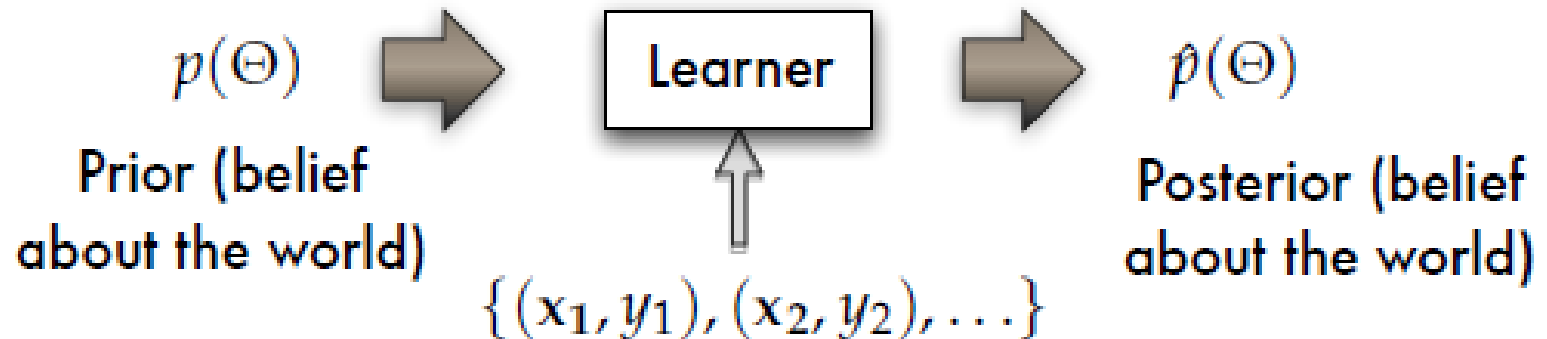
- ▶ define a space of models that can grow in size with data
- ▶ find model that best fits the data
- ▶ “Non-parametric” means “Not-fixed”
- ▶ Example: decision trees

Non-Bayesian vs. Bayesian Learning

- Non-Bayesian learning



- Bayesian learning



Θ^* is a point estimate.

$\hat{p}(\Theta)$ is a distribution over possible worlds

Machine Learned Programs: Errors

- **Approximation Error**

- ▲ Error due to restricted hypothesis class (representation)

- **Estimation Error**

- ▲ Error due to finite training samples

- **Optimization Error**

- ▲ Error due to not finding a global optimum to the optimization problem