

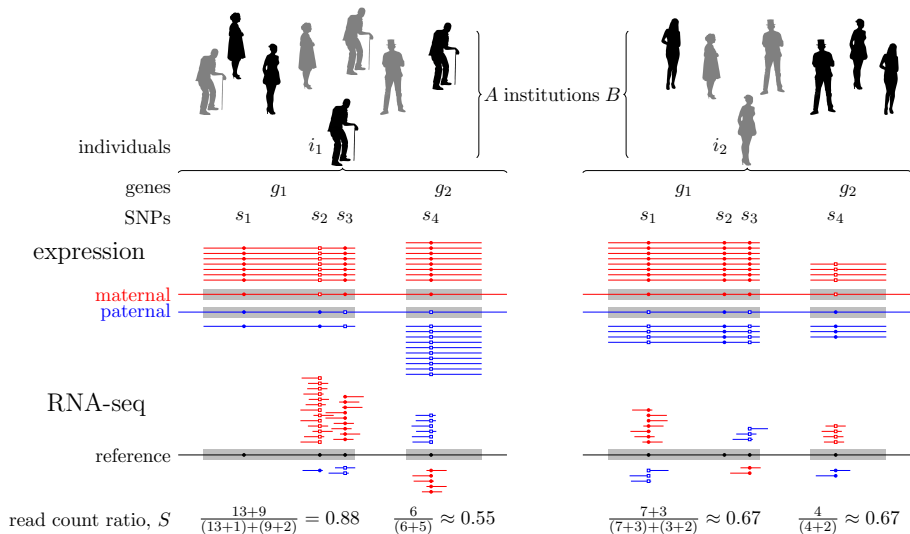
# The “Imprinting Manuscript”

## Normal Expression Bias of Imprinted Genes in Schizophrenics

Attila Gulyas-Kovacs

Chess lab meeting 12/12/17

# The CommonMind data



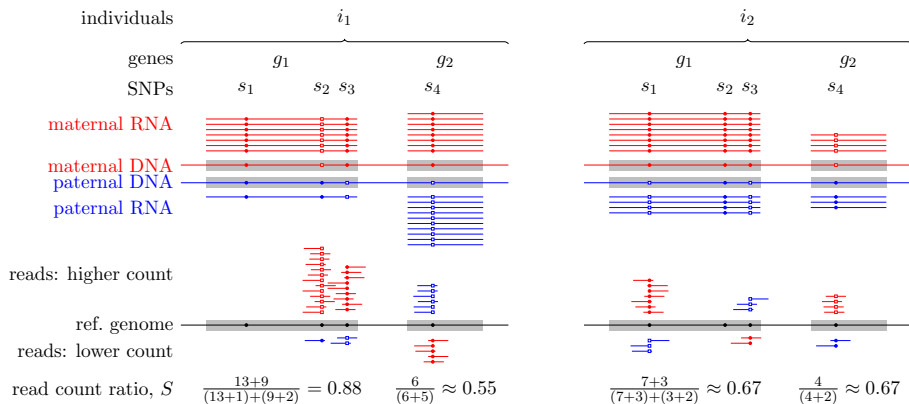
- questions

- ① schizophrenia and imprinting (15q11-q13 microduplications)
- ② imprinted genes in adult human DLPFC
- ③ determinants of imprinting (age, ancestry, gender)

