



**Course Code: CSE 3107**  
**Course Title: Communication Engineering**

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# Lecture # 06

## Frequency and Phase Modulation

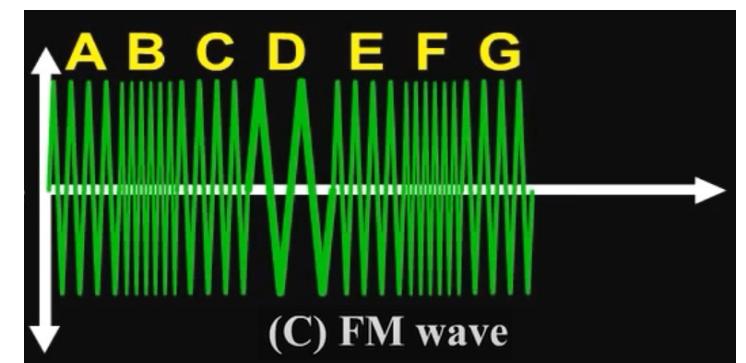
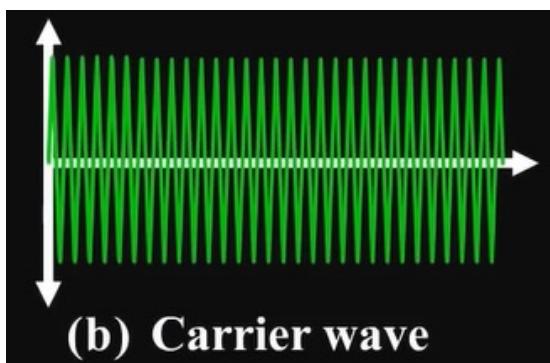
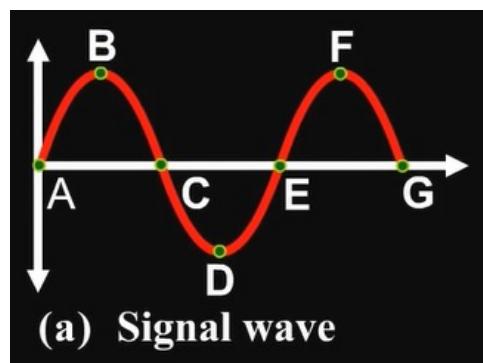
### Outline

