



Model building flow.

Collect.	Transform.	Train.	Repeat.	Deploy.
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•	•	•	•	•
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Discover, collect and engineer features	Apply transformations to the data	Train a model	Repeat previous steps until happy	Deploy the model

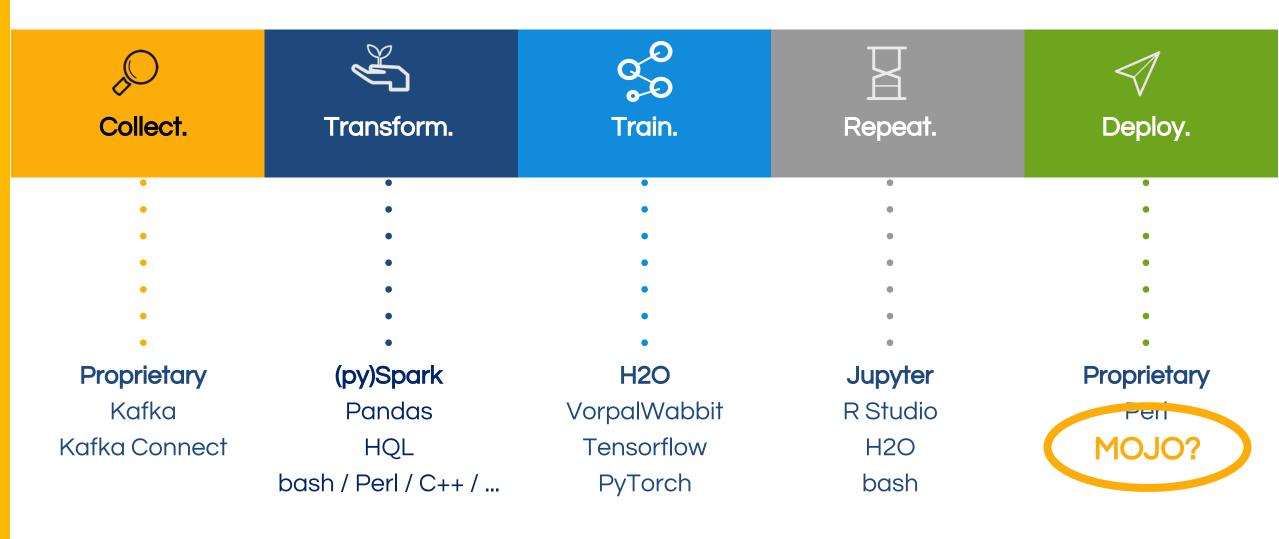
Model building flow.

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Model building stack.

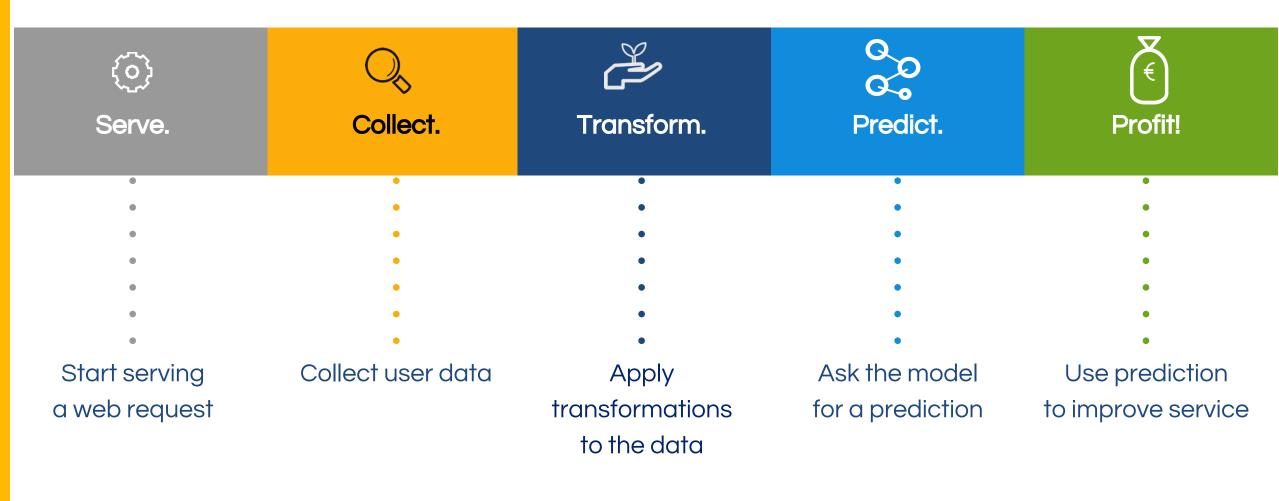
Collect.	Transform.	Train.	Repeat.	Deploy.
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Proprietary	(py)Spark	H2O	Jupyter	Proprietary
Kafka	Pandas	VorpalWabbit	R Studio	Perl
Kafka Connect	HQL	Tensorflow	H2O	
	bash / Perl / C++ /	PyTorch	bash	
		Booking.com		

