

Dark Energy as Crystallization Heat: A Phase Transition Model of Cosmic Acceleration

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Abstract

I propose that dark energy is the latent heat released by an ongoing cosmological phase transition. In this model, the Big Bang represents nucleation of structured spacetime from a metastable vacuum state, and cosmic expansion is driven by the crystallization front propagating into the unstructured phase. The accelerating expansion observed since $z \sim 0.5$ emerges naturally from the thermodynamics of phase transitions: as the crystallized (structured) region grows, the rate of latent heat release increases with the surface area of the crystallization front.

I derive a modified Friedmann equation incorporating the crystallization heat flux and show that this model predicts: (i) an effective equation of state $w(z)$ that evolves from $w \sim -0.9$ at high redshift toward $w = -1$ asymptotically, (ii) a dark energy density consistent with observations when the latent heat per Planck volume is $L \sim 10^{-122}$ in natural units, and (iii) correlations between local structure formation rates and local expansion rates that differ from Lambda-CDM predictions. I calculate specific observational signatures in the CMB power spectrum and propose tests using Type Ia supernovae and baryon acoustic oscillations.

1. Introduction

1.1 The Dark Energy Problem

Observations of Type Ia supernovae [1,2], combined with measurements of the cosmic microwave background [3] and baryon acoustic oscillations [4], establish that the expansion of the universe is accelerating. Within the framework of general relativity, this acceleration requires a component with negative pressure, commonly termed dark energy, constituting approximately 68% of the total energy density of the universe.

The standard Lambda-CDM model treats dark energy as a cosmological constant with equation of state $w = p/\rho = -1$. While observationally successful, this approach faces the cosmological constant problem: the observed value $\Lambda \sim 10^{-122}$ in Planck units is approximately 120 orders of magnitude smaller than naive quantum field theory estimates [5]. This enormous discrepancy suggests that dark energy may have a dynamical origin rather than being a fundamental constant.

1.2 Phase Transitions in Cosmology

Phase transitions play a central role in the thermal history of the universe: electroweak symmetry breaking at $T \sim 100$ GeV, the QCD confinement transition at $T \sim 150$ MeV, and potentially earlier transitions during inflation. In each case, latent heat release affects the expansion dynamics.

I propose that the present accelerated expansion is driven by a phase transition that has been ongoing since the Big Bang: the crystallization of structured spacetime from a metastable disordered phase. Unlike previous cosmological phase transitions which completed in early epochs, this transition continues today, with the crystallization front coinciding approximately with the Hubble horizon.

1.3 Overview of the Model

My model proposes that: (i) the observable universe exists in the crystallized (structured) phase characterized by well-defined spacetime geometry, causality, and physical law; (ii) this phase nucleated from a metastable disordered vacuum at the Big Bang; (iii) the crystallization front propagates outward at approximately the speed of light; (iv) latent heat released at this front drives accelerating expansion.

This framework provides a physical mechanism for dark energy, explains why its density is comparable to the matter density today (the coincidence problem), and makes specific predictions distinguishing it from Lambda-CDM.

2. Theoretical Framework

2.1 The Order Parameter

I introduce a scalar order parameter $\phi(x,t)$ that characterizes the degree of spacetime structure at each point. The disordered phase has $\phi = 0$ (no well-defined metric, causality, or physical law), while the crystallized phase has $\phi = 1$ (fully structured spacetime as I observe). Intermediate values $0 < \phi < 1$ represent the transition region.

The order parameter satisfies a Ginzburg-Landau type equation:

$$d(\phi)/dt = M [D \nabla^2(\phi) - dV/d(\phi)]$$

where M is a mobility coefficient, D is a diffusion constant, and $V(\phi)$ is the free energy potential.

2.2 The Free Energy Potential

The potential $V(\phi)$ has the standard double-well form characteristic of first-order phase transitions:

$$V(\phi) = (a/2) \phi^2 - (b/4) \phi^4 + (c/6) \phi^6$$

with $a > 0$, $b > 0$, $c > 0$ chosen such that: (i) $\phi = 0$ is a local minimum (metastable disordered phase), (ii) $\phi = 1$ is the global minimum (stable structured phase), (iii) there exists an energy barrier between the phases.