- Frequency Modulation
- Phase Modulation
- Comparison between FM and PM

# Frequency Modulation

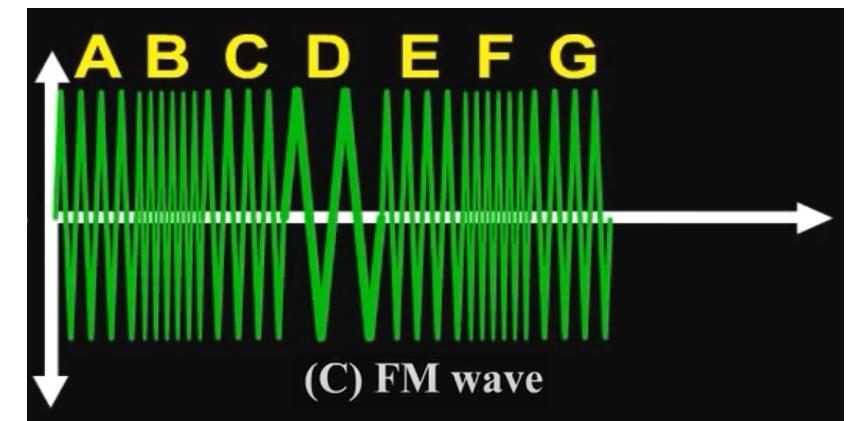
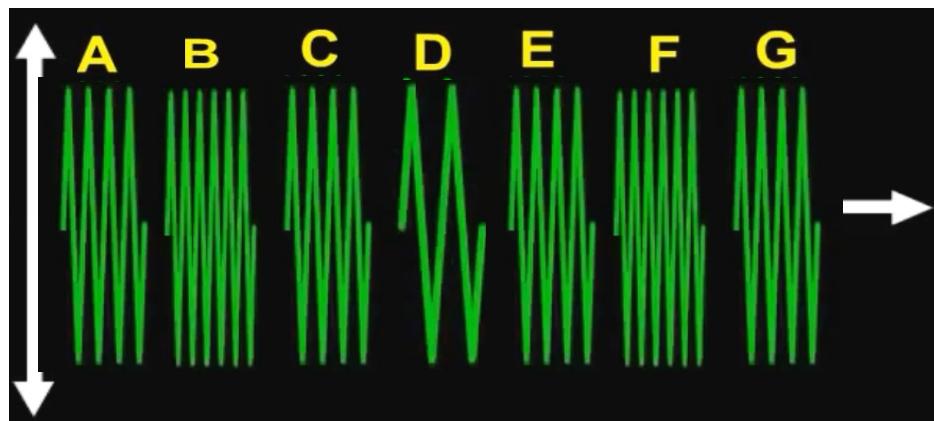
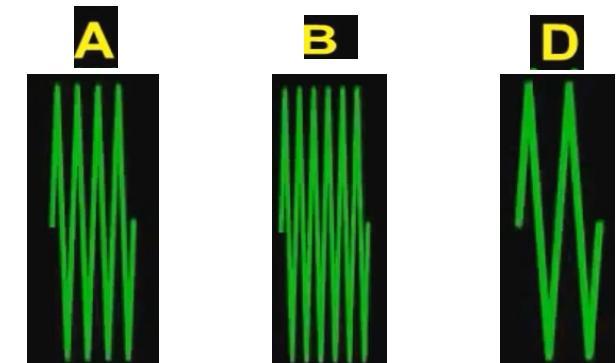
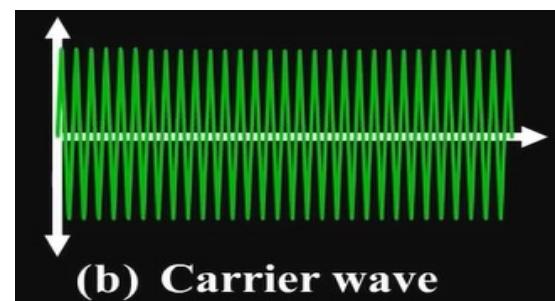
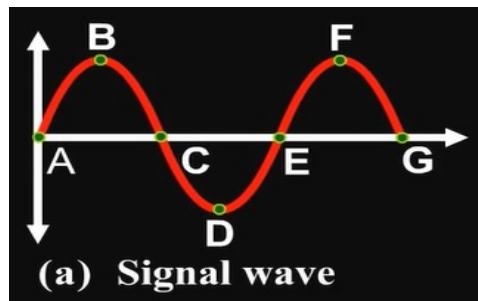
## □ Frequency Modulation ?

- ✓ It is a process in which the **Frequency** of the carrier signal is changed/ altered, in accordance with the amplitude of the original/modulating signal is called **Frequency** modulation, while the phase and Amplitude of the carrier signal remain constant.



# Frequency Modulation

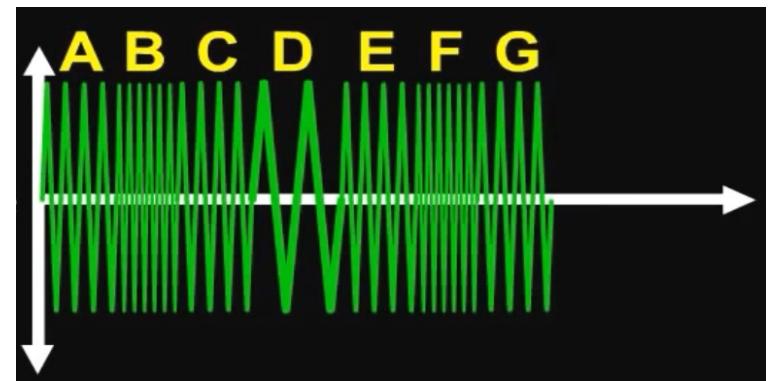
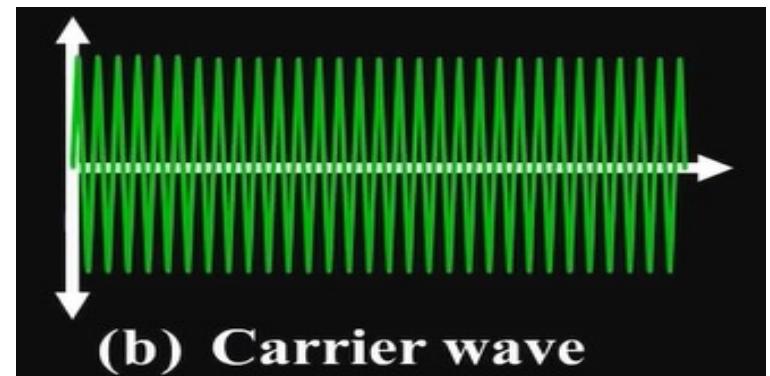
## □ Frequency Modulation Phenomena:



# Frequency Modulation

## □ Frequency Modulation Phenomena:

- ✓ **Center (Carrier) Frequency:** The center (carrier) frequency is the **frequency of the unmodulated carrier signal** and represents the nominal frequency about which the instantaneous frequency of the FM signal varies in response to the modulating signal.
- ✓ **Resting Frequency:** The resting frequency is the instantaneous frequency of an FM signal in the **absence of modulation**.

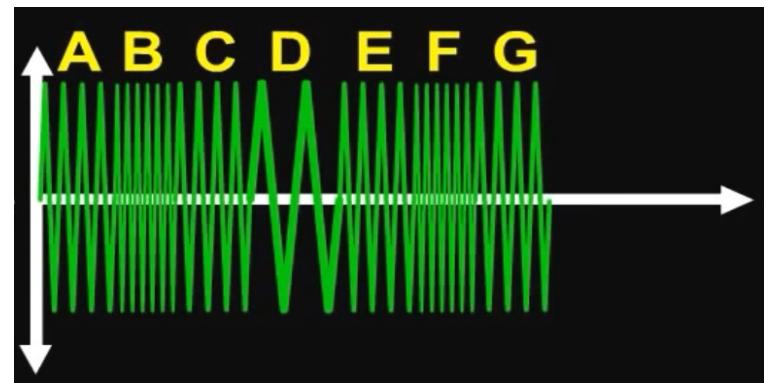
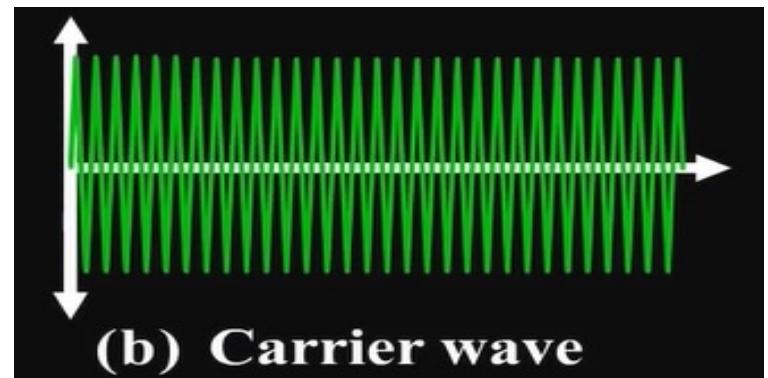


# Frequency Modulation

## □ Frequency Modulation Phenomena:

- ✓ **Frequency Deviation:** The amount by which the carrier frequency is varied from its unmodulated value, called the deviation, is made proportional to the instantaneous amplitude of the modulating voltage.
- ✓ It is typically denoted by  $\Delta f$  and measured in hertz (Hz).
- ✓ The instantaneous frequency therefore varies between  $f_c - \Delta f$  and  $f_c + \Delta f$
- ✓ **Deviation Ratio:** The shift in carrier frequency from its resting point compared to the amplitude of the modulating voltage.