Model building stack.



Booking.com

Model serving flow.



Booking.com

Model training ("the DS world")



Model serving ("the dev world")





I'll count reservations, but only those without cancellations

My buckets are [0, 5) and [5, 10]

Apply weights then bigses to doubles



Collect.

Transform.

Predict.



Q

Collect.

I'll count reservations, with or without cancellations



Transform.

My buckets are $[-\infty, 5]$ and $(5, \infty]$

00

Predict.

Apply biases then weights to floats

Booking.com



I'll count reservations, but only those without cancellations

My buckets are [0, 5) and [5, 10]

Apply weights then biases to doubles

..was the reservation cancelled at instance time already?

what do you mean these can be null?

HUDIOIIII.

wait I rebuilt the mode and you should change thresholds

rieulci.



Q

Collect.

Transform.



Predict.

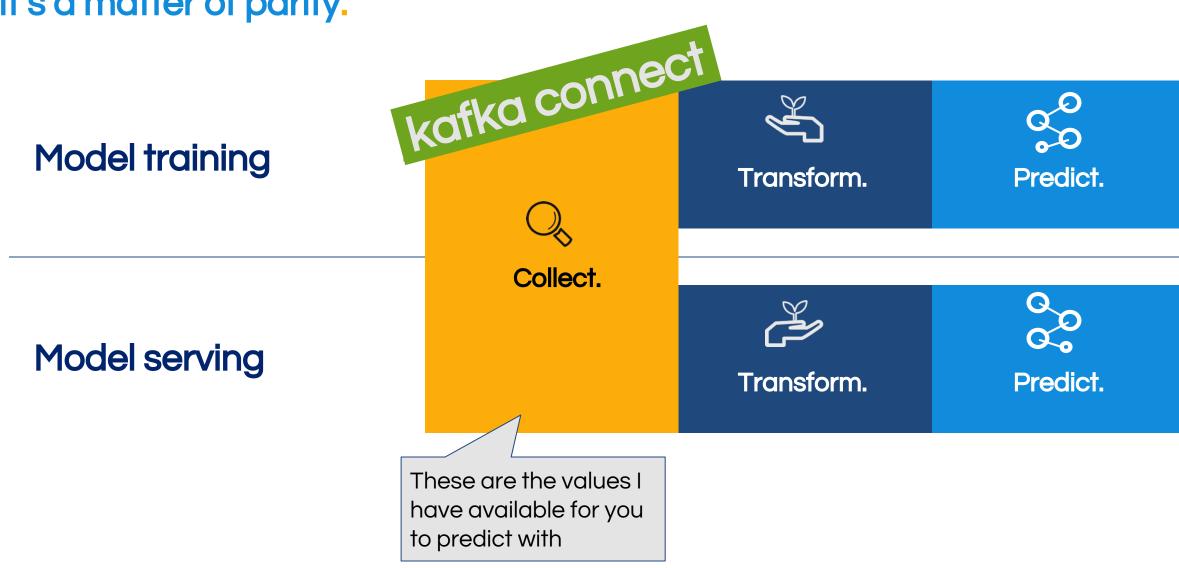
I'll count reservations, with or without cancellations

Expect some lag and sometimes I just won't

My buckets are $[-\infty, 5]$ and $(5, \infty]$

unless Stev clobbered the < operator AGAIN Apply biases then weights to floats

wait those numbers are unsigned right?



