01. Introduction to Information Security and Cryptography

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2019학년도 2학기

Introduction to Information Security

Computer Security

Computer Security [NIST95]

The protection afforded to an automated information system in order to attain the applicable objectives of preserving the **integrity**, **availability**, **and confidentiality** of information system resources (includes hardware, software, firmware, information/data, and telecommuncations)

- CIA triad
 - Confidentiality: Data confidentiality, privacy
 - Integrity: Data integrity, system integrity
 - Availability
- Additional requirements: Authenticity, Accountability

Security Terminology (from RFC 2828)

- Adversary (threat agent): An entity that attacks a system
- Attack: An assault on system security that derives from an intelligent threat
- **Countermeasure**: An action, device, procedure, or technique that reduces a threat, a vulnerability, or an attack
- Risk: An expectation of loss expressed as the probability that a particular threat will
 exploit a particular vulnerability with a particular harmful result
- Security Policy: A set of rules and practices that specify or regulate how a system
 or organization provides security services to protect sensitive and critical assets
- System Resource (Asset): Data contained in an information system; or a service provided by a system; or a system capability; or a facility that houses system operations and equipment
- Threat: A potential violation of security, which exists when there is a circumstance, capability, action, or event, that could breach security and cause harm
- Vulnerability: A flaw or weakness in a system's design, implementation, or operation and management that could be exploited to violate the system's security policy

Security Concept and Relations

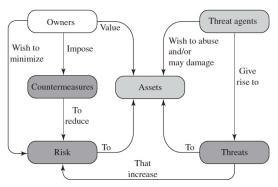


Figure 1.1 Security Concepts and Relationships

Types of Vulnerability, Attacks and Countermeasure

- Vulnerability
 - Corrupted (loss of integrity)
 - Leaky (loss of confidentiality)
 - ► Unavailable or very slow (loss of availability)
- Attacks
 - Passive vs. Active
 - Insider vs. Outsider
- Countermeasure
 - Prevent
 - Detect
 - Recover

Scope of Computer Security

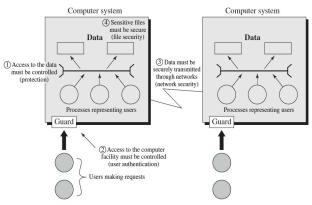


Figure 1.2 Scope of Computer Security

Fundamental Security Design Principles

- Economy of mechanism
- Fail-safe defaults
- Complete mediation
- Open design
- Separation of privilege
- Least privilege
- Least common mechanism
- Psychological acceptability

- Isolation
- Encapsulation
- Modularity
- Layering
- Least astonishment

Attack Surfaces

- Attack surface: consists of the reachable and exploitable vulnerabilities in a system
 - Network: vulnerabilities over an enterprises, wide-area network, or the Internet, particularly, included in this category are network protocol vulnerabilities, e.g., a denial-of-service attack, disruption of communications links
 - ► **Software**: vulnerabilities in application, utility, or operating system code
 - Human: vulnerabilities created by personnel or outsiders, such as social engineering, human error, and trusted insiders

Computer Security Strategy

- Security policy: a formal statement of rules and practices that specify or regulate how a system or organization provides security services to protect sensitive and critical system resources
- Security implementation: involves prevention, detection, response, and recovery
- Security assurance: the degree of confidence one has that the security measures work as intended to protect the system and the information it processes
- **Security evaluation**: the process of examining a computer product or system with respect to certain creteria

Introduction to Cryptography

Classical Cryptography

Concise Oxford Dictionary (2006) [KL08]

The art of writing or solving codes

- Consider secure communication
- Codes? Is Robert Langdon a cryptographer?



- Code, decode, encipher, decipher...
 - Unused terminology in "modern" cryptography

Modern Cryptography

Modern Cryptography [KL08, Chapter 1]

The scientific study of techniques for securing digital information, transactions, and distributed computations

- Range of modern cryptography
 - Primitives: Hash function (for data integrity), random number generator
 - Schemes: Encryption (for confidentiality), Signature (for data integrity)
 - Protocols: Identification (for authenticity), Key establishment, Secret sharing
 - ► Cryptographic applications: secure internet protocols, electronic cash

