## chemical kineties

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Introduction: chemical kineticis may also be called meaching kineties on simply kineties. The note of a chemical reaction usually has unit to of see-1.

- > In 1864 Peter wage and and coto Guldberry pioncened -the development of chemical kineties by formulating the law of mass of unitraction which rotates the ropeed of a chemical meaction is proportional to the quantity of the meaching substances. (5) in typeth constitute intermed
- => Reaction mate is the note at which the meactants of a chemical neaction from the product.
- > Reaction notion one expressed as concentration per unit independent or the concentration of a meantant . . . smit

Onden and Holocularity:

Onden: Onden of neaction is the total power of concentration of neactantro which is propontional to the experimental facts.

- > onder of neaction is an experimental fact which depends on experiment, observation and conclusion of some significant
- > Order of neaction never be fraction.

onden - zeno onden neaction home the let orders recogion.

of atoms, ions on moleculers taking part in a treaction as in chemical equation.

bonogania prodului abor bas basponia notal Hable at the Hable all at the Hable and the military is a theoretical concept which depends and son chemical equation party.

Frample: 2NH319) - 3H219)+N219) - 600001-due pritoport

Practice trate is the nedo at which timelboth etants of

independent of the concentration of a neactant, so that changing its concentration has be no effect on the speed of the neaction is called zero order neaction.

atong-lahoming of of the design of the design of doing almost of

Single reactant and the Walue of the exponent is one,
then the neaction is said to be list onder.

The near-tion whose nate is proportional noto finished fower of concentration of one near-tant is called the 1st order neartion.

According to neaction: defin, note of neaction:

$$R = \frac{1}{dt} - \frac{dc}{dt} = k \times c^{1} = k \times c^{1}$$

Ex: 
$$N_2 O_5 (g) \rightarrow N_2 O_4 (g) + \frac{1}{2} O_2 (g)$$
  
 $H_2 O_2 (J) \rightarrow H_2 O(J) + \frac{1}{2} O_2 (g)$ 

Second order neaction: The neaction whose motors proportional to second power of concentration of one neactors on two neactors is called second order neaction.

According to defin, note of neaction,  $n = \frac{-dc}{dt} = kxc^2$ 

- Product of two concentrations.
- > Two typero: (i) 2A (neactant) -> Products

 $E_{\text{N}}: 2NO_{2}(q) \rightarrow 2NO(q) + O_{2}(q)$   $2CH_{3}CHO(q) \xrightarrow{\Delta_{3}} 12CH_{4}(q) + 2CO(q) \xrightarrow{(x-0)(x-0)(x-0)(x-0)(x-0)}$ 

Boudo Unimolecular neaction: It is a neaction which seems to be second degree but actually or finist order neaction. One of the neactant is in excess which makes its importance negligible and to follow the 1st order neact is called, "Pseudo unimolecular Reaction."

Ex: (i)  $Q_{2} H_{22} O_{11} + H_{20} (excess) \rightarrow C_{6} H_{12} O_{6} + C_{6} H_{12} O_{6}$   $Rode = K \left[ C_{12} H_{22} O_{11} \right]$ 

(ii)  $CH_{3} \ eoo \ C_{2}H_{5} + H_{2}O \ (except) \rightarrow CH_{3}COOH + GH_{5}OH$   $Rode = K \ [eH_{3} \ eoo \ C_{2}H_{5}]$ 

remedents is called exacted bridge reaching

Integnated nate equation for lot orden neaction:

A (neactant) -> B (Product)

Intially t = 0, a molt—1 0 of 0

According to law of mass action, note of 1st order - neactor of that time will be:

 $\Rightarrow \frac{dx}{dt} = K(a-x)$  ( [ K is a constant] ( ) (10H) (H)

and the day = kotton is at the touchast subsidered don't

On integrating both sides we get to  $\frac{dx}{(a-x)} = \int kdt$ 

=> -In (a-x) = k++C-O[c=: Integration constant]

when, 
$$t=0$$
,  $x=0$  from 0  
 $-\ln(a-0) = kx0 + C$   
 $\Rightarrow -\ln a = C$   
 $\Rightarrow c = -\ln a$   
Putting the value of he in leg n 0  
 $-\ln(a-x) = kt - \ln a$   
 $\Rightarrow kt - \ln a = -\ln(a-x)$   
 $\Rightarrow kt = -\ln a - \ln(a-x)$   
 $\Rightarrow kt = -\ln a - \ln a - a$   
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## Integrated equation for and order neaction:

2A -> Product (B)

Intially, t = 0 amost 0After, t = t (a-x) most x

According to law of mass action at any time of the mate

K+75 - CI

CLCCX

(10.01)

10 - 1 + + x +

· +4 4

= 14 4

$$\frac{dx}{dt} \propto (a-x)^{2}$$

$$\Rightarrow \frac{dx}{dt} = k (a-x)^{2}$$

$$\Rightarrow \frac{dx}{(a-x)^{2}} = kdt$$

On integrating both soiders me get,

$$\int \frac{dx}{(a-x)^2} = \int Kdt$$

$$\Rightarrow \frac{1}{n-x} = kt + c - 0$$

When t=0, x=0 from D

$$\frac{1}{\alpha - 0} = k \times 0 + 0$$

$$\Rightarrow c = \frac{1}{\alpha}$$

$$(x - x)(\alpha) - x(\alpha)$$

$$\Rightarrow c = \frac{1}{\alpha}$$

$$\frac{1}{a-x} = k+ + \frac{1}{a}$$

$$\Rightarrow k+\frac{1}{\alpha} = \frac{1}{\alpha-x}$$

$$\Rightarrow kt = \frac{a - \alpha t x}{a(a - x)}$$
 (81) Housson (10)

$$\Rightarrow k+ = \frac{\pi}{a(a-x)}$$

$$\Rightarrow k = \frac{1}{1+1} \cdot \frac{\chi}{\text{ala-x}(s)} = 0$$
where one is a supply of problem in

N G

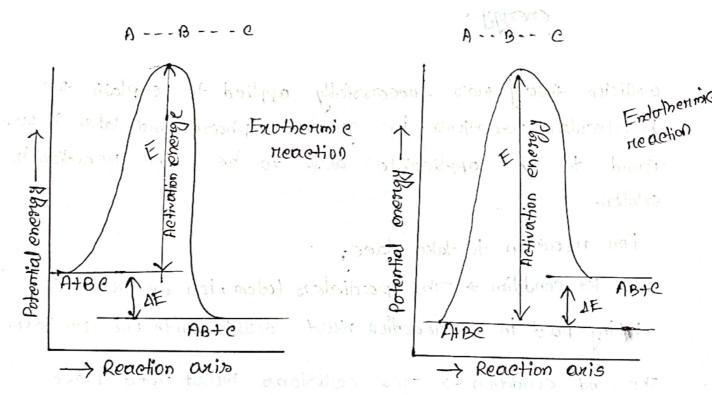
A+BC -> AB+C

AB+

A+Be A A - - B - B - AB+C

2 = Cellision hade teandillon no 1)

e- Fire - freetien of mulecules with retiretion



5873 Jo Howamas massialar so delice

eath definite countration. Asymptomica expection is

Calletti biros i con all' 40 moi prisper i besitome deser i sul-

Collision Theory:

k = Pae Fara ( Sata

whene, k= note constant of neaction

P = stetic factor (condition no 3)

2 = Collision nate (condition no 1)

e = Eq = fraction of molecules with activation energy.

Collision theory was successfully applied to explain the biomolecular meactions in garacours phase, but later it was found to be applieable also to be the meaction in solution.

For reaction to take place;

The 1st condition > The particles (atom, ion on molecules) taking part in a neaction must callide with one another.

The 2nd condition - The collisions must take place with a minimum amount of energy.

The 3nd condition -> The collisions must take place with definite orientation. Annherius equation is in fact - the mathematical expression of these conditions.

According to the 1st and 2nd conditions the reacting particles must collide with one another with minimum energy. Then some of the old chemical bonds will be broken down and new bonds will be formed.

A 11 B + C 
$$\rightarrow$$
 AB+C [insufficient bond energy]

A 11 B + C  $\rightarrow$  A+BC [sufficient energy]

AC+B

Frample:  $Cl_2$  on Cl:Cl = 2Cl  $Cl_3C-H+. Cl = Cl_3C.+Hel$   $Cl_3C.+Cl. = Cl_3C-Cl$  on  $Ccl_4$