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Just use this class that H2O made you

Model training

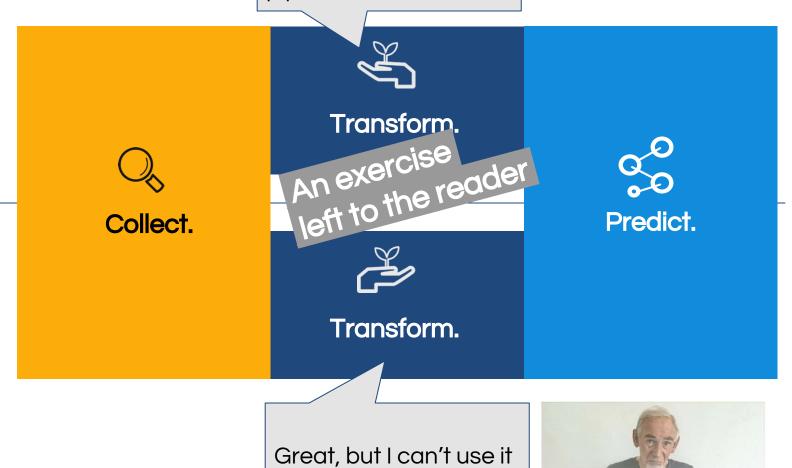
Model serving



I made you a spark transformation pipeline

Model training

Model serving



Booking.com

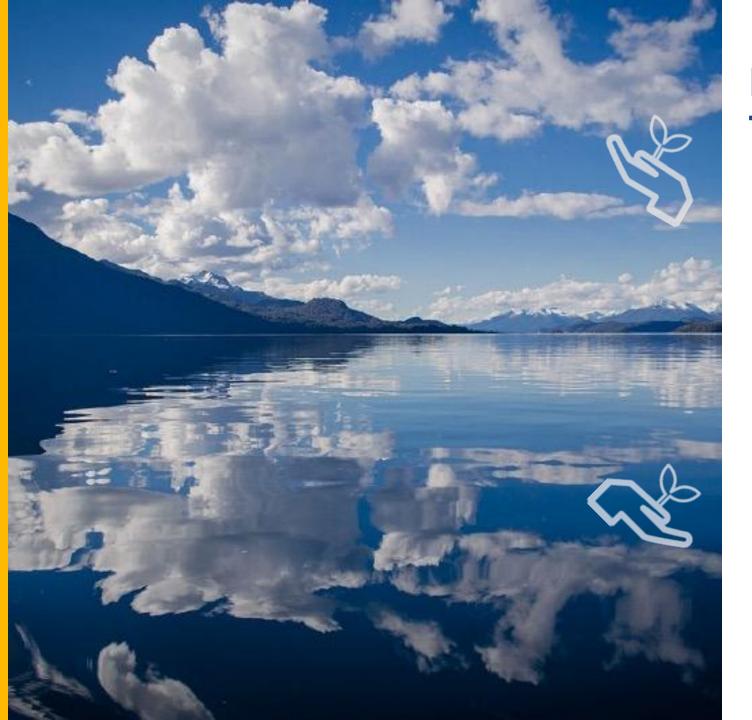
Spark MLLib Pipelines?

Spark comes with:

- transformers, which apply transformations (i.e. impute to zero)
- estimators, which produce transformers (i.e. impute to mean value)
- pipelines, which stitch multiple transformations together

Great! Except,

- → You can't easily use them online (but you can store them)
- → There is no way to extract the fitted dataframe, so you have to do double computation



Introducing Booking Transformations!

We implemented some often used transformations as Spark
Transformers

Benefits:

- easily serializable
- transforms multiple columns simultaneously
- built into our (proprietary)
 serving platform

Booking.com

```
from pyspark.ml import Pipeline
from booking.spark.fv.v1.transformations import *
bucket_review_score = (
  Bucketizer()
   .setInputCol("review_score")
   .setOutputCol("review_cat")
   .setBuckets([6.0, 8.0, 9.0])
standardize_price = (
  StandardScaler()
                                          no real numbers were used in the making of this slide
   .setInputCol("price")
   .setOutputCol("price_scaled")
stages = [bucket_review_score, standardize_price]
```

```
stages = [bucket_review_score, standardize_price]
pipeline = Pipeline().setStages(stages)
# pass 1: calculate standardization factors
pipeline_model = pipeline.fit(training)
# pass 2: apply factors to dataframe
training = pipeline_model.transform(training)
validation = pipeline_model.transform(validation)
```

```
get_frame = FrameExtractor()
stages = [bucket_review_score, standardize_price, get_frame]
pipeline = Pipeline().setStages(stages)
# pass 1+2: calculate and fit standardization factors
pipeline_model = pipeline.fit(training)
# just get the results
training = get_frame.extract()
validation = pipeline_model.transform(validation)
```

```
get_frame = FrameExtractor()
stages = [bucket_review_score, standardize_price, get_frame]
pipeline = Pipeline().setStages(stages)
# pass 1+2: calculate and fit standardization factors
validation = pipeline_model.

ipelineWriter(pipeline_model)

ipelineWriter(pipeline_model)
pipeline_model = pipeline.fit(training)
```