$$\text{Deviation Ratio} = f_{dev}/f_{AF}$$

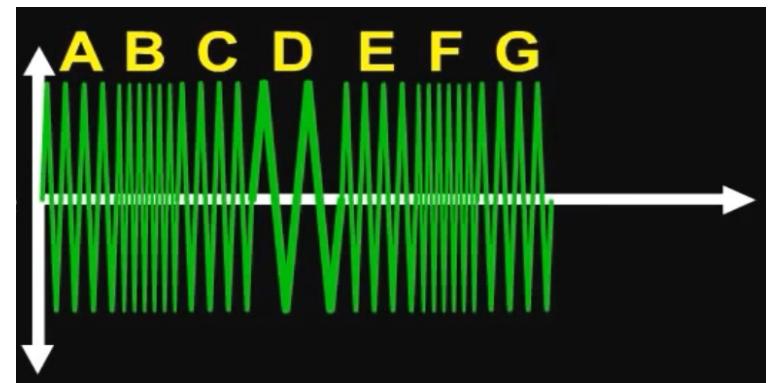
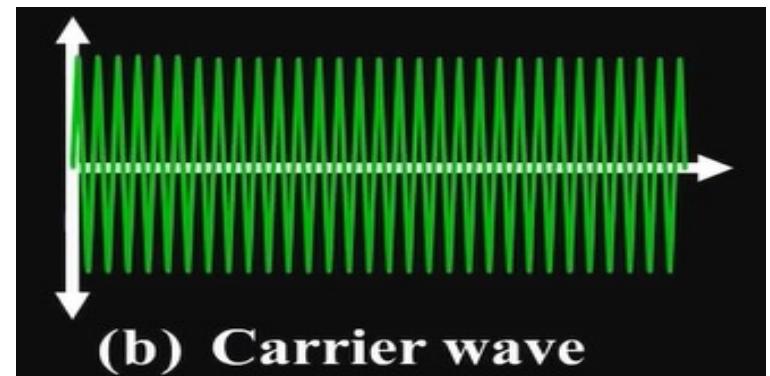


# Frequency Modulation

## □ Frequency Modulation Phenomena:

- ✓ Frequency deviation quantifies the extent of frequency variation produced by modulation and directly determines the **bandwidth** and **modulation index** of an FM signal.
- ✓ If the frequency deviation of the carrier is known and the frequency of the modulating voltage (AF) is known, we can establish the modulation index (MI), as follows:

$$\text{Modulation Index (MI)} = f_{dev}/f_{AF}$$



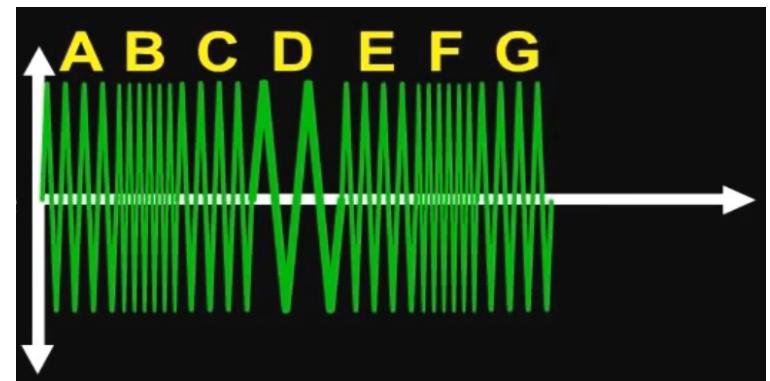
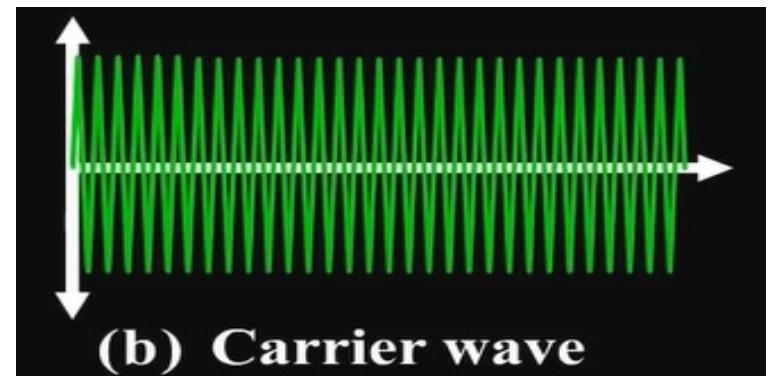
# Frequency Modulation

## □ Frequency Modulation Phenomena:

- ✓ **Frequency swing:** It is the peak-to-peak variation of the instantaneous frequency of an FM signal about its center (carrier) frequency.