Encryption

- A technique to provide data confidentiality
- Symmetric (key) encryption (a.k.a, Secret key/Private key encryption)
 - Block cipher
 - Stream cipher
- Asymmetric (key) encryption (a.k.a, Public key encryption)
 - ▶ Factoring-based
 - Discrete Logarithm-based
 - Post-quantum secure encryption: Lattice-based, Code-based, · · ·
- Consist of the following three algorithms:
 - ▶ Setup algorithm: Setup(λ) \rightarrow (K_{Enc} , K_{Dec})
 - Encryption algorithm: Enc(K_{Enc}, M)→ CT
 - ▶ Decryption algorithm: $Dec(K_{Dec}, C) \rightarrow M$

Symmetric Encryption

- Assume that a sender and a receiver have the same key
 - ⇒ Symmetric/Private key

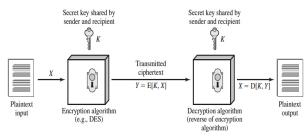


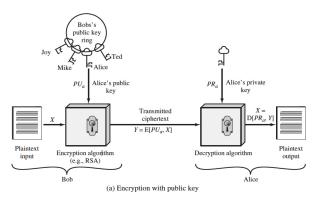
Figure 2.1 Simplified Model of Symmetric Encryption

- Classical encryption, block cipher (DES, AES, ARIA, SEED), stream cipher (RC4, ChaCha)
- Pros: Faster than asymmetric (public key) encryption
- Cons: Key share problem, large number of keys

Picture from [SB15]

Asymmetric Encryption

• A key for encryption is different from a key for decryption



- RSA, ElGamal, NTRU
- Pros: Easy for key sharing, small number of keys
- Cons: Slower than symmetric (private key) encryption

Picture from [SB15]

Terminology for Encryption

- Plaintext: The original message or data that is fed into the algorithm as input
- Ciphertext: An output of an encryption algorithm
- Encryption (algorithm): An algorithm that takes a plaintext and a key as inputs, and returns a ciphertext
- **Decryption (algorithm)**: An algorithm that takes a ciphertext and a key as inputs, and returns a plaintext
- Private key (for symmetric encryption): An input of encryption and decryption algorithms, those algorithms depend on a private key
- Public key and private key (for public key encryption): A pair of keys that have been selected for encryption and decryption, respectively

Kerckhoff's Principle

- Stated by Dutch cryptographer Auguste Kerckhoffs in the late 19th century
- Recall Open Design in fundamental security design principles

Kerckhoff's principle [KL08]

The cipher method (= encryption and decryption algorithms) must not be required to be secret, and it must be able to fall into the hands of the enemy (=adversary) without inconvenience.

- Primary arguments in favor of Kerckhoff's principle
 - ► Easier for parties to maintain a secrecy of a short key than an algorithm
 - ▶ Easier to maintain a system once a key is exposed
 - Easier for parties to communicate with others by using different keys, not algorithms

Basic Types of Attacks against Encryption

Brute-force attack: An attack that tries all possible keys on a target ciphertext until intelligible translation into plaintext is obtained

Cryptanalysis

| Types of attacks | Information given to an adversary | | | | | |
|-------------------|--|--|--|--|--|--|
| Ciphertext only | ciphertexts | | | | | |
| Known plaintext | pairs of plaintexts and ciphertexts | | | | | |
| Chosen plaintext | ciphertexts of plaintexts chosen by an adversary | | | | | |
| Chosen ciphertext | plaintexts of ciphertexts chosen by an adversary | | | | | |

Classical Encryption

Notations

- $\mathbb{Z}_m = \{0, 1, \ldots, m-1\}$
- a mod p: a를 p로 나눈 나머지

$$\begin{array}{rcl} 10 \; \mathsf{mod} \; 3 & = & 1 \\ 729 \; \mathsf{mod} \; 31 & = & 16 \; \big(\because 729 = 23 \cdot 31 + 16\big) \\ -7 \; \mathsf{mod} \; 26 & = & 19 \; \big(\because -7 = 26 \cdot \big(-1\big) + 19\big) \end{array}$$

 $\bullet \ \mathsf{Plaintext} \ \mathsf{space} = \mathsf{Ciphertext} \ \mathsf{space} = \{\mathsf{Alphabet} \ \mathsf{characters}\} = \mathbb{Z}_{26}$

| - | a | b | С | d | е | f | g | h | i | j | k | | m |
|---|---|---|---|---|---|---|---|---|---|---|----|----|----|
| | 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 | 11 | 12 |

| n | 0 | р | q | r | S | t | u | V | w | Х | у | Z |
|----|----|----|----|----|----|----|----|----|----|----|----|----|
| 13 | 14 | 15 | 16 | 17 | 18 | 19 | 20 | 21 | 22 | 23 | 24 | 25 |