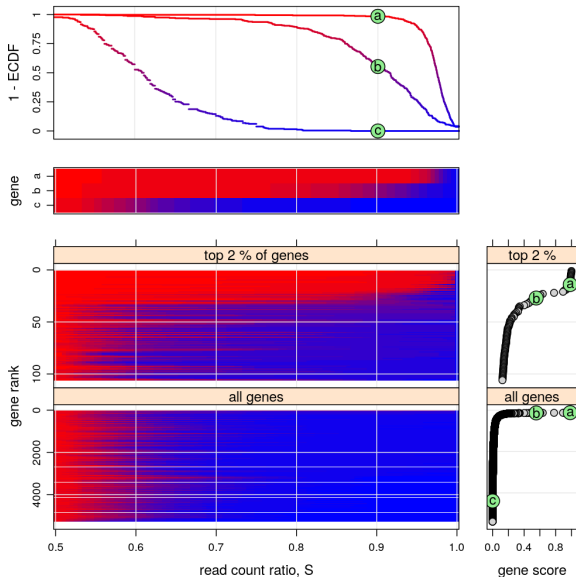
- key studies

- ① Fromer et al 2016 Nat Neurosci
- ② Gregg et al 2010 Science
- ③ Baran et al 2015 Genome Res
- ④ Perez et al 2015 eLife

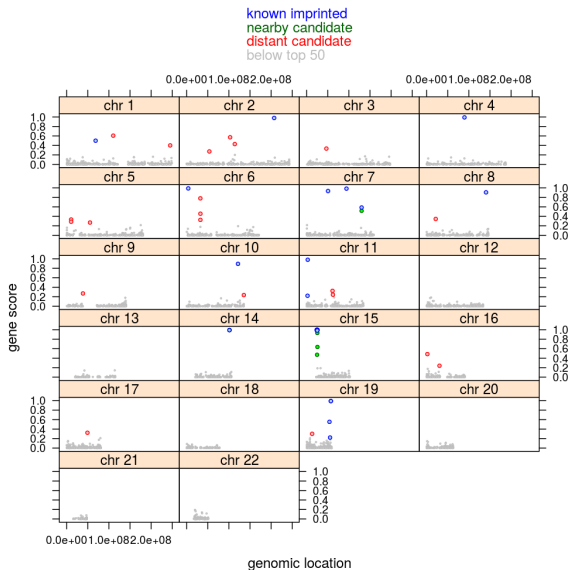
# Read count ratio gauges allelic bias and thus imprinting



# Ranking genes based on variation across individuals

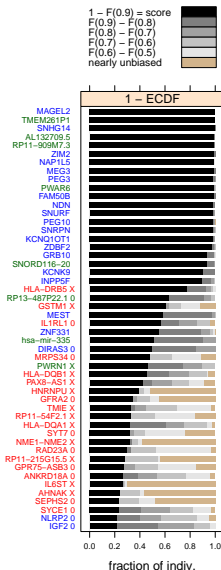


# Gene score and previous imprinted gene clusters

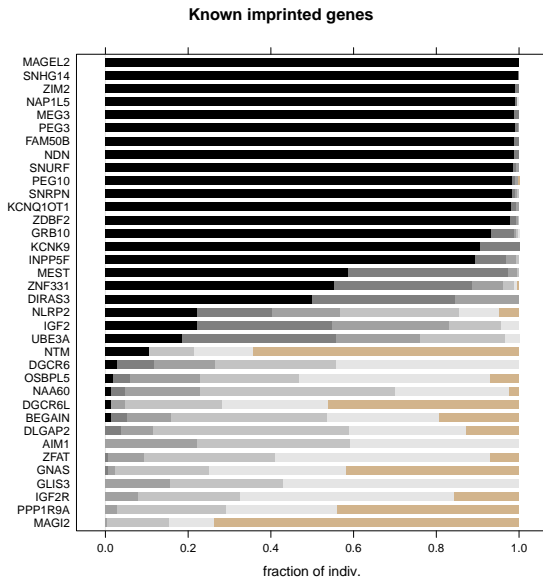


# Establishing imprinting status in the human DLPFC

- prior expectation: near cluster
- alternative causes of high read count ratio
  - 1 mapping bias
  - 2 eQTL