- ✓ Mathematically,  
$$\text{Frequency swing} = 2\Delta f$$

$\Delta f$ : frequency deviation



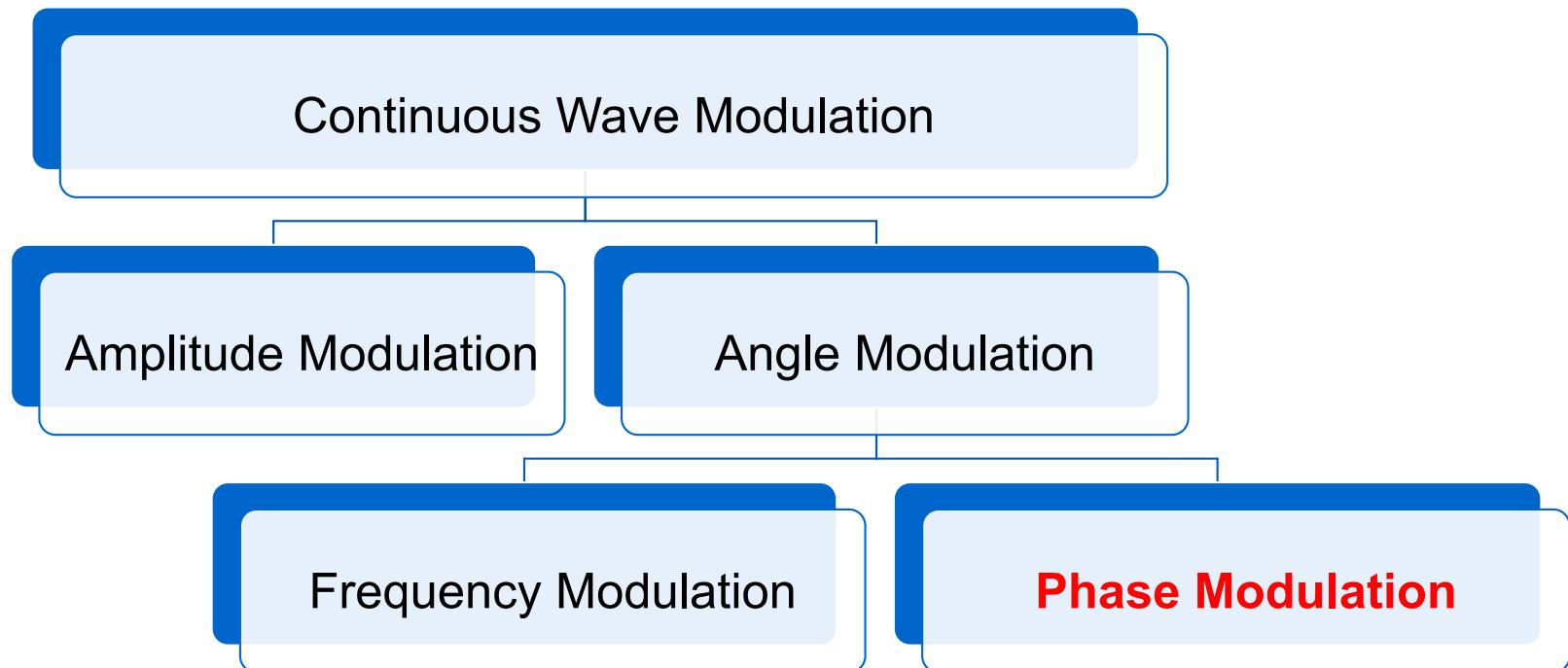
# Frequency Modulation

## □ Properties of Frequency Modulation:

1. FM has infinite number of sidebands.
2. Because the amplitude of the FM wave does not change, FM is much **less affected by noise** and suitable for **efficient power amplification**
3. FM requires **much more bandwidth**; even with increasing depth of modulation, requirement of bandwidth increases in FM.
4. Power efficient because transmitted power in FM is independent of modulation index.
5. At certain values of modulation indexes, carrier components may vanish. These values are known as *eigen values*.