Shift Cipher

Shift Cipher

For $0 \le K \le 25$,

- $Enc(K, x) = (x + K) \mod 26$ (cf. K = 3: Caesar Cipher)
- $Dec(K, Y) = (Y K) \mod 26$

Example: K = 9

- shift ($18 \ 7 \ 8 \ 5 \ 19$) $\stackrel{+9 \ \text{mod}}{\longrightarrow} 26$ (1 $16 \ 17 \ 14 \ 2$) BQROC
- BQROC (1 16 17 14 2) $\stackrel{-9 \mod 26}{\longrightarrow}$ (18 7 8 5 19) shift

Attacks

- Brute-force attack: There are only 26 candidates for private key.
- Known plaintext attack: Given (shift, BQROC),

$$K = B - s = (1 - 18) \mod 26 = 9$$

Affine Cipher

Affine Cipher

For $K = (\alpha, \beta)$ where $\alpha, \beta \in \mathbb{Z}_{26}$ and $gcd(\alpha, 26) = 1$,

- $\operatorname{Enc}(K, x) = \alpha x + \beta \mod 26$
- $Dec(K, Y) = \alpha^{-1}(Y \beta) \mod 26$

Example:
$$K = (\alpha, \beta) = (7, 3)$$

hot (7 14 19)
$$\stackrel{(\alpha,\beta)=(7,3)}{\longrightarrow}$$
 (52 101 136) mod 26 = (0 23 6) AXG

Attacks

- Brute-force attack: There are only $12 \times 26 = 312$ candidates for private key. (α such that $\gcd(\alpha, 26) = 1$: 1, 3, 5, 7, 9, 11, 15, 17, 19, 21, 23, 25)
- Known plaintext attack: Given (hot, AXG),

$$\begin{cases} 7\alpha + \beta = 0 \mod 26 \\ 14\alpha + \beta = 23 \mod 26 \end{cases} \Rightarrow \alpha = 7, \beta = 3$$

(cf. $7^{-1} = 15 \mod 26$ (: $15 \cdot 7 = 105 = 1 \mod 26$)

Substitution Cipher

Substitution Cipher

For $K = \pi$ where π is a permutation on \mathbb{Z}_{26} ,

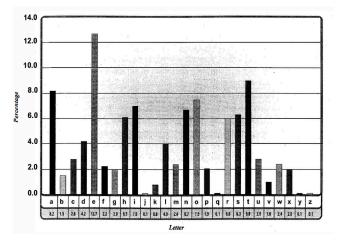
- $\operatorname{Enc}(K, x) = \pi(x)$
- $Dec(K, Y) = \pi^{-1}(Y)$

Attacks

- Brute-force attack: There are 26! candidates for private keys. \Rightarrow 26! \approx 4 \times 10²⁶ \approx 2^{88.3}
- Chosen-plaintext attack? If n pairs are given, the number of candidates is reduced to (26 n)!.

Statistical Test

• Use average letter frequencies for English-language text



Picture from [KL08]

Example: Statistical Test

Ciphertext [Sti06, Section 1.2.2]

YIFQFMZRWQFYVECFMDZPCVMRZWNMDZVEJBTXCDDUMJ NDIFEFMDZCDMQZKCEYFCJMYRNCWJCSZREXCHZUNMXZ NZUCDRJXYYSMRTMEYIFZWDYVZVYFZUMRZCRWNZDZJJ XZWGCHSMRNMDHNCMFQCHZJMXJZWIEJYUCFWDJNZDIR

| Letter | Frequency | Letter | Frequency | Letter | Frequency | Letter | Frequency |
|--------|-----------|--------|-----------|--------|-----------|--------|-----------|
| Α | 0 | Н | 4 | 0 | 0 | V | 5 |
| В | 1 | | 5 | P | 1 | W | 8 |
| C | 15 | J | 11 | Q | 4 | X | 6 |
| D | 13 | K | 1 | R | 10 | Y | 10 |
| E | 7 | L | 0 | S | 3 | Z | 20 |
| F | 11 | M | 16 | Т Т | 2 | | |
| G | 1 | N | 9 | U | 5 | | |

• $Dec(K, Z) = e \Rightarrow \dots$

Example: Solution

Solution

Our friend from Paris examined his empty glass with surprise, as if evaporation had taken place while he wasn't looking. I poured some more wine and he settled back in his chair, face tilted up towards the sum.