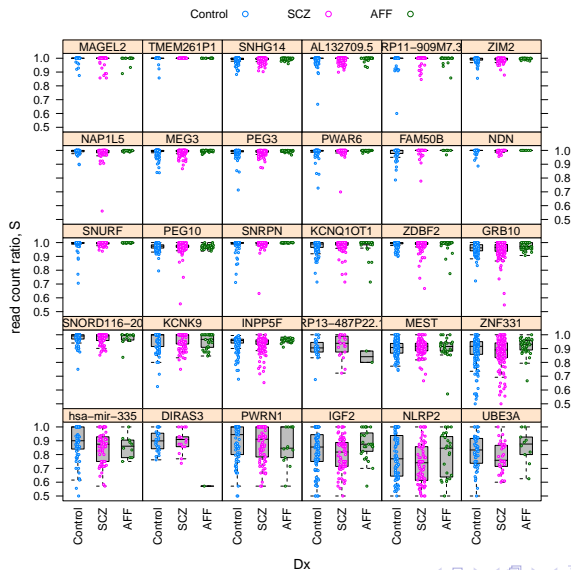
# Including 3 slightly lower scoring genes





# Explaining variation with psychiatric diagnosis, Dx

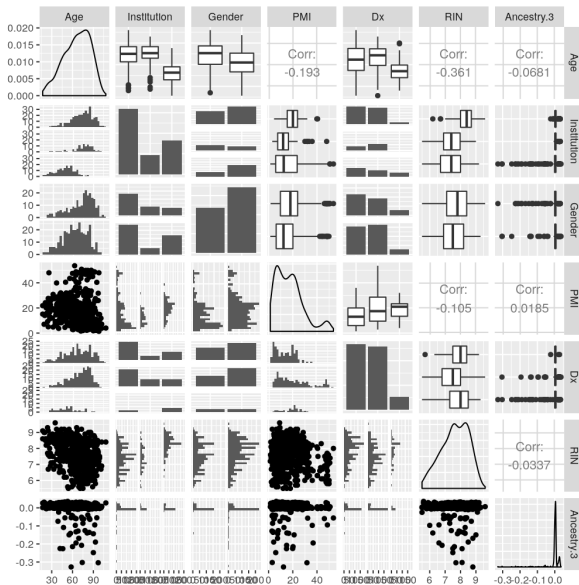
The simple but "confounded" approach



# More information with more explanatory variables

explanatory variable	levels
Age	
Institution	[MSSM], Penn, Pitt
Gender	[Female], Male
PMI	
Dx	[Control], SCZ, AFF
RIN	
RNA_batch	[A], B, C, D, E, F, G, H, 0
Ancestry.1	
:	
Ancestry.5	

# Dependencies: the source of confounding



# Several regression models of read count ratio $Y_g$

## Quantities

- observed variables
  - ▶  $Y_g = S_g$ : response = read count ratio for gene  $g$
  - ▶  $Y_g = Q_g$  (or  $Y_g = R_g$ ): response = transformed read count ratio
  - ▶  $X_j$ : the  $j$ -th column of design matrix  $X$
- model parameters
  - ▶  $\beta_{jg}$  (or  $b_{jg}$ ): regression coefficient for  $Y_g$  and  $X_j$
  - ▶  $\sigma_g$  (or  $m_{ig}$ ): parameters for noise