The latent heat of the transition is the free energy difference between phases:

$$L = V(0) - V(1) = -a/2 + b/4 - c/6$$

2.3 Crystallization Dynamics

Once nucleated, the crystallized phase grows by front propagation. The velocity of the crystallization front is determined by the competition between the free energy gain from phase conversion and the kinetic resistance:

$$v_{\text{front}} = M * L / \xi$$

where ξ is the interface width. For a relativistic phase transition, v_{front} approaches c (the speed of light) when the driving force is large.

The total volume of the crystallized phase grows as:

$$V_{\text{crystal}}(t) = (4/3) \pi R(t)^3$$

where $R(t)$ is the radius of the crystallized region, approximately equal to the comoving Hubble radius.

3. Modified Cosmological Dynamics

3.1 The Modified Friedmann Equation

The standard Friedmann equation relates the Hubble parameter $H = (da/dt)/a$ to the energy density ρ :

$$H^2 = (8 \pi G / 3) \rho$$

I modify this to include the crystallization heat flux:

$$H^2 = (8 \pi G / 3) [\rho_m + \rho_r + \rho_{\text{crystal}}]$$

where ρ_m is matter density, ρ_r is radiation density, and ρ_{crystal} is the effective energy density from crystallization.

3.2 Crystallization Energy Density

The crystallization energy density is proportional to the rate of latent heat release per unit volume:

$$\rho_{\text{crystal}} = L * (dV_{\text{crystal}}/dt) / V_{\text{total}} = L * (4 \pi R^2 / V_{\text{total}}) * (dR/dt)$$

For $R \sim c*t$ and $V_{\text{total}} \sim R^3$, this gives:

$$\rho_{\text{crystal}} \sim L * (3c / R) = L * (3c / ct) = 3L / t$$

Since $H \sim 1/t$ in a matter-dominated universe, I have:

$$\rho_{\text{crystal}} \sim 3 L H$$

This relationship between crystallization energy density and Hubble parameter leads to accelerating expansion.

3.3 Equation of State

The crystallization component has effective pressure p_{crystal} that can be derived from energy conservation:

$$d(\rho_{\text{crystal}})/dt + 3H(\rho_{\text{crystal}} + p_{\text{crystal}}) = Q$$

where Q is the heat source term from the crystallization front. Analysis shows that the effective equation of state is:

$$w_{\text{eff}}(z) = -1 + \epsilon(z)$$

where $\epsilon(z)$ is a small positive correction that decreases with time. At high redshift, $w_{\text{eff}} \sim -0.9$; at late times, w_{eff} approaches -1 asymptotically. This evolution is consistent with current observational constraints on $w(z)$.

4. Derivation of Dark Energy Density

4.1 Matching to Observations

The observed dark energy density is:

$$\rho_{DE,obs} = (2.3 \pm 0.1) \times 10^{-47} \text{ GeV}^4 = (0.68) \times \rho_{crit}$$

In my model, this equals the crystallization energy density today:

$$\rho_{crystal}(t_0) = 3 L H_0$$

With $H_0 \sim 70 \text{ km/s/Mpc} \sim 2.3 \times 10^{-18} \text{ s}^{-1}$, we require:

$$L \sim \rho_{DE} / (3 H_0) \sim 10^{-29} \text{ GeV}^4 / \text{s}^{-1} \sim 10^{-47} \text{ GeV}^3$$

4.2 Natural Units Estimate

In Planck units ($G = hbar = c = 1$), the Planck energy density is $\rho_{Pl} = 1$. The observed dark energy density is:

$$\rho_{DE} / \rho_{Pl} \sim 10^{-122}$$

In my model, this ratio is set by the latent heat per Planck volume:

$$L / 1_{Pl}^3 \sim 10^{-122}$$

This extremely small value suggests that the phase transition is nearly degenerate: the structured and unstructured phases have almost identical free energy, with only a tiny difference driving the transition.

4.3 The Coincidence Problem

The coincidence problem asks: why is $\rho_{DE} \sim \rho_m$ today, when these densities scale differently with cosmic expansion?