Vigenère Cipher

- Named after Blaise de Vigenère who lived in the 16th century
- Monoalphabetic ⇒ Polyalphabetic

Vigenère Cipher

For $K = (k_1, k_2, \dots, k_m) \in (\mathbb{Z}_{26})^m$,

- Enc $(K, x_1, ..., x_m) = (x_1 + k_1, ..., x_m + k_m)$
- $Dec(K, Y_1, ..., Y_m) = (Y_1 k_1, ..., Y_m k_m)$

Attacks

- Brute-force attack: There are 26^m candidates for private keys.
 - $\Rightarrow m = 18 : 26^{18} \approx 2^{84.6}$
- Ciphertext only attack: Statistical test such as Kasiski test
- Known plaintext attack: Easy (if m is known)

Permutation Cipher

Permutation Cipher

For a key $K = \pi$ where π is a permutation of $\{1, \dots m\}$,

- $Enc(K, x_1, ..., x_m) = (x_{\pi(1)}, ..., x_{\pi(m)})$
- $Dec(K, Y_1, ..., Y_m) = (Y_{\pi^{-1}(1)}, ..., Y_{\pi^{-1}(m)})$
- We can interpret the above encryption algorithm as

$$(x_1 \ldots x_m)P = (Y_1 \ldots Y_m)$$

where P is a permutation matrix.

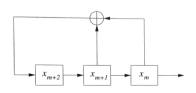
• If P is an inverse matrix, it is Hill cipher.

Attacks

- Brute-force attack: There are m! candidates for private keys. $\Rightarrow 25! \approx 2^{83.68}$
- Known plaintext/Chosen plaintext attacks: Need m "independent" ciphertexts to obtain P^{-1}

Linear Feedback Shift Register (LFSR)

- A shift register whose input bit is a linear function of its previous state
- Example I: a shift register satisfying $\underbrace{x_{m+3} = x_{m+1} + x_m}_{\text{linear relation}}$



Example II: The sequence

0100001001011001111100011

is generated by giving initial values $x_1 = 0, x_2 = 1, x_3 = 0, x_4 = 0$, and $x_5 = 0$, and the linear relation

$$x_{n+5} = x_n + x_{n+2} \mod 2.$$

Picture and example from [TW06]

LFSR Cipher

LFSR Cipher

For a linear function $f(z_1, \ldots z_\ell) = \sum_{i=1}^\ell c_i z_i$ with constant c_i 's and a key $K = (k_1, \ldots, k_\ell) \in (\mathbb{Z}_2)^\ell$

- $\operatorname{Enc}(K,(x_1,\ldots,x_m))=(x_1\oplus k_1,\ldots,x_m\oplus k_m)$
- $Dec(K, (y_1, \ldots, y_m)) = (y_1 \oplus k_1, \ldots, y_m \oplus k_m)$

where $k_j = f(k_{j-\ell}, k_{j-\ell+1}, \dots k_{j-1})$ for $\ell+1 \leq j \leq m$

Known Plaintext Attack

- Find $k_1, ..., k_\ell$ from $((x_1, ..., x_m), (y_1, ..., y_m))$.
- Build

$$\underbrace{\begin{pmatrix} k_1 & k_2 & \cdots & k_\ell \\ k_2 & k_3 & \cdots & k_{\ell+1} \\ \vdots & \vdots & \ddots & \vdots \\ k_\ell & k_{\ell+1} & \cdots & k_{2\ell-1} \end{pmatrix}}_{:-\mathbf{K}} \begin{pmatrix} c_1 \\ c_2 \\ \vdots \\ c_\ell \end{pmatrix} = \begin{pmatrix} k_{\ell+1} \\ k_{\ell+2} \\ \vdots \\ k_{2\ell} \end{pmatrix}.$$

3 Obtain (k_1, \ldots, k_m) if the matrix **K** is invertible.

One-Time Pads

Developed by Gilbert Vernam and Joseph Mauborgne in 1918

One-Time Pads

- Plaintext space = Ciphertext space = Key space = $(\mathbb{Z}_2)^m$
- For a key $K=(k_1,\ldots,k_m)\in (\mathbb{Z}_2)^m$,
 - $\mathsf{Enc}(K,x_1,\ldots,x_m)=K\oplus(x_1,\ldots,x_m)$
 - $\operatorname{\mathsf{Dec}}(K,Y_1,\ldots,Y_m)=K\oplus(Y_1,\ldots,Y_m)$
- Use a key K only once and throw it away
- Pros: Perfect secrecy unbreakable cryptosystem
- Cons: Efficiency Need a different key at each time

References

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