## Properties

- given  $g$ , the structure of dependencies among  $Y_g, X_1, \dots, X_p$
- parametric family (normal or logistic)
  - ▶ link function
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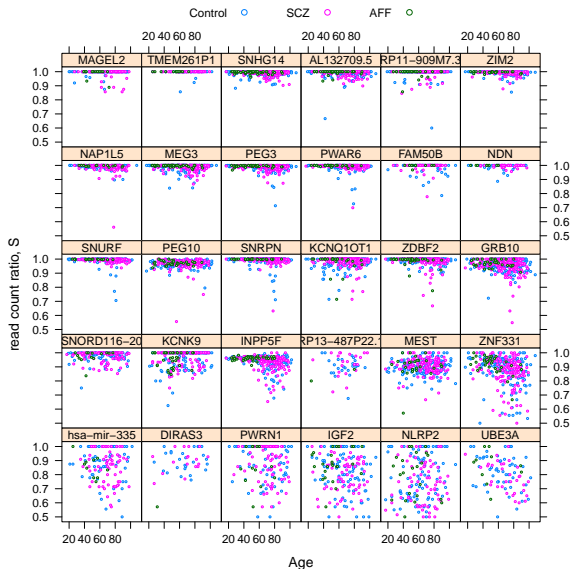
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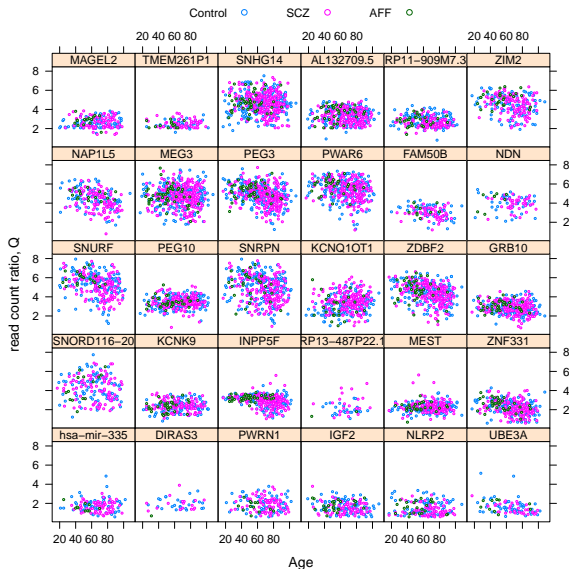
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# Untransformed read count ratio $S_g$



# Transformed read count ratio $Q_g$



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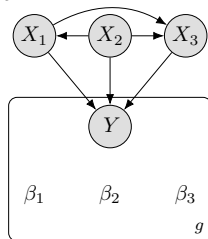
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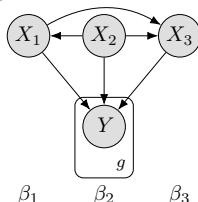
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# Three classes of dependency structure

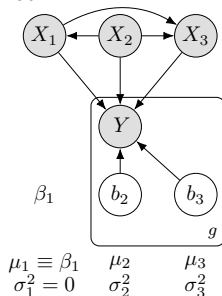
*fixed I*



*fixed II*



*mixed*



- fixed I: too complex  $\Rightarrow$  low power
- fixed II: too simplistic  $\Rightarrow$  bias
- mixed: powerful middle ground—even with interactions

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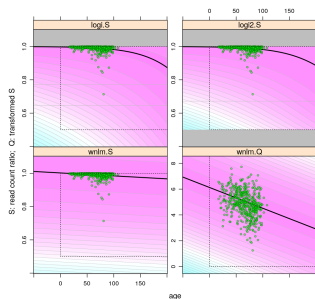
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# Parametric families

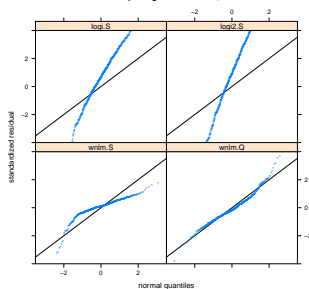
model family	abbrev.	response var.
<i>unweighted normal linear</i>	unlm	$S$ , $Q$ , or $R$
<i>weighted normal linear</i>	wnlm	$S$ , $Q$ , or $R$
<i>logistic</i>	logi	$S$
<i>logistic, <math>\frac{1}{2} \times</math> down-scaled link fun.</i>	logi2	$S$

# Fit of fixed I models for PEG3

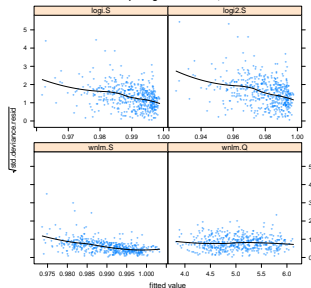
fixed simple regression model, PEG3



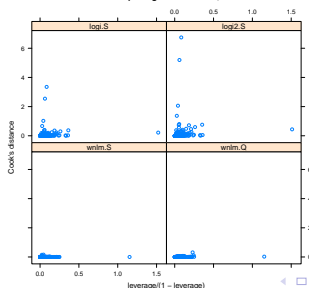
Normality of residuals.  
Fixed multiple regression model, PEG3