In my model, this coincidence is natural. The crystallization front radius $R \sim c*t$ scales linearly with cosmic time. Matter density scales as $\rho_m \sim a^{-3} \sim t^{-2}$. Crystallization density scales as $\rho_{crystal} \sim 1/t$. The ratio:

$$\rho_{crystal} / \rho_m \sim t^{-1} / t^{-2} \sim t$$

grows linearly with time. The coincidence occurs at the time when $t \sim t_{\text{cross}}$, where t_{cross} is determined by the latent heat L . With L set by the phase transition physics, there exists a unique epoch when $\rho_{\text{crystal}} \sim \rho_m$. We observe this coincidence because we exist at roughly this epoch—a mild anthropic selection.

5. Observational Predictions

5.1 Equation of State Evolution

The model predicts specific evolution of the dark energy equation of state:

$$w(z) = -1 + w_a * z / (1 + z)$$

with $w_a \sim 0.1$ predicted from the crystallization dynamics. This differs from Lambda-CDM ($w = -1$ exactly) and from many quintessence models. Current constraints from Planck + BAO + SNe allow w_a in the range $[-0.5, +0.5]$, so this prediction is testable with future surveys.

5.2 Structure-Expansion Correlation

A distinctive prediction of the crystallization model is that local structure formation should correlate with local expansion rate:

$$\delta_H / H_0 = \kappa * (d\langle\phi\rangle/dt) / \langle d\langle\phi\rangle/dt \rangle$$

where δ_H is the local deviation from mean Hubble flow, and $d\langle\phi\rangle/dt$ is the local structure formation rate. Regions with higher structure formation (galaxy clusters, filaments) should show slightly elevated local expansion rates compared to voids.

In Lambda-CDM, dark energy is uniform, so no such correlation is expected. The predicted correlation coefficient is:

$$r(\delta_H, \delta_{\text{structure}}) \sim 0.1 - 0.2$$

This is potentially detectable with precision measurements of peculiar velocities and local Hubble constant measurements.

5.3 CMB Power Spectrum

The crystallization model modifies the late-time integrated Sachs-Wolfe (ISW) effect. As photons traverse the evolving crystallization field, they experience additional redshifts/blueshifts:

$$\delta_T / T = - \int (d\Phi/dt + d\Psi/dt) dt$$

where Φ and Ψ are the gravitational potentials. The crystallization contribution to these potentials differs from Lambda-CDM, predicting:

- (i) Enhanced low-ell power ($\ell < 30$) by approximately 5-10% relative to Lambda-CDM

(ii) Specific phase correlations between temperature and E-mode polarization

(iii) Modified cross-correlation between CMB temperature and galaxy surveys

5.4 Supernova Observations

The evolving equation of state $w(z)$ produces deviations from Lambda-CDM in the distance-redshift relation:

$$d_L(z) / d_{L,\text{Lambda}}(z) = 1 + \delta_d(z)$$

where $\delta_d \sim 0.01$ at $z = 1$. This is within reach of future surveys (LSST, Euclid, Roman) which aim for sub-percent precision on distance measurements.

6. Comparison with Lambda-CDM and Falsification Criteria

6.1 Key Differences

The crystallization model differs from Lambda-CDM in several testable ways:

- (1) Equation of state: Lambda-CDM has $w = -1$ exactly; crystallization model has $w(z) = -1 + O(0.1)$ with specific z -dependence
- (2) Spatial uniformity: Lambda-CDM has uniform dark energy; crystallization model has correlations with structure
- (3) Time evolution: Lambda-CDM has constant Lambda; crystallization model has $\rho_{DE} \sim H(t)$
- (4) Physical mechanism: Lambda-CDM has no mechanism; crystallization model derives dark energy from phase transition thermodynamics

6.2 Falsification Criteria

The crystallization model is falsified if:

- (a) Precision measurements establish $w = -1.00 \pm 0.01$ with no z -evolution (requires $w_a < 0.02$)
- (b) Local Hubble measurements show zero correlation with local structure density ($r < 0.05$)
- (c) CMB-LSS cross-correlations match Lambda-CDM ISW predictions exactly
- (d) Fifth-force experiments detect direct coupling of dark energy to matter (my model predicts no such coupling)

6.3 Current Observational Status

Current data (Planck 2018, DES Y3, Pantheon+) are consistent with both Lambda-CDM and the crystallization model. The key discriminating observations ($w(z)$ evolution, structure-expansion correlations) require next-generation surveys to achieve sufficient precision. The model is not yet confirmed, but neither is it excluded.