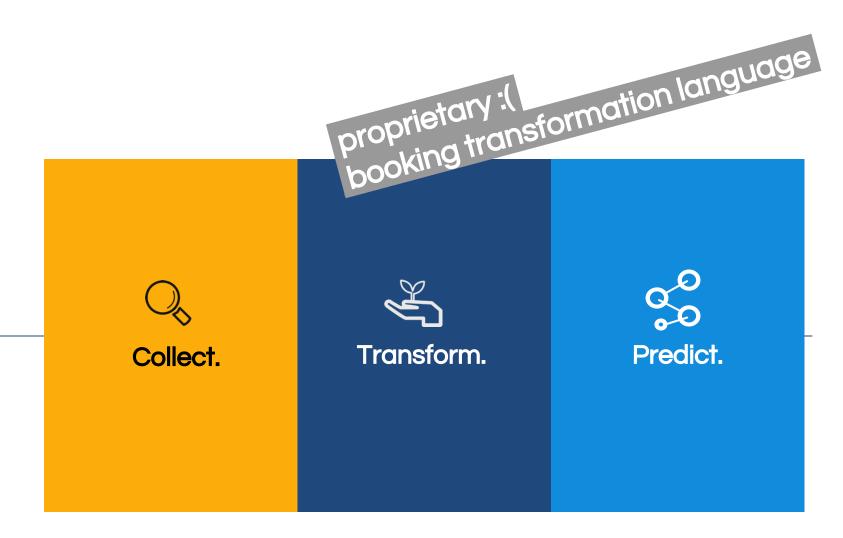
```
{"transformers": [
       "jsonClass": "Bucketizer",
       "input": "review_score",
       "output": "review_cat",
       "buckets": [
          6.0,
          8.0,
           9.0
       "jsonClass": "Scaler",
       "scale": 3.214550287658244,
       "input": "price",
       "output": "price_scaled",
```

dumps learned values
in compressed JSON form
in compressed in the making of this slide
no real numbers were used in the making of

Parity party!

Model training

Model serving



Transformations.

- Imputation (fixed or by category)
- Bucketization
- Interactions
- Concatenations
- Scaling
 - Standardization
 - Normalization
- Target Estimator





Setup.

Encode categorical variables by looking at their relationship with the label.

In order to make the target encoder usable two problems need to be solved:

- prevent leakage
- deal with sparse variable values



Preventing leakage.

We'll divide the training dataset into a set of folds, and train $P_{f_i}(Y|X=X_i)$ for fold f_i by looking at the out of fold statistics.

We need to calculate

$$P(Y|X=X_i)=rac{n_{iY}}{n_i}$$

We calculate these numerator and denominator values per partition of our dataset and for each fold.

This way we have to go through our dataset only once.

Dealing with the sparsity.

In order to deal with sparsity, we will smoothen the posterior probability $P_{f_i}(Y|X=X_i)$ with the prior probability $P_{f_i}(Y)$ in the following way:

 $n_{i,j} = \sum_{k
otin f_i} Y_k$ is the number of positive examples out of fold

$$\lambda(n_{i,j})P_j(Y|X=X_i)+(1-\lambda(n_{i,j})P_j(Y)$$

where we use the following lambda function:

$$\lambda(n) = rac{1}{1+\exp^{-rac{(n-k)}{f}}}$$

The inflection point k determines how big a sample we still trust.

The slope f determines how quickly this trust degrades, by defining the slope around the inflection point

Note that these are hyper parameters of the encoding that you should tune.

How to apply target estimator.

Using bookings feature transformation pipeline makes it very simple to target encode any desired feature.

Specifying and adding Target Estimator object to the frame extractor will do the trick!

Fold column should already be be available in the dataset. So we will create a 5 way fold, and apply the transformation on our training dataset.

```
train = train.withColumn("fold", F.round(F.rand()*5))
targetEncoder = targetEstimator.fit(train)

train_te = targetEncoder.transform(train)
```

In order to also apply the target encoder to the test dataset, we have to tell the encoder not to use the folds (there is no danger of leakage in the test dataset)

```
paramList = []
paramList[targetEncoder.holdout] = False

test_te = targetEncoder.transform(train, paramList)
```

Feature importance and interpretability in tree models.