Homogeneity of error variance.  
Fixed multiple regression model, PEG3

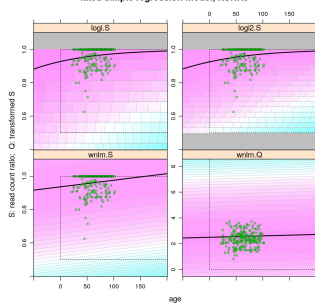


Influence of outliers.  
Fixed multiple regression model, PEG3

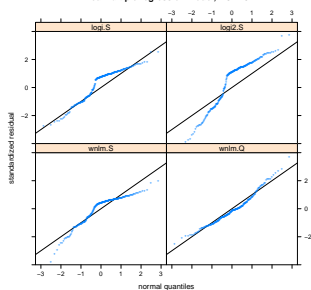


# Fit of fixed I models for KCNK9

fixed simple regression model, KCNK9

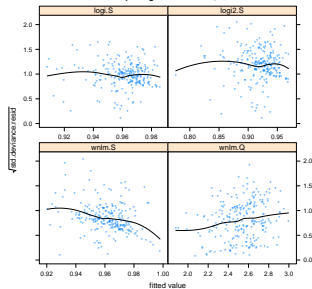


Normality of residuals.  
Fixed multiple regression model, KCNK9



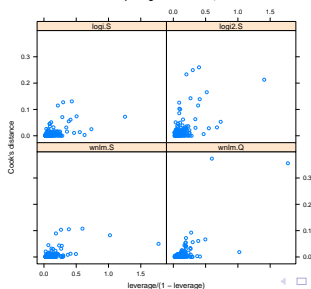
Homogeneity of error variance.

Fixed multiple regression model, KCNK9



Influence of outliers.