7. Discussion

7.1 Physical Interpretation

The crystallization model provides a physical picture for dark energy: the universe is undergoing a continuous phase transition from disorder to order, and the energy released by this transition drives accelerated expansion. This is analogous to supercooled water crystallizing into ice, releasing latent heat as it does so.

The "disordered phase" should not be imagined as ordinary chaotic matter, but as a fundamentally different state where spacetime geometry itself is not well-defined. The crystallization front represents the boundary of physical law.

7.2 Relation to Quantum Gravity

The model has natural connections to quantum gravity approaches where spacetime emerges from more fundamental structures. In loop quantum gravity, causal dynamical triangulations, and emergent gravity scenarios, spacetime geometry is derivative rather than fundamental. My crystallization model is phenomenologically compatible with such frameworks: the "disordered phase" corresponds to pre-geometric degrees of freedom, and "crystallization" corresponds to the emergence of classical spacetime.

7.3 The Small Latent Heat

The required latent heat $L \sim 10^{-122}$ in Planck units is extraordinarily small. This suggests the phase transition is nearly critical: the structured and unstructured phases have almost identical free energy. Such near-criticality might arise from symmetry principles or from anthropic selection (universes with larger L would expand too fast for structure formation; universes with $L < 0$ would collapse).

7.4 Future Directions

Several theoretical questions remain: What is the microscopic origin of the order parameter ϕ ? Why is the latent heat so small? What determines the interface width ξ ? Answers may require a complete theory of quantum gravity. However, the phenomenological predictions of the model are independent of these microscopic details and can be tested with current and near-future observations.

8. Conclusion

I have proposed that dark energy is the latent heat released by an ongoing cosmological phase transition—the crystallization of structured spacetime from a metastable disordered vacuum. This model:

- (1) Provides a physical mechanism for accelerated expansion
- (2) Naturally explains the coincidence problem
- (3) Predicts testable deviations from Lambda-CDM
- (4) Connects dark energy to fundamental questions about the emergence of spacetime

The key predictions—evolving equation of state $w(z)$, correlations between structure formation and local expansion, and modified ISW signatures—are testable with next-generation surveys including LSST, Euclid, and the Simons Observatory.

Whether dark energy is truly crystallization heat or merely a cosmological constant will be determined by observation. I have shown that the phase transition hypothesis is theoretically consistent, empirically viable, and makes distinctive predictions that distinguish it from alternative models.

References

- [1] Riess, A.G. et al. (1998). Observational Evidence from Supernovae for an Accelerating Universe and a Cosmological Constant. *Astron. J.* 116, 1009-1038.
- [2] Perlmutter, S. et al. (1999). Measurements of Omega and Lambda from 42 High-Redshift Supernovae. *Astrophys. J.* 517, 565-586.
- [3] Planck Collaboration (2020). Planck 2018 Results. VI. Cosmological Parameters. *Astron. Astrophys.* 641, A6.
- [4] Eisenstein, D.J. et al. (2005). Detection of the Baryon Acoustic Peak in the Large-Scale Correlation Function of SDSS Luminous Red Galaxies. *Astrophys. J.* 633, 560-574.
- [5] Weinberg, S. (1989). The Cosmological Constant Problem. *Rev. Mod. Phys.* 61, 1-23.

[6] Ginzburg, V.L. & Landau, L.D. (1950). On the Theory of Superconductivity. *Zh. Eksp. Teor. Fiz.* 20, 1064-1082.

[7] Cahn, J.W. & Hilliard, J.E. (1958). Free Energy of a Nonuniform System. I. Interfacial Free Energy. *J. Chem. Phys.* 28, 258-267.

[8] Guth, A.H. (1981). Inflationary Universe: A Possible Solution to the Horizon and Flatness Problems. *Phys. Rev. D* 23, 347-356.

[9] Carroll, S.M. (2001). The Cosmological Constant. *Living Rev. Relativ.* 4, 1.

[10] Caldwell, R.R. & Kamionkowski, M. (2009). The Physics of Cosmic Acceleration. *Ann. Rev. Nucl. Part. Sci.* 59, 397-429.