# Phase Modulation

## □ Phase Modulation:



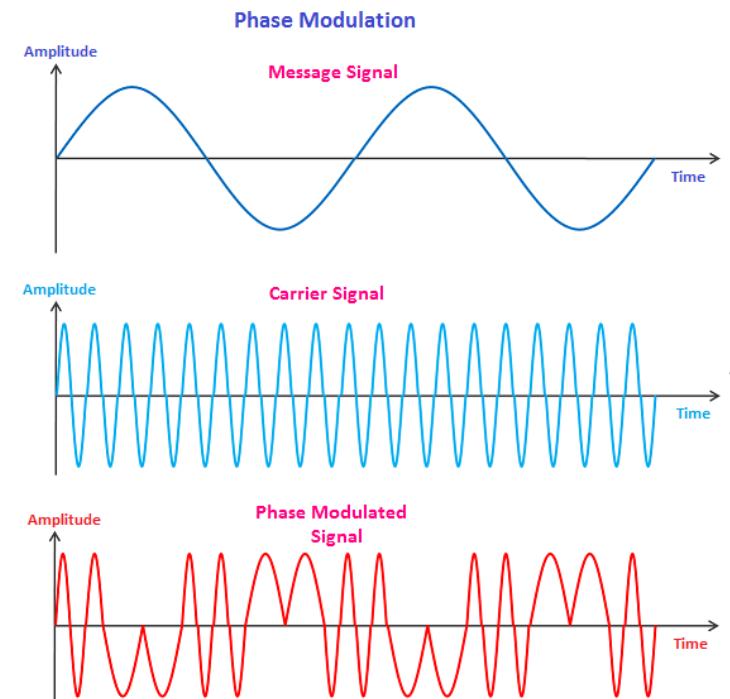
# Phase Modulation

## □ Phase Modulation:

- ✓ It is a type of angle modulation in which the phase of the carrier wave is varied **in direct proportion to the instantaneous amplitude of the modulating (message) signal**, while the carrier amplitude and frequency remain constant.
- ✓ Mathematically,

$$v = A \sin(\omega_c t + m_p \sin \omega_m t)$$

Where,  $m_p$  = modulation index for phase modulation



# Phase Modulation

## □ Phase Modulation:

Let,

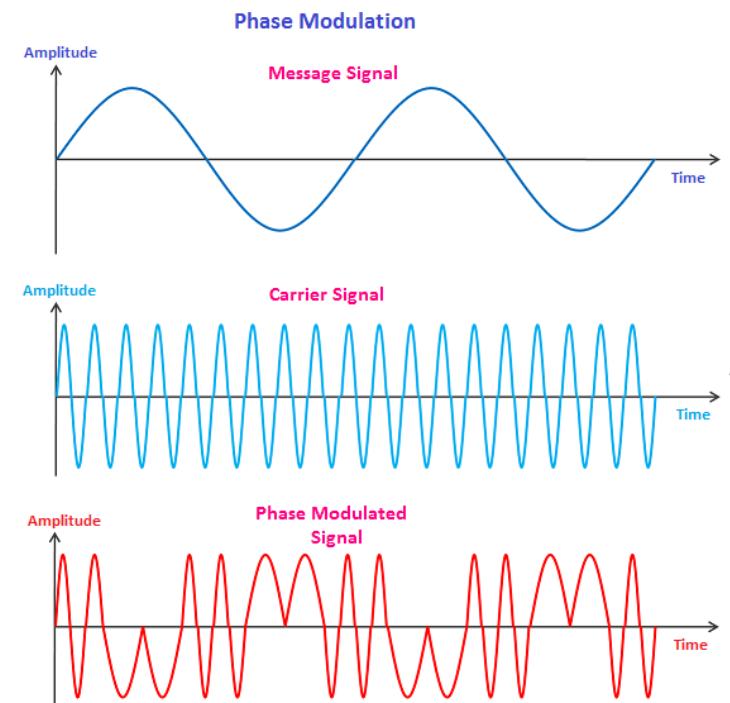
Message signal,  $v_m = V_m \sin(\omega_m t)$

Carrier signal,  $v_c = V_c \sin(\omega_c t)$

So, the PM signal will be,

$$\begin{aligned}v_{pm} &= V_c \sin(\omega_c t + v_m) \\ \therefore v_{pm} &= V_c \sin(\omega_c t + V_m \sin(\omega_m t))\end{aligned}$$

**N.B.** PM is very much similar to FM and another important type of angular modulation along with FM.



# Comparison between FM and AM

Parameters	AM	FM
<b>Constant parameters</b>	Frequency and phase	Amplitude and phase
<b>Quality</b>	Poorer sound quality	Better sound quality
<b>Frequency range</b>	535 to 1700 kHz or up to 1200 bits per second.	88.1 to 108.1 MHz. Or up to 1200 to 2400 bits per second.
<b>Bandwidth BW</b>	BW is much less than FM. $Bw = 2 \cdot f_m$	BW is large. $Bw = 2 \times (\delta + f_m)$
<b>No of sidebands</b>	2	Depends upon the modulation index
<b>Complexity</b>	Less complex	More complex
<b>Noise</b>	AM receivers are highly susceptible to noise	FM receivers are better immune to noise
<b>Efficiency</b>	Low	High
<b>Application</b>	MW (medium wave), SW (short wave) band broadcasting, video transmission in TV.	Broadcasting FM, audio transmission in TV.

# Communication Engineering

**Thank You All**