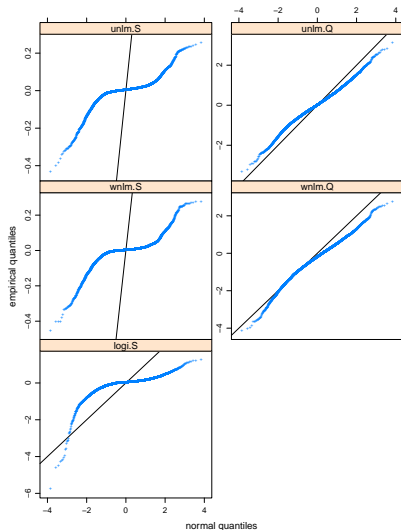
Fixed multiple regression model, KCNK9



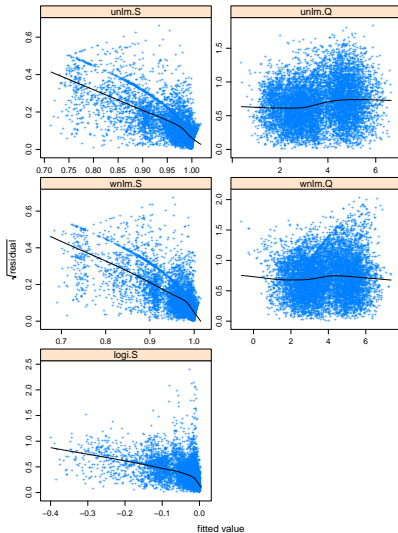


# Fit of mixed models (all genes jointly)

Normality of residuals.  
Mixed multiple regression model, all genes

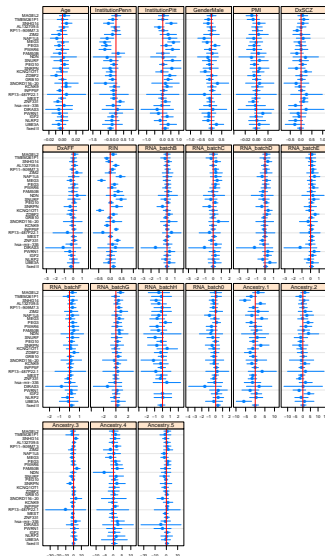


Homogeneity of error variance.  
Mixed multiple regression model, all genes

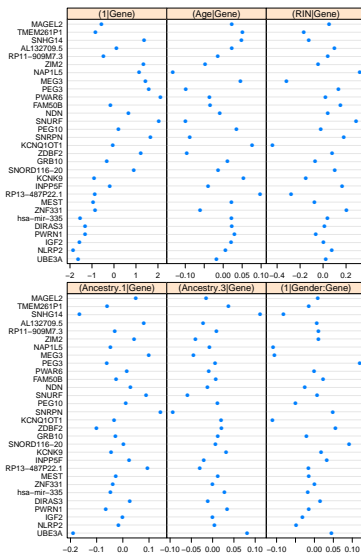


# Regression coefficients

Estimate and 99 % CI for  $\beta_{ij}$  - Fixed effects, unlm.Q



Predicted random coefficient  $b_{ij}$  - Mixed model unlm.Q

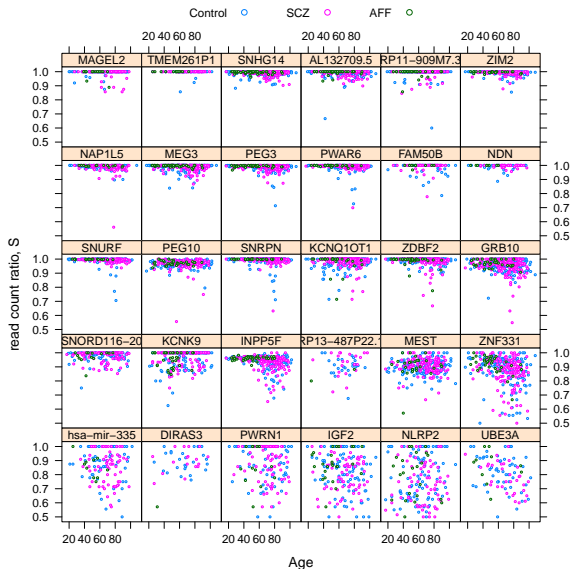


# Testing independence of read count ratio

Based on unlmQ mixed model

predictor term	interpretation	$\Delta AIC$	p-value
(1   Gene)	variability among genes	-126.8	$8.5 \times 10^{-28}$
(1   Dx)	variability among Control, SCZ, AFF	2.0	1.0
(1   Dx : Gene)	Gene specific variability among Ctrl, SCZ, AFF	0.4	0.21
Age	effect of Age	1.3	0.39
(Age   Gene)	Gene specific effect of Age	-18.9	$2.5 \times 10^{-5}$
Ancestry.1	effect of Ancestry.1	0.6	0.24
(Ancestry.1   Gene)	Gene specific effect of Ancestry.1	-71.2	$4.6 \times 10^{-16}$
Ancestry.3	effect of Ancestry.3	1.6	0.54
(Ancestry.3   Gene)	Gene specific effect of Ancestry.3	-17.9	$3.8 \times 10^{-5}$
(1   Gender)	difference between Male and Female	2.0	1.0
(1   Gender : Gene)	Gene specific difference between M and F	-5.7	$5.5 \times 10^{-3}$

# Untransformed read count ratio $S_g$



# Summary

- ❶ CommonMind RNA-seq read count ratio gauging allelic bias
- ❷  $\approx 30$  imprinted genes in human DLPFC
  - ▶ in agreement with more recent estimates
- ❸ normal allelic bias of imprinted genes in schizophrenics
  - ▶ subtle effect + noise and bias?
  - ▶ complex genetic architecture
- ❹ gene-specific effect of ancestry, gender, and age
  - ▶ aging: “imprinting and the social brain”
  - ▶ “DNA methylation age”

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