

**Lab Quiz 3**

Quiz relates to Lectures 9 and 10. Questions might have been seen in a different order on LEARN.

**QUESTION 1**

Which of the following is not a binary synchronous stream cipher?

- (a) the one time pad
- (b) RC4
- (c) SHA-1
- (d) A5/1

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SHA-1

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**QUESTION 2**

In a binary synchronous stream cipher:

- (a) the keystreams generated by the sender and receiver are the same
- (b) the keystreams generated by the sender and receiver are complementary (every bit is different)
- (c) the keystream generated by the receiver is the XOR sum of the plaintext and the keystream generated by the sender
- (d) the keystream generated by the receiver is the XOR sum of the ciphertext and the keystream generated by the sender

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the keystreams generated by the sender and receiver are the same

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### **QUESTION 3**

The one time pad:

- (a) provides data integrity
- (b) provides perfect secrecy
- (c) produces ciphertext which is twice the length of the plaintext
- (d) requires much more computation for encryption than for decryption

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provides perfect secrecy

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### **QUESTION 4**

Which of these statements about the keystream used in the one time pad is true?

- (a) The keystream has a large, but finite, period
- (b) The keystream starts with an initialisation vector (IV)
- (c) The keystream is generated by a linear feedback shift register (LFSR)
- (d) Each keystream bit is only used once

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Each keystream bit is only used once

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### **QUESTION 5**

In typical usage, a true random number generator (TRNG) and a pseudo-random number generator (PRNG) are often combined in practice so that:

- (a) the PRNG provides the seed for the TRNG
- (b) the TRNG provides the seed for the PRNG
- (c) the TRNG and the PRNG output alternate bits
- (d) the TRNG and PRNG output is combined using exclusive-OR (XOR)

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the TRNG provides the seed for the PRNG

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### **QUESTION 6**

The Fermat test can be used to decide whether or not a number  $n$  is prime. The test can sometimes fail with the result that:

- (a) a prime number is labelled as a composite number
- (b) a composite number is labelled as a prime number
- (c) the test halts without producing any output
- (d) the test continues computing without producing a result

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a composite number is labelled as a prime number

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### **QUESTION 7**

By Euler's theorem, if  $\gcd(a, n) = 1$  then it is always true that:

- (a)  $a^{n-1} \bmod \phi(n) = 1$
- (b)  $a^{n-1} \bmod n = 1$
- (c)  $a^{\phi(n)} \bmod \phi(n) = 1$
- (d)  $a^{\phi(n)} \bmod n = 1$

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$a^{\phi(n)} \bmod n = 1$

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### **QUESTION 8**

Which of the following pairs of equations cannot be solved using the Chinese Remainder Theorem?

- (a)  $x \equiv 3 \bmod 5$  and  $x \equiv 3 \bmod 11$
- (b)  $x \equiv 3 \bmod 6$  and  $x \equiv 4 \bmod 11$
- (c)  $x \equiv 3 \bmod 5$  and  $x \equiv 3 \bmod 12$
- (d)  $x \equiv 3 \bmod 6$  and  $x \equiv 4 \bmod 12$

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$x \equiv 3 \bmod 6$  and  $x \equiv 4 \bmod 12$

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**QUESTION 9**

Suppose  $n = 77 = 7 \times 11$ . According to Euler's theorem:

- (a)  $2^7 \bmod n = 1$
- (b)  $2^{11} \bmod n = 1$
- (c)  $2^{60} \bmod n = 1$
- (d)  $2^{76} \bmod n = 1$

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$2^{60} \bmod n = 1$

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**QUESTION 10**

Let  $g$  be a generator for the integers modulo  $p$ . The discrete logarithm problem is:

- (a) given  $y$ , find  $x$  with  $y = x^g \bmod p$
- (b) given  $x$ , find  $y$  with  $y = x^g \bmod p$
- (c) given  $y$ , find  $x$  with  $y = g^x \bmod p$
- (d) given  $x$ , find  $y$  with  $y = g^x \bmod p$

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given  $y$ , find  $x$  with  $y = g^x \bmod p$

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