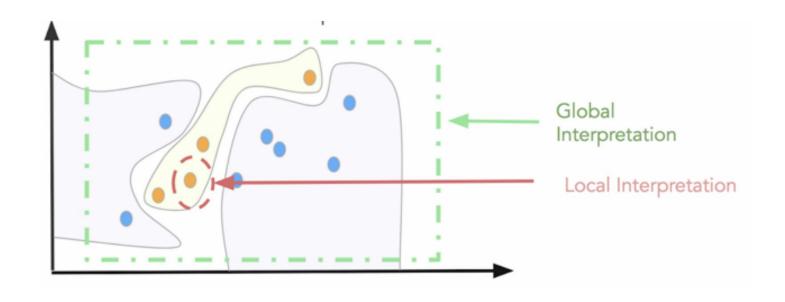
Interpreting a complex model.

Global interpretability

Relationship between the input and the dependent variables.

Local interpretability

Local interpretations promote understanding of small regions of the conditional distribution



Game Theory.

- 1. The sum of what everyone receives should equal the total reward
- 2. If two people contributed the same value, then they should receive the same amount from the reward
- 3. Someone who contributed no value should receive nothing
- 4. If the group plays two games, then an individual's reward from both games should equal their reward from their first game plus their reward from the second game

Additive feature attribution methods.

Definition 1 Additive feature attribution methods have an explanation model that is a linear function of binary variables:

$$g(z') = \phi_0 + \sum_{i=1}^{M} \phi_i z_i', \tag{1}$$

where $z' \in \{0,1\}^M$, M is the number of simplified input features, and $\phi_i \in \mathbb{R}$.

3 simple properties uniquely determine additive feature attributions.

- 1. Local accuracy
- 2. Missingness
- 3. Consistency

Local accuracy.

Property 1 (Local accuracy)

$$f(x) = g(x') = \phi_0 + \sum_{i=1}^{M} \phi_i x_i'$$
 (5)

The explanation model g(x') matches the original model f(x) when $x = h_x(x')$, where $\phi_0 = f(h_x(\mathbf{0}))$ represents the model output with all simplified inputs toggled off (i.e. missing).

When approximating the original model for a specific input, local accuracy requires the explanation model to at least match the output of the original model for the simplified input

Missingness.

Property 2 (Missingness)

$$x_i' = 0 \implies \phi_i = 0 \tag{6}$$

Missingness constrains features where $x_i' = 0$ to have no attributed impact.

If the simplified inputs represent feature presence, then missingness requires features missing in the original input to have no impact.

Missing features have no attributed impact to the model predictions

Consistency.

Property 3 (Consistency) Let
$$f_x(z') = f(h_x(z'))$$
 and $z' \setminus i$ denote setting $z_i' = 0$. For any two models f and f' , if
$$f'_x(z') - f'_x(z' \setminus i) \ge f_x(z') - f_x(z' \setminus i)$$
 (7) for all inputs $z' \in \{0, 1\}^M$, then $\phi_i(f', x) \ge \phi_i(f, x)$.

Consistency states that if a model changes so that some simplified input's contribution increases or stays the same regardless of the other inputs, that input's attribution should not decrease.

Uniqueness.

Theorem 1 Only one possible explanation model g follows Definition 1 and satisfies Properties 1, 2, and 3:

$$\phi_i(f,x) = \sum_{z' \subset x'} \frac{|z'|!(M-|z'|-1)!}{M!} \left[f_x(z') - f_x(z' \setminus i) \right] \tag{8}$$

where |z'| is the number of non-zero entries in z', and $z' \subseteq x'$ represents all z' vectors where the non-zero entries are a subset of the non-zero entries in x'.

This result implies that methods not based on Shapley values violate local accuracy and/or consistency

Introducing Shapley values.

$$\phi_i = \sum_{S \subseteq F \setminus \{i\}} \frac{|S|!(|F| - |S| - 1)!}{|F|!} \left[f_{S \cup \{i\}}(x_{S \cup \{i\}}) - f_S(x_S) \right].$$



Importance of i = p(with i) - p(without i)

Inconsistencies on Gain and Split count.

